

# Quantum Decoherence

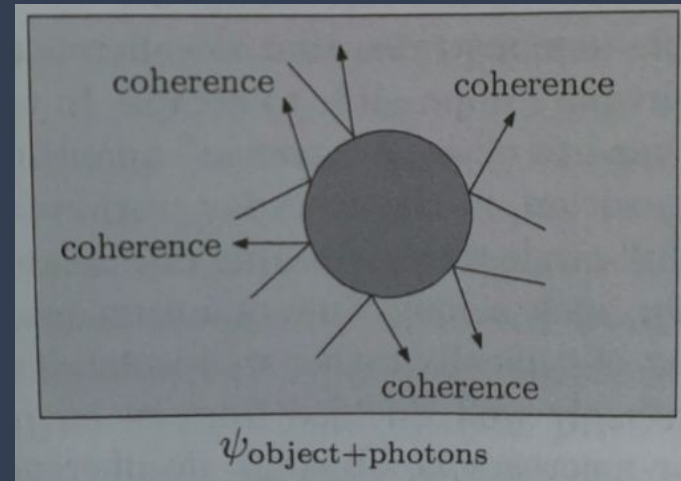
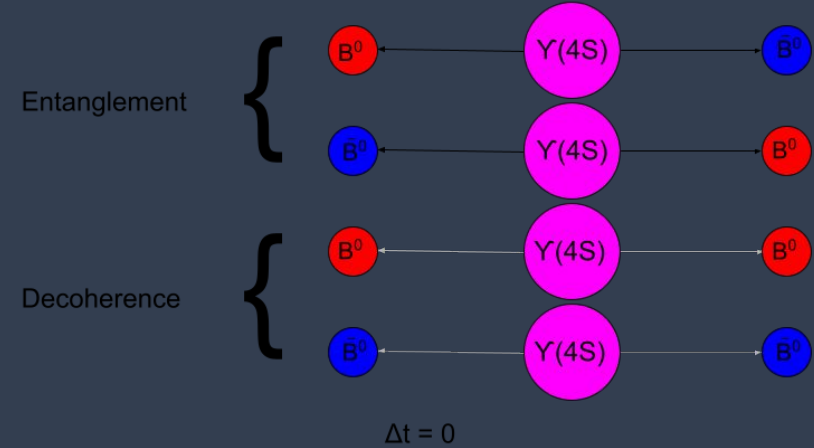


2024 US Belle II Summer Workshop  
June 2024

Hershel Weiner, U. Hawaii

# Quantum Decoherence

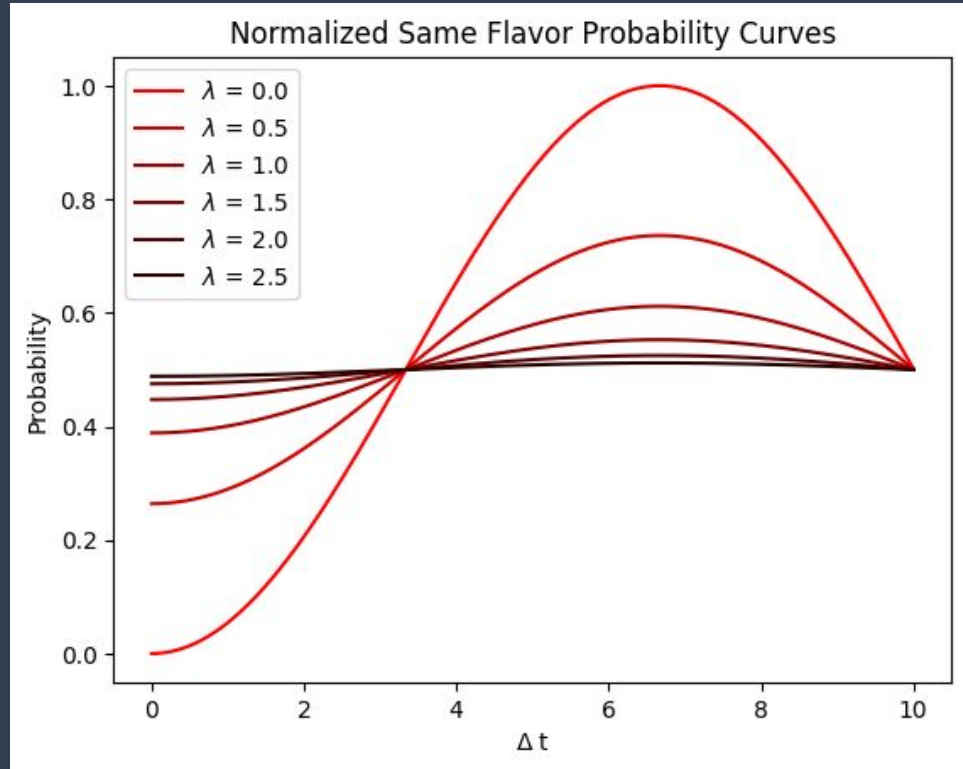
- A loss of coherence, or entanglement in a state
- Two types:
  - Spontaneous
    - At entangled pair production
  - Environmental
    - Environmental interactions “carry off” coherence from the system
    - Time dependent



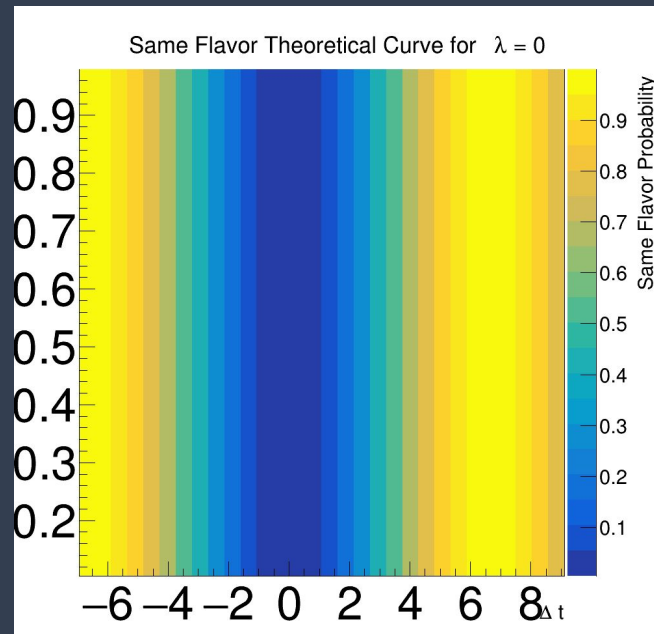
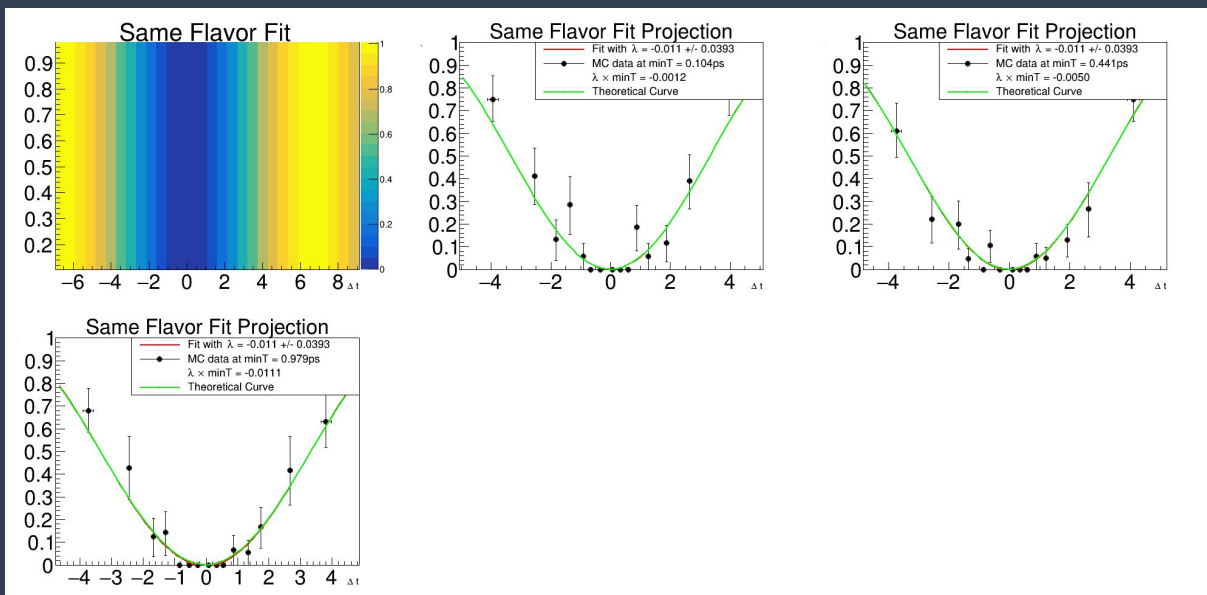
# Environmental Decoherence (Lindblad Type)

- Probability of detecting same flavor B Mesons as a function of  $t_{\min}$  and  $\Delta t$
- Lambda characterizes the level of decoherence in the system
- Acts only during the lifetime of the entangled pair and ends after first meson decay  $t_{\min}$

$$P = \frac{\cosh\left(\frac{\Delta\Gamma\Delta t}{2}\right) - \mu e^{-\lambda t_{\min}} \cos(\Delta m\Delta t)}{2 \cosh\left(\frac{\Delta\Gamma\Delta t}{2}\right)}$$

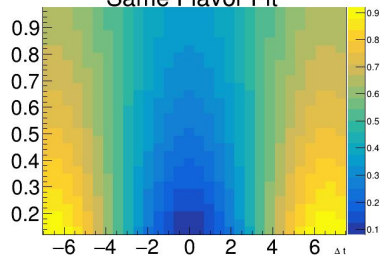


# Fitting Data with $\lambda=0$

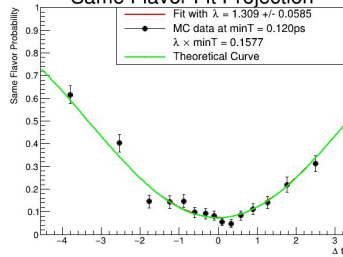


# Fitting Data with $\lambda = 1.3$

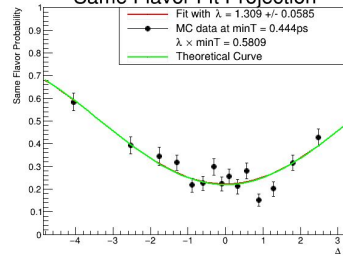
### Same Flavor Fit



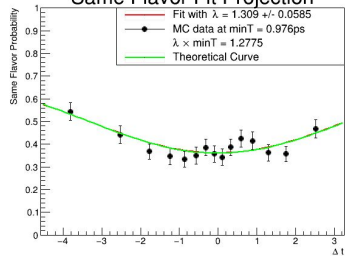
### Same Flavor Fit Projection



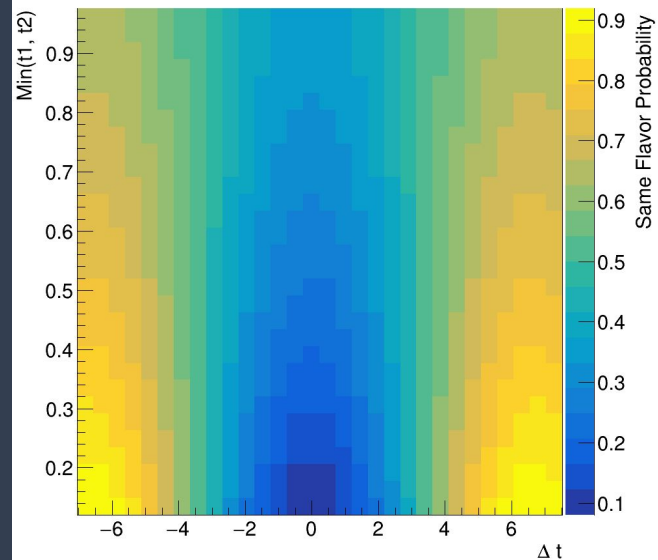
### Same Flavor Fit Projection



### Same Flavor Fit Projection

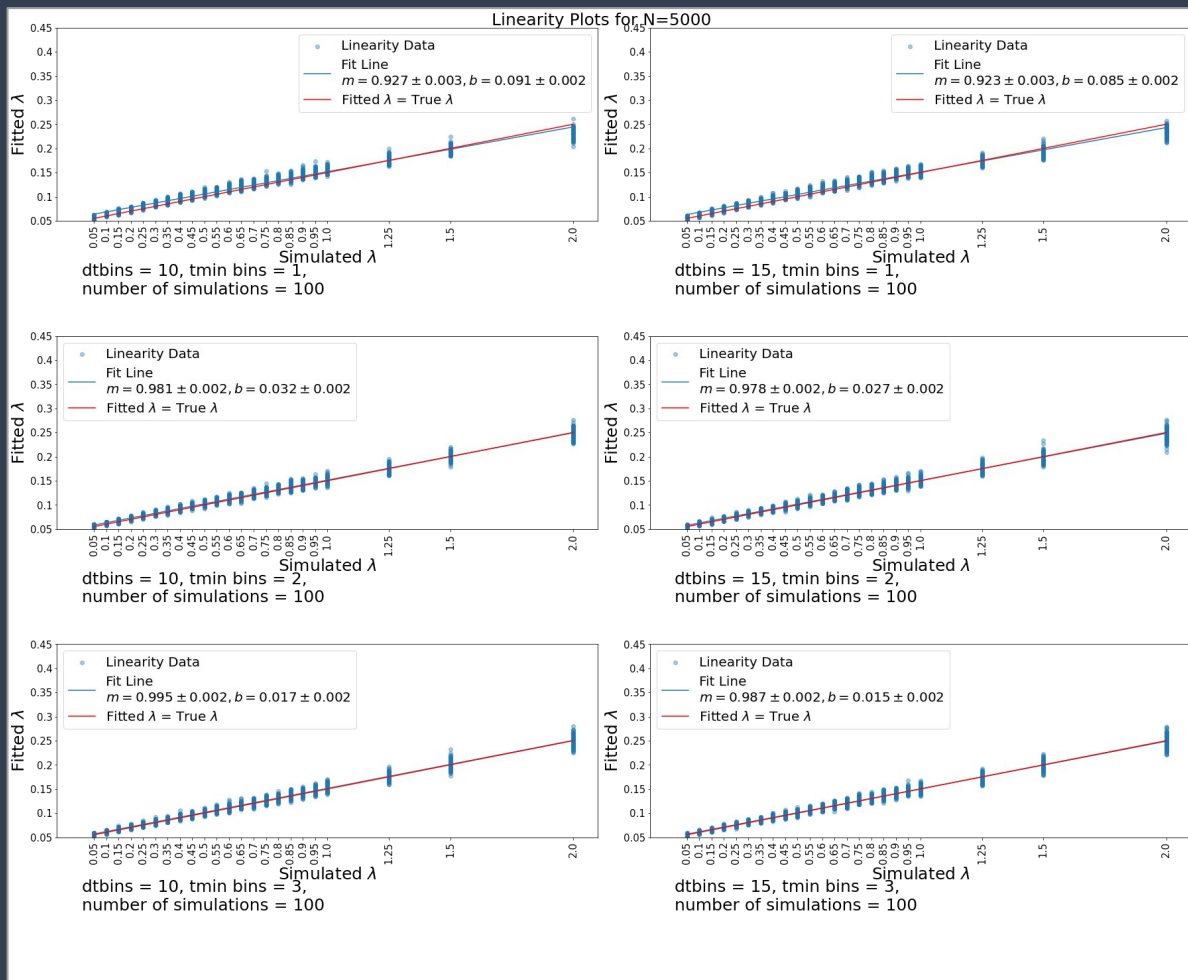


### Same Flavor Theoretical Curve for $\lambda = 1.3$



# Analysis

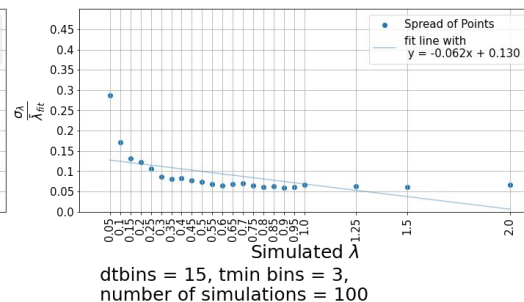
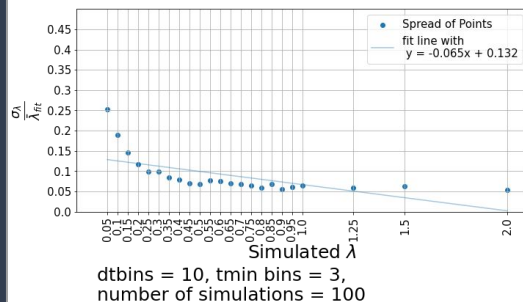
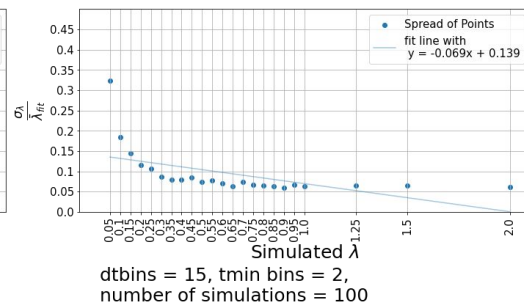
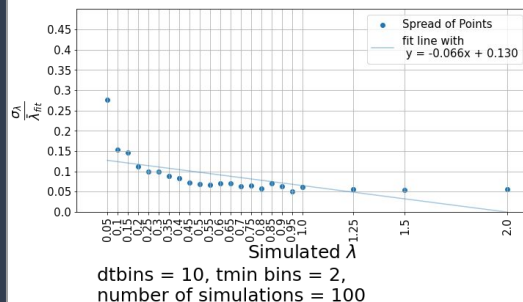
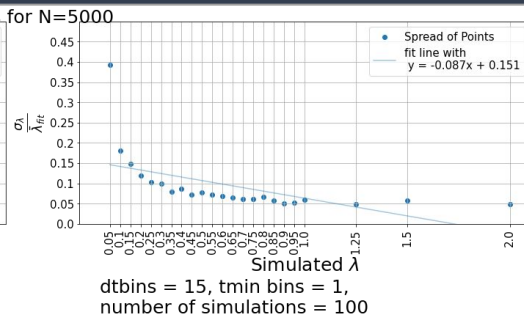
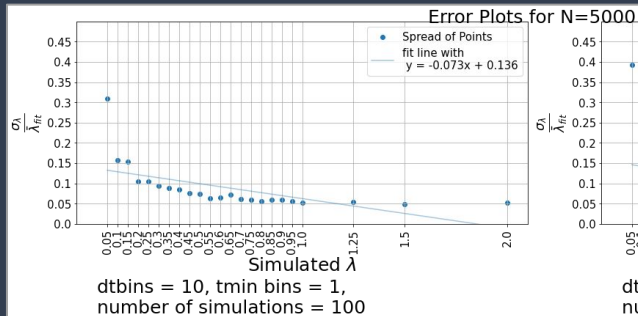
- Plot fitted lambda against simulated lambda and fit a line to test for fitting bias
  - Vary the number of bins in each axis to identify the optimal binning strategy
- See a slight increase in performance with more  $t_{\min}$  bins



# Analysis Cont.

- Gauge the sensitivity of the fitter by plotting  $\frac{\sigma_{\lambda}}{\bar{\lambda}}$
- See a  $<1$  fractional error for small lambda
  - This is good!
- Expect  $\sim 80k$  hadronic events in our data sample

$$\frac{\sigma_{\lambda}}{\bar{\lambda}}$$



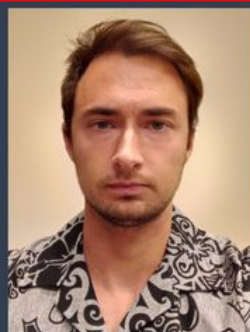
# Thank you!



Sven Vahsen (group leader)



Alexei Sibidanov (postdoc)



Timothy Mahood  
(grad student)

Lucas and Tim will give  
a more in depth talk on  
our group's work on  
Thursday



Lucas Stötzer (grad student)



Alecander Paul (undergrad)



Hershel Weiner (undergrad)



# Backup Slides

# Quantum Decoherence

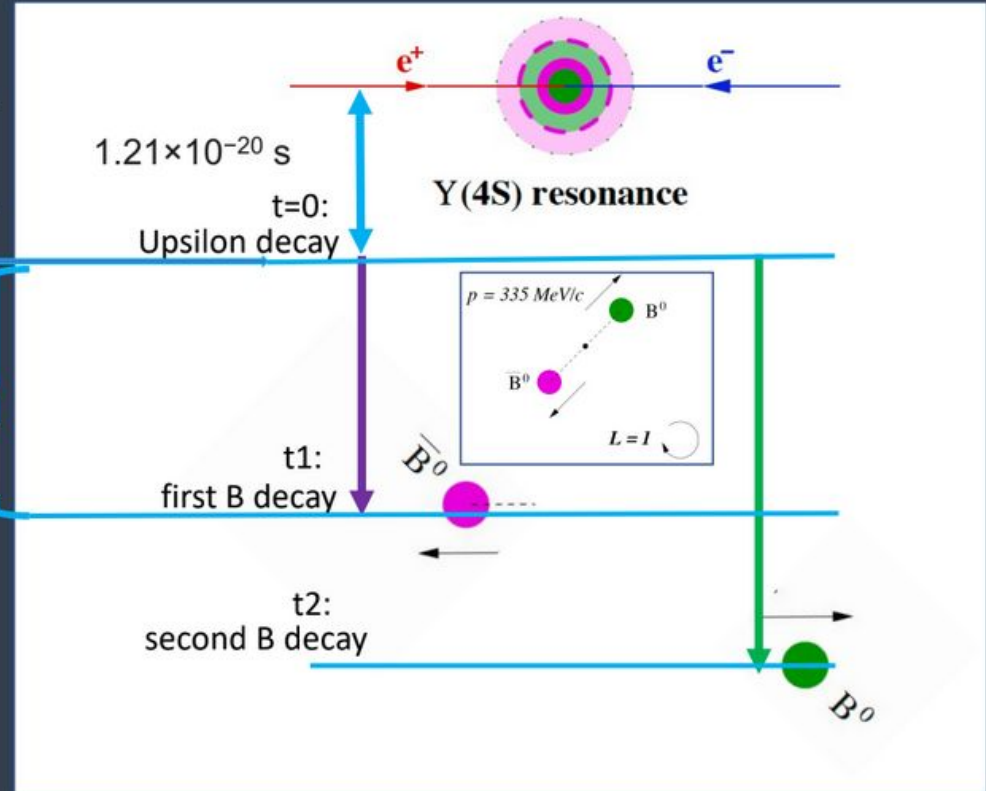
Measurement of Einstein-Podolsky-Rosen-Type Flavor Entanglement in  $\Upsilon(4S) \rightarrow BB$  Decays  
A. Go *et al.* (Belle Collaboration), PRL **99** (2007)

Spontaneous disentanglement  
or non-coherent production

Lindblad type decoherence

Model for decoherence of entangled beauty  
R. A. Bertlmann and W. Grimus, PRD **64** (2001)

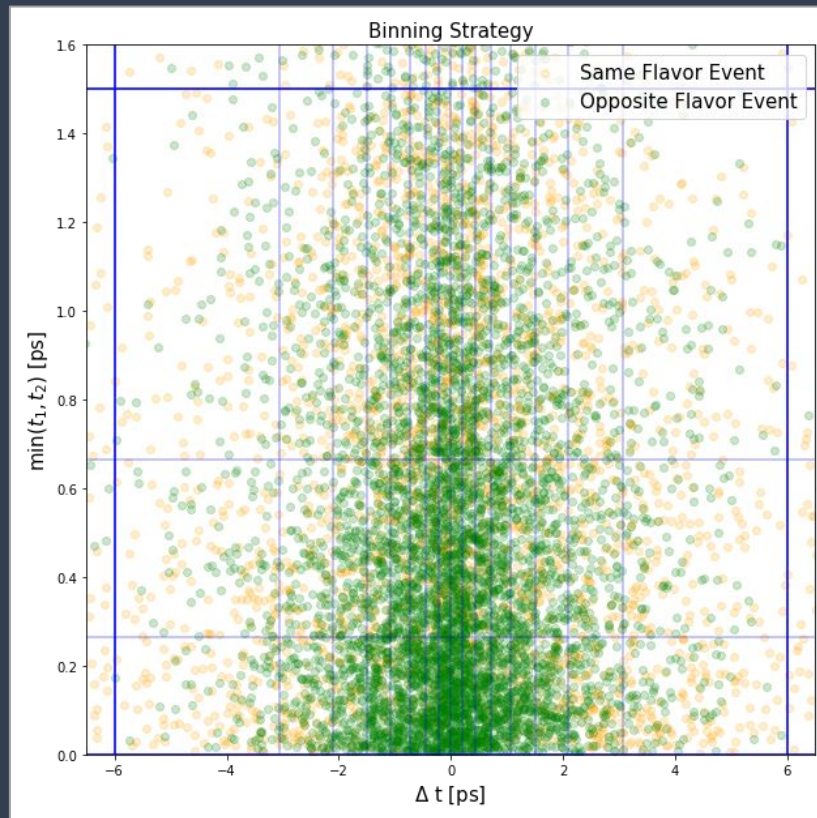
Measurement not  
attempted to date!



time

# Binning the Data

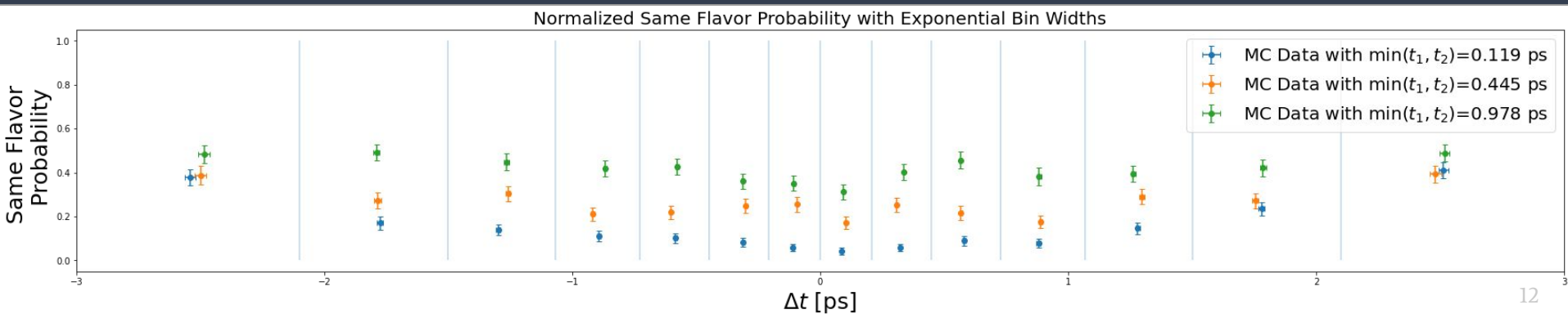
- Bin MC data by  $t_{\min}$  and  $\Delta t$  axis with equal number of events in each bin
  - 10,000 events, 16  $\Delta t$  bins, 3  $t_{\min}$  bins
- Take fractional count of same flavor events in each bin to derive probability



# Deriving the Probability Curve More In-Depth

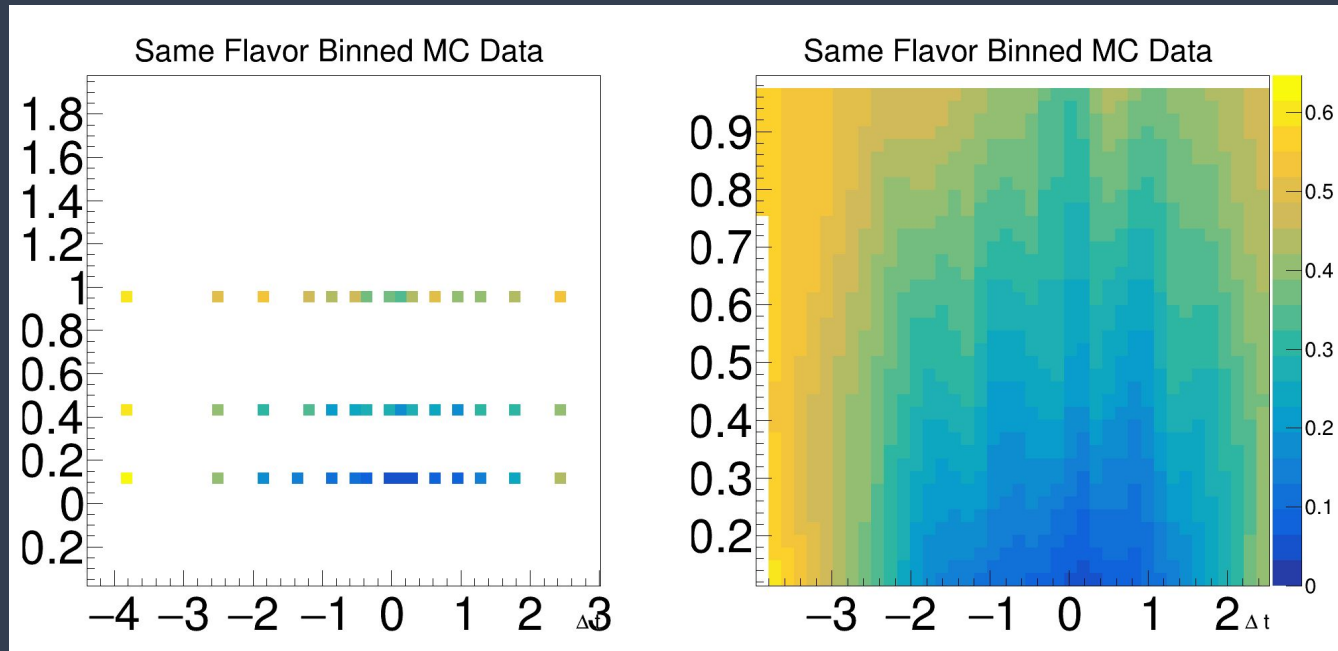
- Bin the data in each axis according to an exponential scale  $e^{(-t / \tau)}$ 
  - $t_{\min}$  axis  $\tau = 0.8$  ps,  $\Delta t$   $\tau = 1.6$
- Probability is the fractional count of same flavor events in each bin
- Bin centers are the median of  $t_{\min}$  and  $\Delta t$  in each bin

$$\frac{N_{BB}}{N_{BB} + N_{B\bar{B}}}$$



# 2D MC Data

- y-axes:  $t_{\min}$
- x-axes:  $\Delta t$
- Color axes: probability



# t\_min Fit Projections

