Carnegie Mellon University



Belle II Summer Workshop Overview of $D^{*+} \rightarrow D^0 (\pi^+ \pi^- \pi^0) \pi^+_{s}$ Dalitz analysis

Emma Oxford Department of Physics Carnegie Mellon University

August 2, 2022

Overview

- Introduction
 - \circ \quad A bit about me and my research
 - What is a Dalitz plot?
- Dataset and analysis
- Plots
- Summary

A bit about me...

Graduate student at Carnegie Mellon University in Pittsburgh, Pennsylvania, working with Prof. Roy Briere



Wean Hall, home of CMU's physics department Photo:Ziplux (CC-BY/SA 3.0)

Member of *Belle II* since June 2018

Validation manager for Data production group, term ends October 2022

Did a lot of work on charm decays in the Belle II decay file in 2020 and 2021



https://stash.desy.de/projects/B2/repos/basf2/browse/decfiles/dec/DECAY_BELLE2.DEC

... and my research

- Time-averaged analysis of $D^0 \rightarrow \pi^+ \pi^- \pi^0$ Dalitz plot using D*-tagged D⁰ mesons to look for CP violation (CPV) in this decay
 - $\circ \qquad {\rm D}^{**} \mathop{\rightarrow} {\rm D}^{\scriptscriptstyle 0} \, \pi^{*}_{\ {\rm s}'} \text{ and charge conjugate }$
 - π_s^* = "slow pion"; charge of slow pion "tags" the flavor of the D meson
- Possible types of Dalitz analyses:
 - Energy test: statistical test on distribution, compare to expected value for non-CPV sample
 - Amplitude analysis: amplitude model fit, look for asymmetry between D⁰ and anti-D⁰ amplitudes
 - **Binned analysis**: look directly for asymmetries in bins of Dalitz plot and define a per bin asymmetry, \mathcal{A}_{CP} = (difference between bins in D⁰ and anti-D⁰ plots)/(sum of bins)
- Cabibbo-suppressed mode ⇒ need relatively large amount of data to get good result, BUT a good place to look for CPV from New Physics

Aside: recent results from Charm WG include Λ_c lifetime measurement being published in PRL and Ω_c lifetime measurement targeting PRD

Ph	iysics ordinator: Diego Tonelli	
Н	Semileptonic & Leptonic W. Sutcliffe, C. Schwanda	
Н	Radiative & Electroweak Penguin S. Sandilya, A. Glazov	
Н	Time dependent CP violation T. Humair, T. Higuchi	
H	Hadronic B: B → charm M. Nayak, K. Trabelsi	
Н	Hadronic B: B → charmless P. Goldenzweig, M. Dorigo	
Н	Charm G. Casarosa, L. Li	
Н	Bottomonium U. Tamponi, B. Fulsom	
H	Charmonium J. Yin, E. Prencipe	
Н	Dark sector & Low multiplicity A. Ishikawa, E. Graziani	
Н	Tau A. Rostomyan, M. Hernandez Villanueva	
Н	HLT/Trigger Menu C. Hearty	
Ц	Physics modeling/Generators F. Bernlochner, S. Banerjee	

What is a Dalitz plot?



Why does this work? If $M \rightarrow m_1 m_2 m_3$, then: $M^2 + m_1^2 + m_2^2 + m_3^2 = m_{12}^2 + m_{13}^2 + m_{23}^2$, i.e., squares of invariant pair masses sum to a constant

What does this show?

Phase space is proportional to the area of the Dalitz plot.

Structure in the Dalitz plot reveals resonances and their angular dependence. A flat Dalitz plot (such as this one) indicates no resonances in the decay.

MC15ri_b dataset

200 fb⁻¹ of generic MC15, unskimmed

Produced with release-06-00-08

User analysis run on gbasf2 with light-2201-venus

Aside: if you have problems using gbasf2, send an email to <u>comp-users-forum@belle2.org</u>. You can subscribe to this and other listservs via <u>https://lists.belle2.org/</u>.

$D^{*+} \rightarrow D^{0} (\pi^{+} \pi^{-} \pi^{0} (\gamma \gamma)) \pi^{+}_{s}$

Item	Requirement
	isFromECL and E > 0.100 and clusterE9E21 > 0.9 and cluster E1E9 > 0.3 and
γ reconstruction	thetaInCDCAcceptance; at most one photon in an endcap
$\pi^{_0}$ reconstruction	0.105 < InvM < 0.150
π^{\pm} reconstruction	dr < 0.5 and abs(dz) < 2.0 and thetaInCDCAcceptance and PID(π ,K)_noSVD > 0.4
π_{s} reconstruction	dr < 0.5 and abs(dz) < 2.0 and thetaInCDCAcceptance
D ^o reconstruction	1.70 < M < 2.10; flightSignificance > -0.4 (apply cut after vertex fits)
	massDifference(0) < 0.160 and useCMSFrame(p) > 2.5; vertex fit decay tree w/mass fit on π^0 , chiProb>0.001;
D* reconstruction	vertex fit decay tree w/mass fit on π^0 and D ⁰ , chiProb>0
Event cuts	none
Other cuts	Best candidate selection on χ -probability of second vertex fit; $\frac{492.5 \text{ MeV/c}^2}{492.5 \text{ MeV/c}^2} < m(\pi^+ \pi^-) < 500.0 \text{ MeV/c}^2$ (K _s ⁰ veto)
Corrections applied to data	Track momentum and photon energy bias corrections

Highlighted cuts have been changed in more recent versions of this analysis.

Aside: good time to plug B2 Questions <u>https://questions.belle2.org/</u> and Sphinx documentation <u>https://software.belle2.org/</u>

ccbar signal

mixed

ssbar

uubar

ddbar

taupair

0.15

0.152 0.154

charged

ccbar background

Sometimes

instead

people will plot

 $Q = \Delta M - m(\pi_c)$

Signal-enhanced* mass plots



 $\Delta M = M(D^*) - M(D^0)$, so-called "D*-trick" ΔM resolution is sharper than resolution for either D* or D⁰ mass peak

*Each variable is cut on the other, i.e., for M(3π) plot, 144.5 MeV/ $c^2 < \Delta M < 146.2$ MeV/ c^2 and for ΔM plot, 1.83 GeV/ $c^2 < M(3\pi) < 1.89$ GeV/ c^2 .

Dalitz plot, signal region



Dalitz binning, signal region

DalTBinA0







ΔM plots in Dalitz bins, M(D^o) signal region



Fits per bin, D*+



Aside: guidelines for public plots can be found at <u>https://stash.desy.de/projects/B2D/repos/belle2style/browse</u>

Fits per bin, D*⁻



Global fit plots



Johnson's S_{II} signal + Gaussian and threshold function to 3/2 power background

Summary of fit results, signal

Bin	Signal function	Background function	$\chi^2/ndf (D^{*+} / D^{*-})$	Yield/fb ⁻¹ (D*+ / D*-)	Asymmetry
center	Johnson's S _U	3/2 power threshold	0.980 / 1.04	17.73 ± 0.53 / 17.56 ± 0.59	(0.5 ± 2.2)%
A1	Johnson's S _U	3/2 power threshold	1.06 / 0.954	76.23 ± 0.87 / 75.74 ± 0.89	(0.032 ± 0.82)%
A2	Johnson's S _U	3/2 power threshold	1.06 / 0.999	9.07 ± 0.48 / 8.57 ± 0.40	(2.8 ± 3.5)%
A3	Johnson's S _U	3/2 power threshold	1.15 / 1.07	154.7 ± 1.2 / 152.7 ± 1.2	(0.65 ± 0.55)%
<mark>A4</mark>	Johnson's S _U	3/2 power threshold	1.01 / 1.08	24.00 ± 0.58 / 23.62 ± 0.56	(0.7 ± 1.7)%
A5	Johnson's S _U	Gaussian + 3/2 power threshold	0.986 / 1.02	115.5 ± 1.7 / 109.8 ± 2.0	(2.5 ± 1.2)%
A6	Johnson's S _U	3/2 power threshold	1.20 / 1.09	10.97 ± 0.53 / 11.41 ± 0.47	(-2.0 ± 3.2)%
Global fit	Johnson's S _U	Gaussian + 3/2 power threshold	1.06 / 1.30	386.0 ± 5.0 / 374.0 ± 6.6	(1.6 ± 1.1)%
					r

All of these values are consistent with 0 (i.e., no asymmetry), BUT the fact that out of seven bins only one calculated asymmetry has a negative central value points to some systematic asymmetries affecting our measurements.

Sources of asymmetry

- $\mathcal{A}_{tot} = \mathcal{A}_{CP} + \mathcal{A}_{other} \Rightarrow \mathcal{A}_{CP} = \mathcal{A}_{tot} \mathcal{A}_{\pi s} \mathcal{A}_{FB}$
- \mathcal{A}_{tot} is what we find from the ΔM fits, but what we actually want is \mathcal{A}_{CP}
- $\mathcal{A}_{\pi s}^{a}$ is the slow pion reconstruction asymmetry; \mathcal{A}_{FB} is the forward-backward production asymmetry
- We can find $\mathcal{A}_{\pi s}$ by looking at a Cabibbo-favored (CF) mode. Assuming it is the same across all Dalitz plot bins (see backup slides for why we can assume this), we can subtract it from \mathcal{A}_{tot} .
- \mathcal{A}_{FB} is generally found by adding bins of opposite $\cos\theta$ in the center-of-mass (CM) frame.
- This is separate from accounting for sources of systematic error, which we also have to do.

Summary

- This is just one type of physics analysis you can do with *Belle II* data and software there are many more!
- Even something that seems like a straightforward question can become quite complex, especially in systematic error analysis
- Plots shown here are a couple months out of date I've continued to work on this analysis and plan to graduate, with this as my PhD thesis, next year

Backup

Slow pion p_T plots



Two distinct shapes are coming from the different signal-to-background ratios in some bins, not from different behavior within the signal.

Slow pion p_{T} plots, signal only



Slow pion p_T plots, background only



Slow pion $cos(\theta)$ plots



Slow pion p_{τ} vs. cos(θ) plots

