

Unexpected LHCb

Neutrals, Neutrinos, Taus, and all that



2021 BELLE II PHYSICS WEEK
DECEMBER 2, 2021

PHOEBE HAMILTON
(UNIVERSITY OF MARYLAND)



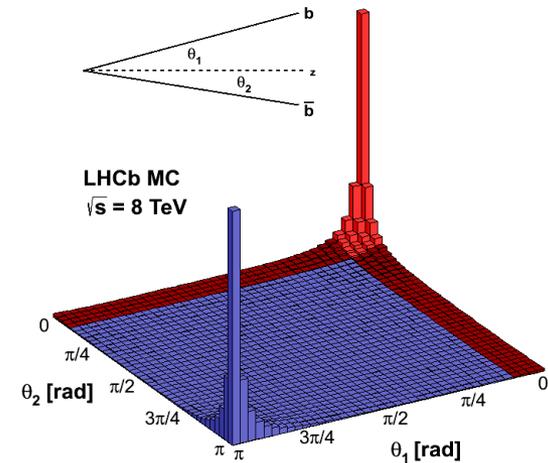
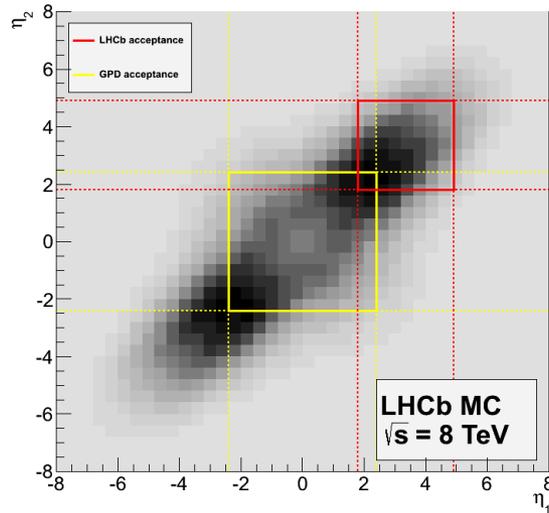
Goals today:

- This talk:
 - Show how LHCb uses the strengths of its detector to overcome the limitations of the environment
 - Focus on *key techniques* -- not a complete “analysis seminar”
- Beyond this talk:
 - Stimulate thinking about new ways to use the information you have to approach analyses in new ways and unlock “impossible” signals
 - Prevent you from being locked into “conventional” analysis paradigms as the only way to do things

Outline

- Introduction to LHCb & our “environment” in data
- Hadronic B decays
 - LHCb standard technique overview
 - New technology in $B^+ \rightarrow K^+ \pi^0$
 - Extensions
- Semileptonic B decays
 - General LHCb approaches
 - Tau analyses
 - Muonic
 - 3-prong
- Upgrade preview

Heavy Flavor at LHC



- LHC collisions produce copious amounts of beauty and charm
 - At 7 TeV: $\sigma_{b\bar{b}} \sim 250 \mu\text{b}$
 - At 13 TeV: $\sigma_{b\bar{b}} \sim 530 \mu\text{b}$
 - Production dominantly occurs at high η with highly-boosted CM frame
 - Fragmentation (averaged in acceptance): 62% B, 12% Bs, 26% baryon
- Central detector ($|\eta| < 2.5$) scheme covers only 52% (45%) of b quark (pair) production despite surrounding $>98\%$ of the solid angle

The LHCb Detector

- LHCb approach: focus on forward direction: cover 27% (25%) of (pair) production while instrumenting < 3% of the solid angle
 - Lumi @ LHCb $\sim 3 \times 10^{32} / \text{cm}^2 / \text{s}$ \rightarrow 40,000 $b\bar{b} / \text{s}$ produced in acceptance (\sim 400 billion per snowmass standard year)
- Coverage is from ≈ 15 mrad - 300(250)mrad in the horizontal (vertical)
 - $\approx 1^\circ$ - 17° (very roughly)



The LHCb Detector

Charged particles ($e, \mu, p, \pi^\pm, K^\pm$) are bent into/out of the page and their charge, momentum, and trajectory are measured (dipole spectrometer)

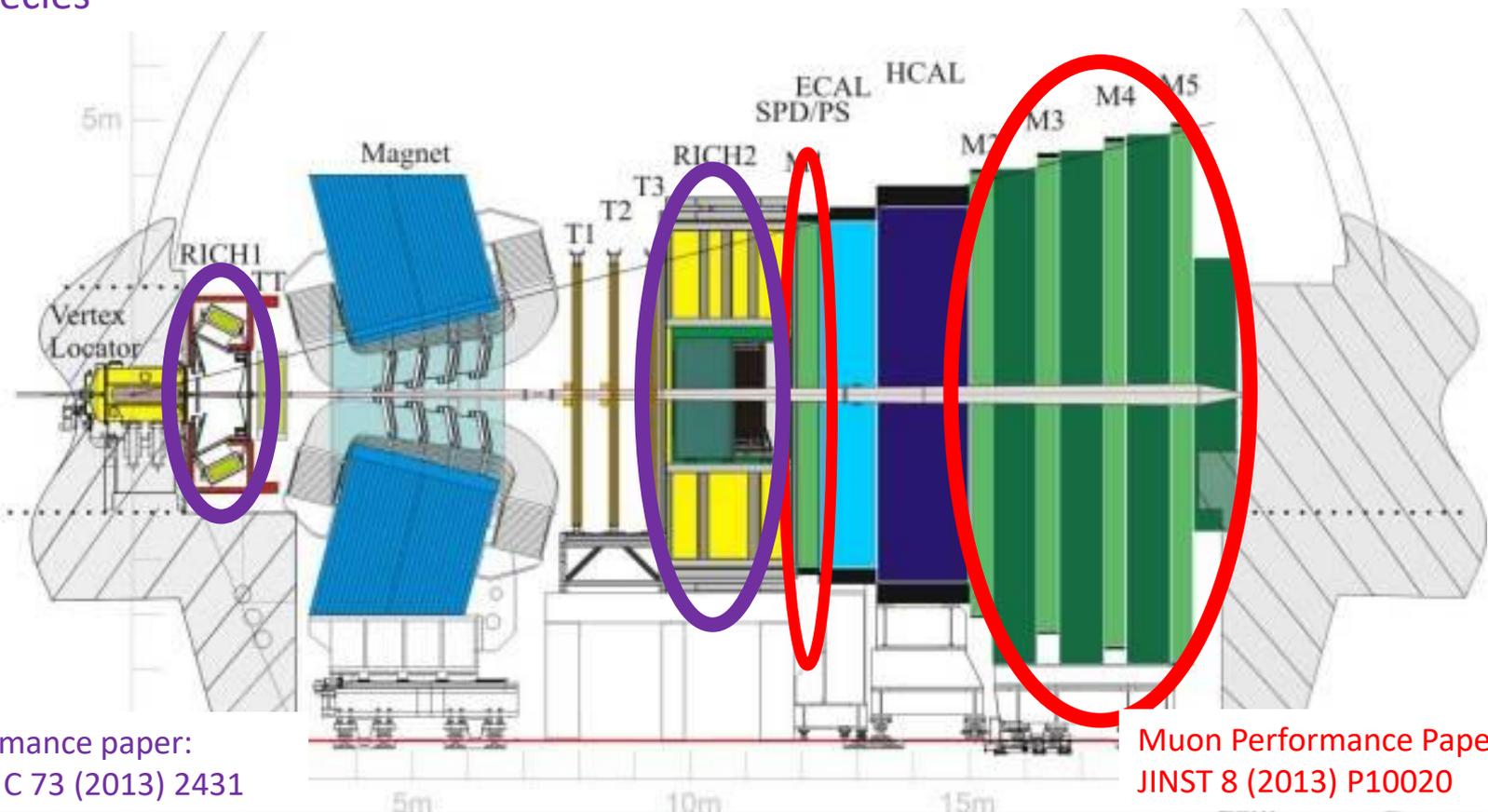
b -hadron decay products are distinguished from proton-proton collision fragments via their impact parameter with respect to reconstructed pp vertices



The LHCb Detector

Dedicated Gas Cherenkov detectors provide measurements of $\theta_c = \theta(v/c)$ to separate different particle species

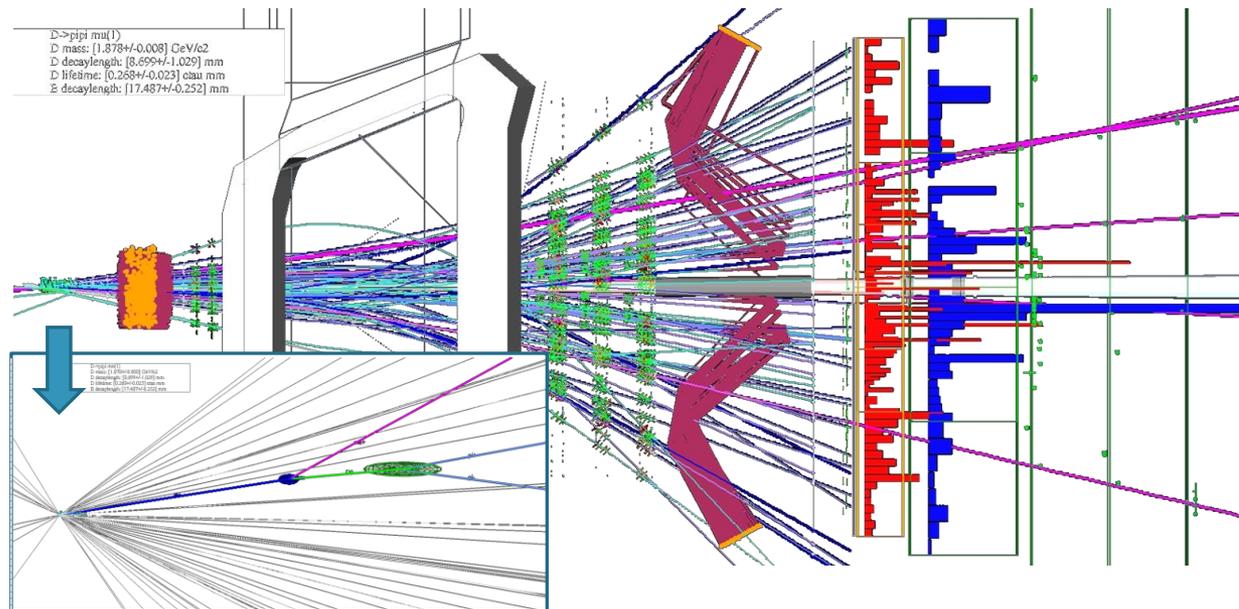
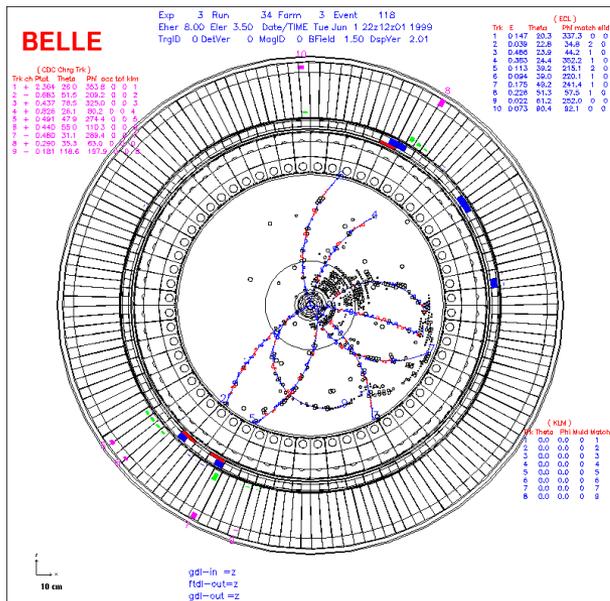
High-energy muons are not easily stopped by material and are identified by their exiting out the back of the detector



RICH Performance paper:
Eur. Phys. J. C 73 (2013) 2431

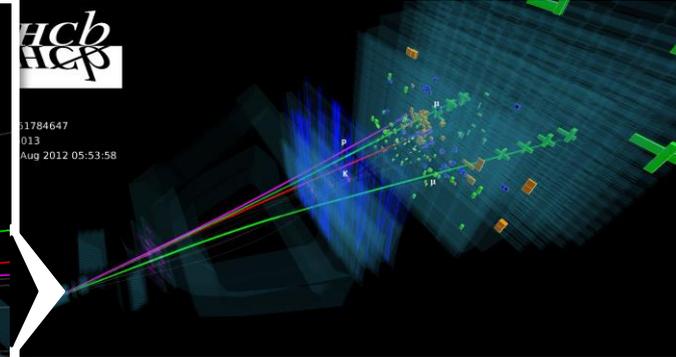
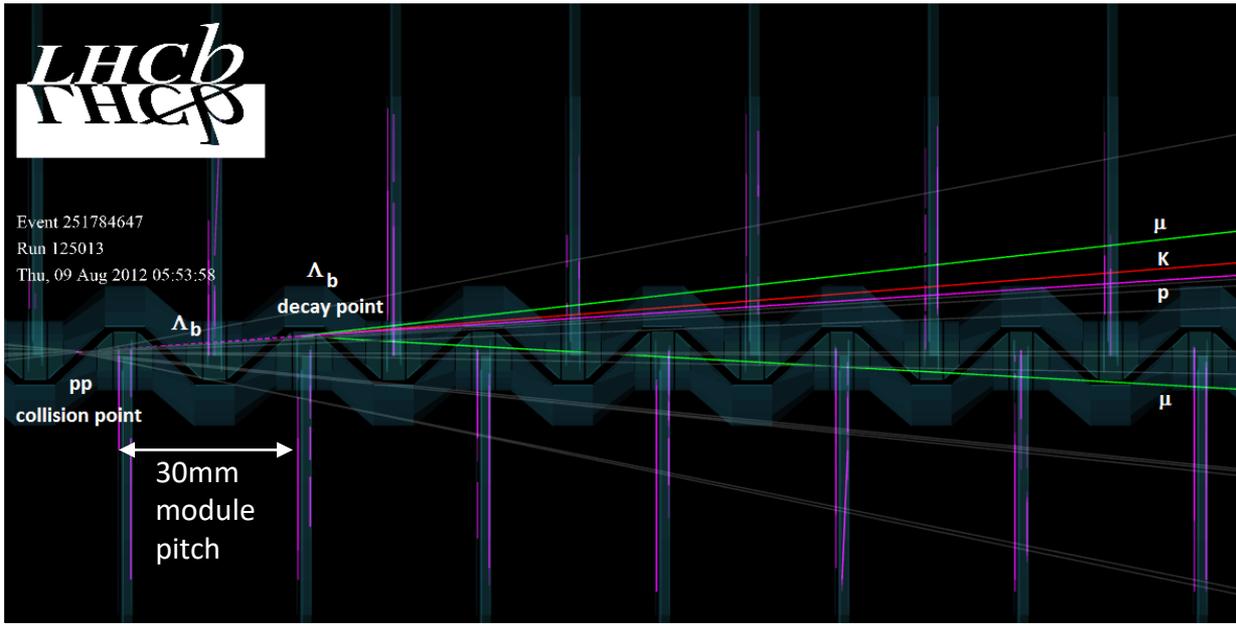
Muon Performance Paper:
JINST 8 (2013) P10020

Experimental Environments

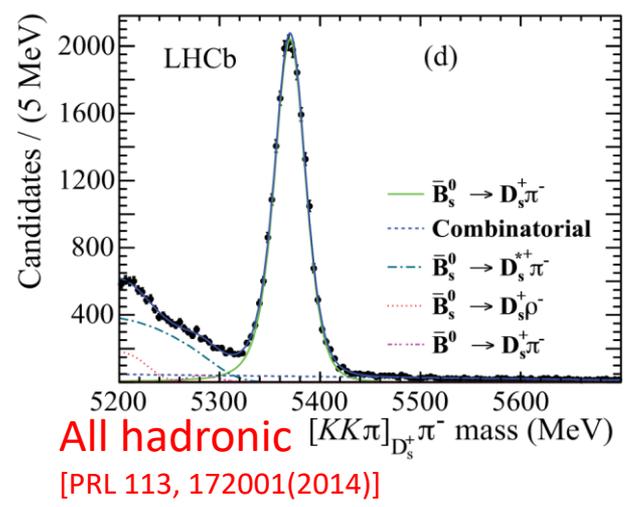
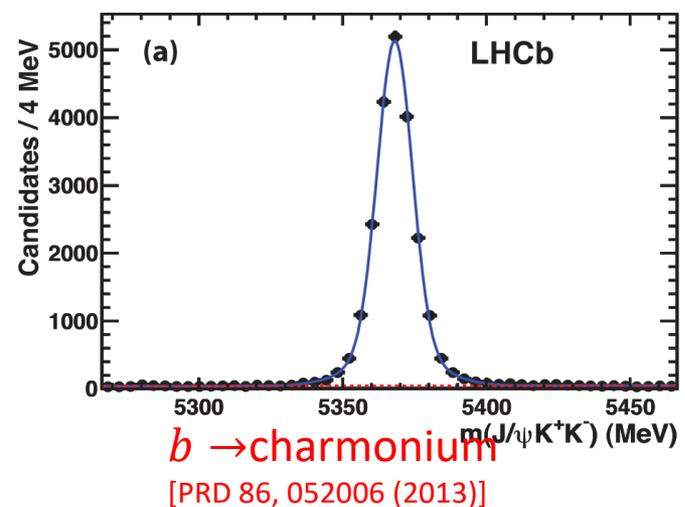


- B-factories: exploit clean **BB production** from $e^+e^- \rightarrow \Upsilon(4S) \rightarrow B\bar{B}$ ($Q = 20$ MeV)
 - *A priori* knowledge of B energy and collision CM, no extra particles in signal events
 - Easy to cross-feed tracks due to low CM momentum of B mesons
Event shape needed to separate $B\bar{B}$ vs more frequent $e^+e^- \rightarrow q\bar{q}$, $q = u, d, s, c$
- LHCb: exploit clean B hadron **decay vertex**
 - At LHC energies, b hadrons fly macroscopic distances before decay: use displaced vertex, large impact parameter of charged tracks, etc
 - Production is $gg \rightarrow b\bar{b} + MPI + showering + ISR + \dots$, many extra tracks, very large background for neutrals

LHCb Events

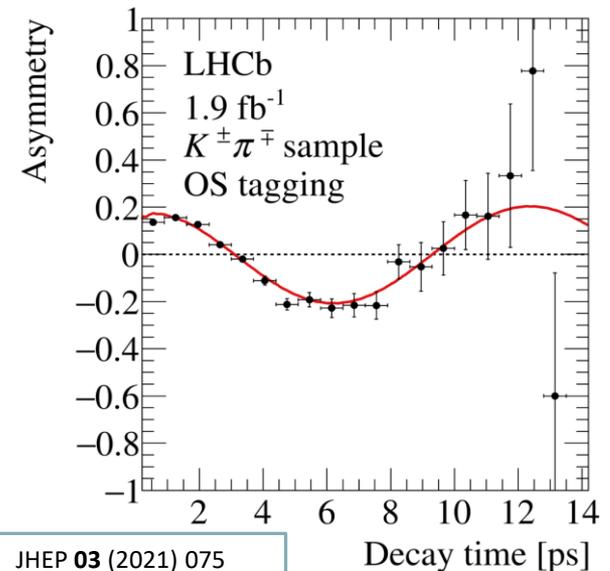
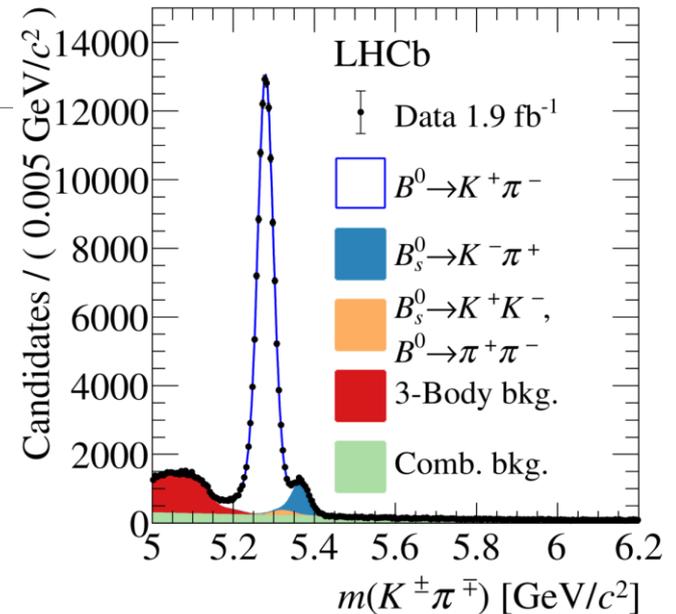


- Reconstruction of secondary vertex
 - *extremely* clean
 - Flight distance up to ~cm scale
 - Impact parameter resolution (15 +29/pT[GeV]) μm
- Dominant background is other (partially-reconstructed) B decays & combinatorial, misID



Example

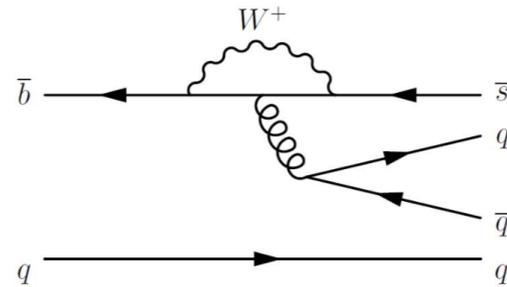
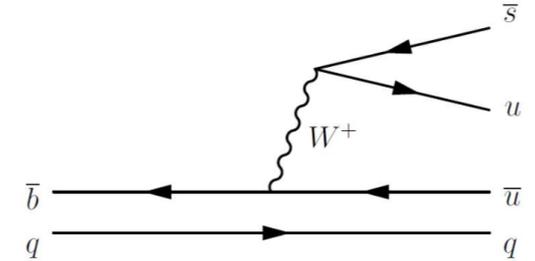
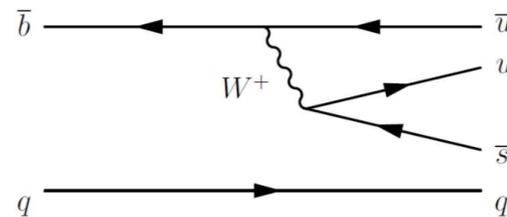
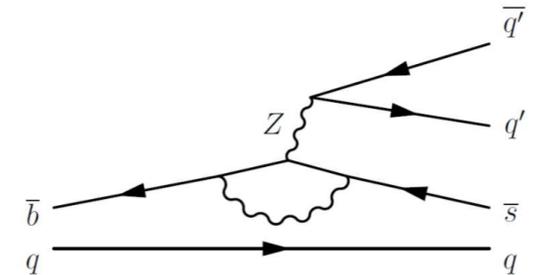
- Excellent example of a mode that plays to LHCb strengths: $B^0 \rightarrow K^+ \pi^-$
 - Only two tracks to reconstruct (high efficiency)
 - Kaon in final state (most PV tracks are pions)
 - 2×10^{-5} branching fraction is large (enough) given $10^4 b\bar{b}/s$
 - Momentum and vertex (\sim lifetime) resolution allows clear separation of B^0, B_S^0



JHEP 03 (2021) 075

The $B \rightarrow K\pi$ System

- $B^0 \rightarrow K^+\pi^-, B^0 \rightarrow K^0\pi^0,$
 $B^+ \rightarrow K^+\pi^0, B^+ \rightarrow K^0\pi^+$
- Dominated by QCD penguin diagrams
 - Suppressed by loop
 - Tree suppressed by V_{ub}
- Different $K\pi$ decays have contributions from different diagrams
- Potentially sensitive to new physics through massive virtual particles in loops

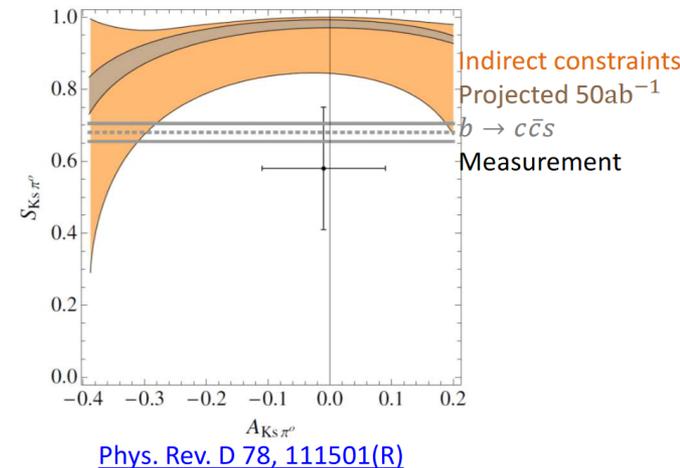

 (a) $B \rightarrow K\pi$ penguin diagrams

 (b) $B \rightarrow K^+\pi$ colour-favored tree diagrams

 (c) $B \rightarrow K\pi^0$ color-suppressed tree diagrams

 (d) $B \rightarrow K\pi^0$ electroweak penguin diagrams

○ Skipping many details...

The $K\pi$ Puzzle Continued

$$A_{CP}(K^+\pi^-) + A_{CP}(K^0\pi^+) \frac{B(K^0\pi^+) \tau_0}{B(K^+\pi^-) \tau_+} = A_{CP}(K^+\pi^0) \frac{2B(K^+\pi^0) \tau_0}{B(K^+\pi^-) \tau_+} + A_{CP}(K^0\pi^0) \frac{2B(K^0\pi^0)}{B(K^+\pi^-)}$$

- All $K\pi$ CP asymmetries and branching fractions can be incorporated in more precise equivalence
- Current measurements ([HFLAV 2018](#)) predict $A_{CP}(K^0\pi^0) = -0.150 \pm 0.032$, value measured by B factories: 0.01 ± 0.10
- Fits to $K\pi$ observables show some tension
- Can be resolved by enhancement of color-suppressed trees or NP in penguins
- $B^0 \rightarrow K_S^0 \pi^0$ is a key component of Belle II physics program



[Buras et al., Eur. Phys. J. C 32 \(2003\) 45, Phys. Rev. Lett. 92 \(2004\) 101804, Nucl. Phys. B 697 \(2004\) 133;](#)

[S. Baek et al., Phys. Rev. D 71 \(2005\) 057502, Phys. Lett. B 653 \(2007\) 249, Phys. Lett. B 675 \(2009\) 59;](#)

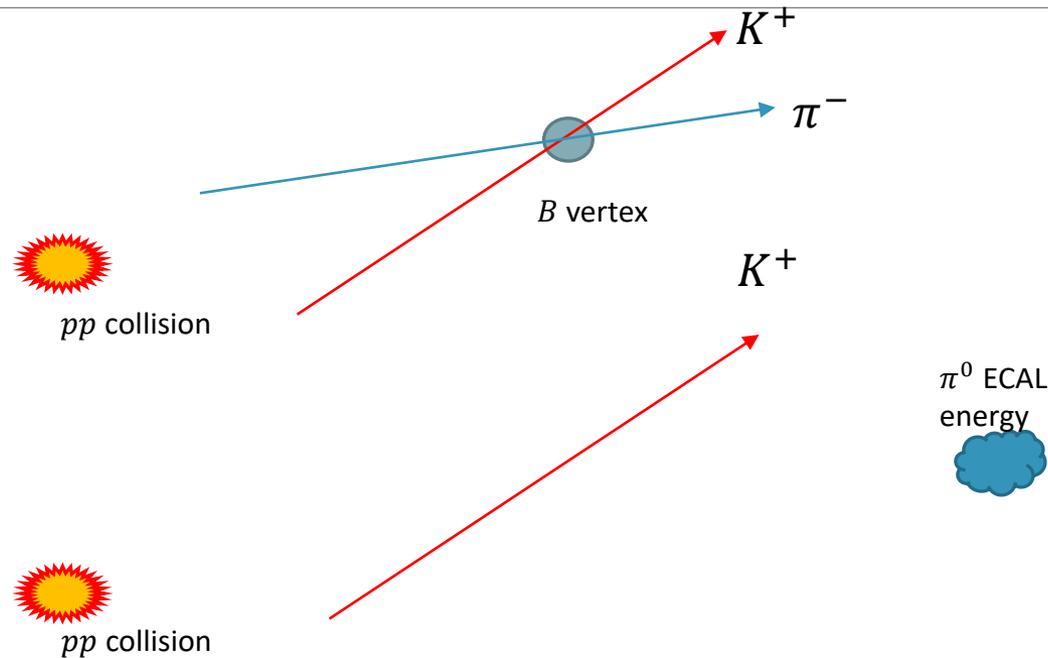
[M. Gronau, Phys. Lett. B 627 \(2005\) 82; N. B. Beaudry et al., JHEP01\(2018\) 074; R. Fleischer et al., Phys. Lett. B 785 \(2018\) 525](#)

01/12/2020

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- “impossible” 1-track mode $B^+ \rightarrow K^+ \pi^0$ is also of clear interest to check consistency of sum rule
 - Covered by B-factories, but bringing LHCb statistics to bear is tantalizing (bf $\sim 1.3 \times 10^{-5}$)

LHCb Events & $B \rightarrow K^+ \pi^- / 0$



- Have only a single track and a blob in the calorimeter, no conventional vertex is possible!
 - *Is there a way to identify the signal without knowing the trajectory of the 2nd daughter particle?*
- Before we talk about the answer, let's look back in time a bit...

Some Time Travel

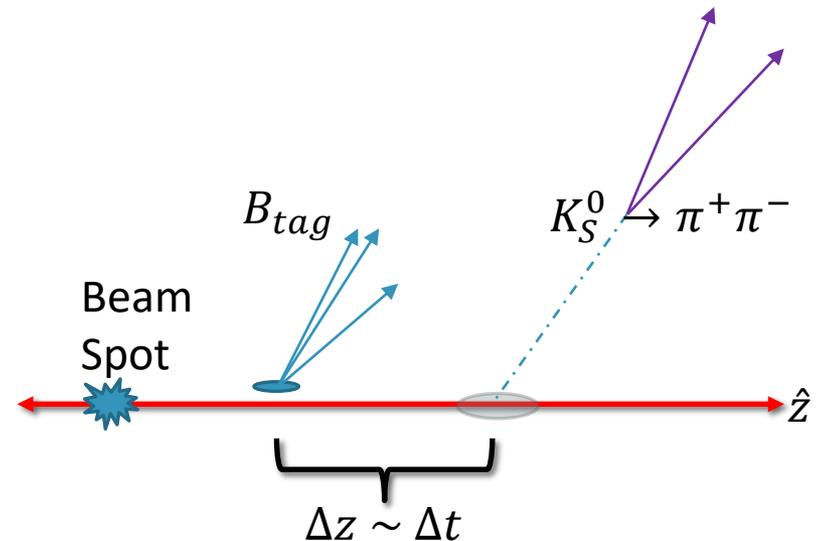
- LHCb's problems in this mode look unique, but in reality *they are not!*
- A similar difficulty exists at the B-factories: **Want to do time-dependent A_{CP} in $K_S^0 \pi^0$, $K_S^0 \pi^0 \gamma$, etc**
 - B-tagging can yield clean signal peaks, but no secondary vtx = no decay time info!
- Their solution: **compute a vertex between the K_S^0 trajectory and the beam axis**
 - Underlying approximation is that $\Delta x, \Delta y \ll \Delta z$

arXiv:hep-ex/0403001 (hep-ex)

[Submitted on 27 Feb 2004]

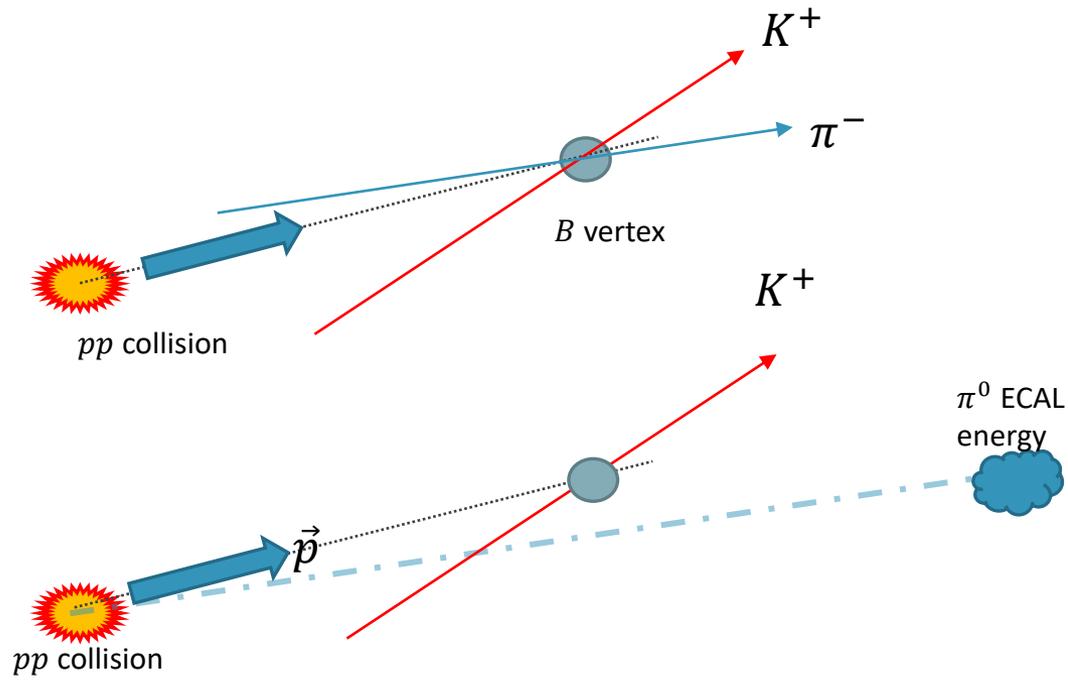
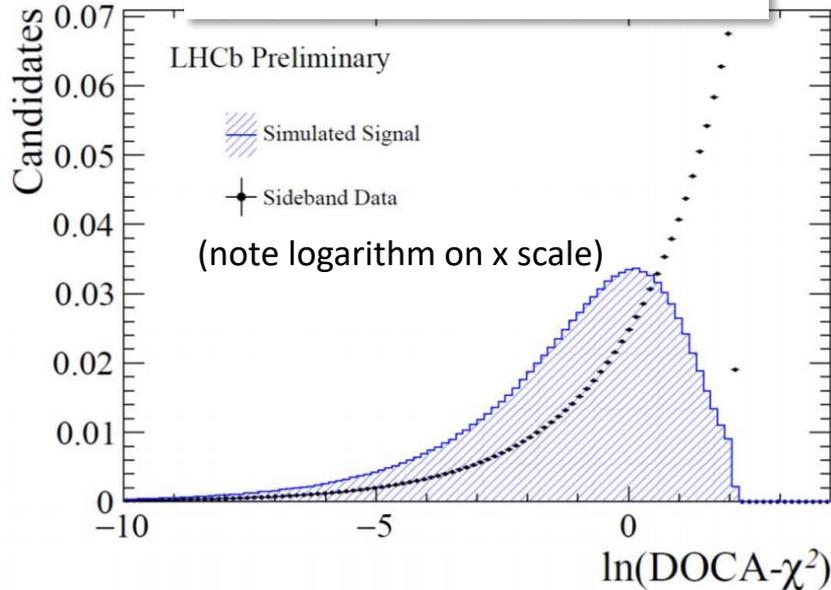
Measurements of CP-violating Asymmetries in $B^0 \rightarrow K_S^0 \pi^0$ Decays

The BABAR Collaboration, B. Aubert, et al



Mother-trajectory approach

Consistency of Intersection
 ← better worse →



- **Construct intersection of 3-momentum vector (origin at PV) and Kaon flight trajectory!**
 - Usual LHCb analysis place selection on the consistency of the reconstructed momentum and displacement vectors -- here we require the same consistency but with different information
- BDT combines isolation and kinematics to do remainder of background suppression, but this really is the secret sauce-- without MT DOCA we couldn't even trigger this!

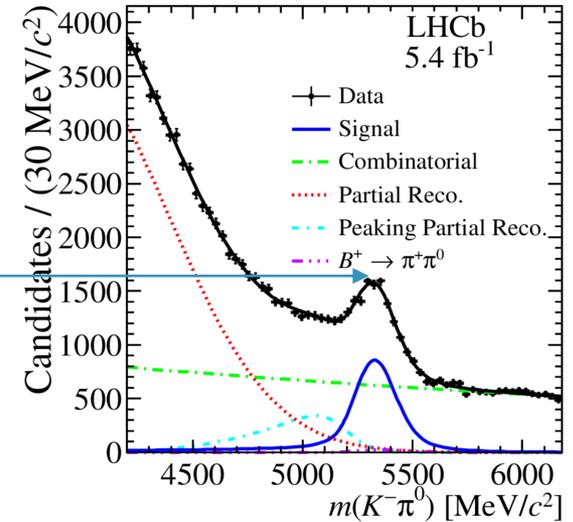
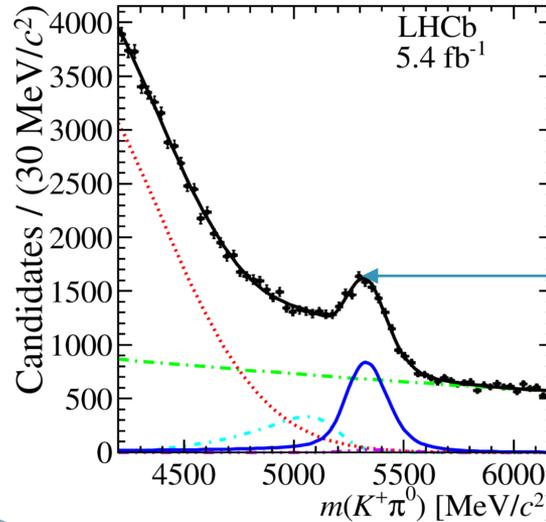
Result: A Clear Signal!

○ With combination of the new technique and efficient selection of events *without additional nearby tracks* (“isolation”)

○ Word-leading measurement of the asymmetry in this “impossible” mode!

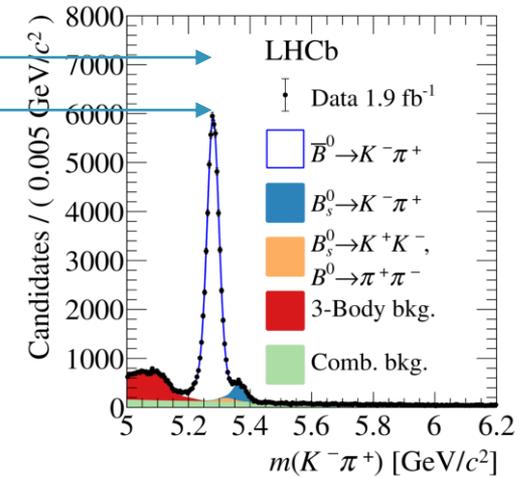
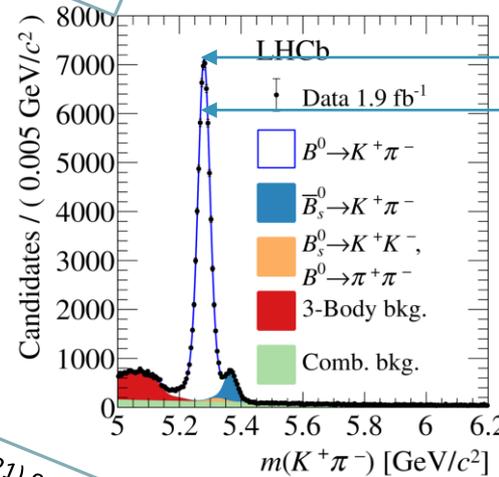
○ Note the much-smaller asymmetry here compared to all-charged mode (lower)

○ Naively should be similar. Something to learn here!



- $A_{raw} = 0.005 \pm 0.022$ (Magnet Up),
 0.019 ± 0.021 (Magnet Down)

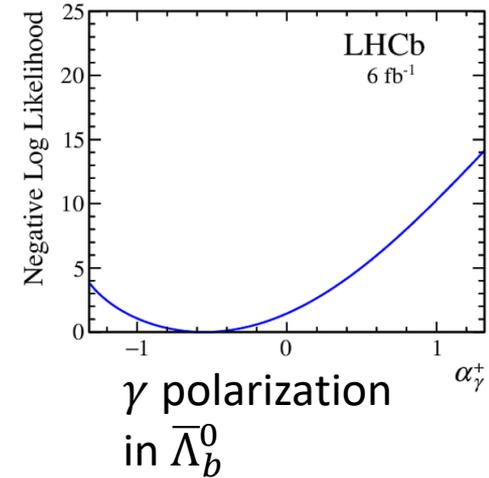
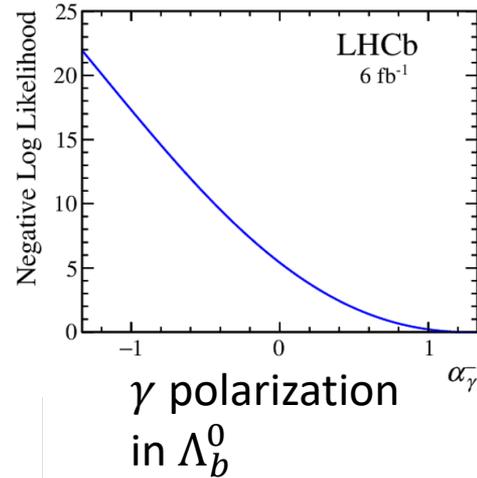
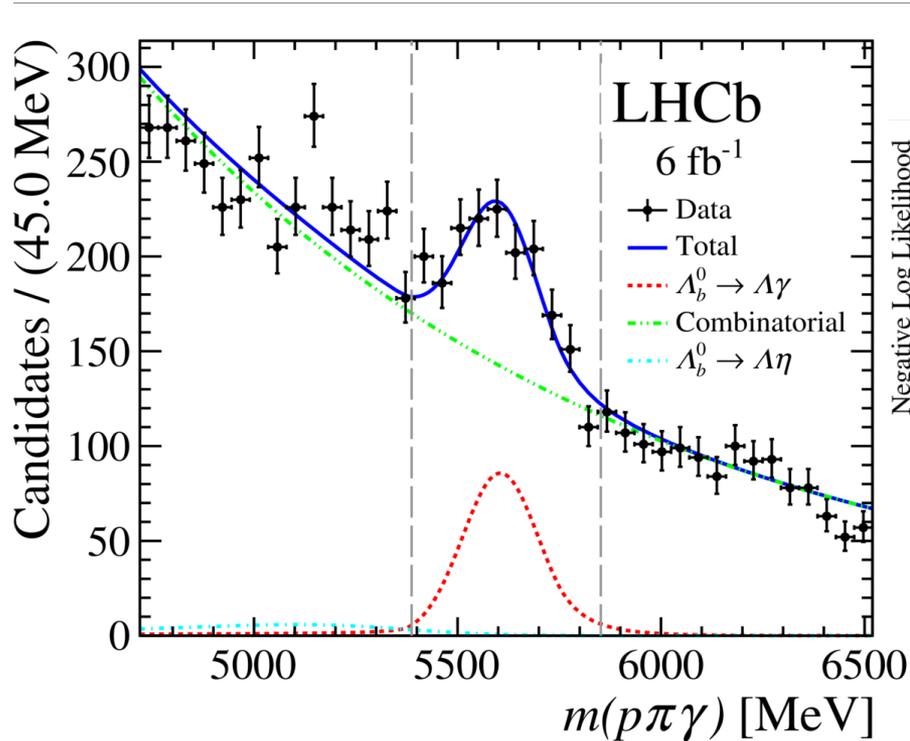
PRL 126 (2021) 091802



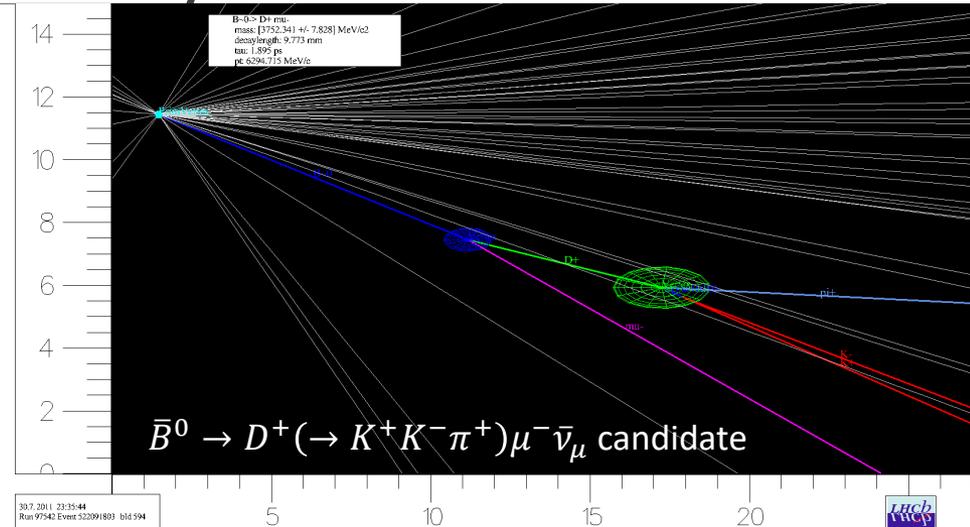
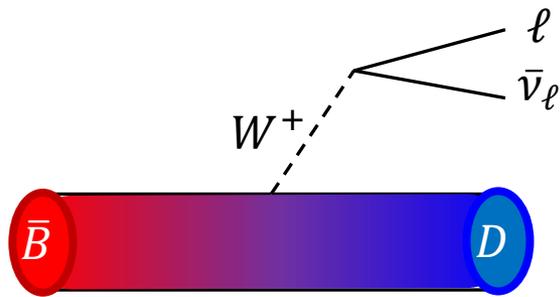
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Extensions to other modes

- Mother-trajectory approach can be applied in a straightforward way to intermediate lifetime neutrals as well (K_S^0, Λ^0)
- New result: photon polarization & CP asymmetry in $\Lambda_b^0 \rightarrow \Lambda^0 \gamma$
arXiv:2111.10194, Submitted to PRL



Semileptonic B decays

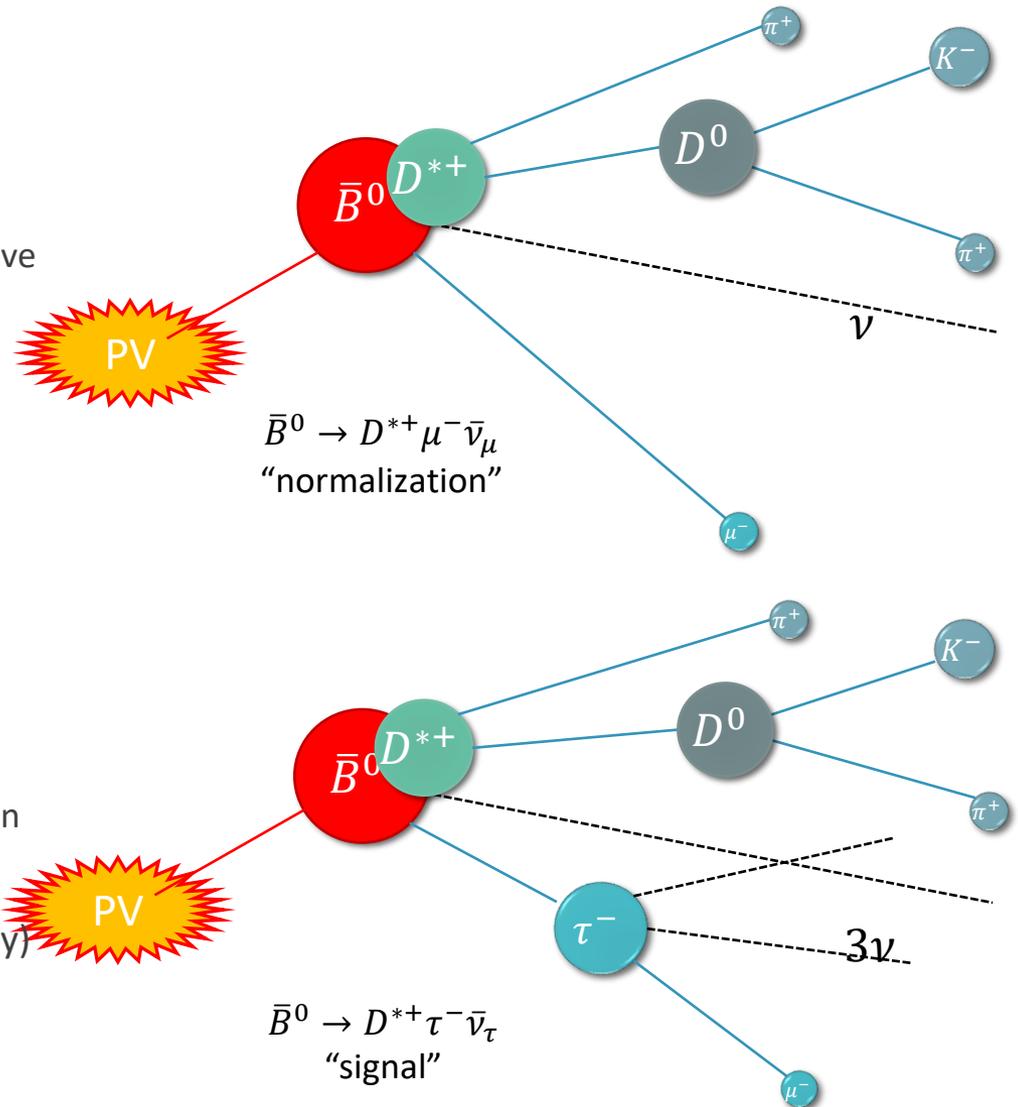


- “Beta decay” of B hadrons – signature is **lepton** (μ or e (or τ !)) , recoiling **hadronic** system, and **missing momentum**
- Theoretically well-understood in the SM
 - Tree level virtual W emission – strong V-A structure
 - No QCD interaction between the lepton-neutrino system and the recoiling hadron(s)
 - $\bar{B} \rightarrow W^{*\pm} D^{(*)}$ half of the decay still needs non-perturbative input
- **Charged lepton universality implies branching fractions for semileptonic decays to e, μ, τ differ only phase space and helicity-suppressed contributions**

What we want to measure

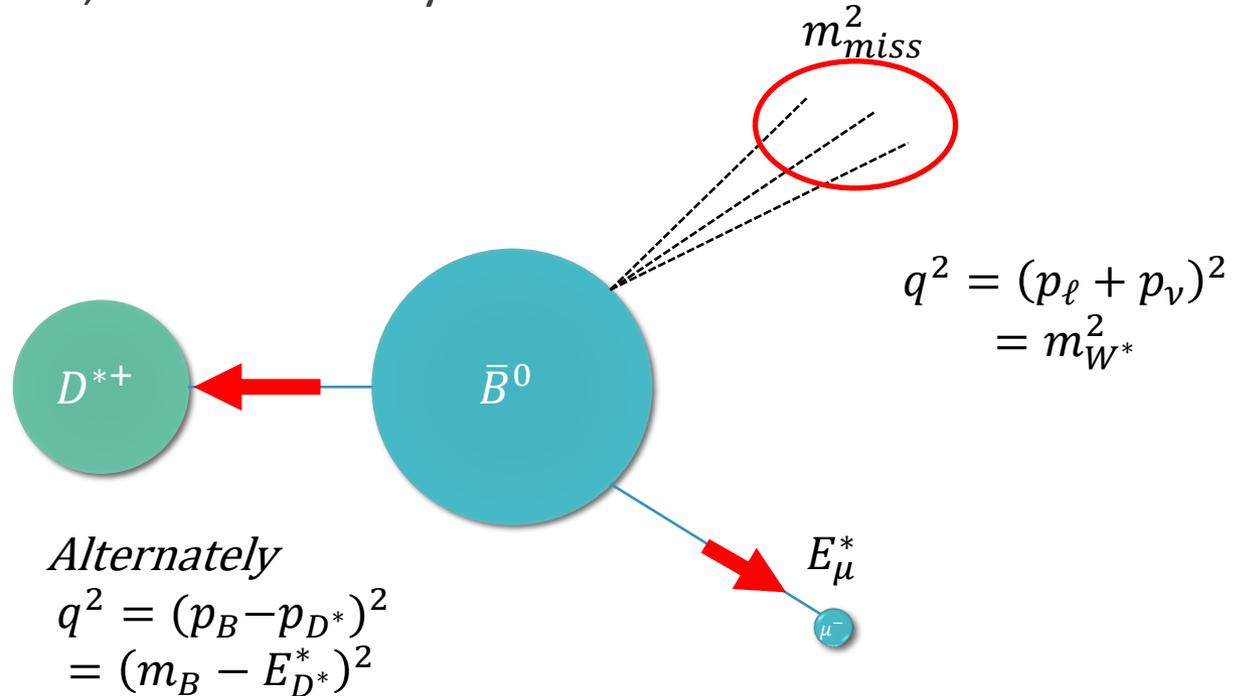
$$R(D^{*+}) \equiv \frac{\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}_\tau)}{\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu)}$$

- **Theoretically clean** due to cancellation of form factor uncertainties
 - Poorly-measured helicity suppressed amplitudes give dominant uncertainty
 - **SM (HFLAV):**
 $R(D^*) = 0.252(5)$
- $\tau^- \rightarrow \mu^- \bar{\nu}_\ell \nu_\tau$
 - Automatic normalization from identical final state
 - Must be disentangled from $\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu$ using decay kinematics
- $\tau^- \rightarrow \pi^- \pi^+ \pi^- (\pi^0) \nu_\tau$
 - Potentially higher signal purity
 - Must be normalized to hadronic B decays (reliant on external measurements to get $R(D^*)$)
- **Common Challenges:** missing neutrinos with (mostly) unconstrained momentum
 - Don't have full B momentum
 - Large backgrounds from other partially-reconstructed B decays



Distinguishing $b \rightarrow c\tau(\rightarrow \mu\nu\nu)\nu$ from $b \rightarrow c\mu\nu$

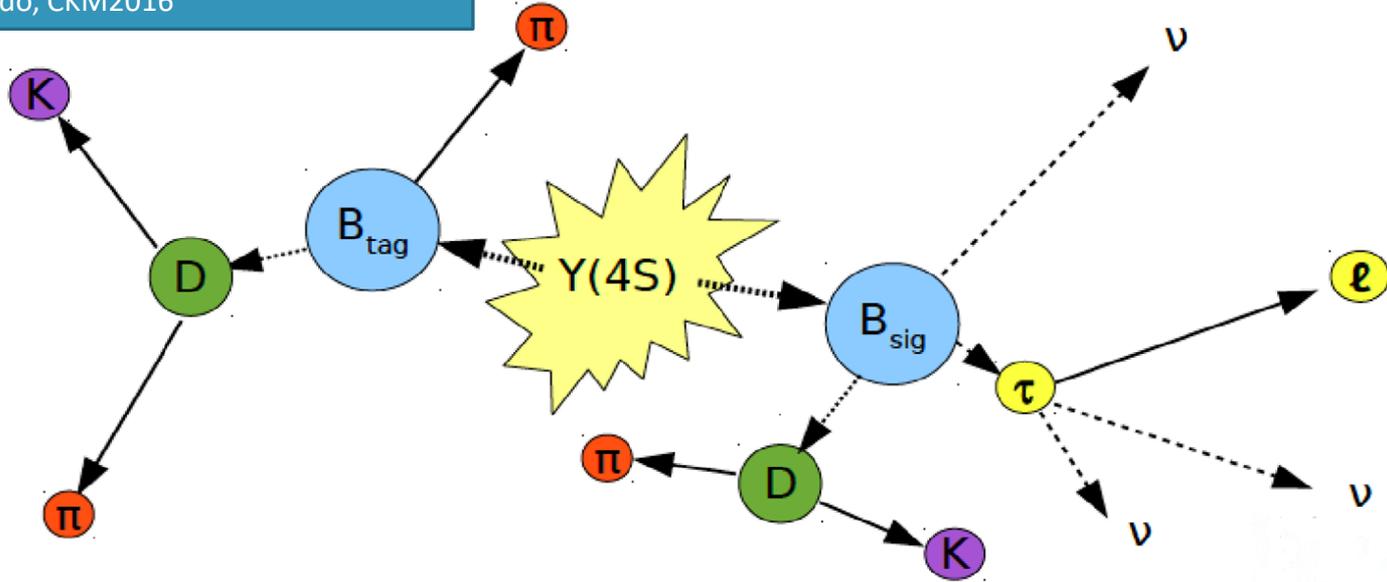
- Starting in $\tau \rightarrow \mu\nu\nu$, have three key kinematic variables:



| $\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}$ | $\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}$ |
|---|--|
| $m_{miss}^2 > 0$ | $m_{miss}^2 = 0$ |
| E_l^* spectrum is soft | E_l^* spectrum is hard |
| $m_\tau^2 \leq q^2 \leq 10.6 \text{ GeV}^2$ | $0 \leq q^2 \leq 10.6 \text{ GeV}^2$ |

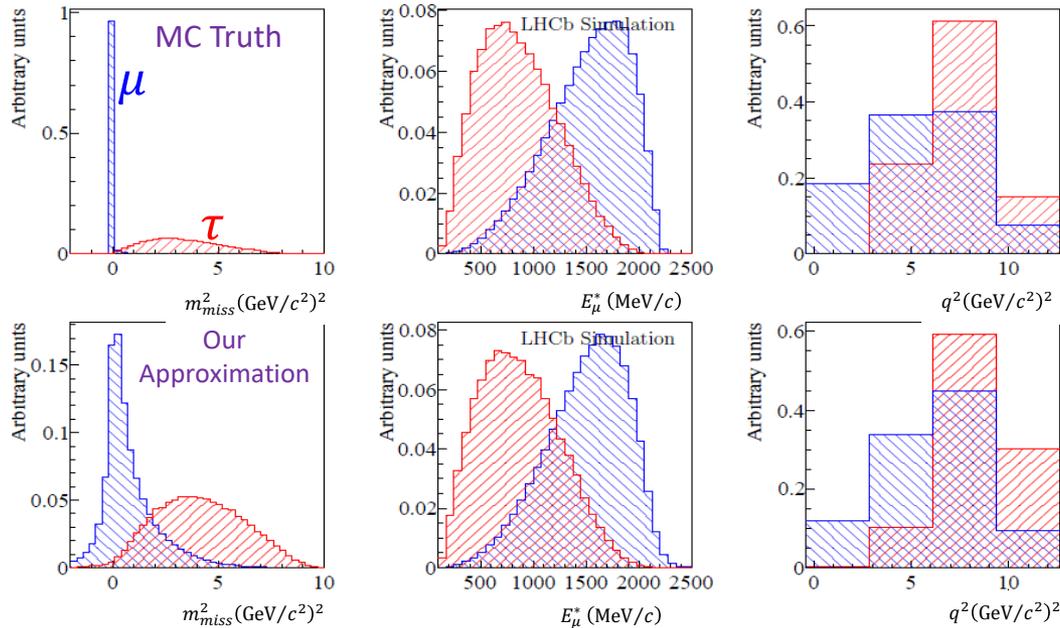
In a more perfect world...

Cartoon from M. Rotondo, CKM2016



- By fully reconstructing the event, the missing energy (or alternately the signal B initial momentum) can be constrained and the missing mass directly computed
- But at LHCb we lack the information needed to close the kinematics!
 - Unknown hard interaction energy, many underlying event particles, etc...
 - *We know the direction of p_B , but not the magnitude... need a constraint!*

Rest frame approximation



- Key observation: Distributions are broad to begin with – a well-behaved approximation will still preserve differences between signal, normalization and backgrounds

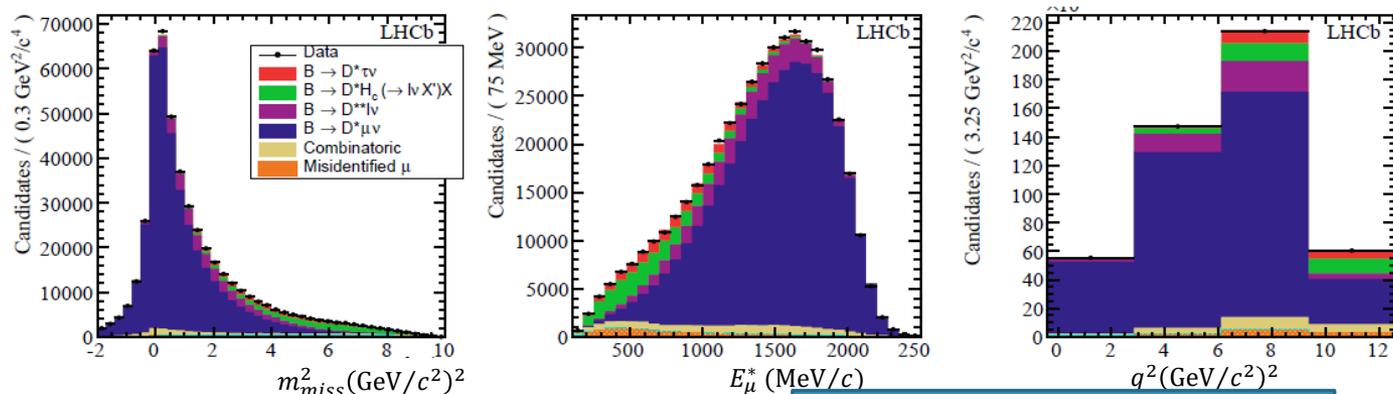
$$\text{Take } (\gamma\beta_z)_{\bar{B}} = (\gamma\beta_z)_{D^*\mu}$$

$$\Rightarrow (p_z)_{\bar{B}} = \frac{m_B}{m(D^*\mu)} (p_z)_{D^*\mu}$$

- The problem of large nontrivial resolutions is by no means unique to us, and it should not be daunting
 - See, e.g., neutron spectrometry
 - If resolution/approximations in reconstruction are *reliably simulated*, then you can get away with a lot!

Fit

- Using rest frame approximation, construct 3D “template” histograms for each process contributing to $D^{*+}\mu^{-}$
 - Signal, normalization, and partially reconstructed backgrounds use simulated events, other backgrounds use control data
 - Templates are functions of any relevant model parameters via interpolation between histograms generated with different fixed values of those parameters
- These templates are then used as PDFs for a maximum likelihood fit to data
 - ~Inclusive spectral unfolding in multiple dimensions
- -> distributions shown previously directly translate to one-dimensional projections of the 3D templates for signal and normalization



Other Major Tool: *Control Samples*

$$\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu \text{ (normalization)}$$

$$\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}_\tau \text{ (signal)}$$

$$\begin{aligned} \bar{B}^0 &\rightarrow D^{**+} \mu^- \bar{\nu}_\mu + \bar{B}^0 \rightarrow D^{**+} \tau^- \bar{\nu}_\tau \\ \bar{B}^- &\rightarrow D^{**0} \mu^- \bar{\nu}_\mu + \bar{B}^- \rightarrow D^{**0} \tau^- \bar{\nu}_\tau \\ D^{**} &\rightarrow D^{*+} \pi \text{ (3 states each, 6 PDFs)} \end{aligned}$$

$$\begin{aligned} \bar{B}_S^0 &\rightarrow D_S^{**+} \mu^- \bar{\nu}_\mu \\ D_S^{**+} &\rightarrow D^{*+} K_S^0, \text{ (2 states, 1 free param)} \end{aligned}$$

$$\begin{aligned} B^{+,0} &\rightarrow \bar{D}^{**} \mu^+ \nu_\mu \\ \bar{D}^{**} &\rightarrow D^{*-} \pi \pi, \text{ (cocktail)} \end{aligned}$$

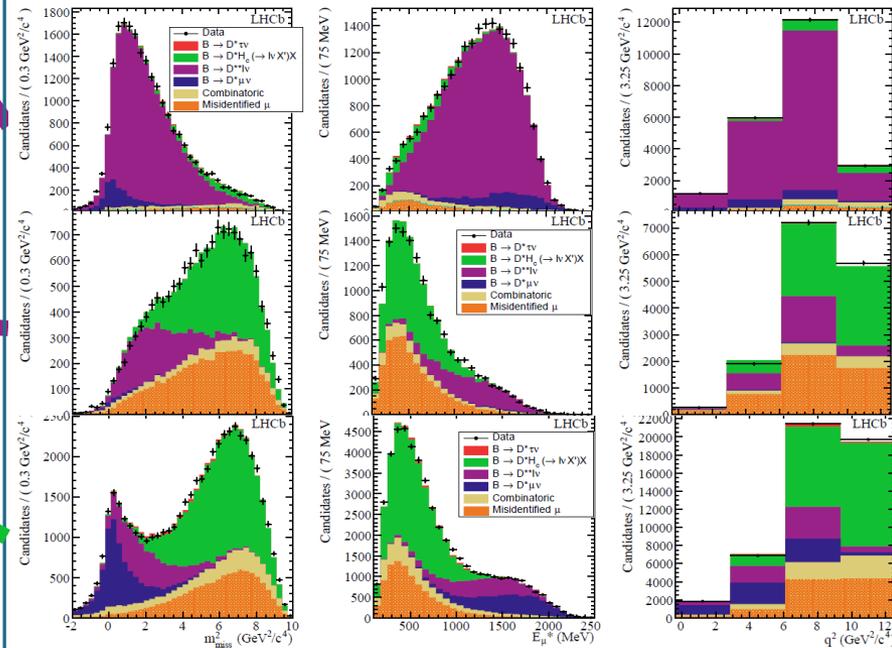
$$\begin{aligned} \bar{B} &\rightarrow D^{*+} H_c (\rightarrow \mu \nu X') X \\ + \bar{B} &\rightarrow D^{*+} D_S^- (\rightarrow \tau^- \bar{\nu}_\tau) X \end{aligned}$$

$h \rightarrow \mu$
misidentification

combinatorial

Corrections applied to double-charm dalitz plots, form factors of semileptonic backgrounds (excited charm) *measured*

Control sample fits to constrain shapes



Other Major Tool: *Control Samples*

$$\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu \text{ (normalization)}$$

$$\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}_\tau \text{ (signal)}$$

$$\begin{aligned} &\bar{B}^0 \rightarrow D^{**+} \mu^- \bar{\nu}_\mu + \bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu \\ &\bar{B}^- \rightarrow D^{**0} \mu^- \bar{\nu}_\mu + \bar{B}^- \rightarrow D^{*0} \mu^- \bar{\nu}_\mu \\ &D^{**} \rightarrow D^{*+} \pi \text{ (3 states each, 6)} \end{aligned}$$

Johnathan Frakes
on simulated B
background samples
“out of the box”



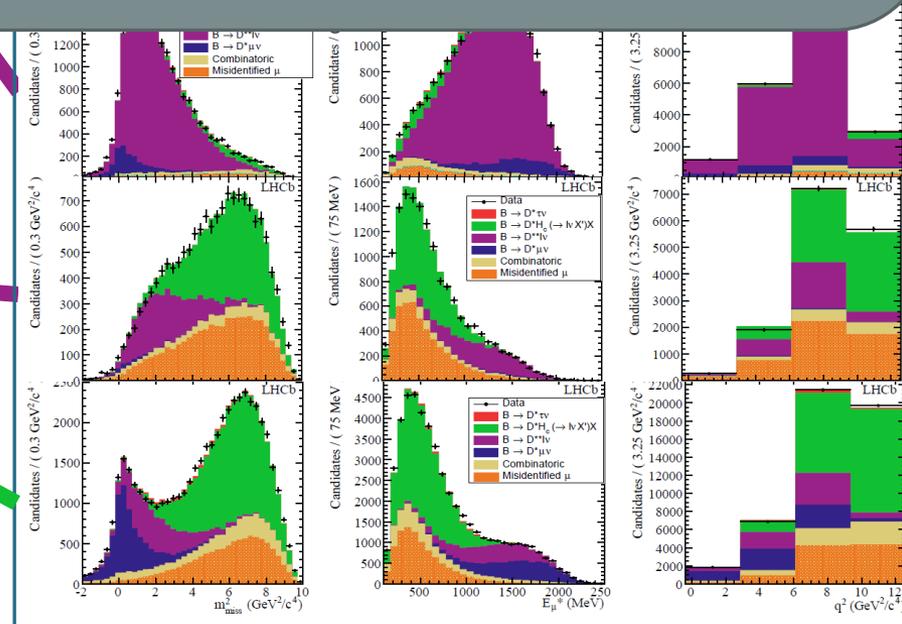
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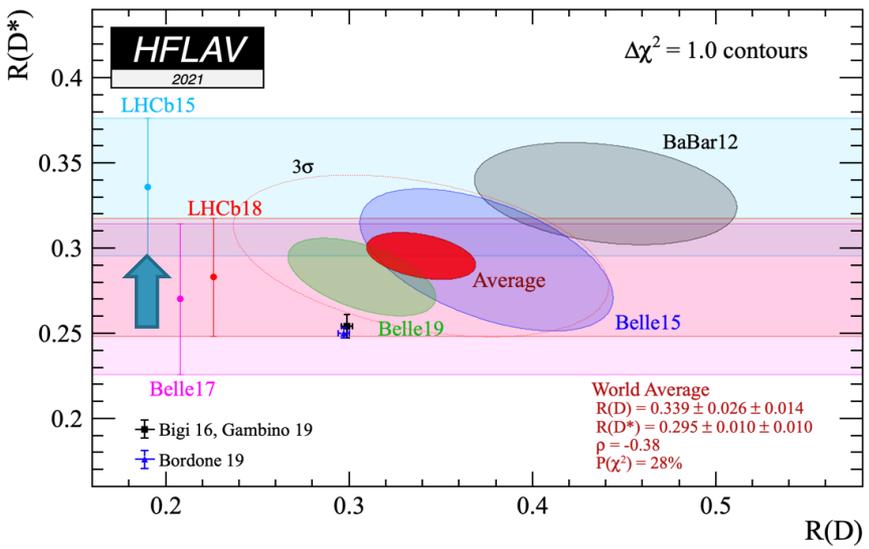
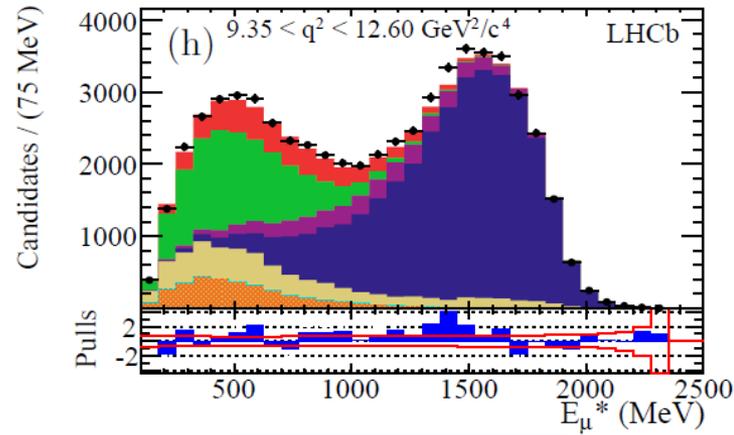
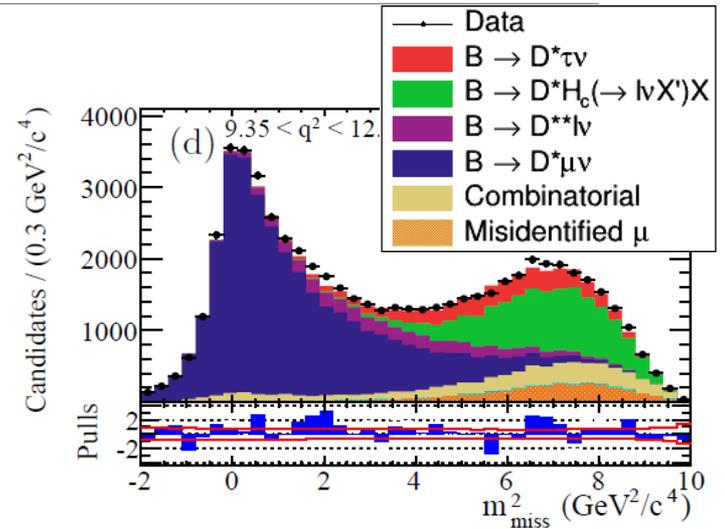
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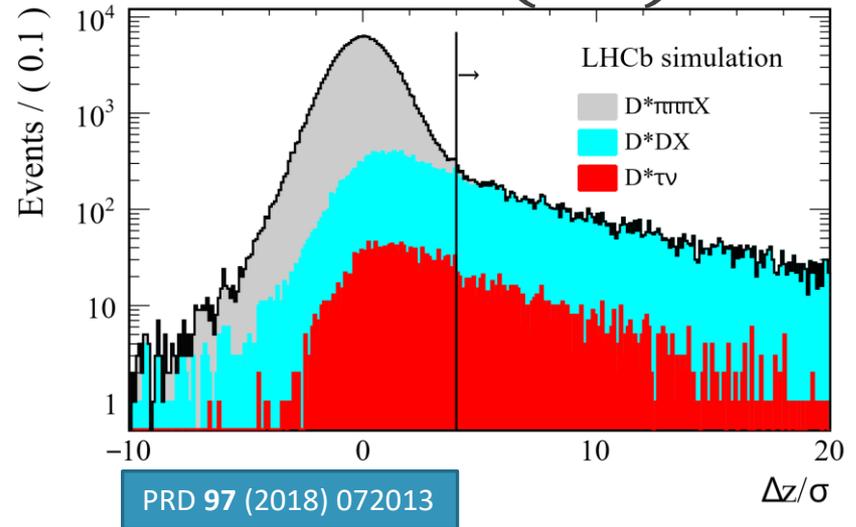
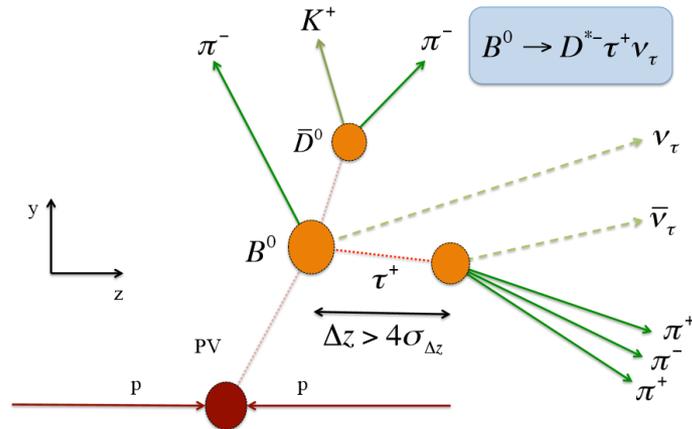


LHCb result

- 3D fit to $m_{miss}^2, E_{\mu}^*, q^2$
- Result: $R(D^*) = 0.336 \pm 0.027 \pm 0.030$
 - (2.1 sigma from CLN prediction)
 - First measurement of a $b \rightarrow X\tau\nu$ decay at a hadron collider
- Dominant systematics from MC statistical uncertainty and background from hadrons misidentified as muons



PRL 115 111803(2015)



- This signal mode is historically very challenging due to the large inclusive $\bar{B} \rightarrow D^{*+} 3\pi_{direct} X$ branching fraction (includes normalization mode)
 - Size is 100x expected signal
- Very large boost yields a tertiary vertex and additional handles at LHCb
 - Requiring 4σ separation of vertices along \hat{z} removes 99.9% of non-flying background
 - Signal efficiency is $\sim 34\%$

Reconstruction of Fit Variables

- Again, we make use of alignment of flight direction and total momentum, except now we have a tau vertex to play with!

- Know: $p_{3\pi}, p_{D^*}, B$ flight vector from PV, 3π flight vector from D^*
- Using known B and τ mass to solve results in 2×2 -fold quadratic ambiguities

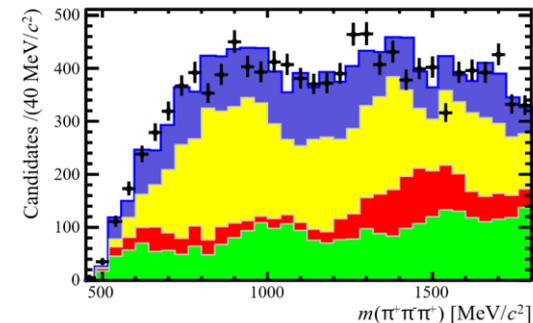
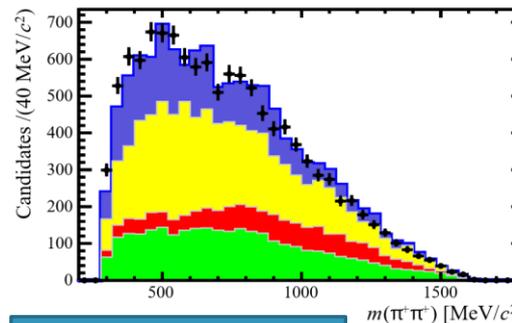
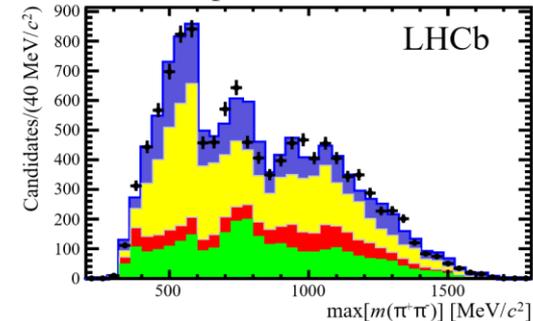
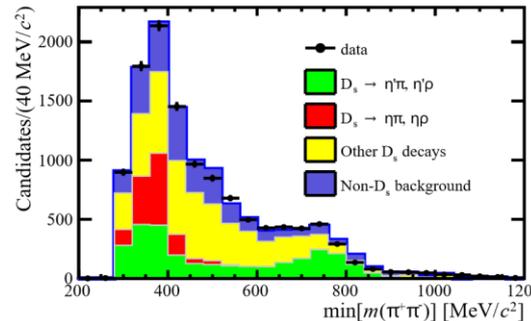
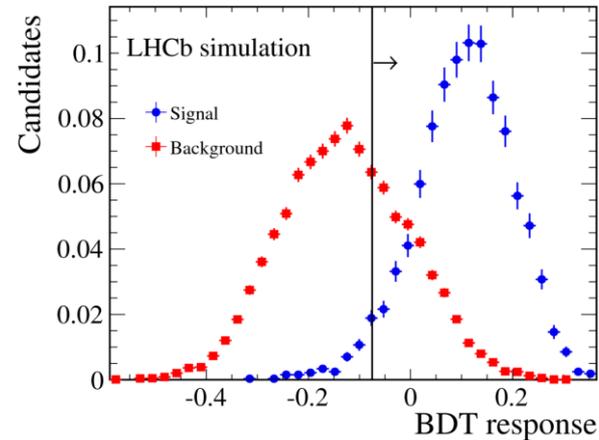
$$|\vec{p}_{B^0}| = \frac{(m_{D^*\tau}^2 + m_{B^0}^2)|\vec{p}_{D^*\tau}| \cos \theta_{B^0, D^*\tau} \pm E_{D^*\tau} \sqrt{(m_{B^0}^2 - m_{D^*\tau}^2)^2 - 4m_{B^0}^2 |\vec{p}_{D^*\tau}|^2 \sin^2 \theta_{B^0}}}{2(E_{D^*\tau}^2 - |\vec{p}_{D^*\tau}|^2 \cos^2 \theta_{B^0, D^*\tau})}$$

$$|\vec{p}_{\tau}| = \frac{(m_{3\pi}^2 + m_{\tau}^2)|\vec{p}_{3\pi}| \cos \theta_{\tau, 3\pi} \pm E_{3\pi} \sqrt{(m_{\tau}^2 - m_{3\pi}^2)^2 - 4m_{\tau}^2 |\vec{p}_{3\pi}|^2 \sin^2 \theta_{\tau, 3\pi}}}{2(E_{3\pi}^2 - |\vec{p}_{3\pi}|^2 \cos^2 \theta_{\tau, 3\pi})}$$

- Choose θ, θ' such that the ambiguity vanishes
 - Provides $\approx 10\%$ resolution on q^2
- 2nd reconstruction hypothesis: assume no neutinos at B vertex, unknown mass neutral system at 3pi vertex – obtain estimate for mass $m(3\pi+N)$ which peaks for Ds bkgnd
- using strengths of detector to overcome difficulties of environment/final state!

Controlling D_s backgrounds

- Largest background is from $B \rightarrow D^* D_s [\rightarrow 3\pi X]$
 - Train BDT to distinguish the two decays using (mainly) 3π dynamics
 - **BDT used both as selection and fit variable**
- D_s decay simulation is untrustworthy at best (don't blindly trust decay.dec!). 3 Step process to calibrate background simulation:
 - Train BDT on “vanilla” (uncorrected) simulation
 - use to select pure D_s sample
 - correct D_s simulation modelling by comparison of BDT inputs in background-like region
 - Apply corrections to background template in signal fit



Fit

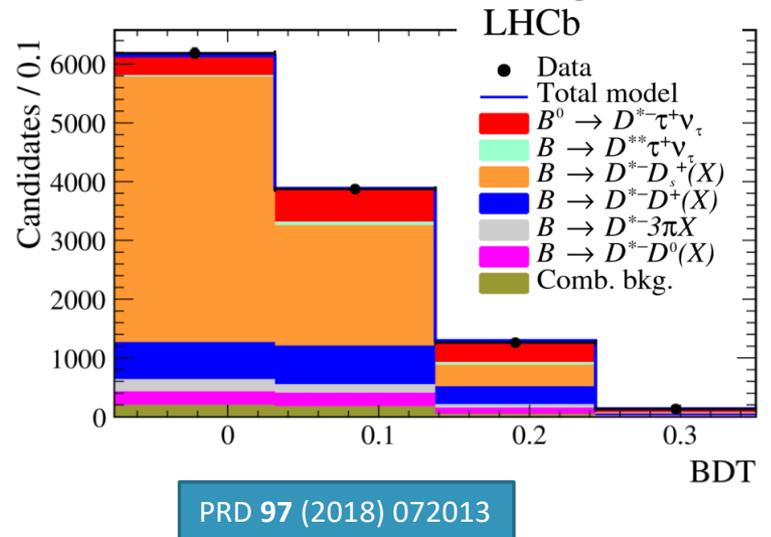
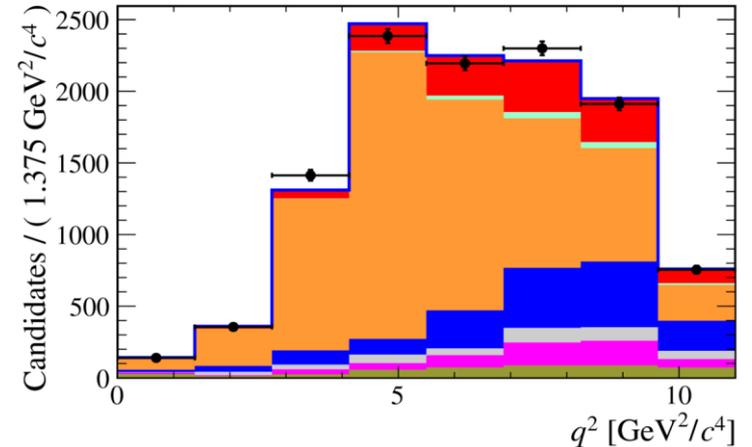
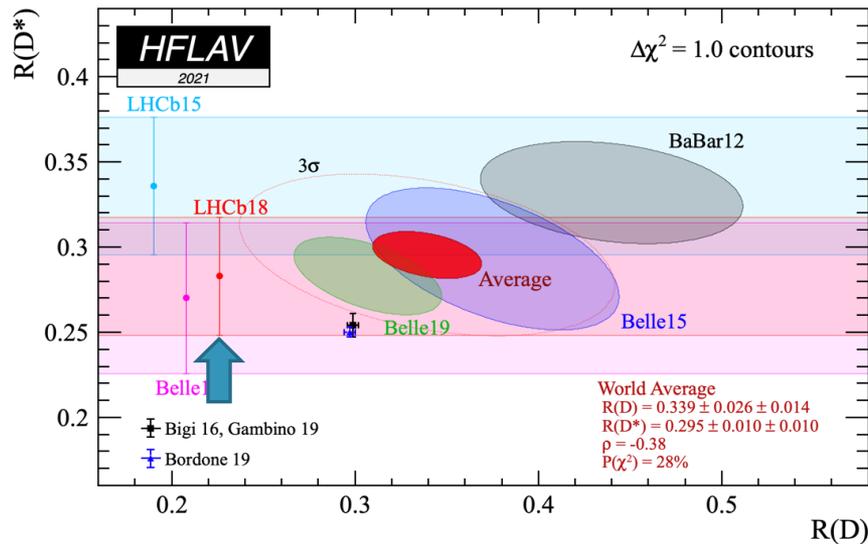
- 3D fit in q^2 , τ decay time (not shown), BDT

- Exclusive $\bar{B} \rightarrow D^{*+} 3\pi_{direct}$ provides normalization for measurement

$$K(D^*) \equiv \frac{\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}_\tau)}{\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \pi^- \pi^+ \pi^-)}$$

$$R(D^*) = K(D^*) \times \frac{\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \pi^- \pi^+ \pi^-)}{\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\tau)}$$

- **Result: $0.286 \pm 0.019 \pm 0.025 \pm 0.021$**

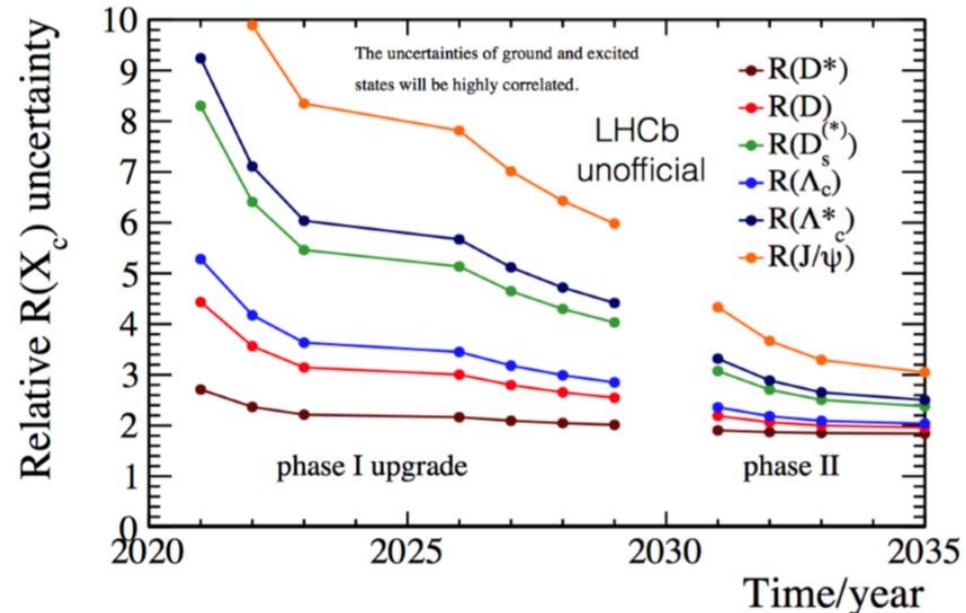


Next Steps for LHCb

HEAVY FLAVOR IN RUN3 AND BEYOND

LFU Ratio prospects

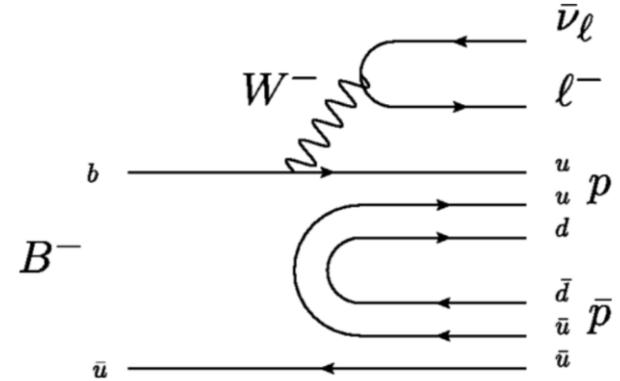
- General prospects for increasing precision of core observables ($R(X_c)$) are relatively well-established
 - Ultimate sensitivity depends on what systematics become limiting
 - Large datasets -> large control samples -> most systematics can be reduced
- Right: projections if limiting systematics become combinatorial background shapes, PID efficiencies, data/MC corrections
- Absolutely crucial that computing keep up with data (need simulation $\sim 4x$ data to keep up)
 - Raw power/architecture improvements?
 - Improved FastMC? (systematics?)



$b \rightarrow u \tau \nu$

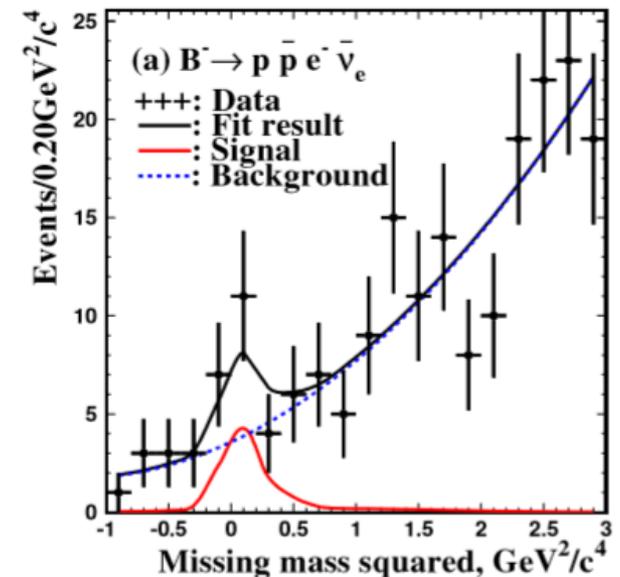
- $b \rightarrow u$ semileptonics are challenging due to very large combinatoric backgrounds
 - Low daughter multiplicity, no tertiary vertex
 - One handle: rarer X_u systems (p, K instead of π)
 - Example: Existing LHCb result on $|V_{ub}|$ in $\Lambda_b^0 \rightarrow p \mu \nu$ is already systematics limited with just Run1
 - External inputs dominate – form factors, $\Lambda_c^+ \rightarrow p K \pi$

- Targets for LFU: $B^- \rightarrow p \bar{p} \tau \nu$
 - Expect $O(1000)$ normalization in first search for this mode at LHCb, by Run5 could have similar stats to 2015 LHCb $R(D^*)$ measurement
 - Many challenging partially reconstructed bkgds



Belle - PRD 89, 011101 (2014)

$$\mathcal{B}(B^- \rightarrow p \bar{p} \mu^- \bar{\nu}_\mu) = (3.1_{-2.4}^{+3.1} \pm 0.7) \times 10^{-6}$$



Farewell to a Superb Detector

- LHCb remains diverse and vibrant experimental collaboration during long shutdown:
 - ~1400(!!!) members across 85 institutions in 18 countries working on Run1&2 data, upgrade construction, upgrade software, planning for further future, etc.
- LHCb as we knew it has been disassembled to make room for the Phase-I upgrade detector
 - Fast readout for real-time software decision-making
 - More granular subdetectors to cope with 'busier' events
- Photos: LHCbExperiment on Instagram



LHCb Upgrade in a Nutshell

Cannot increase luminosity any further in Run2 trigger scheme

- Fixed-bandwidth hardware decisions limit output rate and only access limited event info
- Increasingly strict requirements select *against* heavy-flavour events

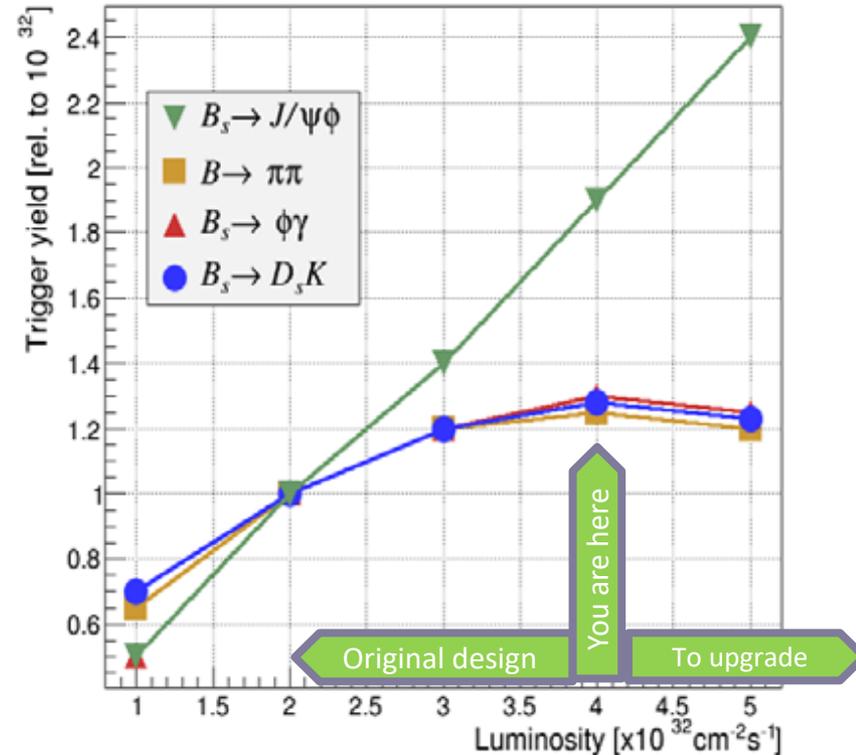
LHCb Upgrade Concept:

- Completely rebuilt detector readout to be synchronous with LHC beam crossings
- Real-time analysis style event selection
 - Fast event reconstruction with GPU technology
 - Can identify candidate B hadrons and interesting tracks *before* making the decision!

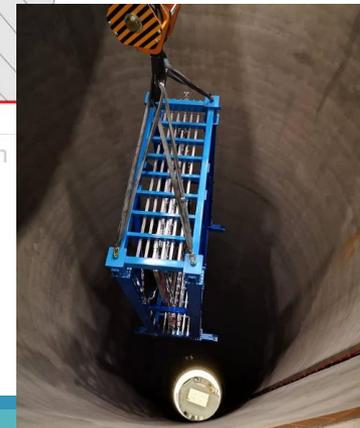
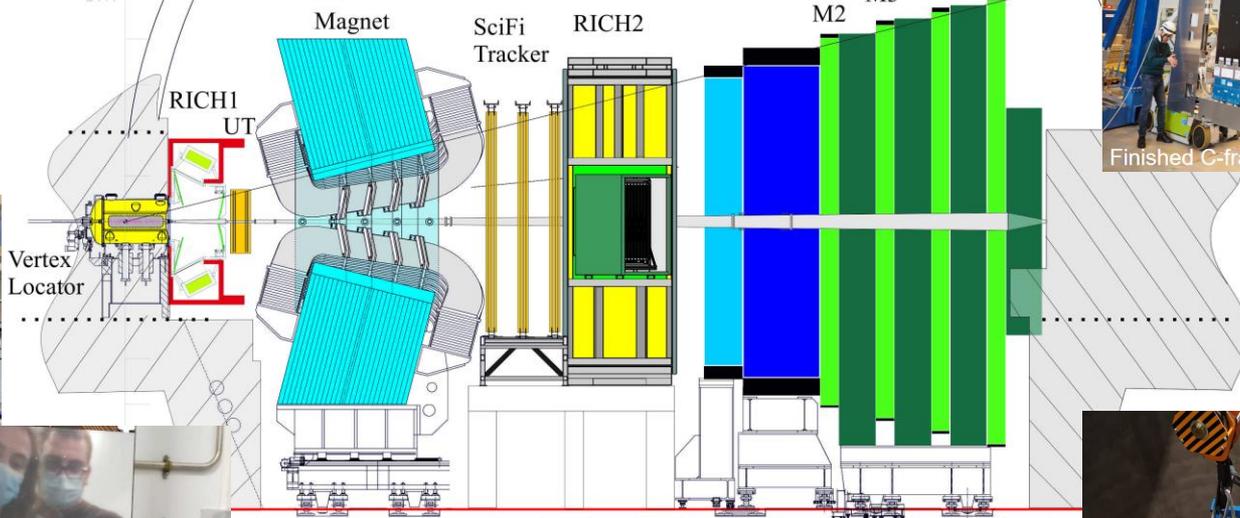
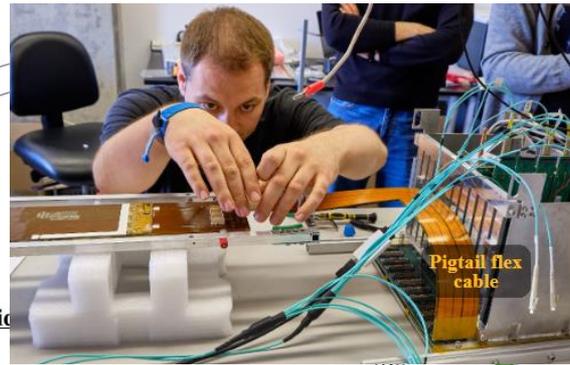
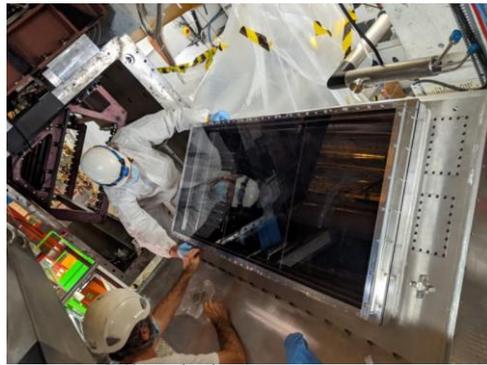
Result: Order-of-magnitude increase in dataset

Require significant increase in segmentation to deal with ~ 5 pp collisions per event

- All new charged-particle trackers
- Re-optimized and rebuilt particle identification subdetectors



Upgrade outside the nutshell

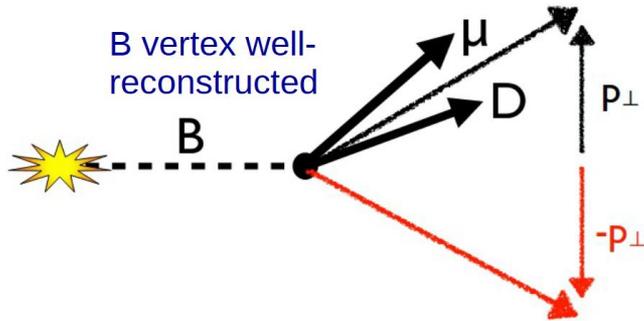


Summary

- LHCb groups have been hard at work finding ways to move beyond the applications envisioned in the physics case and design work
 - Many of the techniques have spiritual (if not direct) analogs in the B factories – we don't work in a vacuum and neither do you!
- Not every possibility for Belle-II has been done already, nor possibly even imagined yet!
 - Keep your eyes open and look for connections between your problems and others, you never know where a breakthrough will come from!

Backup Slides

Aside: Semileptonic decays with light leptons



○ With a single missing neutrino, there exists a very nice tool:

$$m_{corr} = \sqrt{m_{vis}^2 + p_{\perp}^2 + |p_{\perp}|}$$

○ Signal peaks at B mass, shape well-described by MC, not very sensitive to form factors

○ This tool is surprisingly general however:

- Exactly equivalent to “transverse mass” variable used for energy frontier searches involving missing energy
- Also appears in some partial-reconstruction techniques with single missing neutral particles
- Used in LHCb inclusive triggering to find B decays with daughters below HLT tracking threshold and/or neutrals
- **Good to keep in your toolbox!**

