

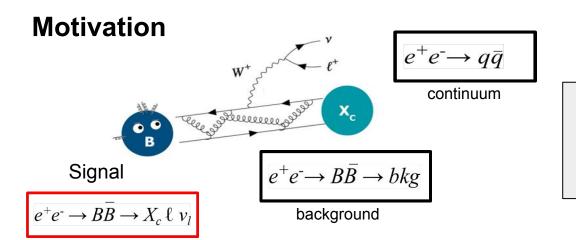
Measurement of the differential branching ratio and lepton angle in semileptonic B→X_clv decays

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With funding from the:







- → Reconstructed dataset: MC15rd with hadronic FEI skim
- → Channels studied: e⁻, µ⁻

Objective: Extracting |V_{cb}| from the branching fraction measurements

- Resolution studies of various kinematic variables
- Efficiency calculation performed with and without FSR photons (PHOTOS)
- Efficiency corrections and unfolding to obtain the truth-level spectrum of kinematic variables
- Signal yield extraction via m_χ fitting in bins of p₁^B q² and cos θ₁:
- Resolution studies via migration matrix
- Systematics

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Analysis Outline

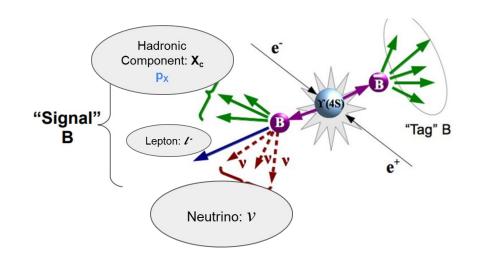
- Study kinematic variables:
 - Leptons kinematics: p_i^B, E_i^B
 - Hadronic system (X_c) invariant mass:

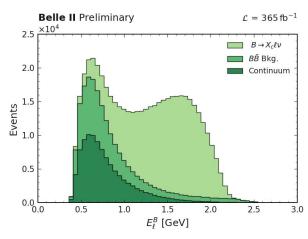
$$\mathbf{m}_{\mathbf{X}} = (\mathbf{p}_{\text{Signal B}} - \mathbf{p}_{\text{I}} - \mathbf{p}_{\nu})$$

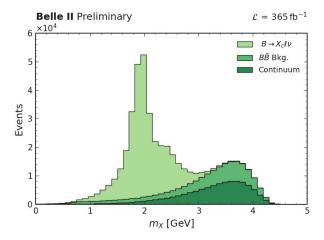
o Momentum transfer:

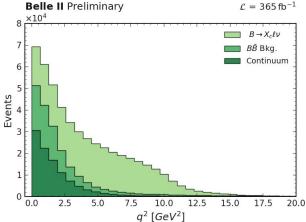
$$\mathbf{q^2} = (\mathbf{p}_{Signal B} - \mathbf{p}_{X})^2 = (\mathbf{p}_{I} + \mathbf{p}_{v})^2$$

Lepton Angle: cos θ_I





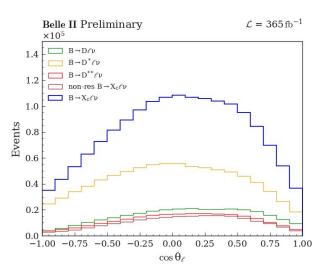


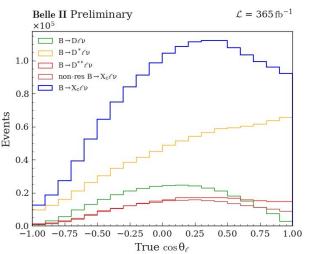


LEPTON ANGLE: $\cos \theta_1$

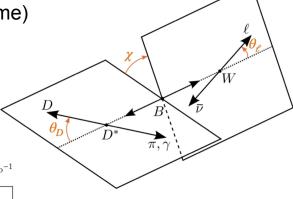
The angle **between the direction of the W boson** (in B rest frame) and the **direction of the lepton** (in W rest frame)

- $p_W = p_B p_X$
- Boost lepton into CMS frame of W
- cos(p_W in B rest frame, p_I in W rest frame)





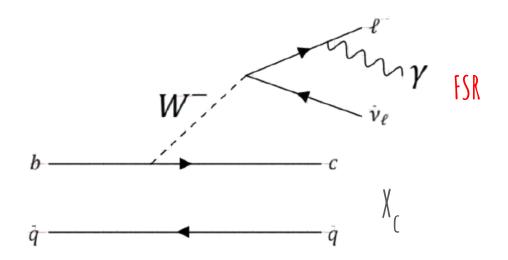
Reconstructed and True $\cos \theta_1$



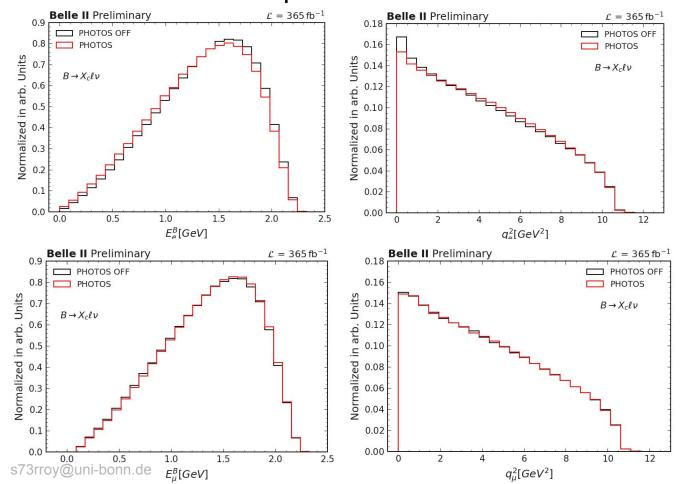
$$\cos \theta_l = \frac{p_W^{B-frame} p_l^{W-frame}}{|p_W^{B-frame}| |p_l^{W-frame}|}$$

- Inspected components of p_w in the B rest frame
- Inspected components of p_x in the ROE frame

FSR PHOTONS (PHOTOS)



Inspection of q² and E₁^B



From the E_I^B distribution, we can conclude that for muons FSR is less significant

MOMENTUM STUDY OF THE TAG B MESON

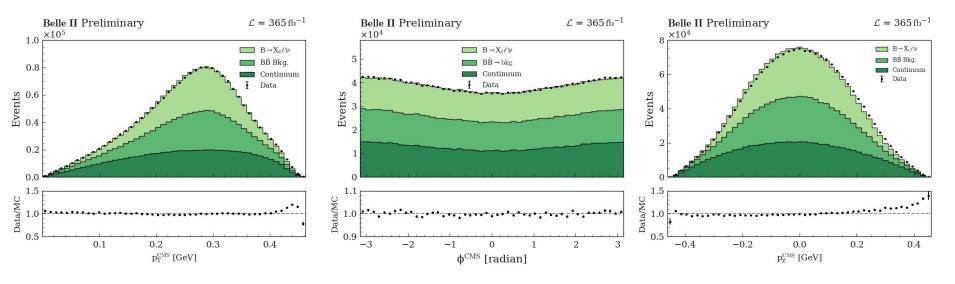
B_{tag} momentum

- Allows us to fully reconstruct the kinematics of B-meson decays
- This improves event selection and background suppression, enhancing precision measurements of |V_{ch}|

p_T: transverse momentum

φ: azimuthal angle

p_z: longitudinal momentum

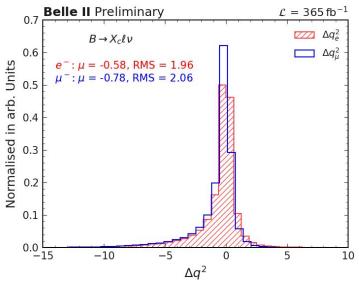


RESOLUTION STUDY

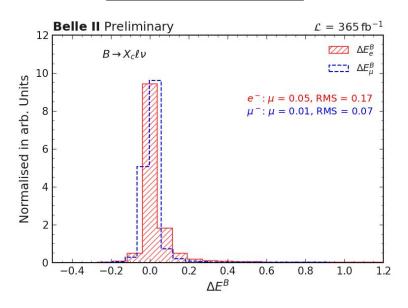
Distributions of Δq^2 and ΔE_1^B

- Quantify the resolution of our reconstruction
- Understanding the smearing between true and reconstructed kinematics is essential to correct measurements

$$\Delta q^2 = q^2_{true} - q^2_{reco}$$



$$\Delta E_{l}^{B} = E_{l \text{ true}}^{B} - E_{l \text{ reco}}^{B}$$



Migration Matrix Construction

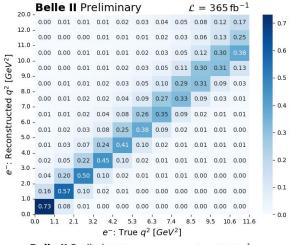
- MC samples for B→X_cℓv: containing both the *true* generator-level quantities and the detector-level reconstructed quantities
- These events include detector response, acceptance, and reconstruction effects

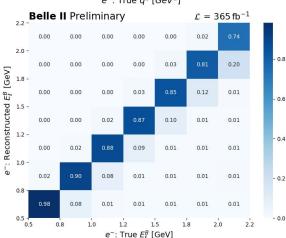
$$\mathcal{M}_{ij} = P(measured \ in \ bin \ i \mid true \ in \ bin \ j)$$

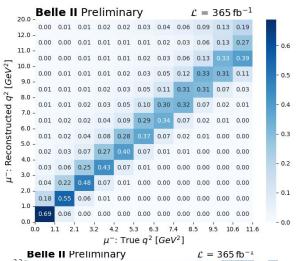
- Each simulated event is assigned to its true bin j and reconstructed bin i,
- A 2D histogram over many events, shows how events of a kinematic variable "migrate" from its true bin into a reconstructed bin
- M encodes the smearing and efficiency of the detector
- Used in unfolding: correcting the measured spectrum back to the truth level
- Ensures that extracted physics quantities (differential decay rates, form factors, V_{cb}) are not biased by detector effects

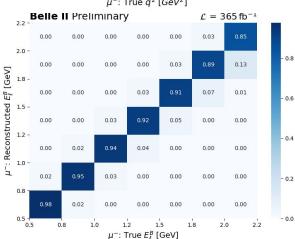
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q² and E₁^B resolutions







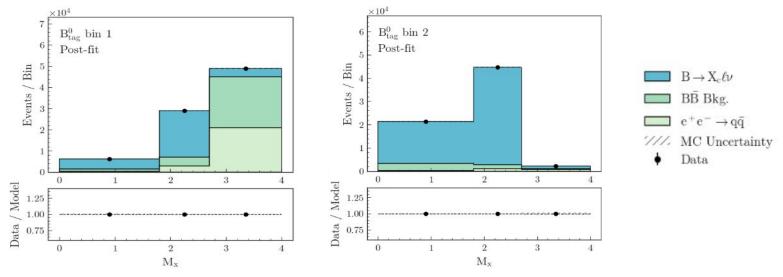


- Muons have better resolution as compared to electrons
- Electrons lose energy via bremsstrahlung and showering, smearing the measurement

SIGNAL YIELDS EXTRACTION

Fitting hadronic mass M_{χ}

- Considering the kinematic variables : p_i^B , q^2 and $\cos \theta_i$ in fine bins
- In each bin, fitting the hadronic mass m_x distribution in three coarse bins
 - o Using a pyhf model to set up the signal, background and continuum templates
 - \circ Using cabinetry to obtain the fit yields for thr signal events (B \to X_cI v)

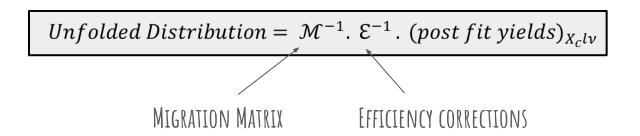


 Fitting in m_x separates different final states, stabilizes unfolding, and reduces detector smearing, while still keeping enough statistics for precision

UNFOLDING

We want the true distribution of the kinematic variable and not the smeared one!

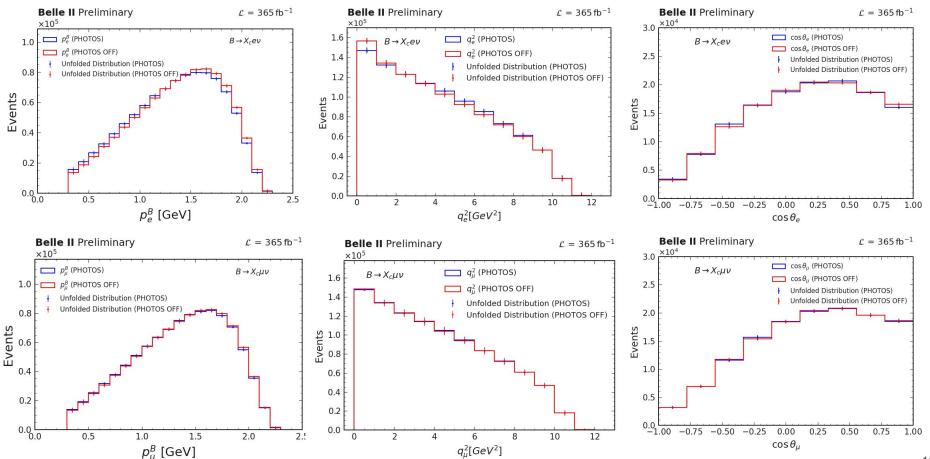
 Using the migration matrix inversion, the signal yields obtained and incorporating efficiency corrections, we obtain the unfolded truth level spectrum



Examining the unfolded spectrum for p₁^B, q² and cos θ₁

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Unfolded spectrum: with/without FSR photons



SYSTEMATICS

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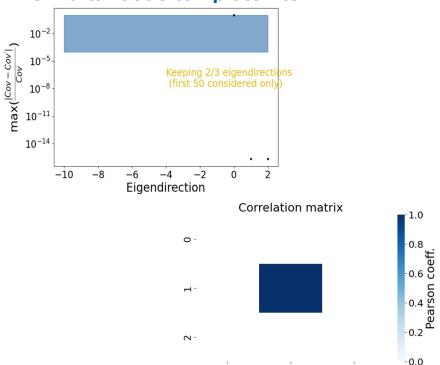
SysVar

Tool for Enhancing Consistency in the Treatment of Systematics

Is there a consistent way of handling arbitrary correlations arising from systematic effects that affect shapes in simultaneous template fits?

SysVar is a Python-based tool:

- Generate Variations of Data/MC
 Corrections
- Build templates and template variations for a non-parametric fit
- Covariance Matrix: (channels x templates x bins) to produce eigenvariations to implement correlated shape Variations



Incorporating variations from SysVar in this analysis

Systematic	Description
BF (Branching Fractions)	Uncertainty from input branching fractions of D, D*, D** and Gap channels affects MC normalization
FEI (Full Event Interpretation)	Efficiency mismodeling for B ⁰ and B ⁺ tag reconstruction between data and MC
FF (Form Factors)	Uncertainty from hadronic form factor modeling in semileptonic BB decays impacts shapes and efficiencies
Tracking	Charged-particle tracking efficiency differences between data and MC.
Lepton ID	 eff: efficiency of true lepton identification fake kaons: kaons mis -ID as leptons fake pions: pions mis -ID as leptons

Summary

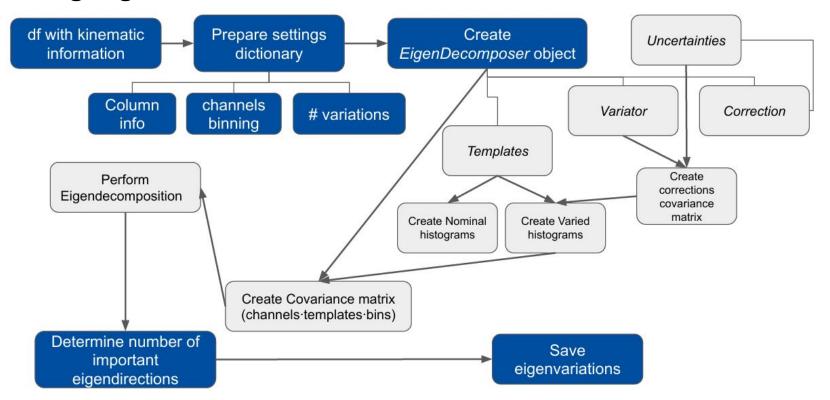
- Study of reconstructed kinematic variables: m_x, E_i^B, p_i^B, q²
- Effect of FSR photons on E_i^B and q²
- Calculation of lepton angle cos θ_i
- Signal extraction by fitting the invariant hadronic mass in bins of the lepton momentum,
 momentum transferred squared and lepton angle
- Unfolding with efficiency corrections
- Systematics: BF, FEI, FF, Tracking, LeptonID using sysvar
- Incorporating these systematics in the pyhf model

Next Steps

Branching Fraction calculation using pyhf incorporating each of the systematics

BACKUP

Producing EigenVariations



SysVar provides all the necessary tools to prepare a global simultaneous fit that keeps track of all the correlations consistently

Unfolding

 $Unfolded\ yields = \mathcal{M}^{-1}$ @ $signal\ post\ fit\ yields$

$$\mathcal{E} = \frac{Unfolded\ Yields}{N_{gen}(in\ p_l^B\ true\ bins)}$$