

CDC tracking and $B \rightarrow X_s \gamma$ with Belle 2

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Brief introduction

- Recent PhD student: started in August.
- Plan to work on $B \rightarrow X_s \gamma$ using a hadronic(?) tag.
- Currently on a service task with the tracking group.

Motivation for CDC wire efficiency study.:

- Larger than expected backgrounds observed in the CDC.
→ Local efficiency drops in wires?

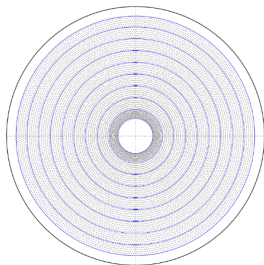
Developing a wire monitoring tool would help in any case.

CDC and CDC wires

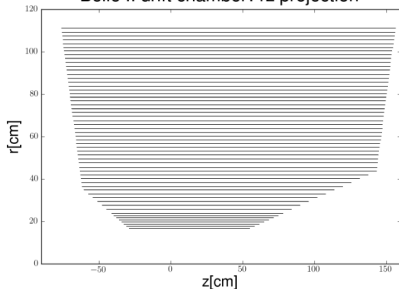
CDC is composed of:

- 9 super layers which consist of
- 56 layers (grouped to 1x8 and 8x6)
- 14336 wires (160 - 384 wires in a layer).

Belle II drift chamber $r\phi$ projection



Belle II drift chamber: rz projection

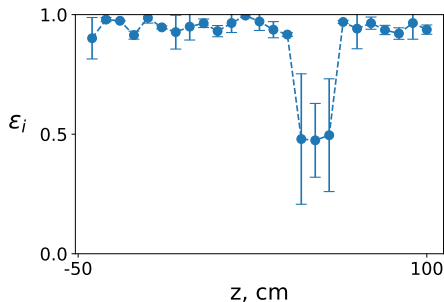


Starting points

Goal is to monitor 'Hit Efficiency' vs z for each Wire ID:

- For local low-eff in a wire.
- Low-eff throughout the whole wire.
- Low-eff persisting through several wires.
- 'Dead' wires.

So for each wire a plot is needed - but 14000+ wires!



Just a sketch
(no data, or simulation shown here)!

Method

This analysis uses:

- Dimuon pre-selected data.
from
- Experiments 3, 7, **8** and **10**.

Exp <10

```
/group/belle2/dataproduct/Data/release-03-01-04/DB00000607/PromptSkim/e_*/4S/r_*/skim/hlt_mumu_2trk/raw/sub00/
```

Exp 10

```
/group/belle2/dataproduct/Data/release-04-00-02/DB00000711/PromptSkim/e_*/4S/r_*/skim/hlt_mumu_2trk/raw/sub00/
```

Further cuts applied on tracks in events:

- $p_T > 1$ GeV.
- $|d_0| < 2$ cm.
- $|z_0| < 5$ cm.

i.e. straight tracks, that originate near the interaction point.

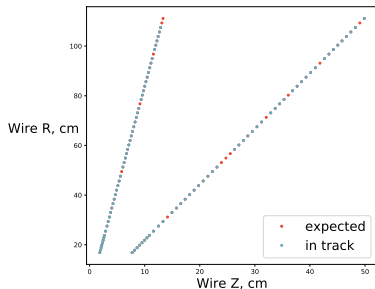
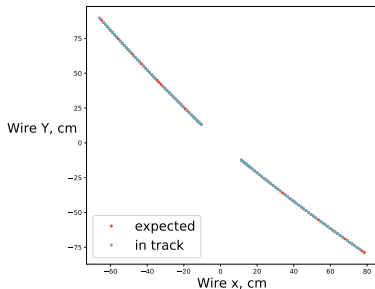
Efficiency calculation

To calculate 'efficiencies' need two sets of hits:

- Hits forming muon tracks.
→ In `PyStoreObj("CDCTrackVector")`.
- Hits 'expected' in muon trajectory
→ Extrapolate trajectory to see the wires it 'crosses'

First can be used as the numerator, the second as the denominator to define

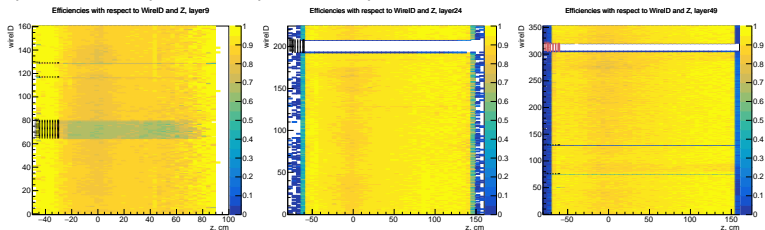
$$\varepsilon \equiv \frac{N_{\text{in track}}}{N_{\text{expected in track}}}. \quad (1)$$



Wire efficiencies for layers

- For this ROOT TEfficiency is used.
- Combine hit data with all (or certain) runs combined

→ 56 (1 per layer) plots $\varepsilon(z, \text{wireID})$ per dataset:



Faulty wire identification:

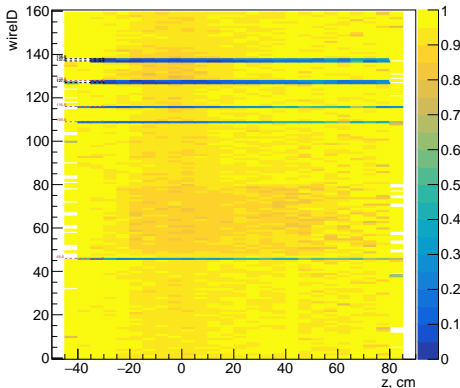
- χ^2 check for each wire against the layer projection.
- Also checks average efficiency of the wire.

Performance on low stats

Good performance on low statistics as well

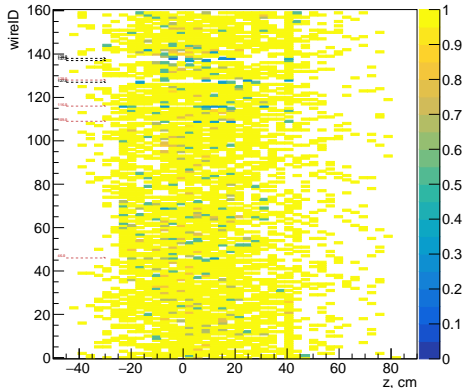
50 runs combined

Efficiencies with respect to WireID and Z, layer8



1 run

Efficiencies with respect to WireID and Z, layer8



RED arrows: in CDCBadWires payload most recent rev.

Black arrows: found by my tool, not in payload

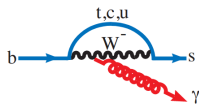
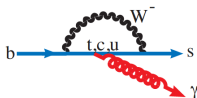
Main topic: $B \rightarrow X_s \gamma$

Future plans:

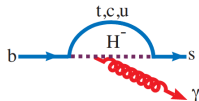
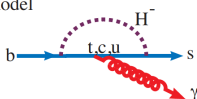
$B \rightarrow X_s \gamma$ analysis. Measurement of the γ energy spectrum.

- Yet to have started
- Possible BSM contributions.
 - m_b shape func. useful in V_{ub} measurements

a) Standard model



b) Charged Higgs model



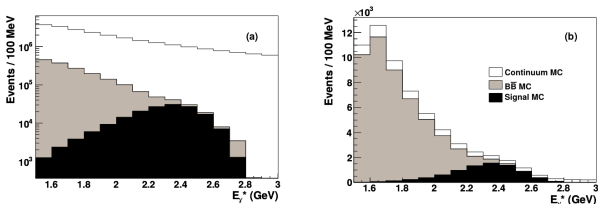
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Future plans:

$B \rightarrow X_s \gamma$ analysis. Measurement of the γ energy spectrum.

Using the upcoming Belle 2 dataset:

- Fully-inclusive.
- Tagged analysis planned.



BABAR estimations, 1207.5772

Summary

- Started studying the CDC wire efficiency.
→ developing a semi-automatic “monitoring tool”
- Tool to be used for offline DQM monitoring.
- For analysis: Plan to use Belle 2 data for $B \rightarrow X_s \gamma$

Thank you!

Backup: Empty Slide

BACKUP: Considerations of uncertainty evaluation

Using pyROOT for analysis due to the TEfficiency class:

→ uncertainty calculation is mostly taken care of.

By default Clopper-Pearson method calculates 'exact' confidence interval of a binomial distribution.

→ asymmetric errors in each bin.

Clopper-Pearson method

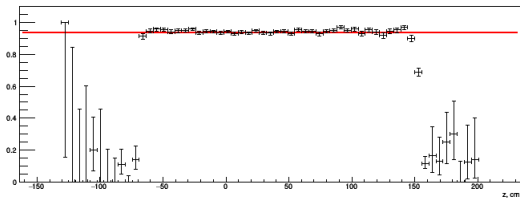
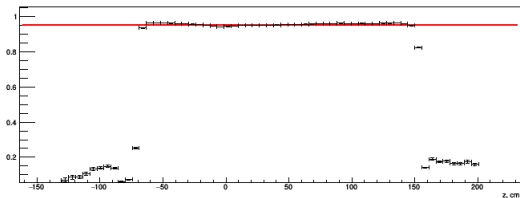
If n trials and k successes in trials, and confidence level α :

$$\begin{aligned} P_{UE} &= 1 - \text{BetaInv}\left(\frac{\alpha}{2}, n - k, k + 1\right) \\ P_{LE} &= 1 - \text{BetaInv}\left(\frac{1 - \alpha}{2}, n - k + 1, k\right) \end{aligned} \quad (2)$$

Think this is the correct approach for error calculation in this case.

Backup: Projection fits

STEP 1: Make an X projection of all wires and the wire currently in question.



→ check for fit overlap

→ separately calculate chi2 value for average and single-wire efficiency histograms