

**Belle II Particle ID:  
dE/dx from the CDC**

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# Outline

Teaser: a nice  $dE/dx$  band plot

Quasi-Stable Particles

PID & Velocity

$dE/dx$  Basics: CDC structure, ionization, universality

Reconstruction: Truncated means

Calibrations : Types & Plots of some calibration “constants”

Charge Asymmetries

Using  $dE/dx$  PID

Monte Carlo

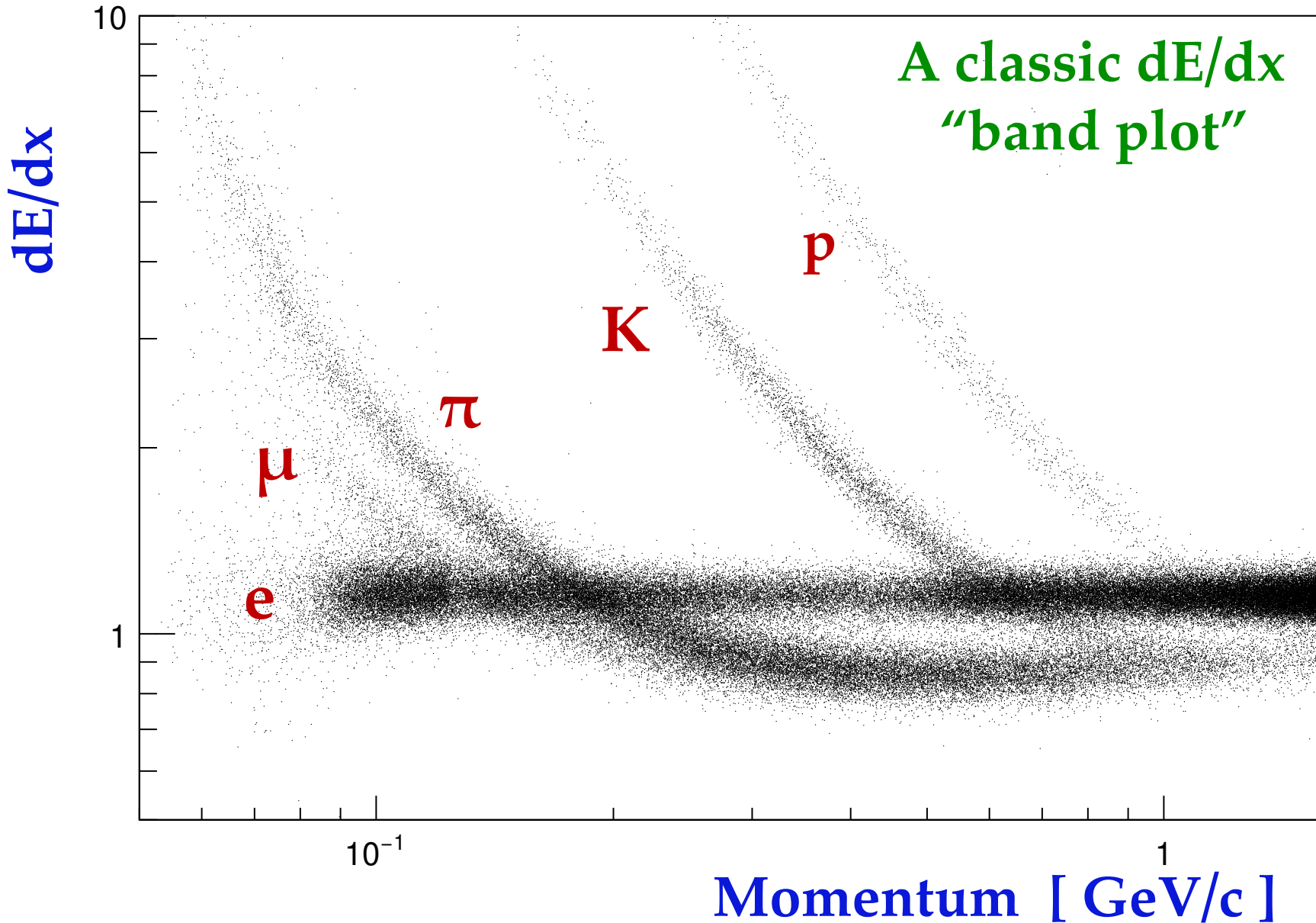
Conclusions

*NOTE: CMU [Jitendra Kumar & I] do all CDC  $dE/dx$  calibration, maintain reconstruction code, and supply the current “track-level” MC simulation of CDC  $dE/dx$ .*

*I will not discuss  $dE/dx$  in the SVD which is done by others (some concepts are similar)*

# CLEO-c Ultra-Clean Tracks

a previous experiment I worked on  
took data 2004-2008 or so...



Separation is  
related to mass

"Blind spots" at  
band crossings

Best separation at  
lower momenta

*Calibration goal:  
make bands narrow*

# Quasi-Stable Particles I

**Heisenberg:**  $\Delta E \Delta t > \hbar$  becomes  $\Gamma \tau \sim \hbar \sim (70 \text{ MeV}) \times (10^{-23} \text{ s})$   
*short lifetime  $\tau$  implies uncertain rest-energy (mass) of order  $\Gamma$*

( notice the inequality disappears: Nature pushes Heisenberg to the limit! )

**Hadronic “resonances” (strong decay):**  $\Delta, K^*, \rho$   $\Gamma \sim 100 \text{ MeV wide} \rightarrow \tau \sim 10^{-23} \text{ s}$

**EM decays, quarkonia (suppressed strong):**  $\eta, J/\psi, \Upsilon$   $\sim \text{keV to } \sim \text{MeV}$   
Even the “long-lived”  $\pi^0$ :  $\Gamma \sim 8 \text{ eV} \rightarrow 0.8 \times 10^{-16} \text{ s}$

**Heavy quark hadrons (weak decays):**  $B, D, D_s, \Lambda_c$   $\tau \sim 10^{-12} \text{ s} = 1 \text{ ps}$

**ALL very short lived!** *Short compared to what???*  $\ll$  beam pipe radius ...

**Average Flight length before decay:**  $\tau$  is mean lifetime

$$\langle L \rangle = \gamma (\beta c) \tau = (\beta \gamma)(c\tau) = (p/m) c\tau \quad 1 \text{ ps} = 300 \text{ microns } (\mu\text{m})$$

**Useful connections:**  $(E^2 - p^2 = m^2) / m^2 \rightarrow \gamma^2 - (\beta\gamma)^2 = 1$   
with  $\gamma = E/m$   $\beta\gamma = p/m$   $\beta = p/E$

[ Also, realize that  $\beta, \gamma, \beta\gamma$  are all interchangeable: easy to calculate one from another... ]

# Quasi-Stable Particles II

There are only a handful of “Quasi-stable” particles:

If  $\tau \sim 10^{-10}$  s, then  $\langle L \rangle \sim 3$  cm

*Charged*: e  $\mu$   $\pi$  K p d  $\leftarrow$  These are the domain of dE/dx !!!

*Neutral*:  $\gamma$   $\nu$  n  $\Lambda^0$  K<sub>S</sub> K<sub>L</sub>

plus ~five more less-common “hyperons” = strange baryons (cousins of  $\Lambda^0$ ):  $\Sigma^+$   $\Sigma^-$   $\Xi^0$   $\Xi^-$   $\Omega^-$

here, “d” = deuteron = bound pn (deuterium nucleus)

NOTE: the small number of quasi-stable particles helps with detector design!

There are only a few “old friends” to measure;

new particles typically decay inside the beam pipe ( but not always... )

$\rightarrow$  we only see the familiar quasi-stable decays products

*This is how we planned in advance to discover the Higgs at the LHC :*

*We knew how it would decay and we were old pros at measuring those decay products.*

# Particle ID and Velocity

**Many common Particle ID technologies depend on particle velocity:**

- *“Time of flight” (TOF)* directly measures velocity as time to travel a known distance (from interaction point to a piece of plastic scintillator, typically)
- *Cherenkov light detectors* use the “optical sonic boom” of light produced when  $\beta c = v > c/n$  in a material with index of refraction  $n$ 
  - a) Threshold mode: presence or absence of light  $\leftrightarrow$  velocity above or below threshold
  - b) Ring-imaging: cone of light is at angle  $\cos \theta = c/(nv) = 1/(n\beta)$
  - c) Time-of-propagation (TOP), which varies due to angle (See previous talk! Nice, newish idea...)
- *Specific Ionization (dE/dx)*  
Energy loss depends on velocity (and charge<sup>2</sup>, but usually = 1)

**Note there are some “special PID tricks”, especially for leptons...**

- *Electrons* deposit all their energy in “EM Calorimeters” (EMC)  
They make peaks in “E/p” :: EMC energy over momentum from B field curvature
- *Muons* are the only highly penetrating charged particles  
look for charges tracks after thick layers of steel (KLM)
- *Neutrinos* are “invisible”  
but we can infer them from apparent non-conservation of four-momentum

# Belle II CDC Basics

56 layers of wires    from 160 to 384 wires/layer    14,356 wires total  
 Cell height  $\Delta r$  :    1.0 cm for layers 0-7 “inner”    1.8 cm for layers 8-55 “outer”

## Measure time and charge:

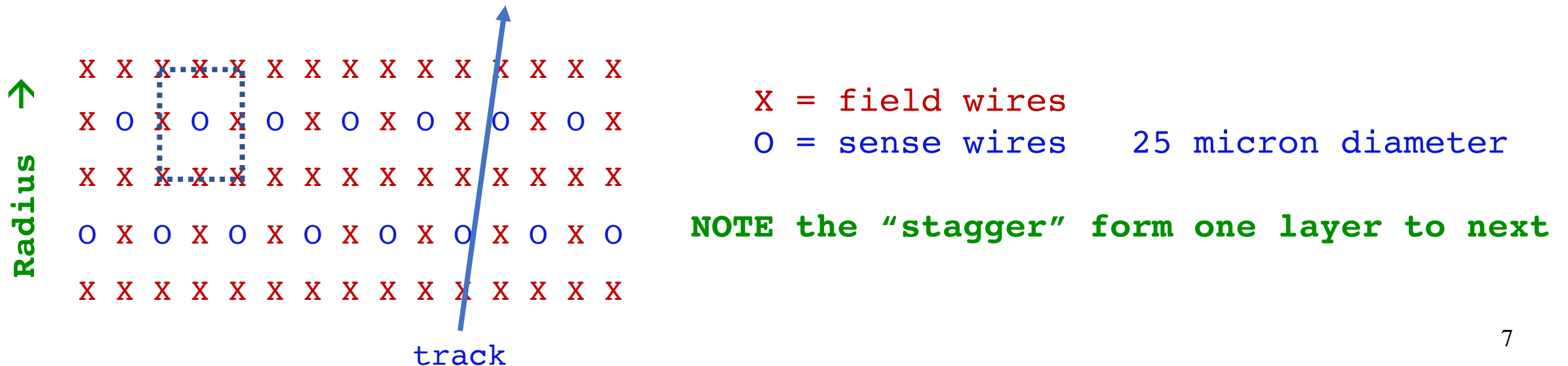
*time of ionizations at “doca” (doca = distance of closest approach)*

*charge is total ionization inside “drift cell”, multiplied by “gas gain” near thin wire*

**3:1 rectangular “cell” structure** → 3 field wires (grounded) per 1 sense wire (+HV)

8 field wires surround each sense wire    (but shared w/ other cells)

[ 3:1 from 4 edge field wires shared by 2 cells, 4 corner fields by 4 cells:  $4(1/2) + 4(1/4) = 3$  ]



# dE/dx Basics

**~25 (primary) ionization events per cm; about 2x as many total electron-ion pairs**

Gas is 50% / 50% Helium-Ethane ( He for low mass! Most ionizations from ethane... )

**“gas gain” near thin wire: about  $10^4$  amplification “free pre-amplifier”**

*Near wire, E field is large: Drifting electrons gain enough energy in one mean free path to ionize the next atom/molecule they collide with... gives a “chain reaction” multiplication*

*NOTE: E field  $\sim \ln(r/r_0)$  near wire of radius  $r_0$  (Gauss' Law)  $\rightarrow$  use thin wires to get this gas gain!*

**Gas gain varies widely for each avalanche:**

so resolution is *worse than*  $1/\sqrt{N}$  from N primary ionizations

**Use (lower) momentum at start of CDC ( i.e., NOT p at the interaction point )**

Differ due to energy loss in material: mostly dE/dx again, but larger in a solid...

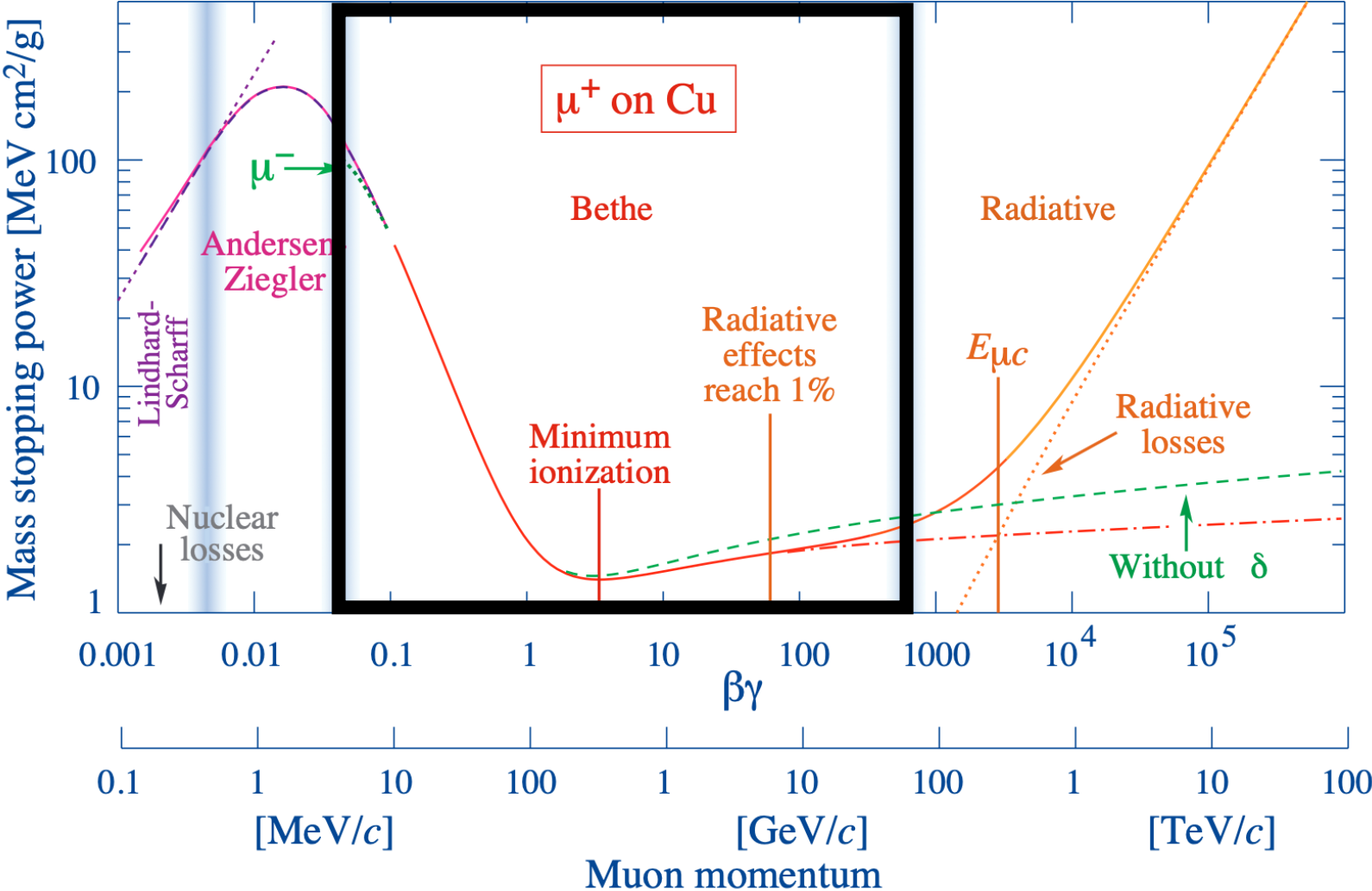
**Many dE/dx effects depend on  $\{ p , p_T = p \sin \theta , \cos \theta \}$**

- Only 2 of these 3 variables are independent
- Important (radiative) Bhabha calibration samples have highly correlated  $p, \cos \theta$ :  
very different from physics analysis tracks

$\rightarrow$  *Lots of correlations to keep in mind...*



# dE/dx Basics



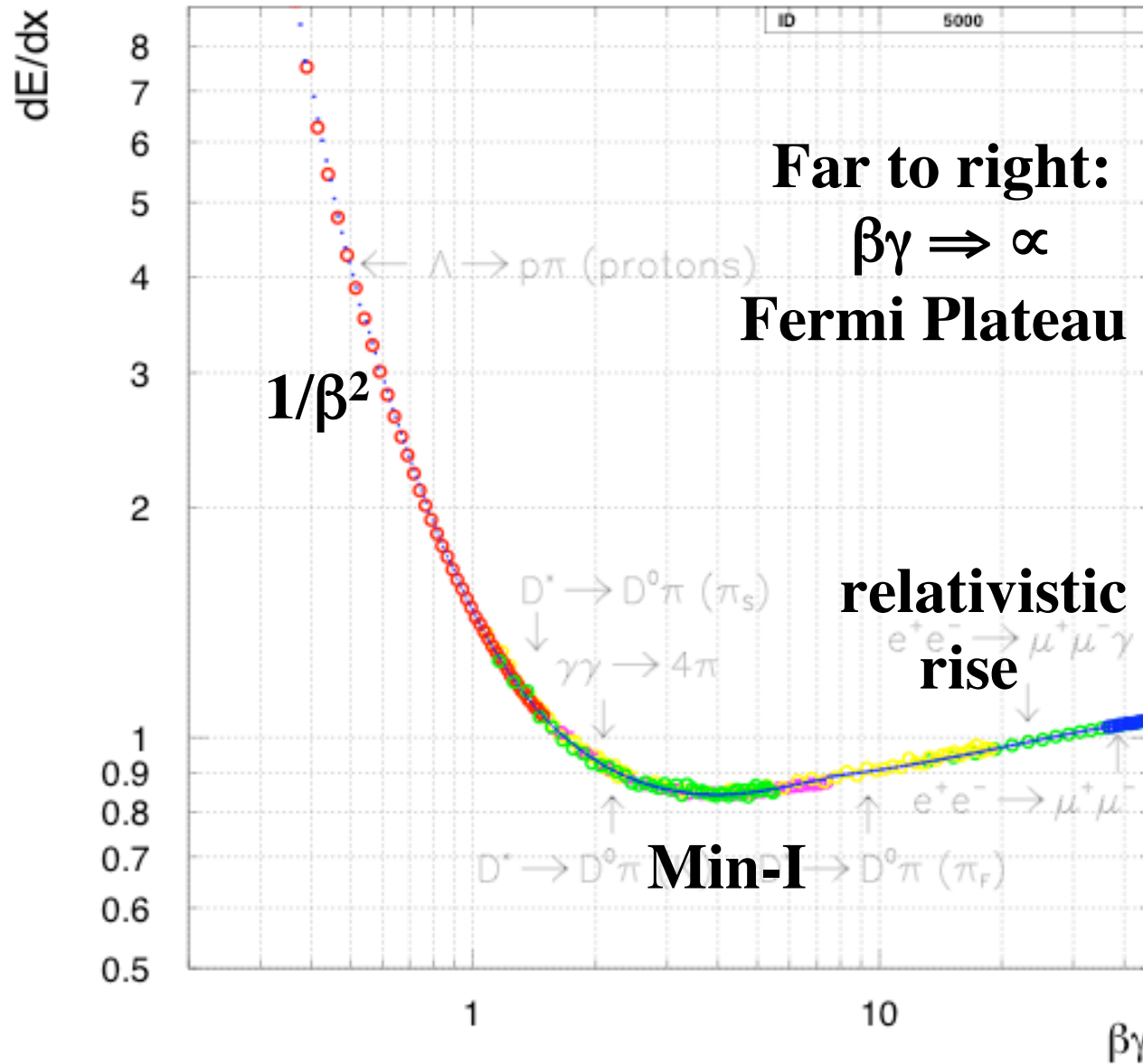
From PDG Review on  
 “Passage of Particles  
 through Matter”

Complex set of phenomena,  
 changes vs. momentum...

*dE/dx momentum region  
 is in the black frame*

# Universal dE/dx Curve

[ CLEO III Data ]



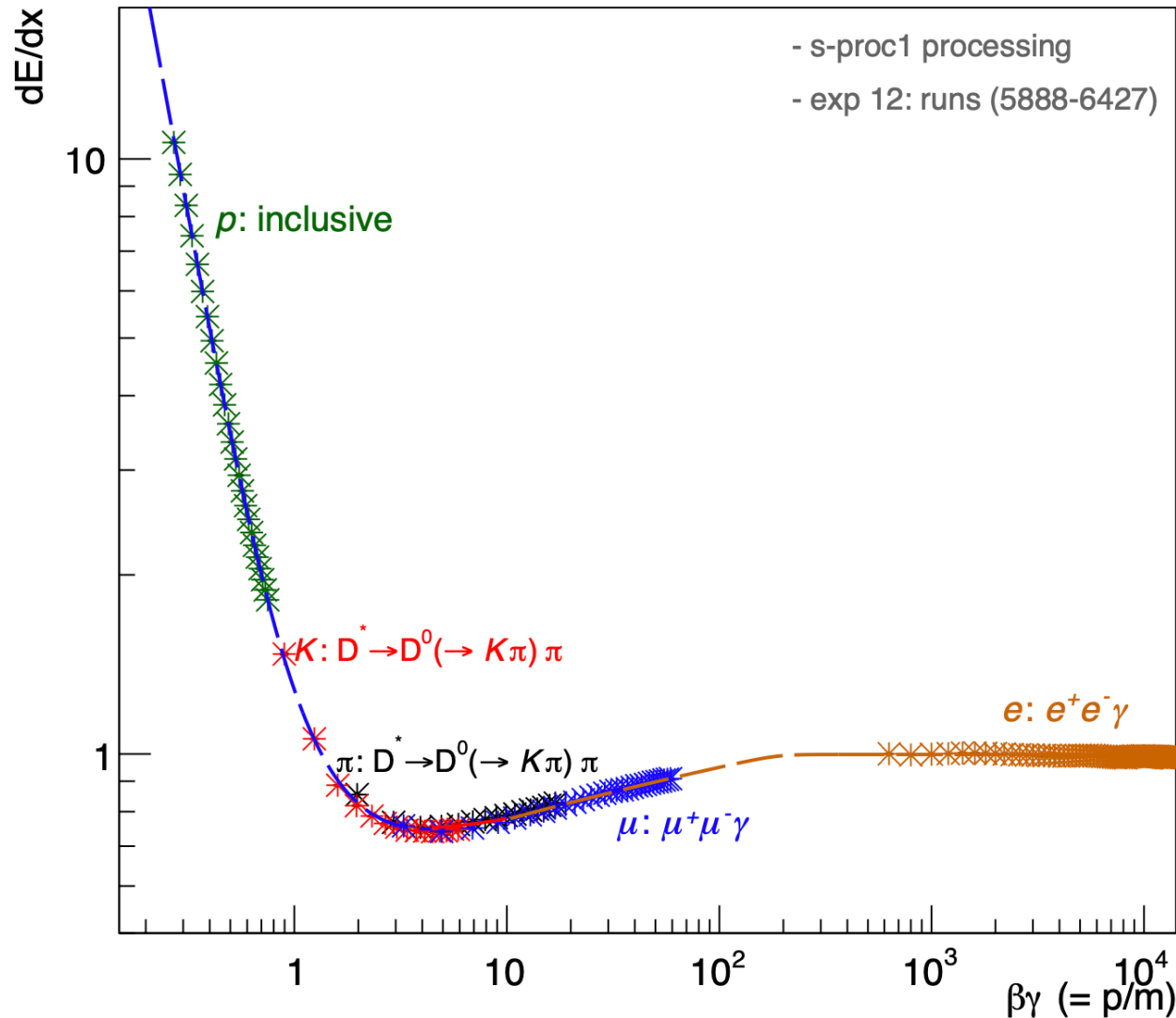
Different colors points:  
different particle types  
(i.e., different masses)

All lie on one universal curve!  
→ Only depends on  $\beta\gamma = p/m$

If we plot vs. mass instead:  
get multiple copies of this curve,  
shifted left-right by mass ratios...

# Universal dE/dx Curve in Belle II Data

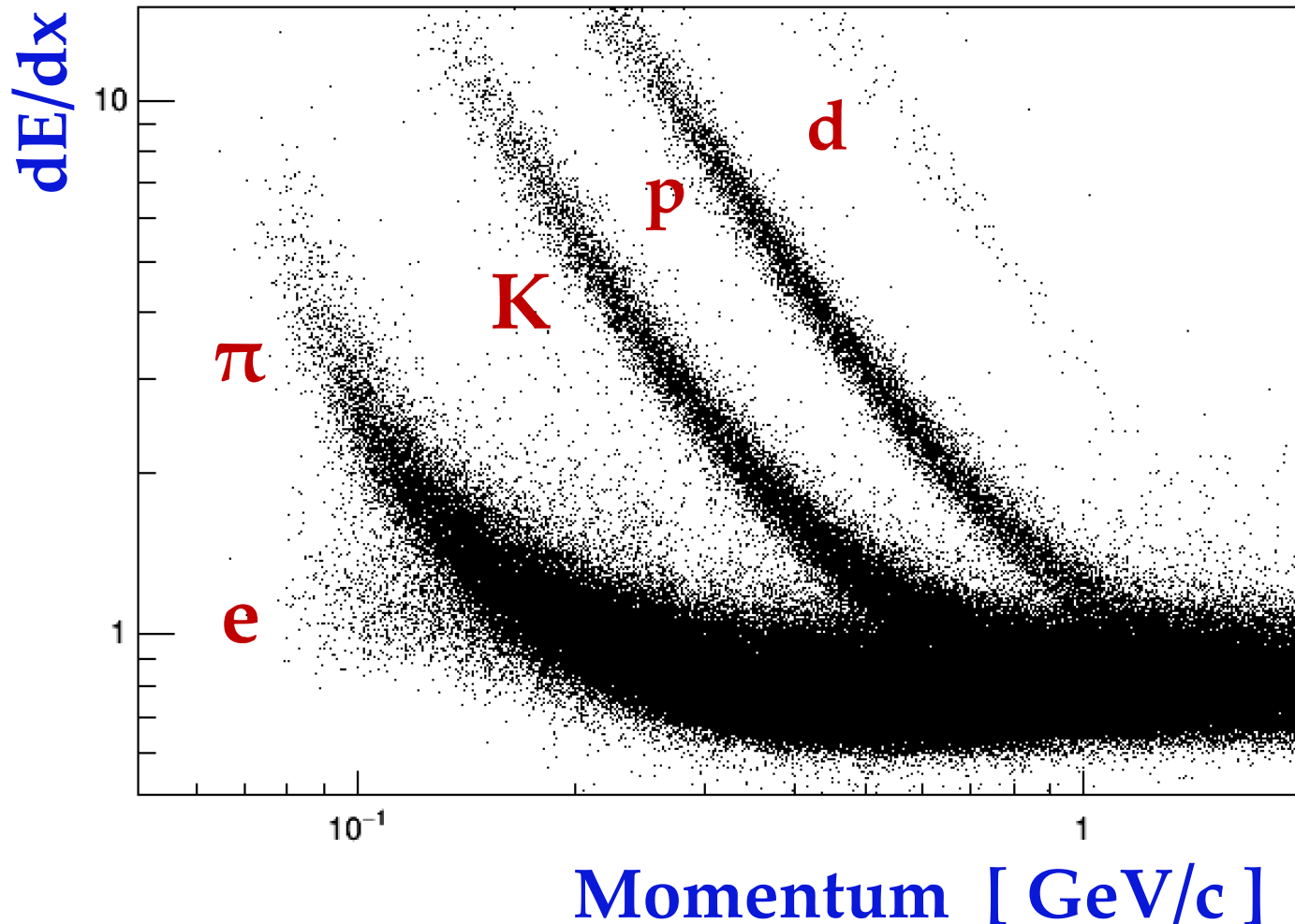
CDC dE/dx universality



To prove we're also doing this well

I used the CLEOIII plot since it was already nicely labelled...

# Belle II Hadronic Event Data



## Compare to CLEO-c “teaser” plot:

- Poorer resolution, but huge luminosity difference! (noise...)
- Not using specially-selected samples! just “generic” hadron data:
  - has fewer leptons
  - pion band over-saturated

# Reconstruction & Truncated Means

## Two possible reconstruction methods

- “Hit Method”: Take a “truncated mean” of the list of corrected charges from each hit
- “Layer Method”: combine hits in each layer first, then take the “truncated mean” ...  
this can reduce fluctuations of charge due to “clipping corners” of cells, etc.

*In practice, almost no difference in resolution: currently use layer method in Belle II*

**Truncation: remove non-Gaussian high-side tail** ( also low side: less important )  
“the central limit theorem is too slow for us”

***Rank-order measurements on track: drop lowest 5%, highest 25% of measurements***

**NOTE:** the “cuts” are for the set of measurements on the current track, and NOT fixed values, since intrinsic  $dE/dx$  varies widely from Min-I to soft protons in  $1/\beta^2$  rise)

→ Then take the simple average of the remaining corrected hit charges  
“the mean of the truncated list”

# Predictions & User Information

**In addition to a well-calibrated *measured dE/dx*, we also need to provide**

- Expected  $dE/dx$   $I_{\text{pred}}$  Depends only on  $\beta\gamma = p/m$  :  
varies for each hypothesis due to  $m$
- Expected resolution Depends on 3 variables:  $I_{\text{pred}}$ , #hits,  $\sin \theta$

**The final result of  $dE/dx$  reconstruction is:**

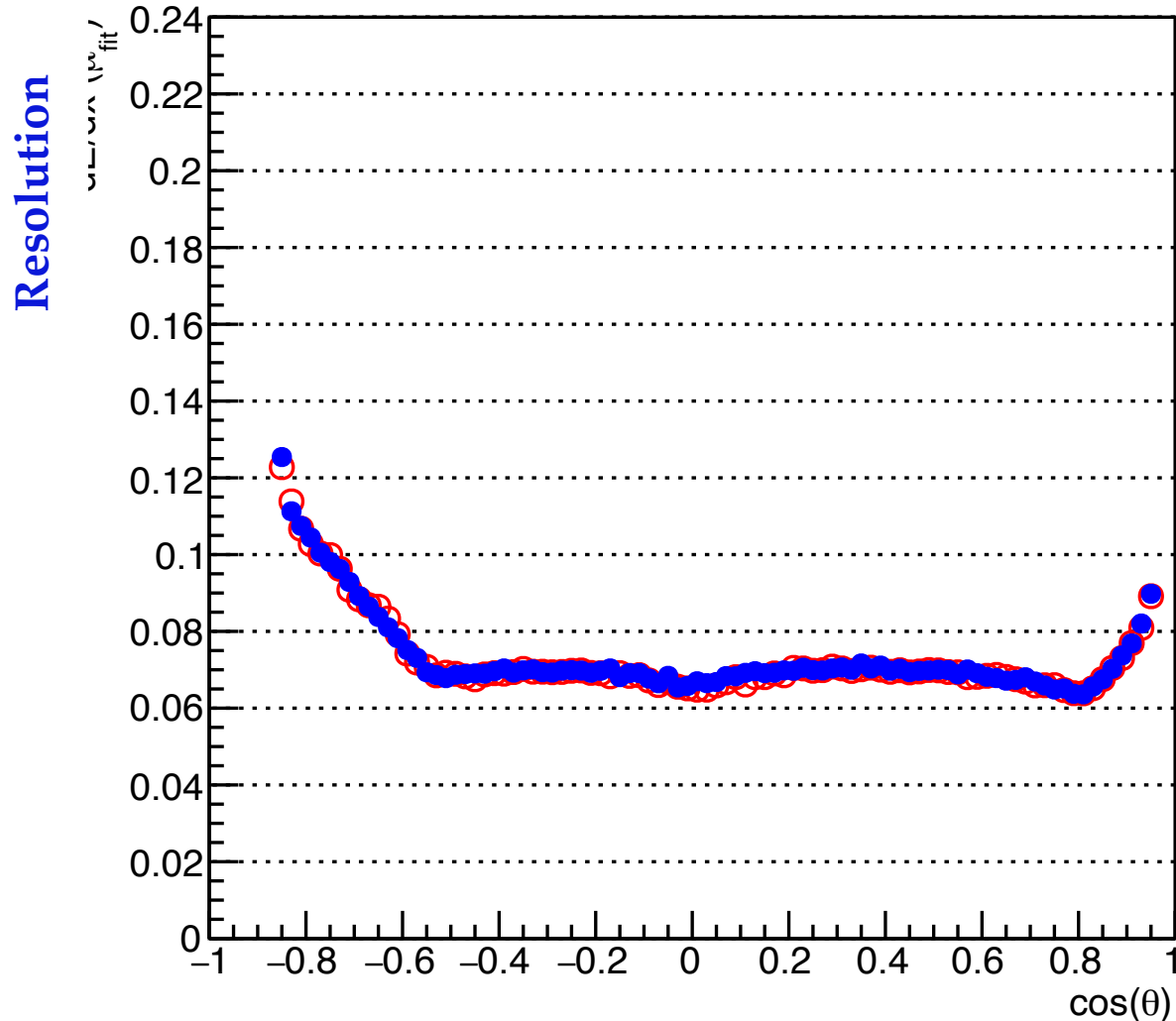
- one “ $\chi$ ” value for each of six hypotheses  $\{ e \ \mu \ \pi \ K \ p \ d \}$
- These chi values are simply normalized deviations:  
$$\chi(\text{hyp}) = [ I_{\text{meas}} - I_{\text{pred}}(\text{hyp}) ] / \text{resolution}(\text{hyp})$$

**Also convert to a log likelihood:  $LL = -\chi^2/2$**

- for ease of combining with other PID results
- assumes that results for  $\chi$  follow a normalized Gaussian:  $\exp[ -\chi^2/2 ]$

# Resolution from Bhabhas ( $e^+ e^- \rightarrow e^+ e^-$ )

comparison of  $\text{dedx} \mu_{\text{fit}}^{\text{rel}}$ : (e-=open, e+=closed)



## Upturn at edges:

- Fewer hits for steep tracks which exit the CDC endplate!

## Middle Cosine region

- overall “frown” shape due to increasing r-Z path length  $\sim \sin \theta$
- Decrease near  $\cos \theta = 0$  related to gas gain saturation (presumably)

# Calibration Overview

Types of Calibrations we apply can be categorized in different ways:

- **Source of calib. data:** electrons, or “hadron” = :  $e \mu \pi K p$
- **Basic effect corrected:** geometric **path** length; **gains**; etc.
- **Variation along track:** “global” = same for entire **track** vs. “local” = different for each **hit**

Table 1: Summary of the main steps for  $dE/dx$  Calibration.

	Calibration	Source	
<b>path</b>	r-z path length	track geometry	<b>track</b>
<b>path</b>	r- $\phi$ path length	track and drift cell geometry	<b>hit</b>
<b>gain</b>	Scale Factor	$e^+e^-$	<b>track</b>
<b>gain</b>	Run Gain	$e^+e^-$	<b>track</b>
<b>gain</b>	Wire Gain	$e^+e^-$	<b>hit</b>
~both	2-D doca-ent. angle	$e^+e^-\gamma$	<b>hit</b>
~both	1-D ent. angle “clean up”	$e^+e^-\gamma$	<b>hit</b>
<b>gain</b>	Electron Saturation (“CosCorr”)	$e^+e^-$	<b>track</b>
<b>gain</b>	Hadron Saturation	$(e), \mu, \pi, K, p$	<b>track</b>
prediction	$\beta\gamma$ curve parameters	$e, \mu, \pi, K, p$	prediction
Prediction	Resolution parameters	$e, \mu, \pi, K, p$	Prediction
<b>gain</b>	<b>Electronic readout non-linearity</b>		<b>hit</b>



# Geometric Path Length

## $r\phi$ - Z View of Track

*“Unwind” track helix so that the  $r\phi$  curling is flat:*

*→ Get a straight line vs. Z*

*3-D Path length varies as  $1/\sin \theta$*

*Correction: divide by the (relative) path;  
i.e., just multiply by  $\sin \theta$*

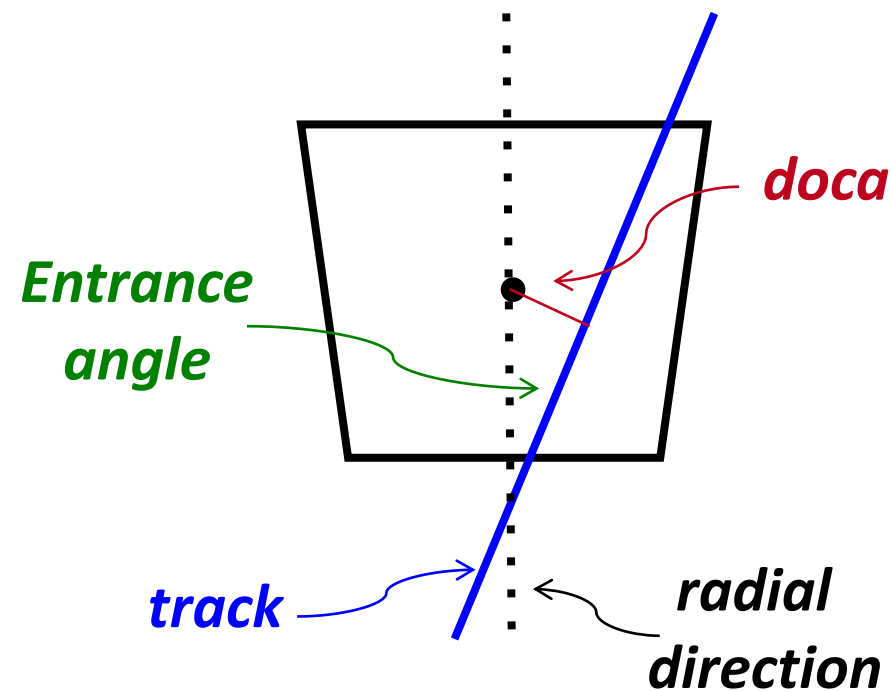
*Correction for this r-Z path length effect*

*→ Very large effect:*

- $1/\sin \theta$  varies from 1 to  $>3$*
- common to ALL hits !*

## $r-\phi$ View of drift cell

### *Cell Geometry*



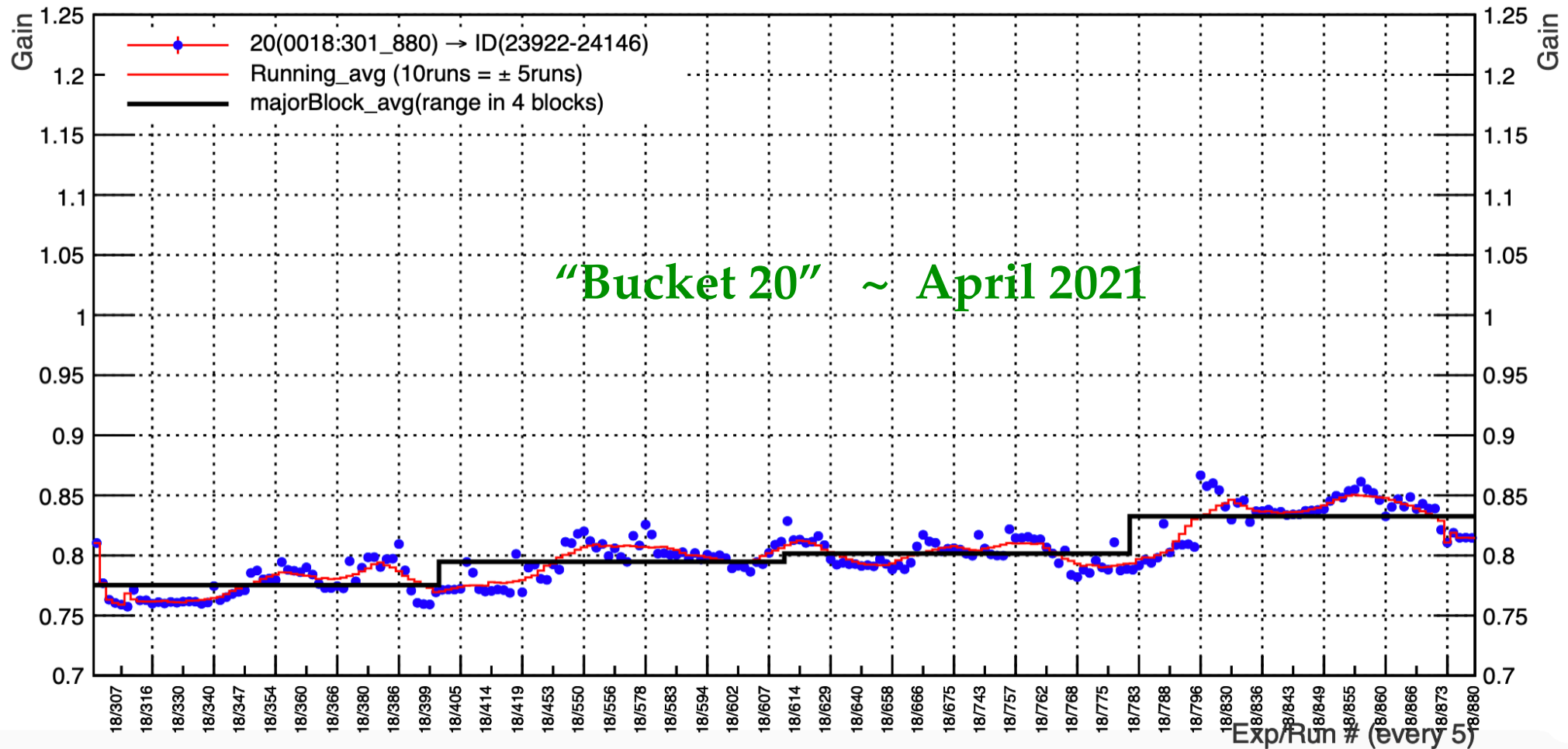
*Correction for the 2-D  $r-\phi$  path length  
→ Smaller effect: averages out over many hits*

# Run Gains

one gain per data "run"

Follows variations in pressure, temperature, gas composition, HV drifts, etc.

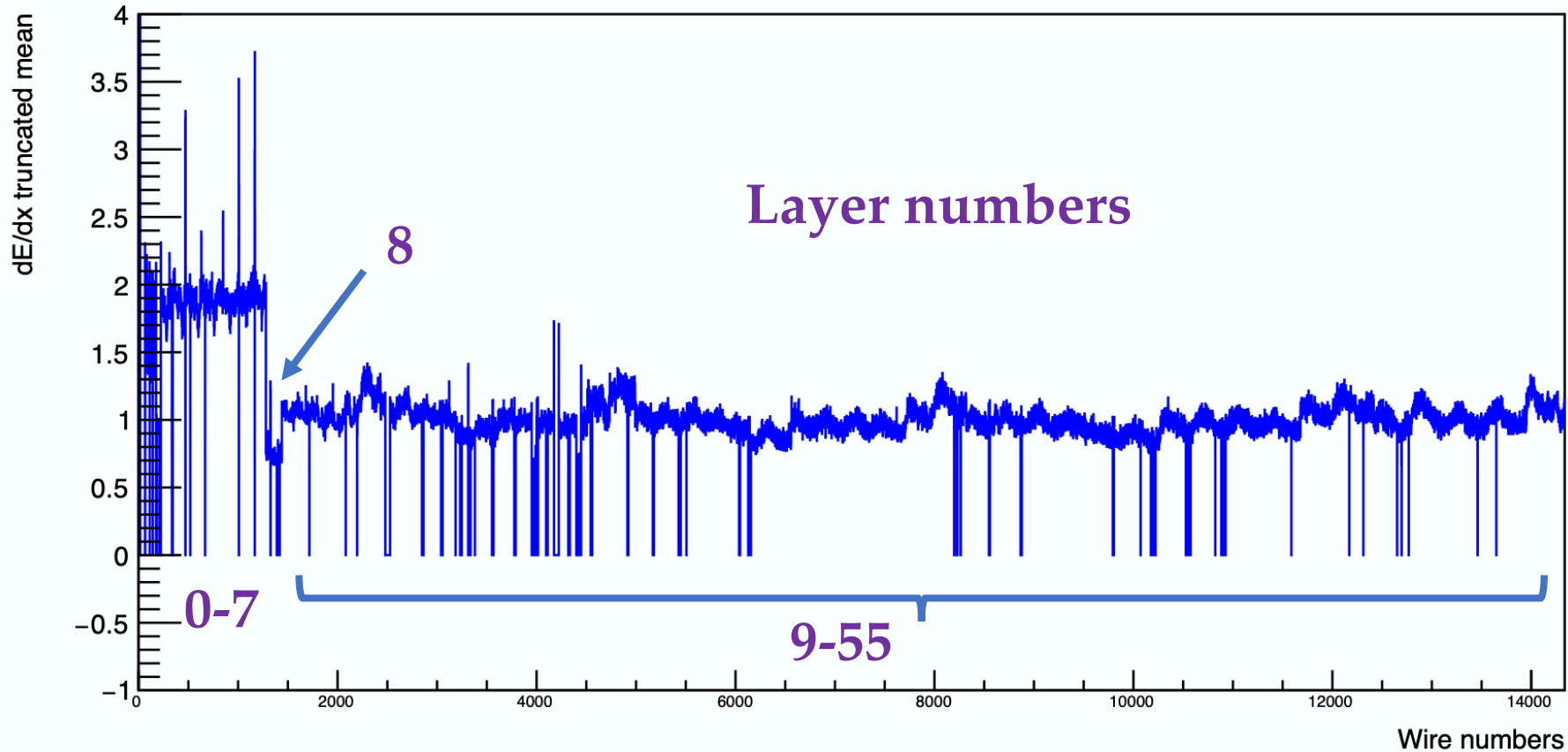
Run-Gain Constants: 20 (0018:301\_880)



# Wire Gains

one gain per wire

WireGain: Bucket20 (18/301-all)



zero gains  
= dead wires

Inner layers 0-7  
have larger gain

Layer 8 is very  
non-square

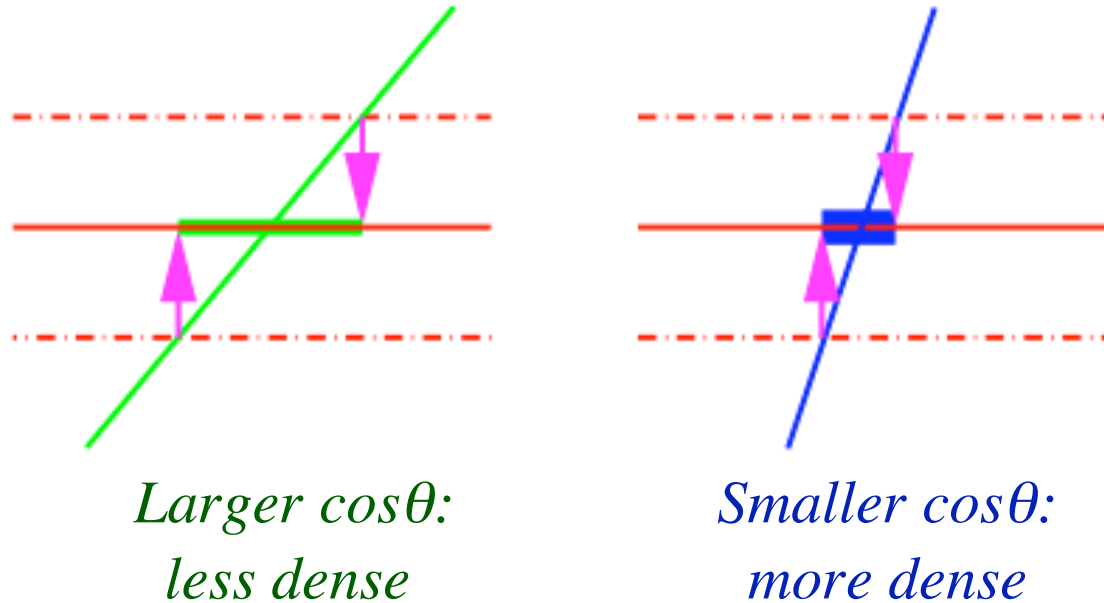
Residual variations:

- electronics
- cell geometry
- high voltage
- ...

# Gas Gain Saturation

## r-Z of sloping track crossing a CDC layer

Dash-dot field wires define the ionization region for the solid field wire collecting the charge

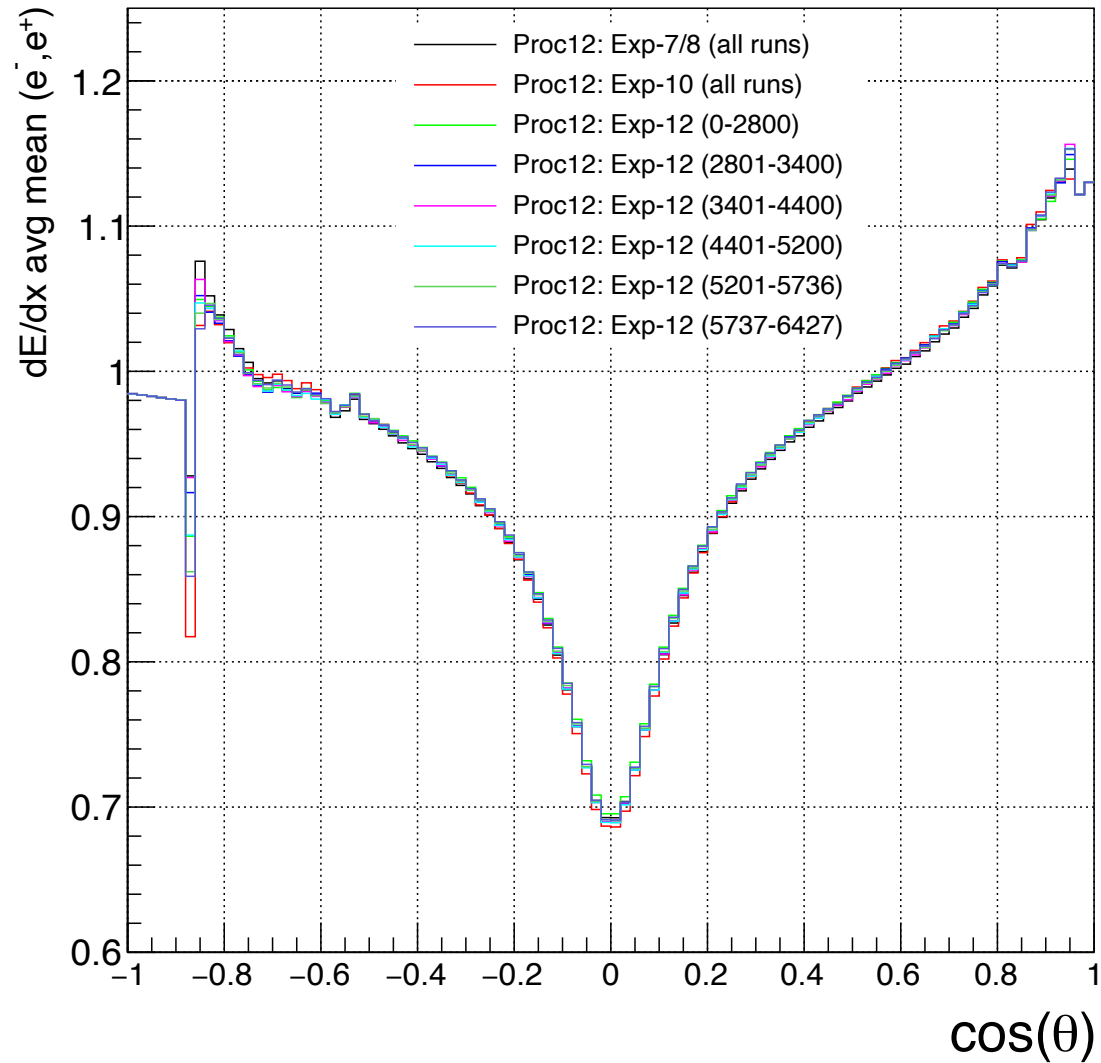


## Leads to a decrease in gain for tracks near $\cos \sim 0$ : a “dip”

- For electrons (constant ionization) we map this out very accurately  
this “anchors” the correction in the region of crossing  $dE/dx$  bands
- For other tracks, we need to apply another correction since the “dip” changes shape as the intrinsic ionization changes (slow protons saturate even more!)

# “Cosine” Correction

CosineCorr: Comparison



**Gas gain saturation for electrons**  
(i.e., ionization level of Fermi plateau)

Shape is fairly stable over time  
(due to pressure regulation)

# Track-Level $dE/dx$

## Current Monte-Carlo simulation of $dE/dx$ is done at the “Track Level”

- We use matching of reconstructed tracks to generator truth to determine the particle type
- We then create a smeared  $dE/dx$  value based on our predicted means and resolutions
- The more perfect the high-level data calibration, the better the MC will agree  
(i.e., prediction goes through middle of data; dependences of resolution track well...)

## Clearly, some effects cannot be captured by this method!

But it is easy to implement and works fairly well...

**Note:** this as the ONLY MC method ever used by CLEOIII and CLEO-c (data from 1999-2008)

Also, raw ADC values are separately simulated fairly well,  
since this has an effect on tracking

An effort to do hit-level MC via sampling histograms is in its early stages...

# Sources Of Charge Asymmetries

Charge asymmetries: a very bad artifact for an experiment that has studies of CP violation (CPV) as a major goal !

**Charge asymmetries in detector response = fake CPV !!!**

Main sources of charge asymmetry:

- *Particle interactions in material : detector is all matter; 100% CPV !*  
A positive kaon and a negative kaon interact differently  
largest effect at low momentum, smoothly decrease as p increases
- *B-field effects on tracking*  
affects drift time of ionization electrons; get different #hits on tracks for different charges...
- *B-field effects on  $dE/dx$*   
again, due to effect on drifting ionization electrons (details on next page)

# Asymmetries: The “E-M Cell”

## Intuition for cell effects:

*B field breaks reflection symmetry  
Rotational symmetry remains*

*B field means region of ionization that's collected  
by a given wire is NOT the naïve geometric cell!  
→ B makes electron drift paths curve!*

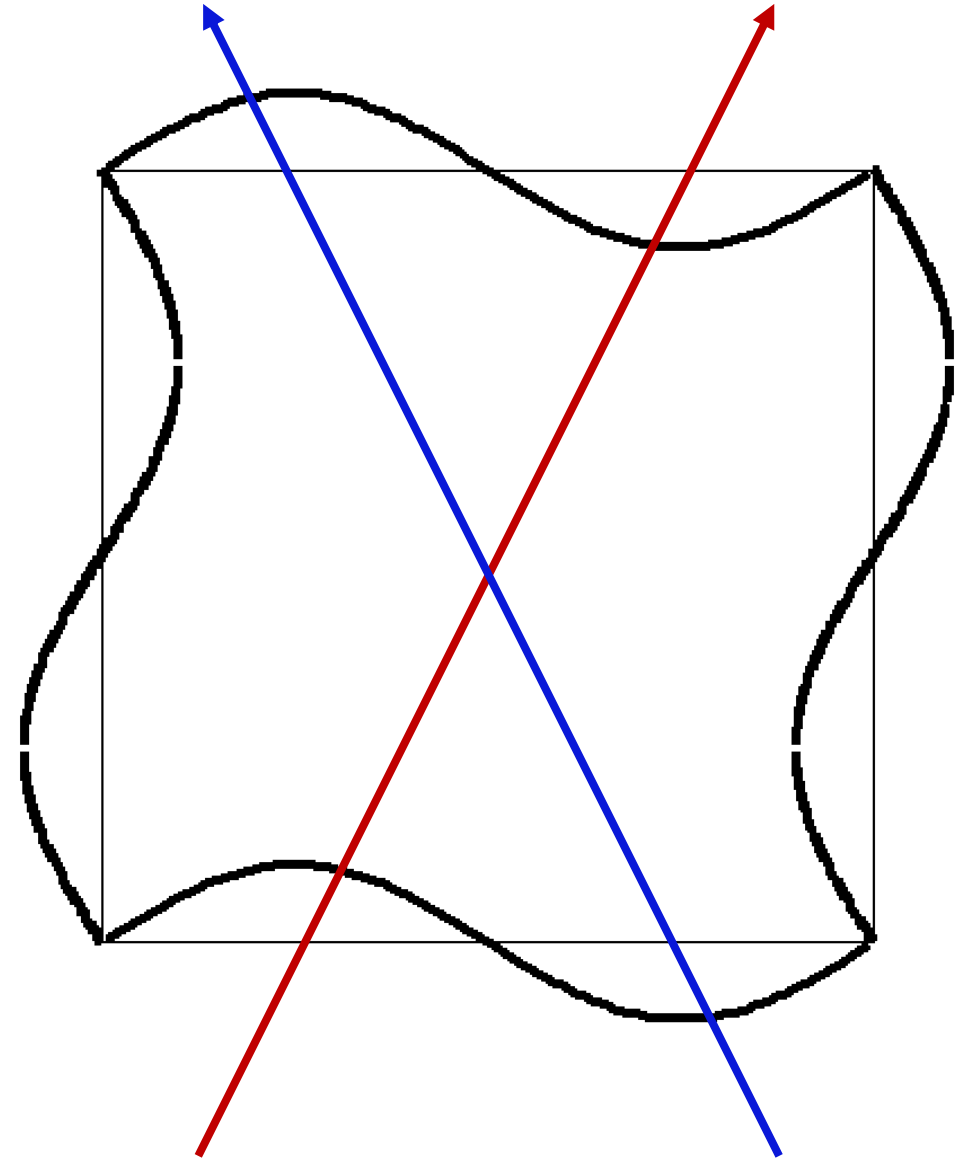
## Light square:

- Naïve geometric cell (field wires + straight lines)

## Dark “scallop” shape

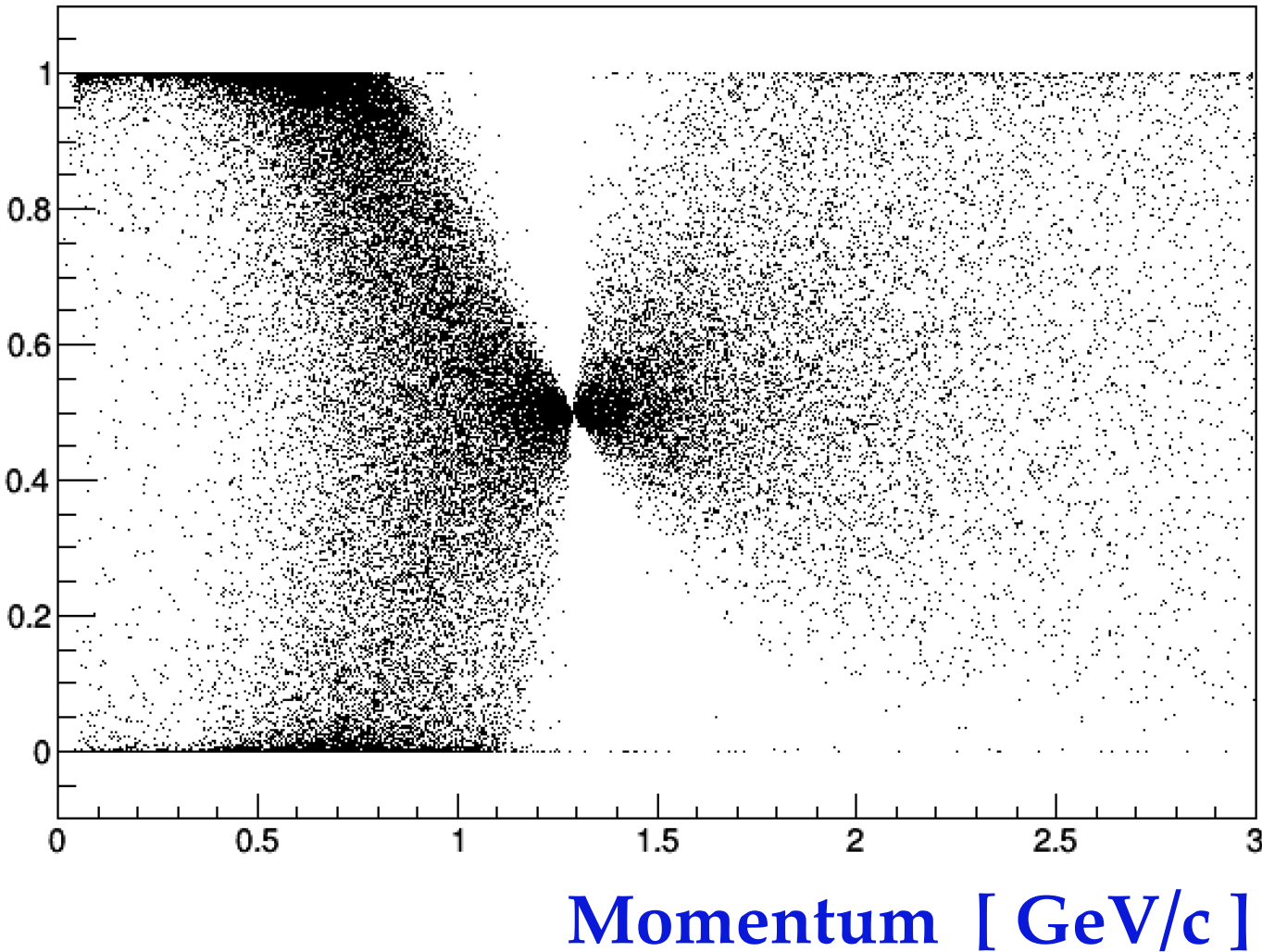
- “Electromagnetic cell”: accounts for B-field effects

**Blue** & **Red** tracks: opposite charges, and thus opposite entrance angles. Different path lengths (inside the dark scallop) giving different amounts of ionization to be collected at the sense wire





# Likelihood Ratios



Vertical axis:

“pairwise” Likelihood ratio

$$L_{\pi} / (L_{\pi} + L_{K})$$

Plotted for “generic tracks”

**Collapses to 0.5 at band crossing !**

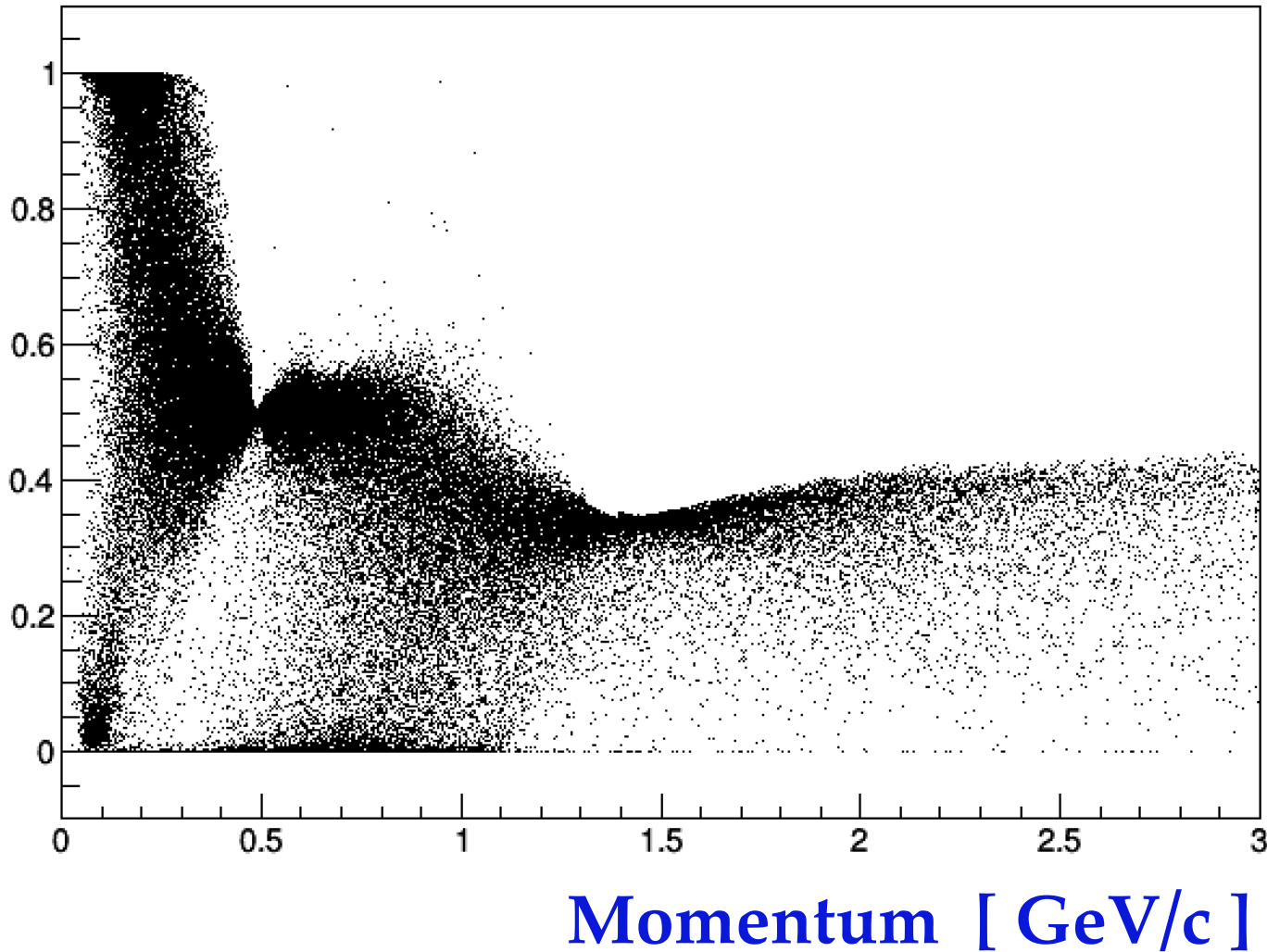
→ Tight cuts will “sculpt”  
the momentum spectrum

**Effect “covered up” by other PID info**

*BUT: backwards angle tracks*

*and many “low-momentum “curlers”  
have only dE/dx PID !*

# Likelihood Ratios



**Vertical: Likelihood ratio**

$$L_{\pi} / (L_{\pi} + L_{K} + L_{\mu})$$

*Now the muon hypothesis is always close to the pion hypothesis: so, the ratio tends to be smaller everywhere*

The 0.5 ratio near 0.5 GeV is the pion-muon band crossing...

# CONCLUSIONS

**dE/dx provides useful Particle ID in BelleII**

**We directly detect only a handful of “quasi-stable” particles  
PID often uses velocity**

**A little understanding is helpful for users**

*band crossings are important*

*some tracks have only dE/dx (no TOP, ARICH)*

**Calibration improvements are still being made**