

# A short, practical guide to particle detection

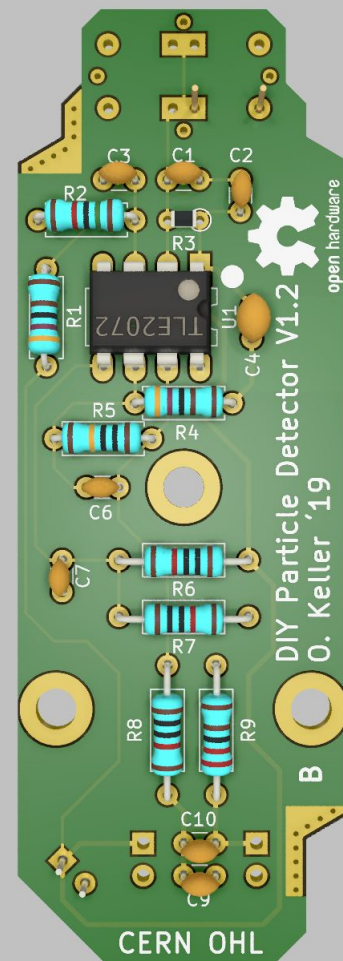
Belle 2 academy | 2022 Bonn

Peter Lewis

## DIY particle detector

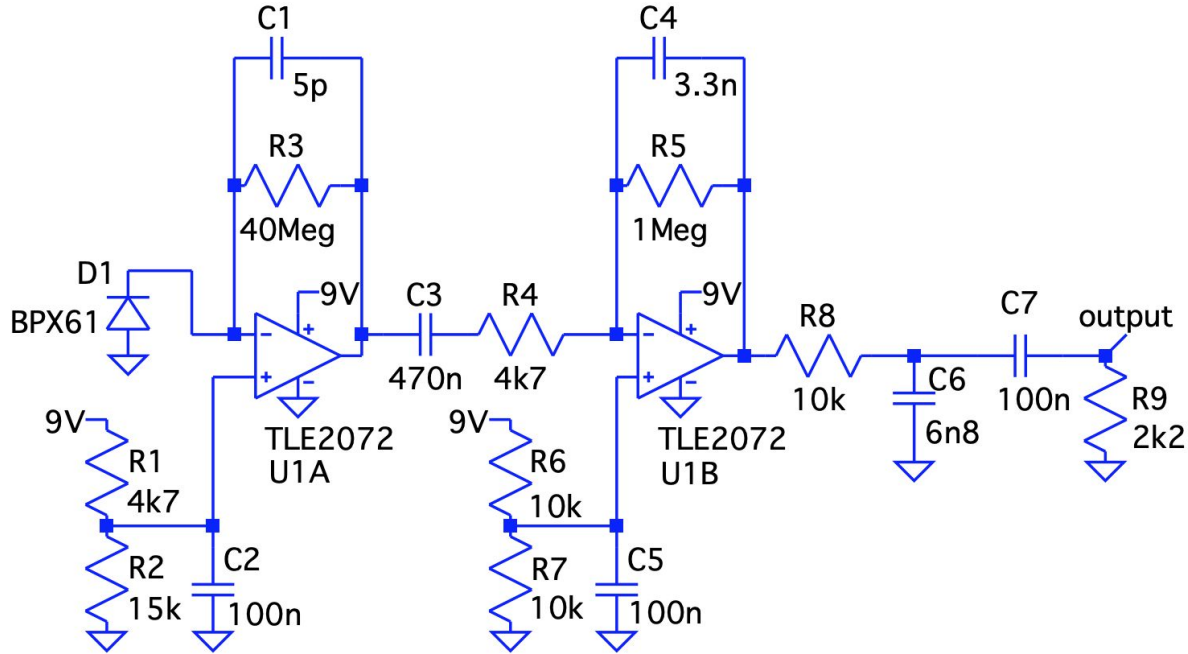
### Electron detector

- Build a [DIY electron detector](#)
- We have all the parts [PIN diodes, amplification, boxes]
- You just need to assemble and test
  - (source: Uranium glass)
- You will learn some theoretical fundamentals:
  - Detector physics
  - Analog electronics
- You will gain some practical skills:
  - Soldering
  - Assembly
  - Testing
- Plus, you can take it home with you!



# DIY particle detector

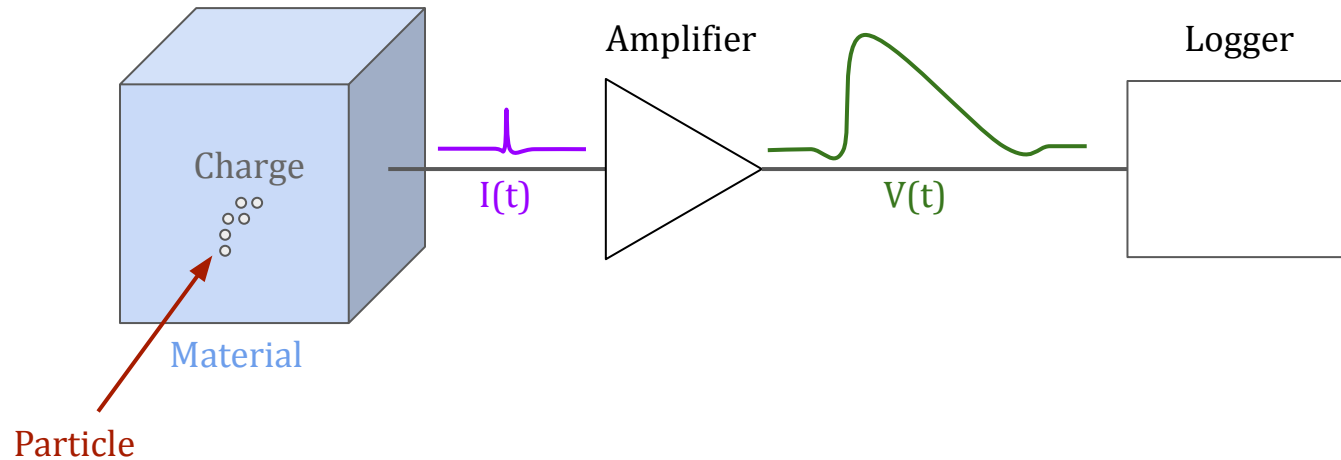
# Can you “read” this like a book?



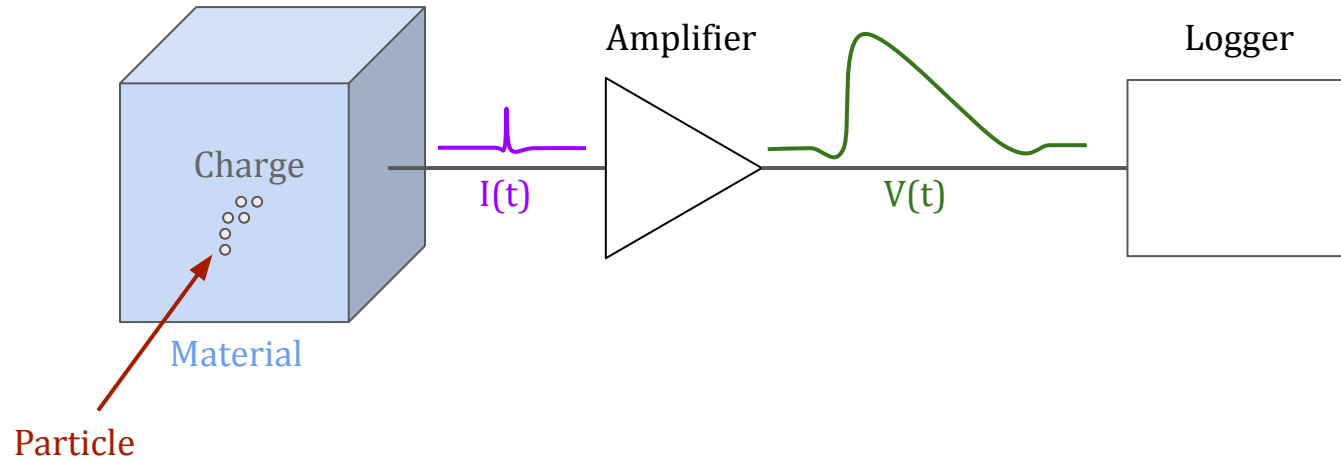
## Don't worry, you will!



## Basic detection principles

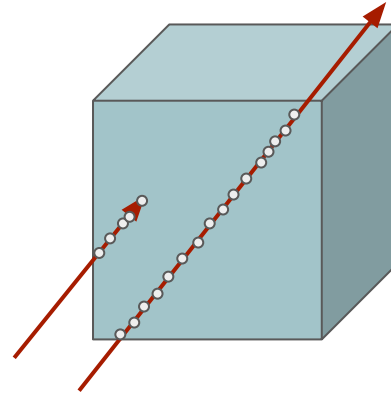
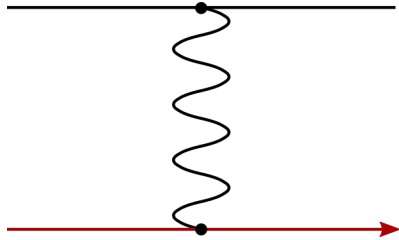


## Basic detection principles



To interpret the result, we need to know **how particles interact with matter**. So that's where we start.

## Let's start with **charged particles**



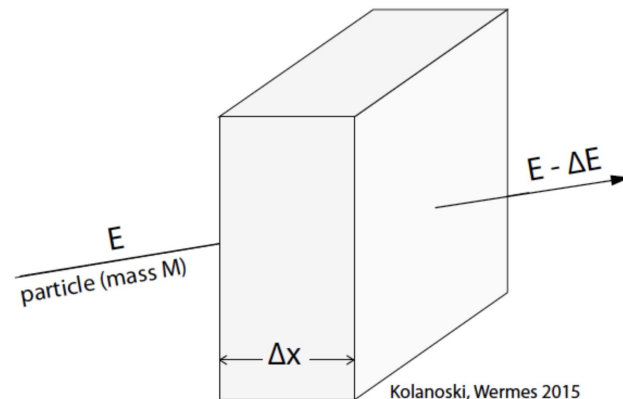
There are a **large number** of *primary* electromagnetic interactions. Each interaction causes **small energy loss** or **small deflection**.

Particle can **transit** or **stop** in material.

## $dE/dx$

### Definition

- A charged particle traverses material of thickness  $\Delta x$
- Upon exiting, the energy of the particle has decreased by  $\Delta E$
- The basis of  $\sim$ all particle detectors: **collect  $\Delta E$  from the material**





## $dE/dx$

### Definition

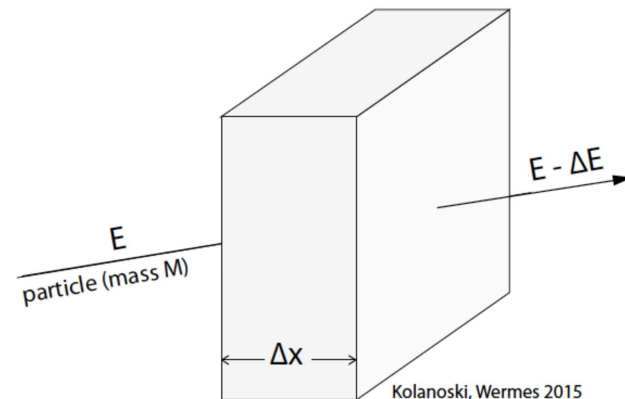
- The deposited energy  $\Delta E$  probably depends on:
  - $\Delta x$
  - Material density  $\rho$
  - Particle mass  $M$  and charge  $ze$
  - Particle kinetic energy  $T$  and velocity  $\beta$
- The key to detector design is understanding  $dE/dx$

$$\left[ \left\langle \frac{dE}{dx} \right\rangle \right] = \frac{\text{MeV}}{\text{cm}} \quad \text{Linear stopping power}$$

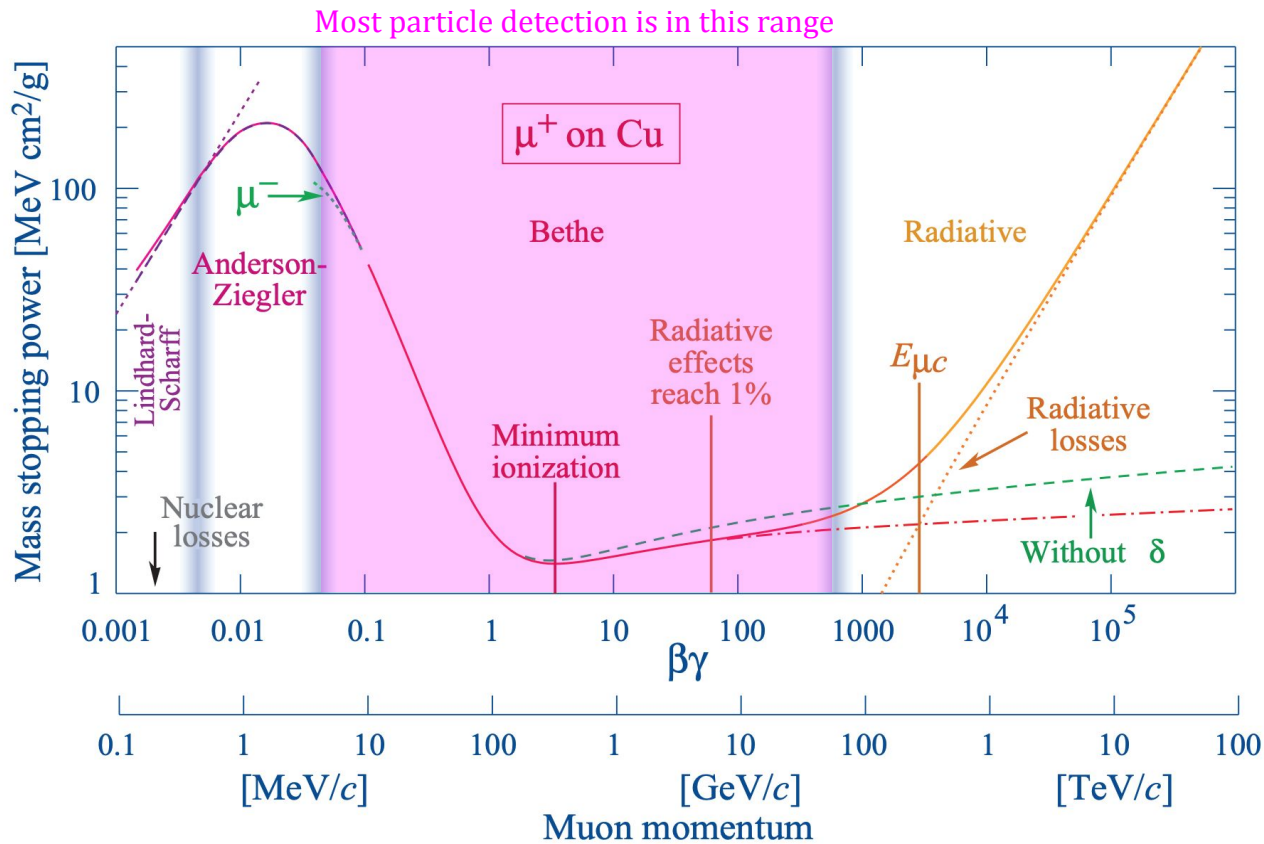
or

$$\left[ \left\langle \frac{dE}{d\tilde{x}} \right\rangle \right] = \frac{\text{MeV}}{\text{gcm}^{-2}} \quad \text{Mass stopping power}$$

$\tilde{x} = \rho x$



# Energy loss via *ionization*

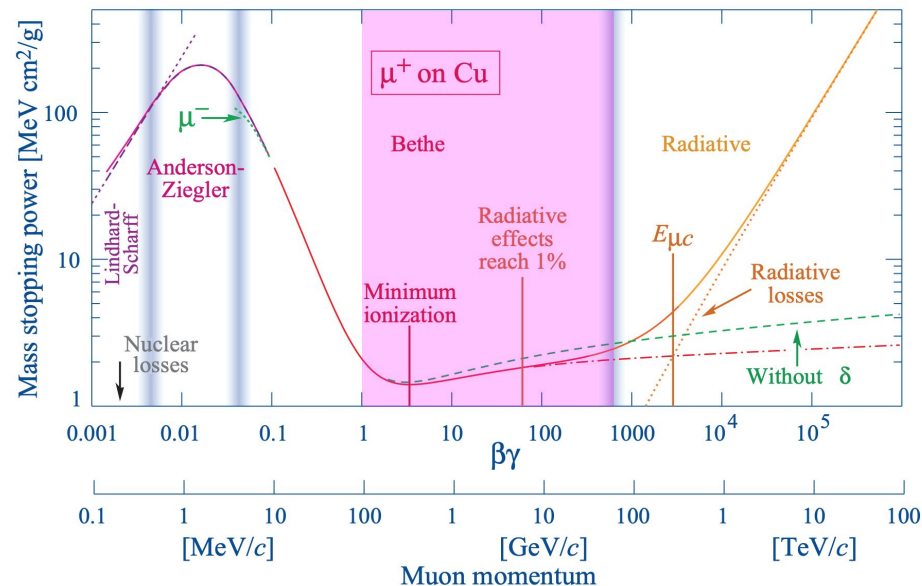


## Minimum ionizing particles

“MIPs”

- For a broad range of momenta, energy deposited **does ~not depend on momentum**
- **Minimum** at  $\beta\gamma \sim 3$ 
  - $\sim 250$  MeV for muons
  - $\sim 1$  keV for electrons (!)

→ In most nuclear/particle physics, electrons are **not** MIPs but everything else **is**



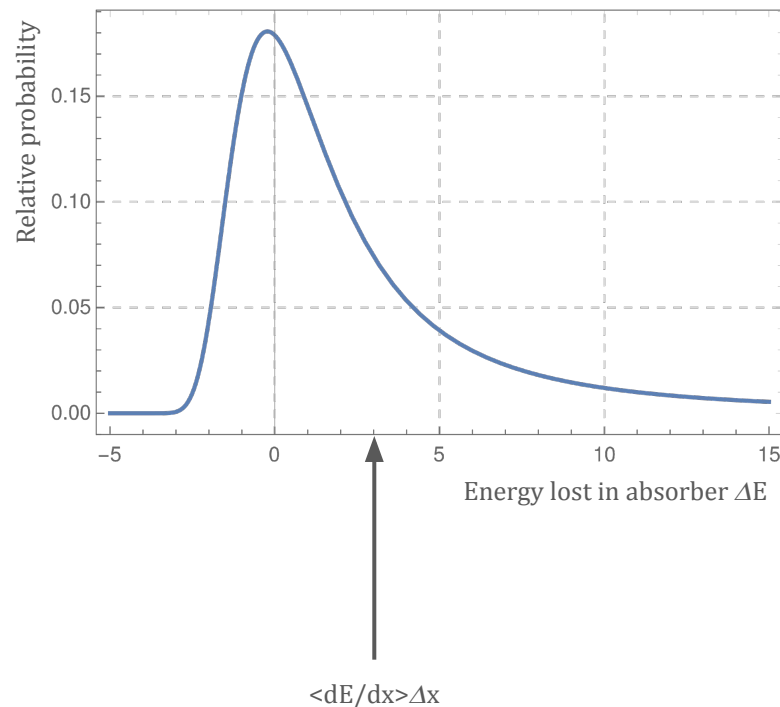
## Fluctuations in $\Delta E/\Delta x$

### Energy lost in a fixed-width absorber

- So far, we have been looking at the *mean*  $dE/dx$ , but (from PDG):

Few concepts in high-energy physics are as misused as  $\langle dE/dx \rangle$ . The main problem is that the mean is weighted by very rare events with **large single-collision energy deposits**. Even with samples of hundreds of events a dependable value for the mean energy loss cannot be obtained. Far better and more easily measured is

- This is a statistical effect due to the **rare**, (relatively) **high-dE** nature of *secondary scatterings* (  $\rightarrow$  delta rays)



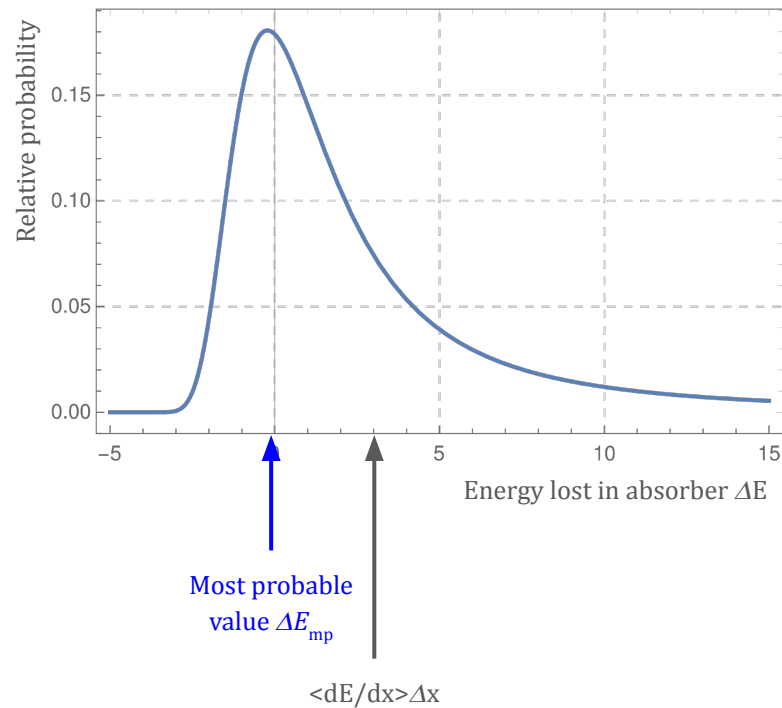
## Fluctuations in $\Delta E/\Delta x$

### Landau statistics

- ...continuing the PDG quote: “...Far better and more easily measured is the **most probable energy loss**...” ( $\Delta E_{mp}$ )
- The PDF characterizing the energy lost in an absorber  $\Delta E$  is the “Landau distribution”:

$$P(\lambda) = \frac{1}{\sqrt{2\pi}} \exp \left[ -\frac{1}{2} (\lambda + e^{-\lambda}) \right]$$

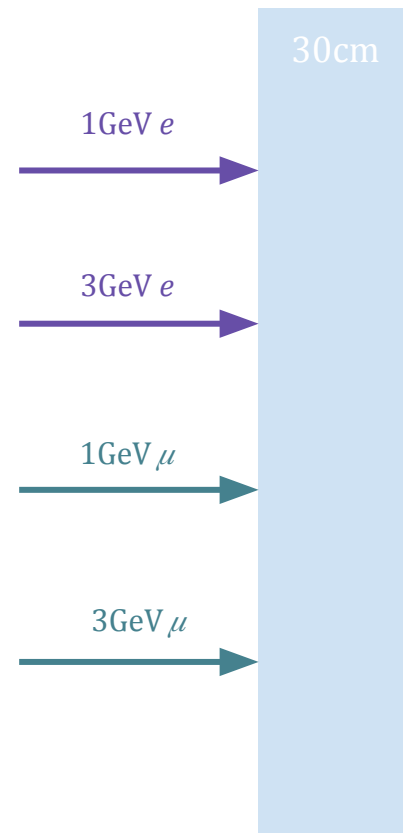
$$\lambda \equiv \frac{\Delta E - \Delta E_{mp}}{\xi} \quad \leftarrow \text{Material constant}$$



## Quick quiz

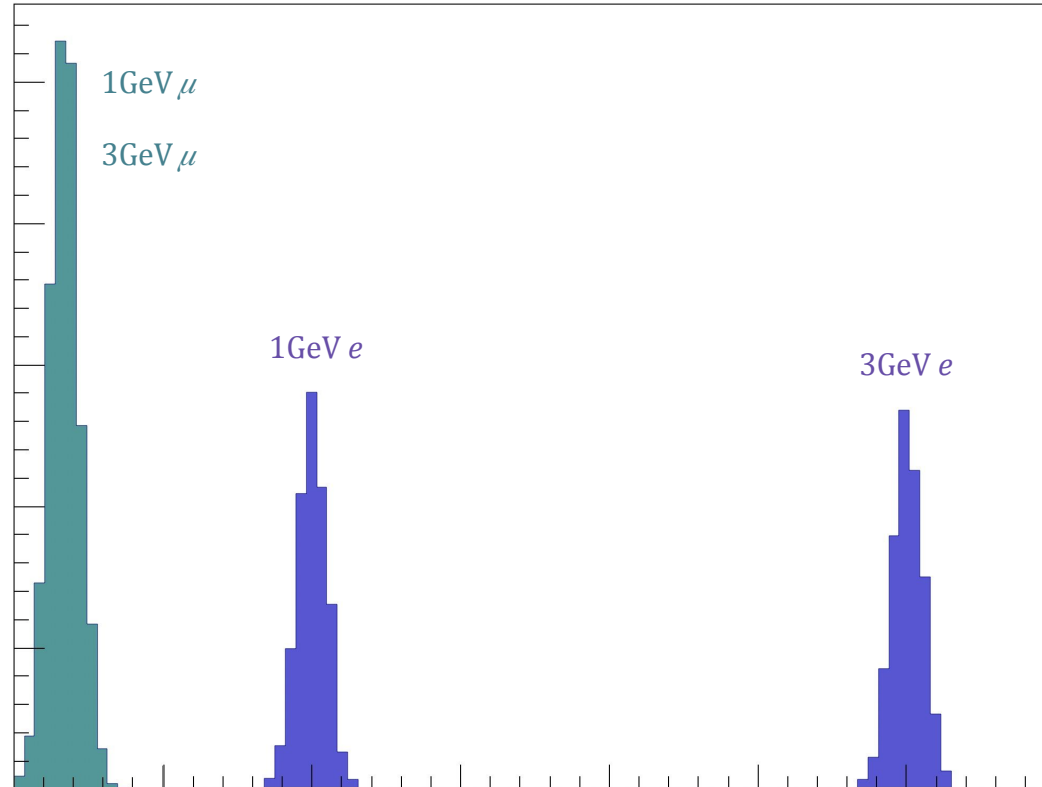
### $dE/dx$ summary

- Consider the Belle II electromagnetic calorimeter
  - Consists of **30cm**-thick CsI crystals (**effective  $Z=54$** )
- Imagine our physics consists of a **50/50 blend of electrons and muons**, and a **50/50 blend of 1GeV and 3GeV particles**
- Considering  $dE/dx$  losses, draw a *qualitative histogram of energy deposited in the crystals*



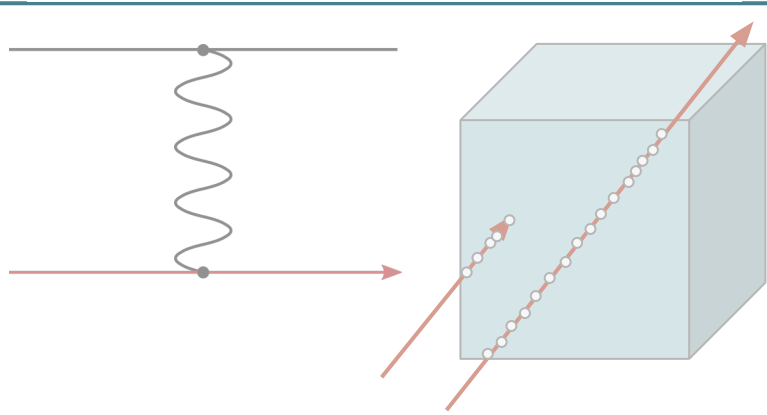
## Quick quiz

$dE/dx$  summary



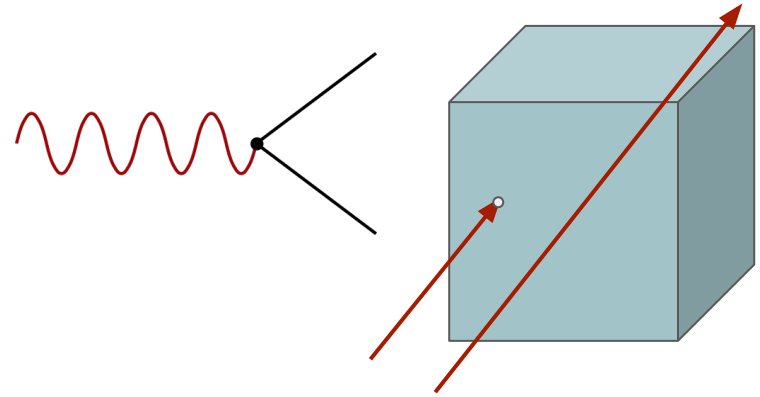
# Interactions with matter: photons

## charged particles



There are a **large number** of *primary* electromagnetic interactions. Each interaction causes **small energy loss** or **small deflection**. Particle can **transit** or **stop** in material.

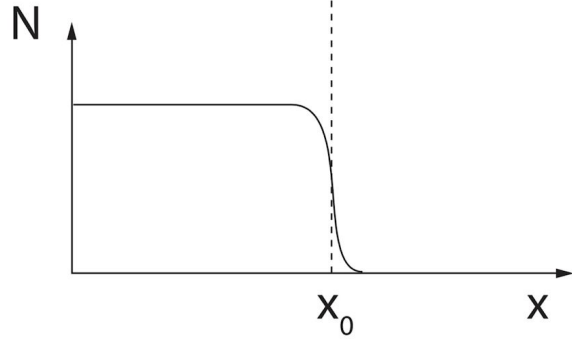
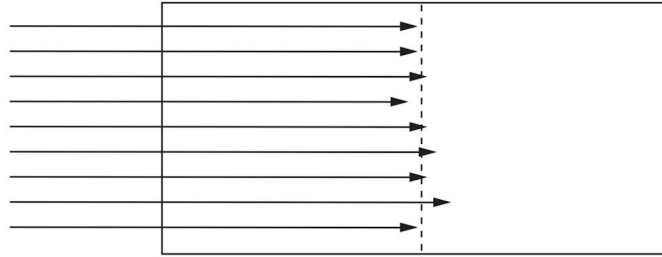
## photons



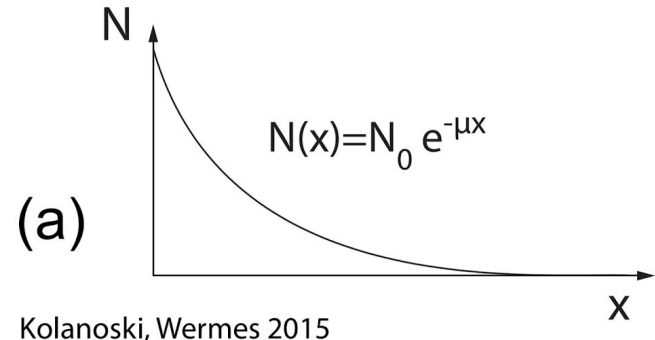
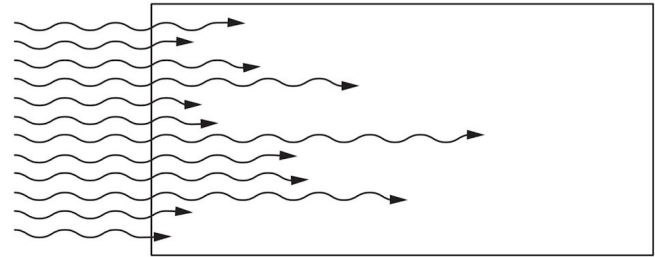
There is a **probability** of a single *primary* electromagnetic interaction. The interaction causes complete **absorption**. Photon either is absorbed or isn't.\*



charged particles



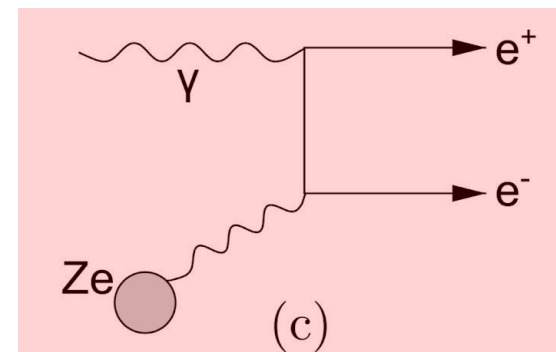
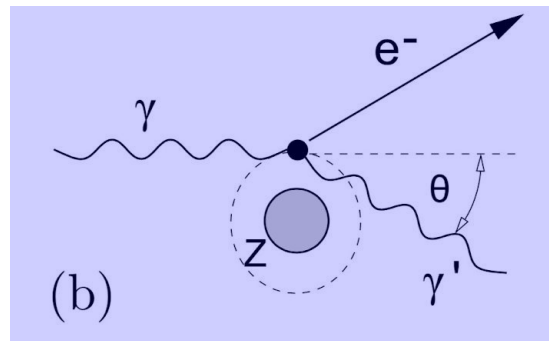
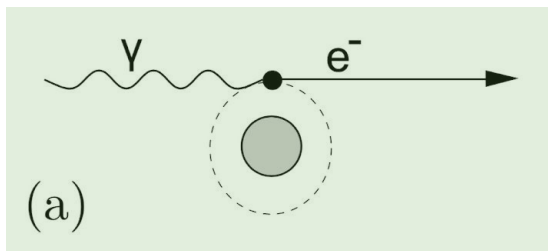
photons



## Photons

### Overview

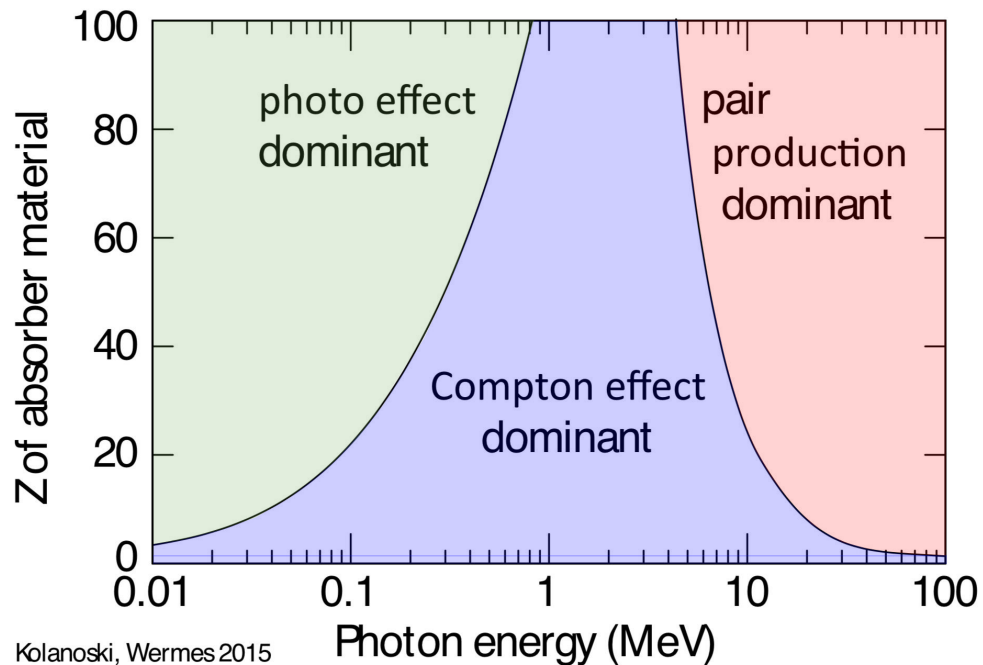
- Three primary process:
  - (a) photoelectric effect
  - (b) Compton scattering
  - (c) pair production



Kolanoski, Wermes 2015

## Photons

### Absorption



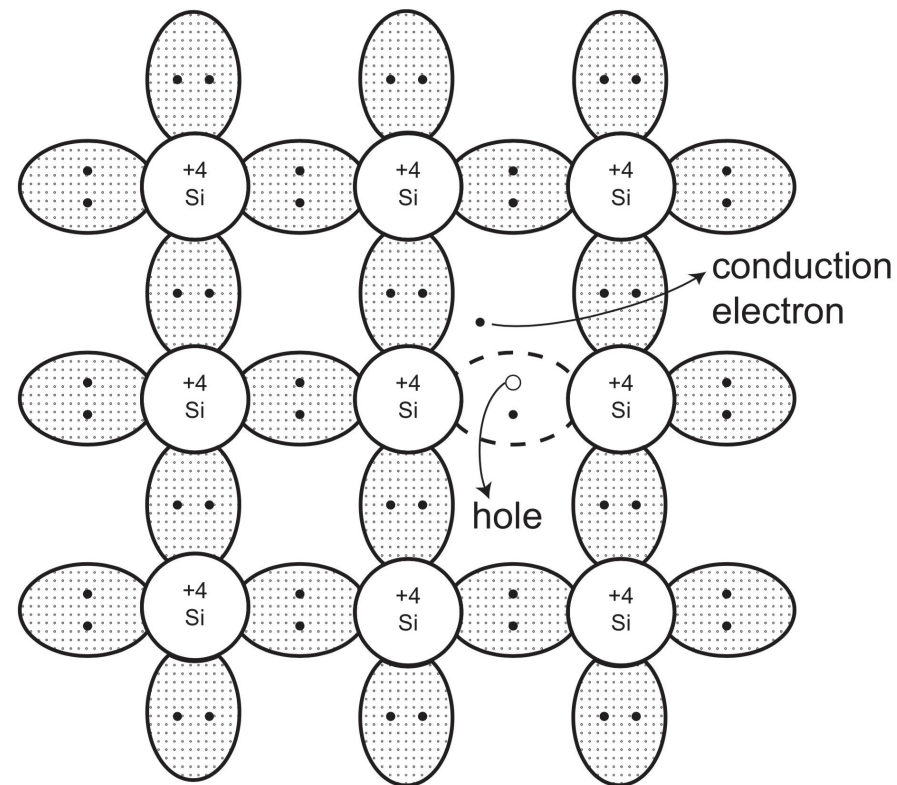
## PIN diodes

This is what we're using this week. Let's see how they work...

## Intrinsic semiconductors

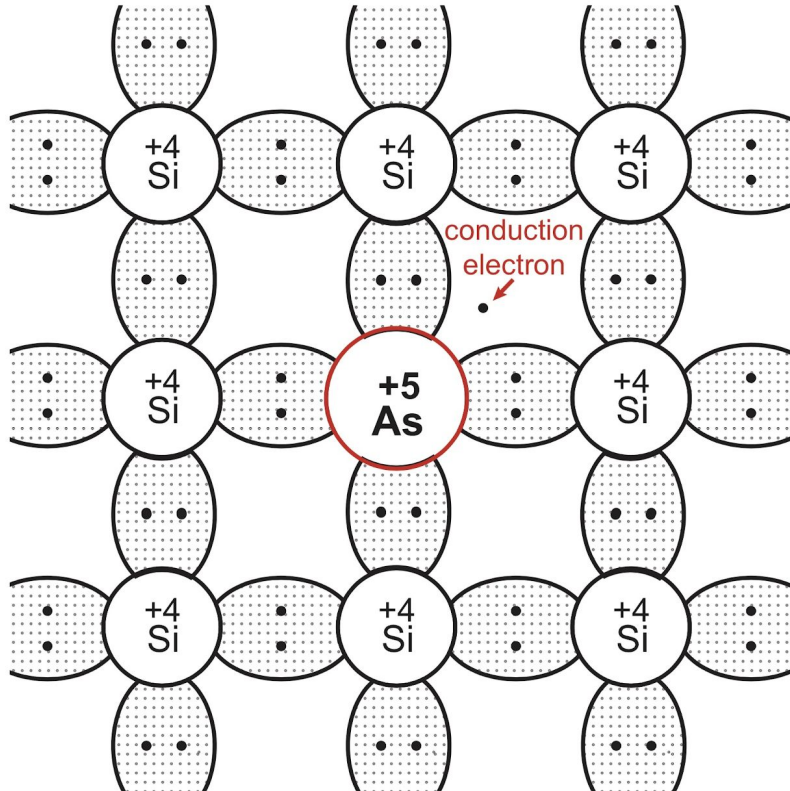
### Review

- *Intrinsic* semiconductors are **undoped**
- Conduction arises from movement of **electrons** and **holes**
- Electrons can be moved from the **valence band** to the **conduction band** by acquiring at least the energy of the **band gap**
- In semiconductors, electrons can be kicked up to the conduction band from **thermal energy**

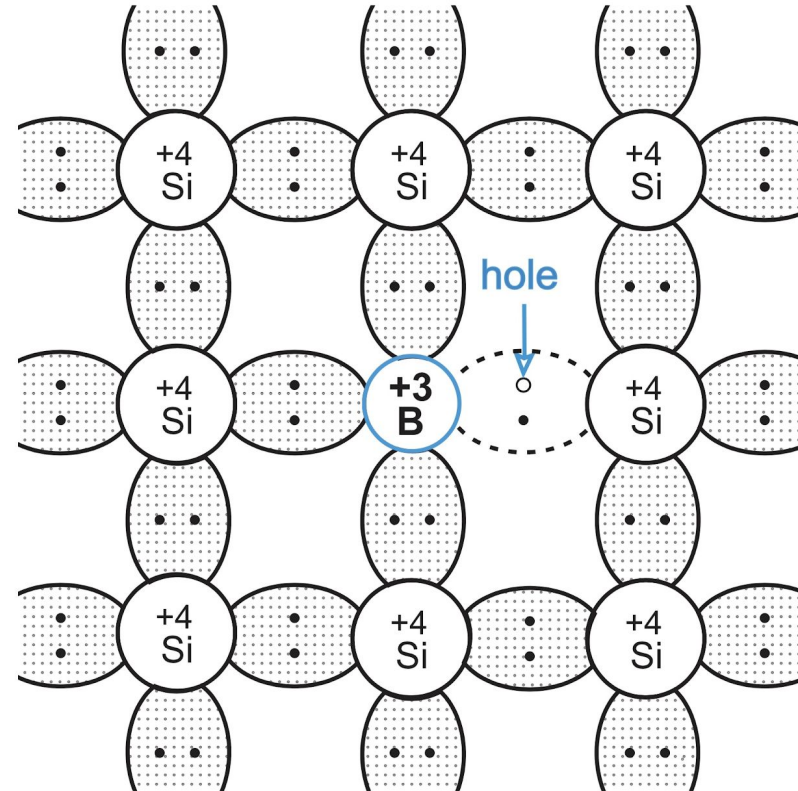


# Semiconductor detectors: basics

**Doping** semiconductors can make them eager electron *donors* or *acceptors*



(a) n doped

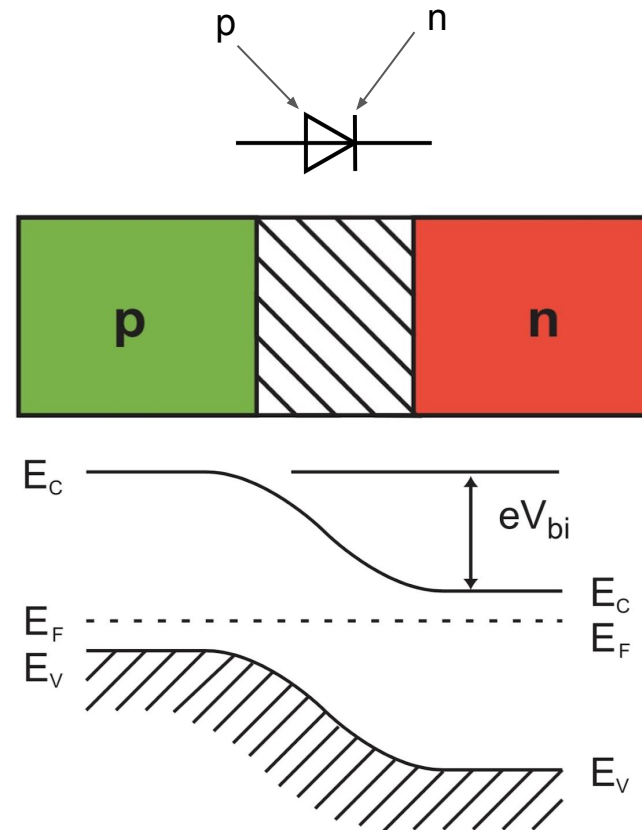


(b) p doped

## Junctions

### PN junctions: **unbiased**

- A basic electronic component is a **PN diode** made from a single PN junction
- As drawn, this **doesn't conduct** because the *depletion region* is an insulator
  - (recombination region of electrons/holes)
- The *intrinsic* potential over the depletion zone is called the “built-in voltage”  $V_{bi}$
- The **band diagram** now shows bent energy levels at the junction

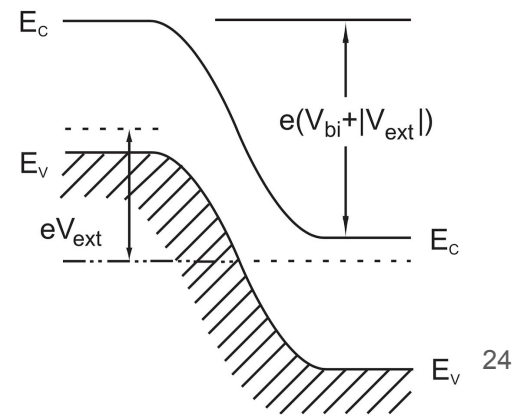
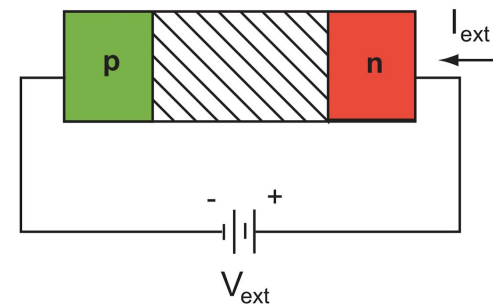
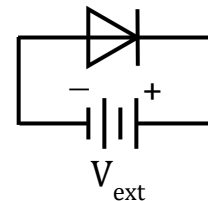


## Junctions

### PN junctions: **reverse biased**

- Now apply an external *reverse bias*  $V_{ext}$
- The applied field **adds** to the built-in field
- This **increases the slope** in the depletion layer, thus **expanding** it
- This is the typical case for **particle detectors**

*Note: **conductance** is far higher in forward biased case compared to reverse biased case. A diode can be *roughly* thought of as a “**one-directional conductor**” where the “arrow” in the circuit diagram shows the *direction of preferred current flow**

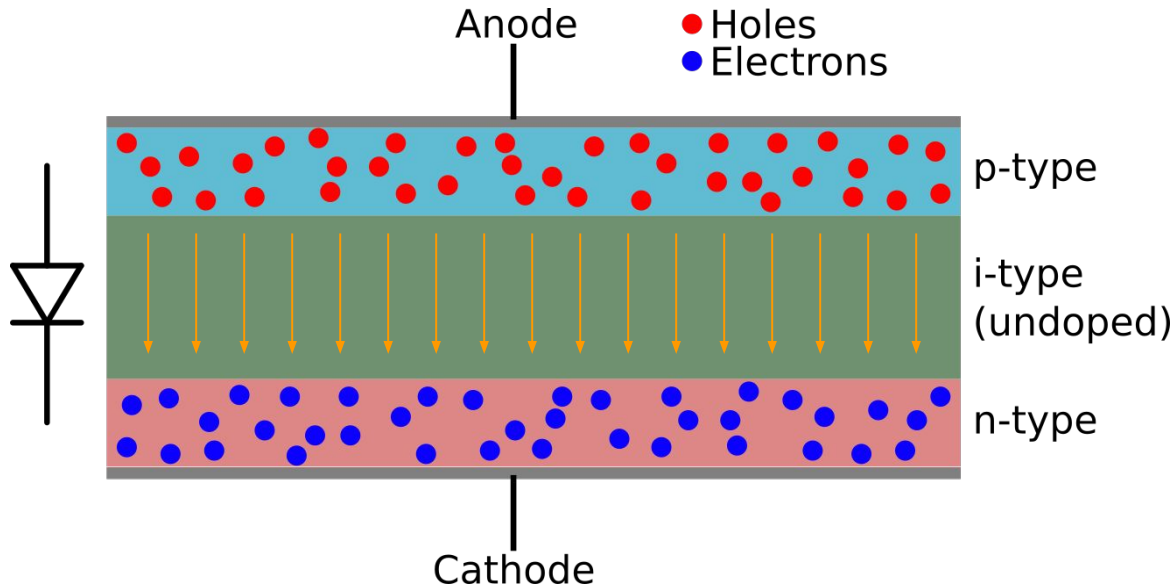




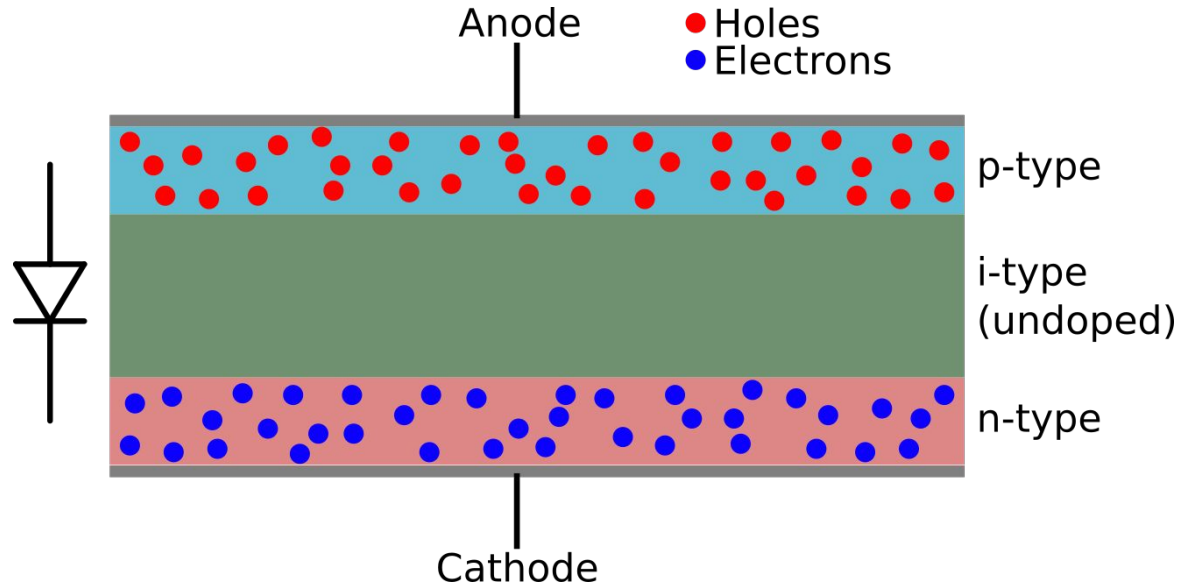
## PIN diodes

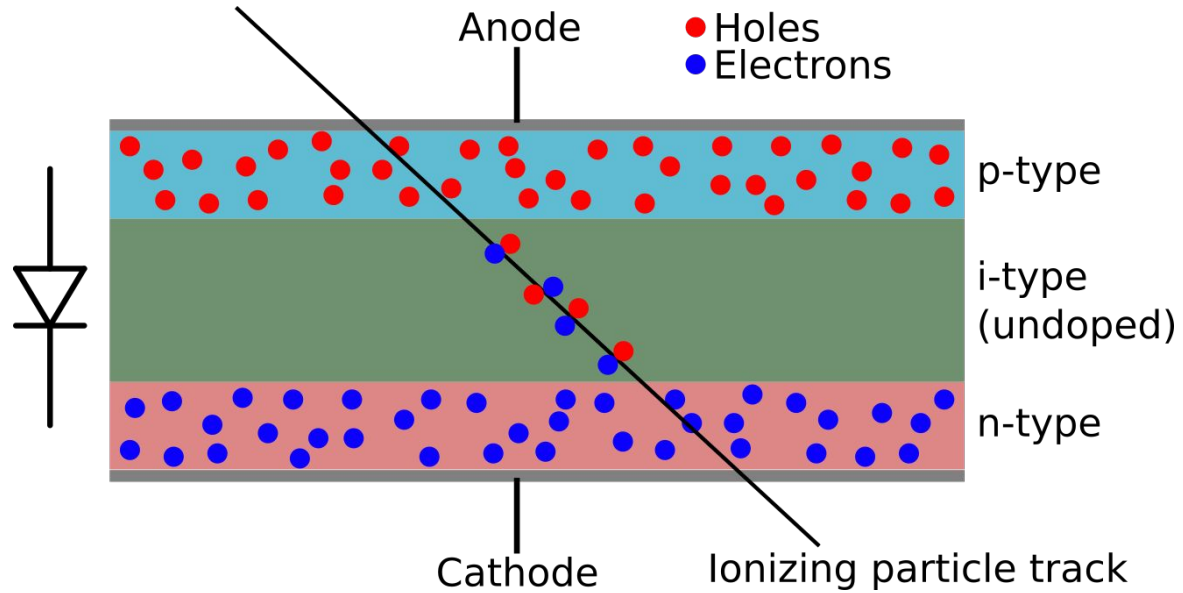
Insert a large **intrinsic** (*undoped*) layer

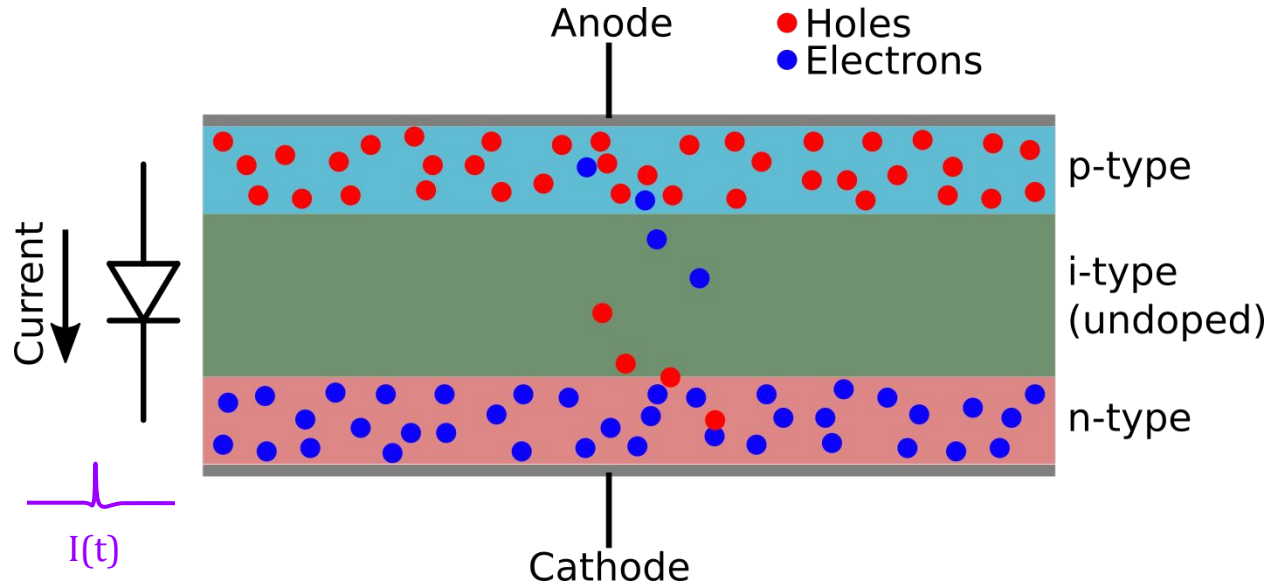
- Much larger depletion layer than in PN diode (roughly the whole *i* layer)
- The *built-in field* sweeps charge out of depletion region



This is instantly useful as a particle detector...







## PIN diodes

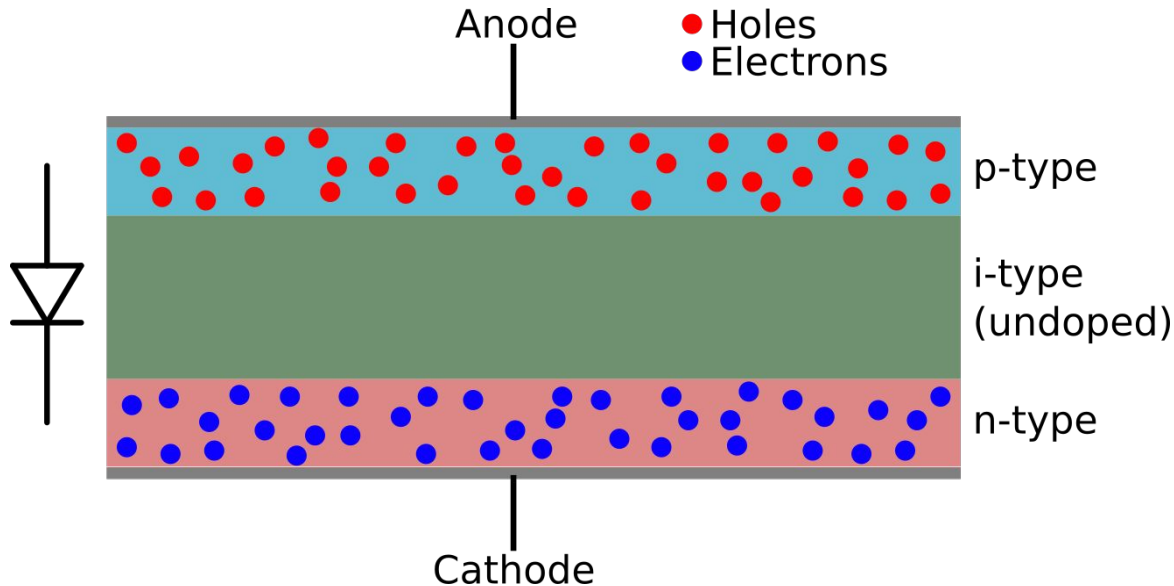
### Some nice features

- Entirely passive
- Super cheap (<1 euro)

### However...

- Charge collected is *very small*
- Electron/hole pairs also arise from other sources (thermal noise/dark current...), obscuring signal

We can improve this...

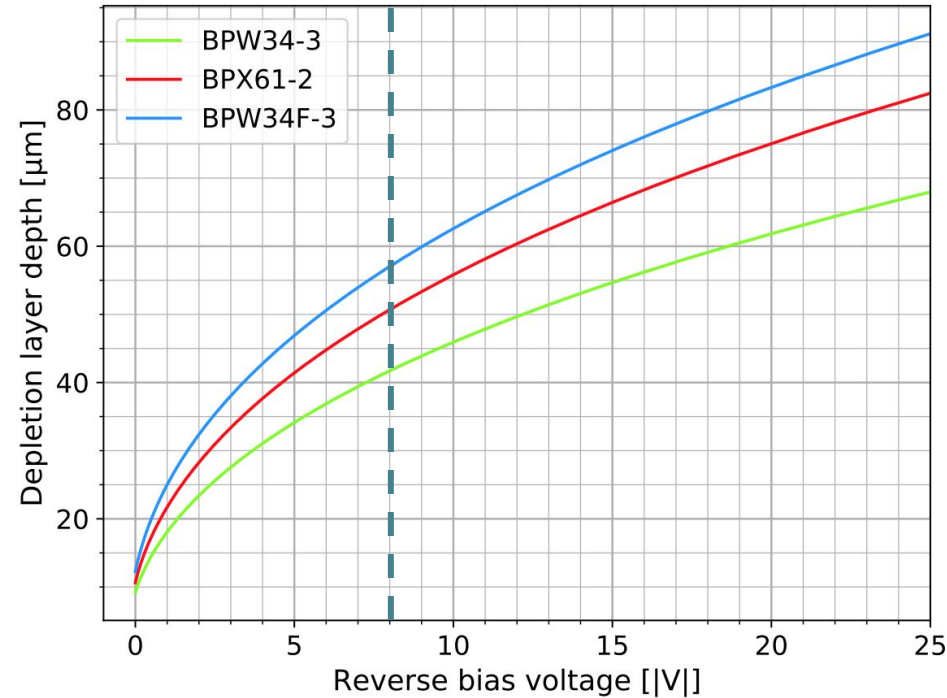


## Reverse biasing

### Effects in PIN diode

- Increases depletion layer depth → **more charge** collected
- Decreases capacitance → decreased noise → **improved signal:noise ratio**

Our detectors will use 8V reverse biasing for this reason



# Quick questions

## DIY detector

- Why is our simple detector specifically an **electron** detector?
- What modifications would we need for
  - MIPs?
  - Alphas?
  - Photons?

## Some electronics basics

*Heuristic* definitions: **everything is a resistor**

 A **resistor** is something that resists **current flow**

 A **capacitor** is a resistor that **resists *steady* current flow**

 An inductor is a resistor that resists ***transient* current flow**

 A **diode** is a resistor that strongly **resists current flow in only one direction**


Every electrical engineer in the world just dropped dead from horror. Let's use a *tiny* bit more rigor...

*Related question:* when a resistor resists current flow, what happens to the energy? What about a capacitor?



# Impedance

### Generalization of the concept of **resistance** for dynamic currents


 $Z_R = R$

$$\text{---} \parallel \text{---} \quad Z_C = \frac{1}{IfC}$$



$$Z_L = IfL$$

*Note: if you take apart a lot of analog electronics, you'll see lots of resistors and capacitors, but few inductors.*

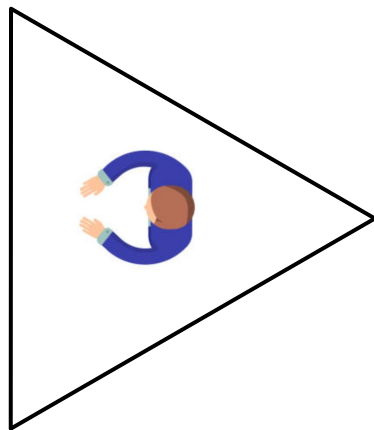
## Why?

Impedance is **complex-valued** to keep track of phases and stuff, but you can still write Ohm's law:

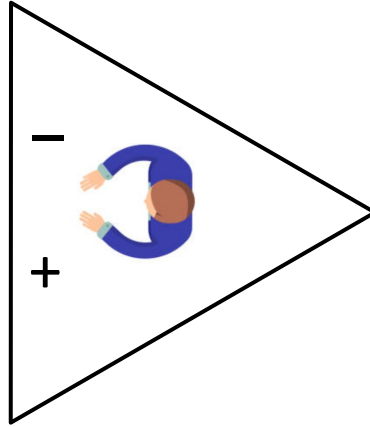
$$V = ZI$$

## A bedtime story

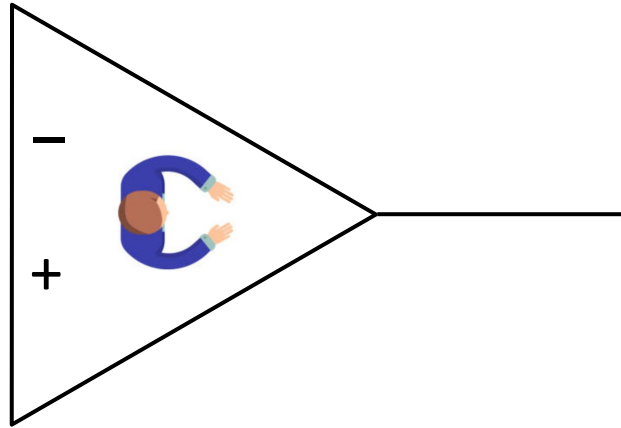
Inside a little triangle lives a tiny little man named Mr. OpAmp...



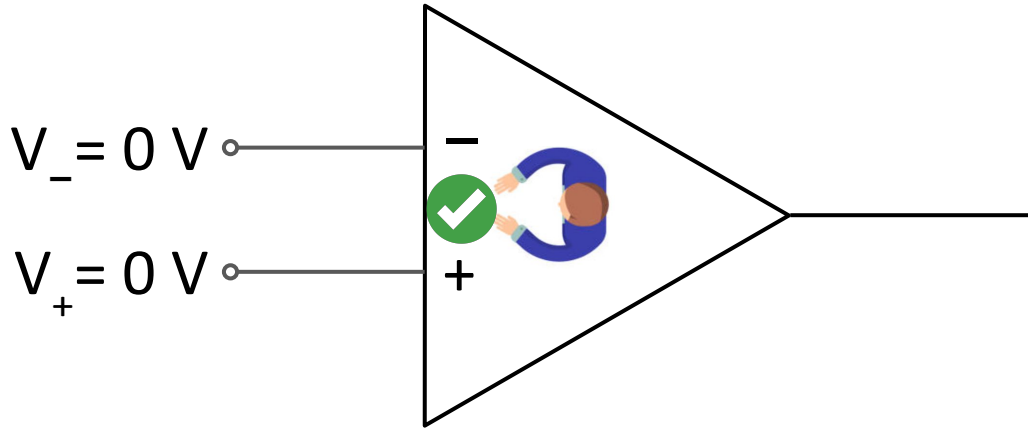
He is constantly monitoring two inputs, which we can label + (“*noninverting*”) and – (“*inverting*”)...



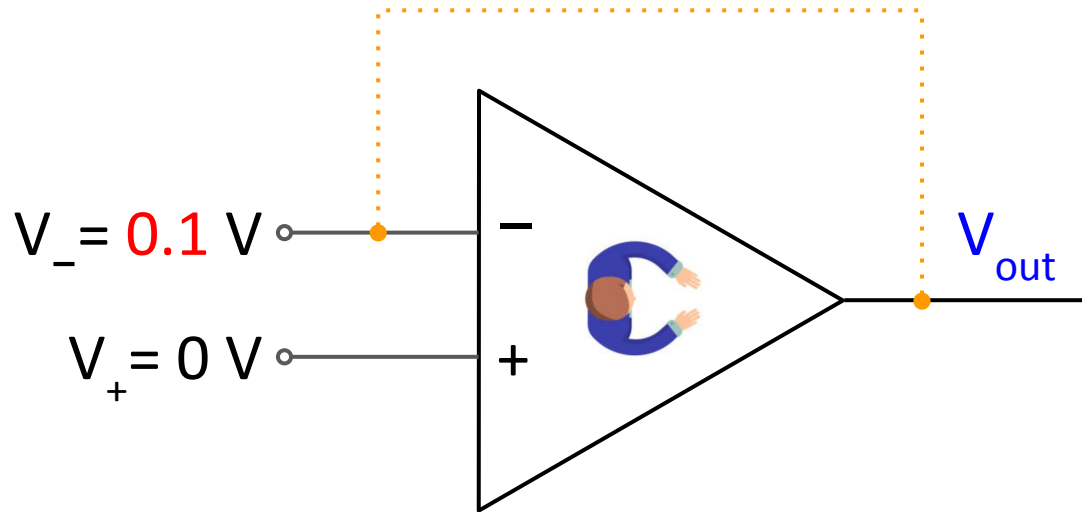
He can control a **single output** however he wants...



His job is to make sure that the **voltage difference** between the two inputs is always **zero...**

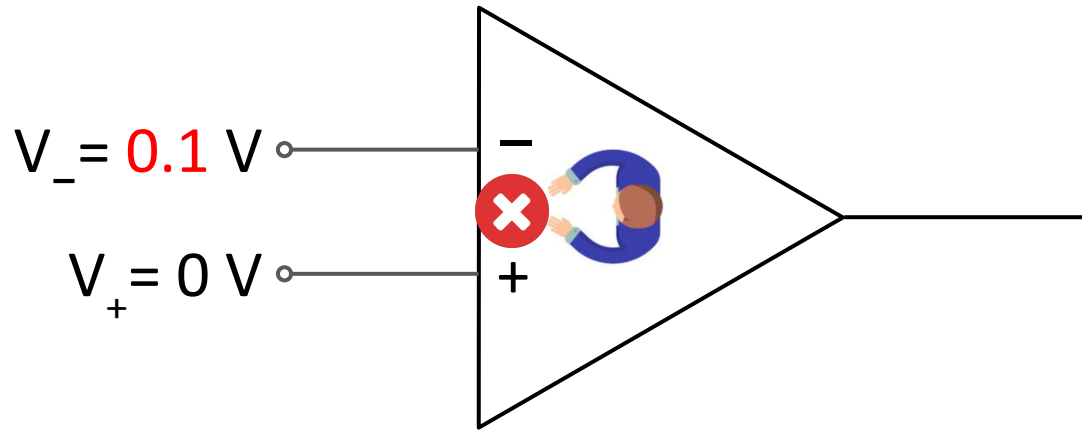


...and he *believes* that there is a **connection** from the output to the (–) terminal (*feedback*)...



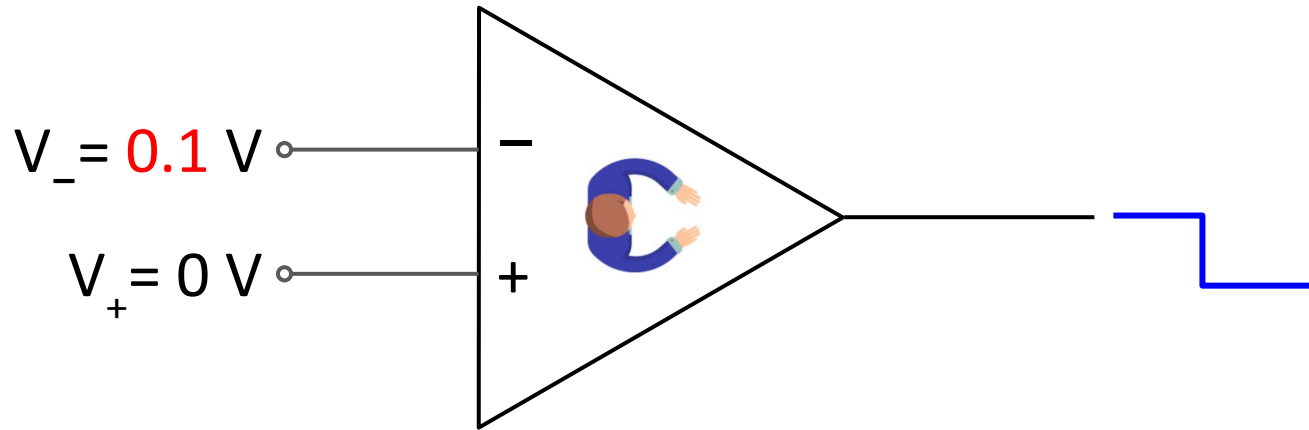
...so if he sees a voltage difference, he tries to fix it by controlling the voltage of the **output**, which he adjusts dynamically while monitoring the inputs continuously.

Let's mess with him a little bit: we'll send **+0.1V** to the  $(-)$  input.



Oh no! He must fix this...

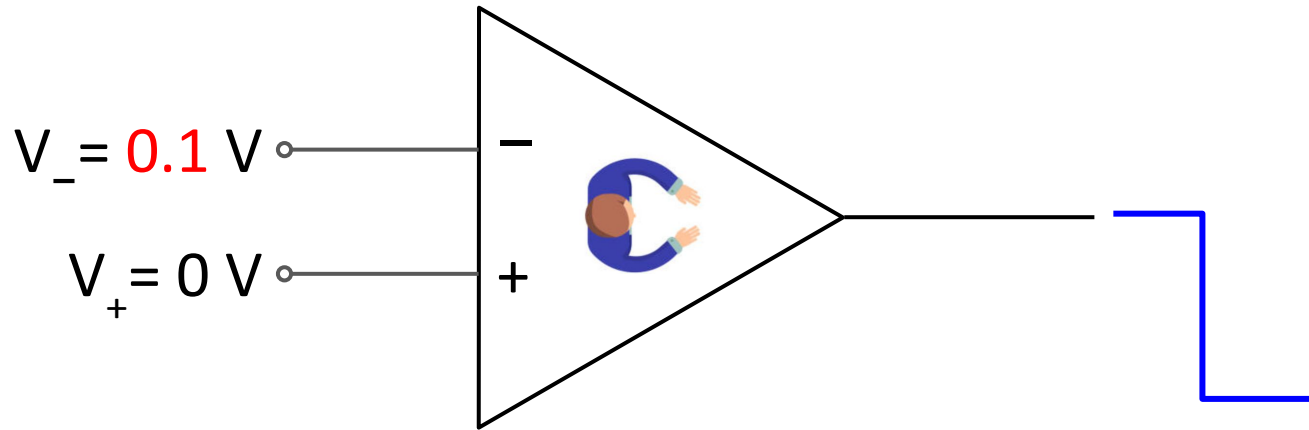
Since he *thinks* there is **feedback**, he will send out some **negative voltage** to try to equalize the inputs...



...but as he does, he notices that the (-) input is still too high, so he has to send out more...

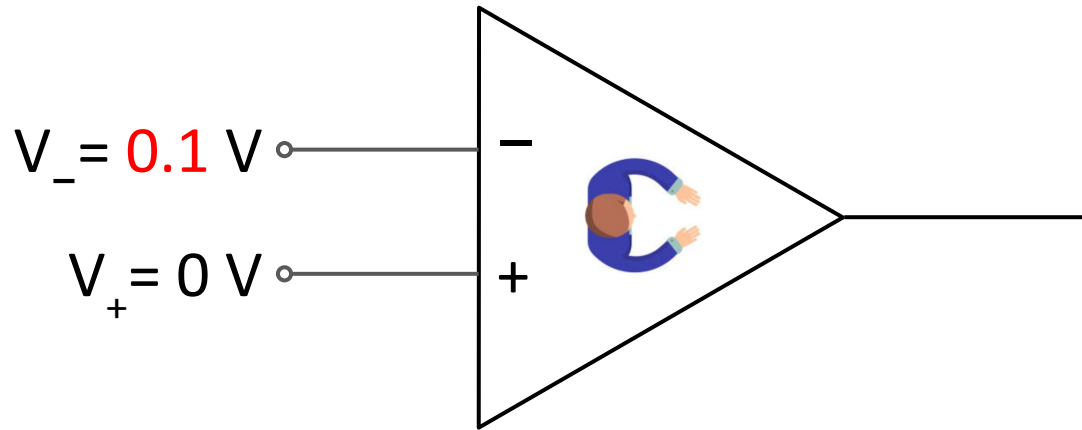


...but since there *isn't* really a connection, he keeps on sending more and more voltage to try to correct the problem, until he sends **all the voltage he has...**

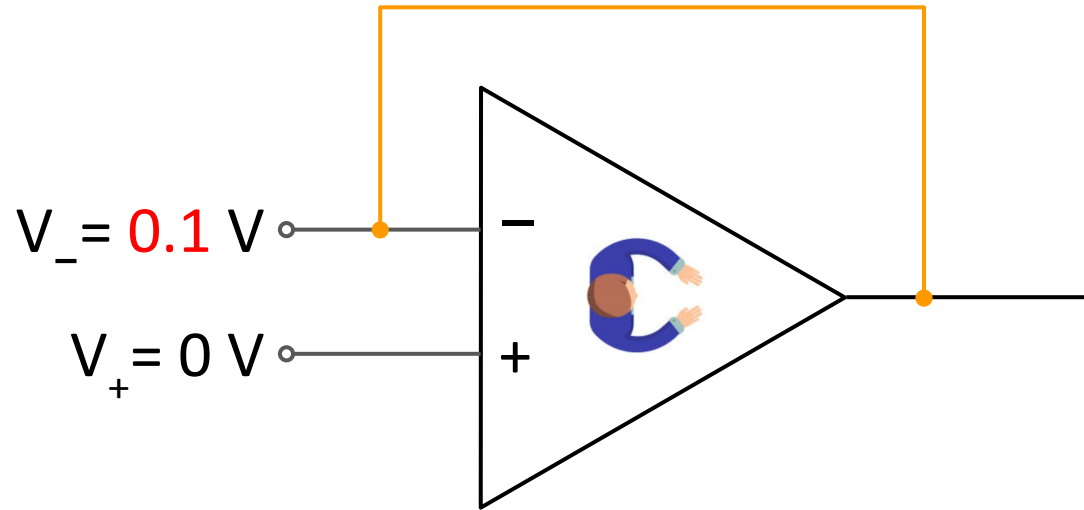


*Question:* what is the function of this device? What would you call it? What is not so great about it?

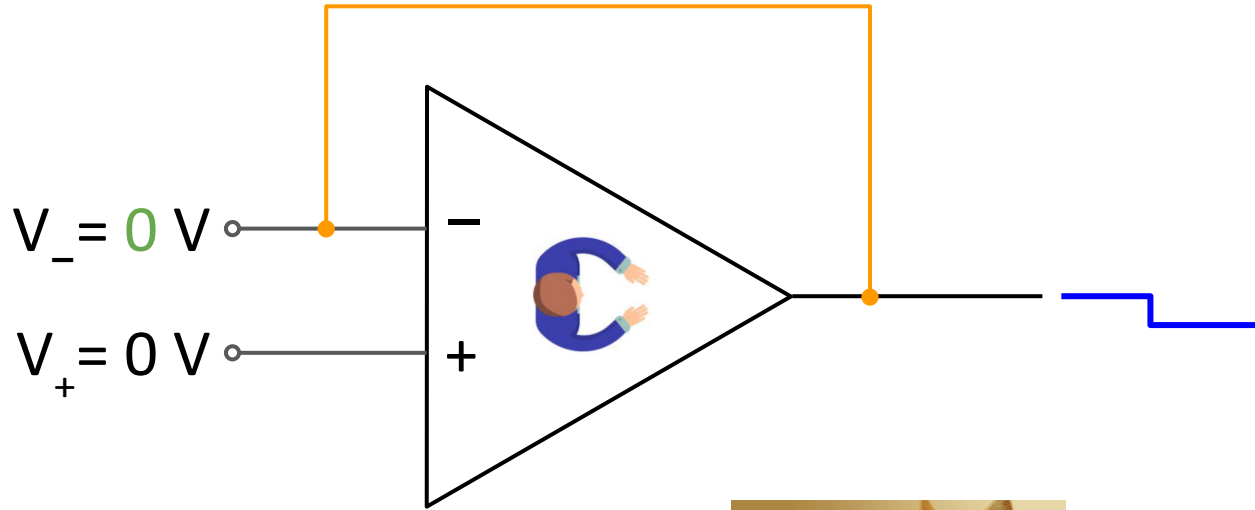
This is an *inverting amplifier*, but it amplifies **any voltage difference** into **maximum output**—it preserves no information about the *difference*. (It's a *comparator*.)



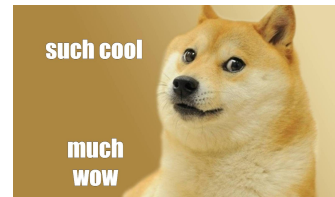
OK, but what if he's right? What if there **is** a connection to  $-$  (*negative feedback*)?



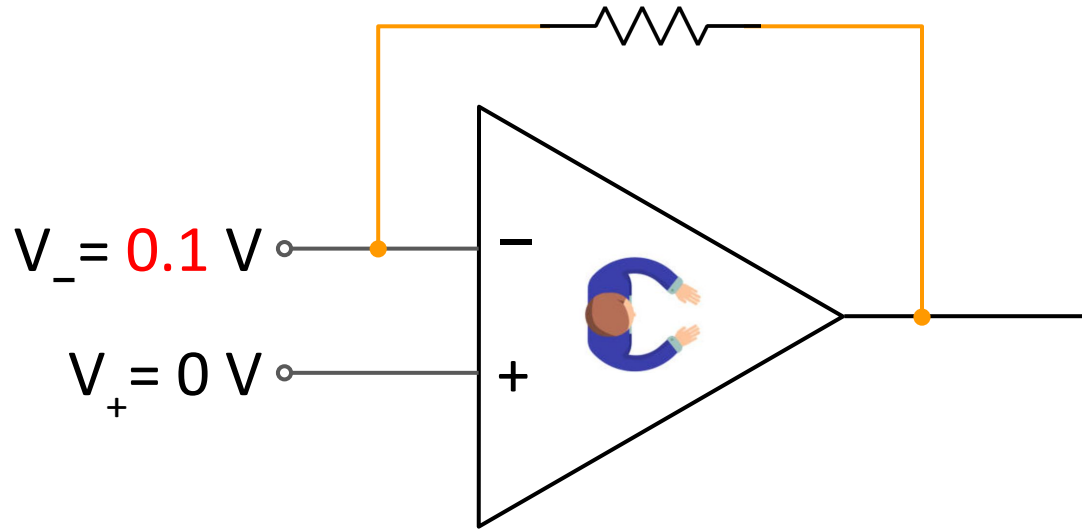
Well, now he can instantly fix the problem by sending out  $-0.1\text{V}$ .



So this is a device that turns  $0.1\text{V}$  to  $-0.1\text{V}$ ...

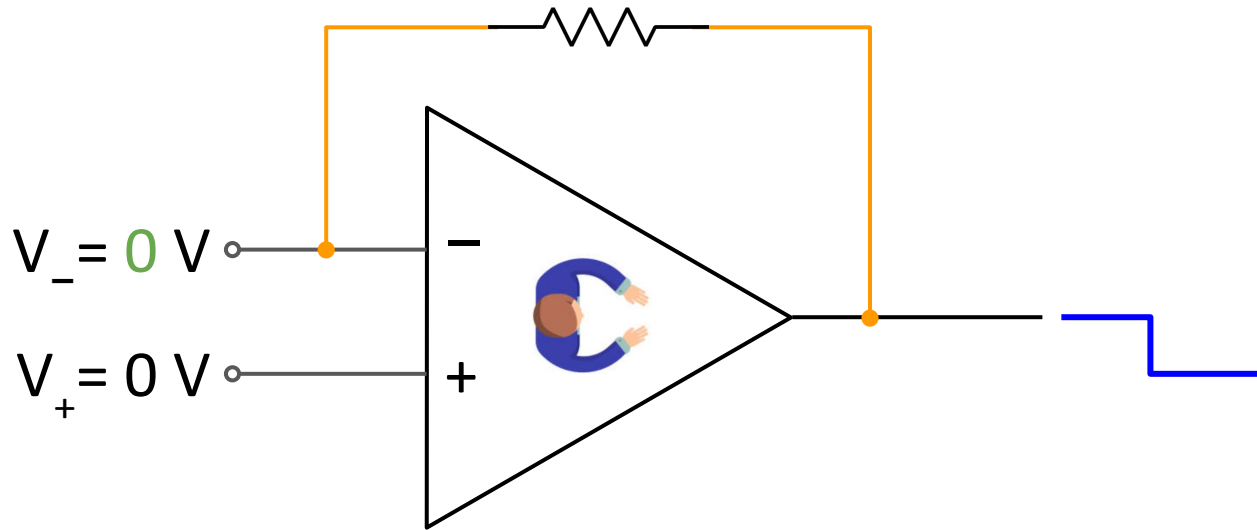


OK, but let's exploit his assumption, by adding a **resistor** to the feedback...



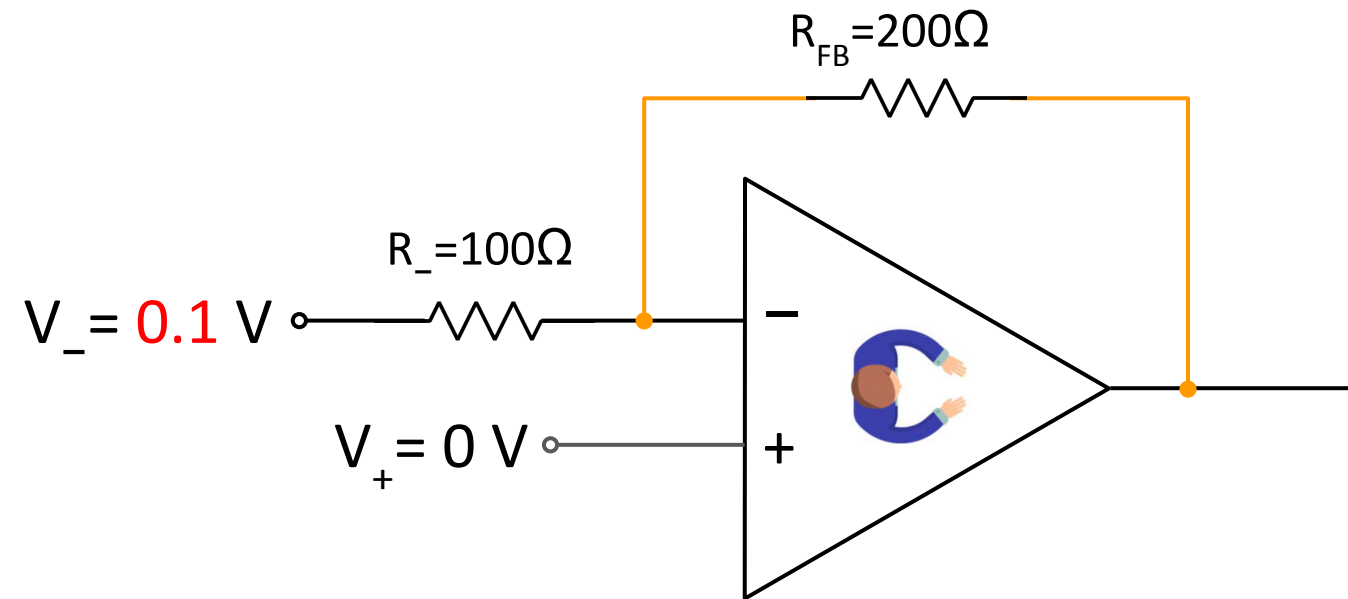
*What happens now?*

Well, he has to send out *more* voltage to correct the same problem...



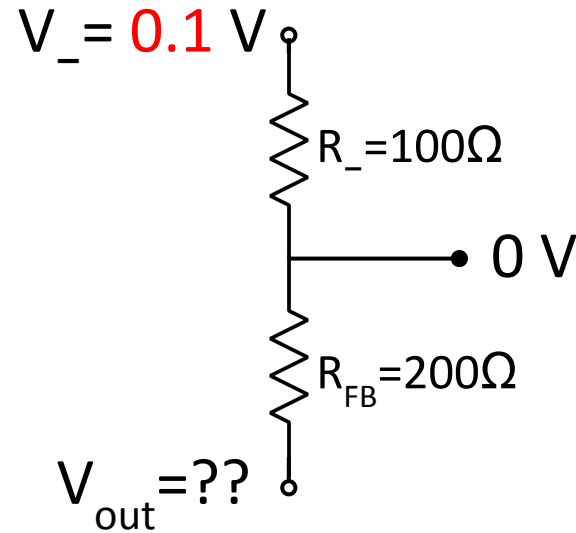
If you use the output, you can now use this as an (inverting) *amplifier* with *gain*!

*But wait...* the feedback has **resistance**, while the input has none, so he can **never win**.  
So let's add a resistor to the input...



*Question:* what voltage will he need to send out?

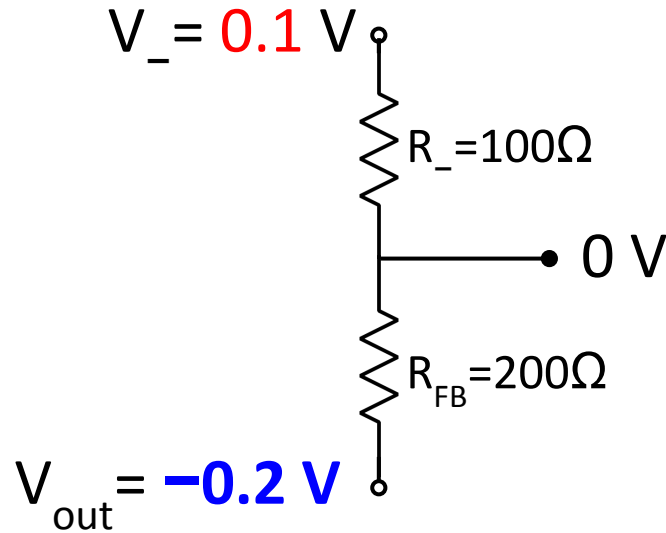
This is a simple resistor ladder\*... what is  $V_{\text{out}}$ ?



\* the input has ~**infinite impedance** so it doesn't contribute to the ladder

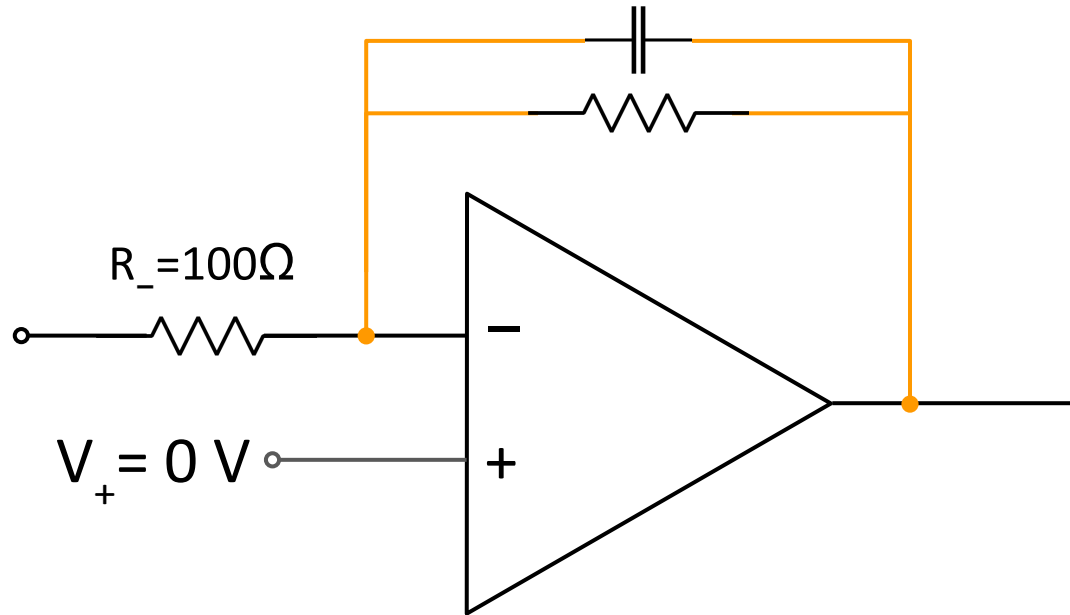


Evidently, we can control the **gain** of the amplifier:  $G = -R_{FB} / R_-$



*Cool! But wait...*

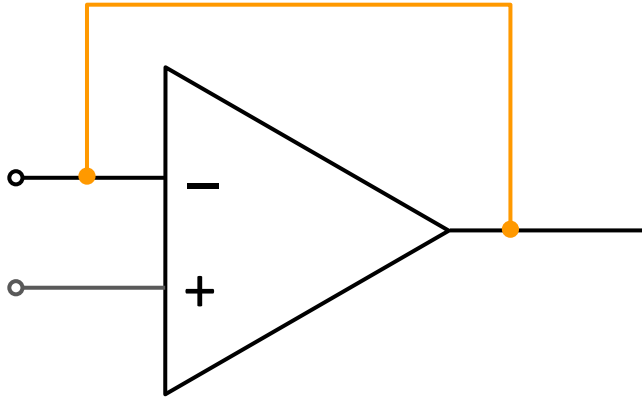
Real-world amplifiers ~always have feedback **capacitors**... can you guess why?



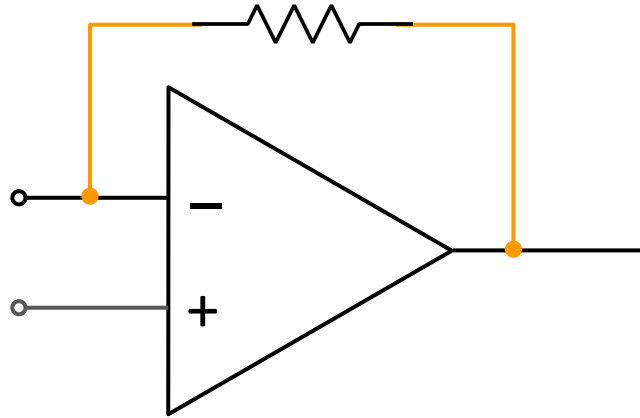
Think about the capacitor as a *frequency-dependent feedback resistor*...

With a feedback capacitor:

At *high frequencies*

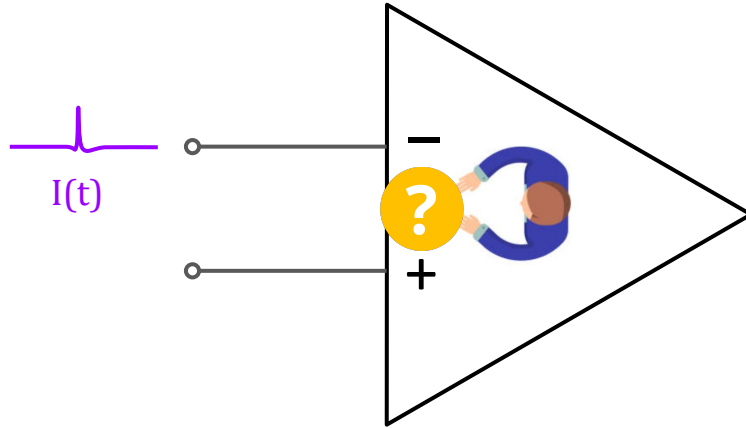


At *low frequencies*



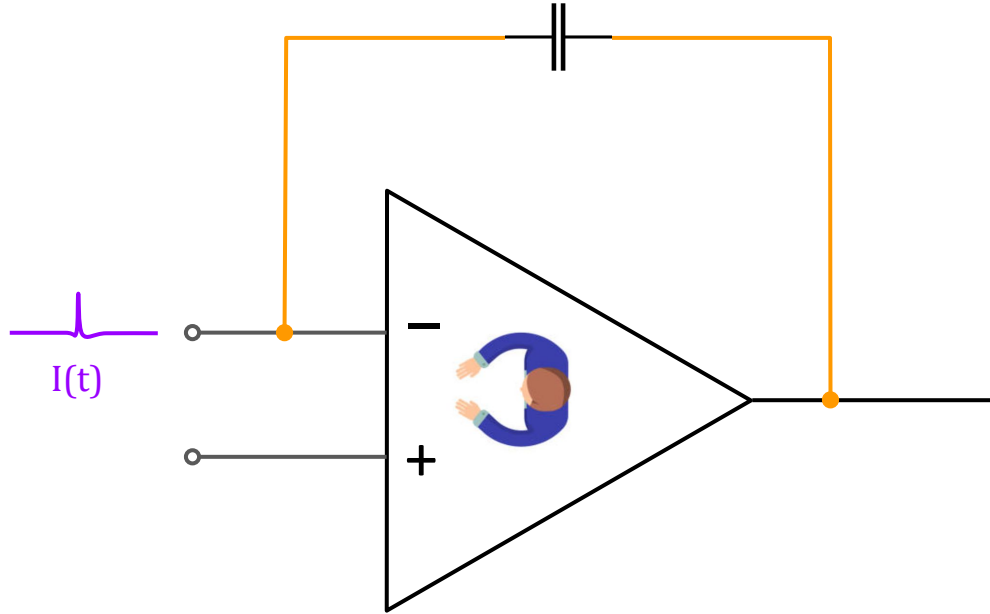
**No (unity) gain for high-frequencies**, max gain for low frequencies: this provides *noise filtering* (among other things!)

But *hold on!* Our PIN diode will output a *current*, not a voltage... but Mr. OpAmp is only concerned with comparing *voltages*...



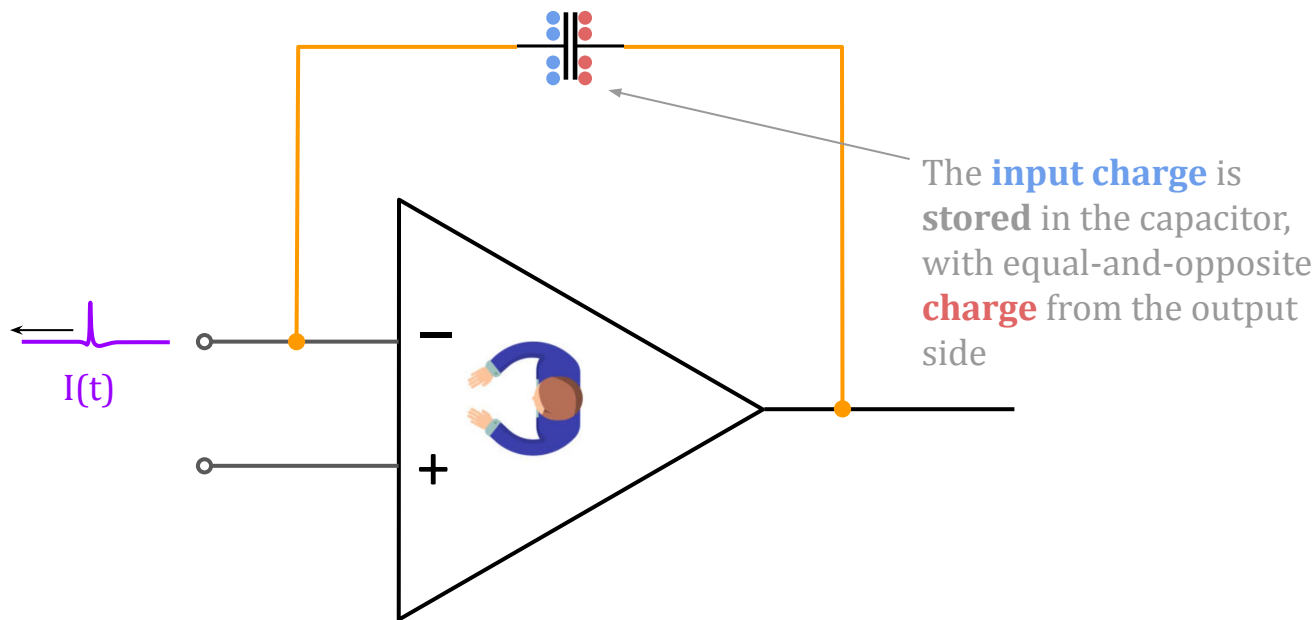
...what can we do to make him sensitive to *charge*?

Let's put a capacitor **here**...



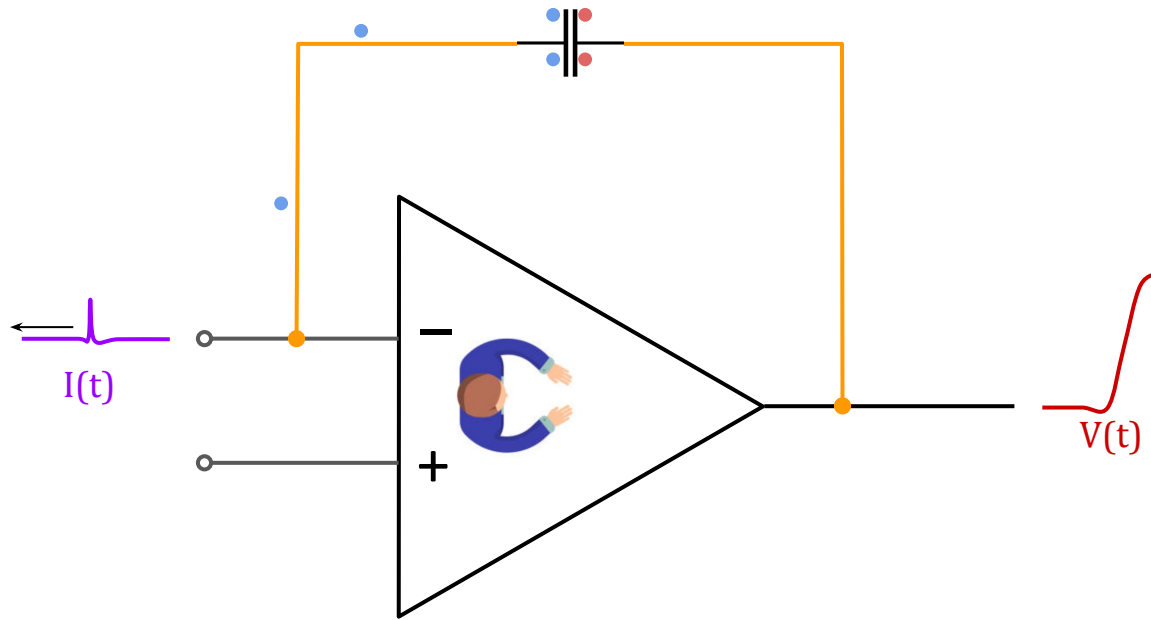
What happens now?

The capacitor will do capacitor things: adding charge  $q$  will lead to a **voltage difference** of  $q/C$  across the capacitor...



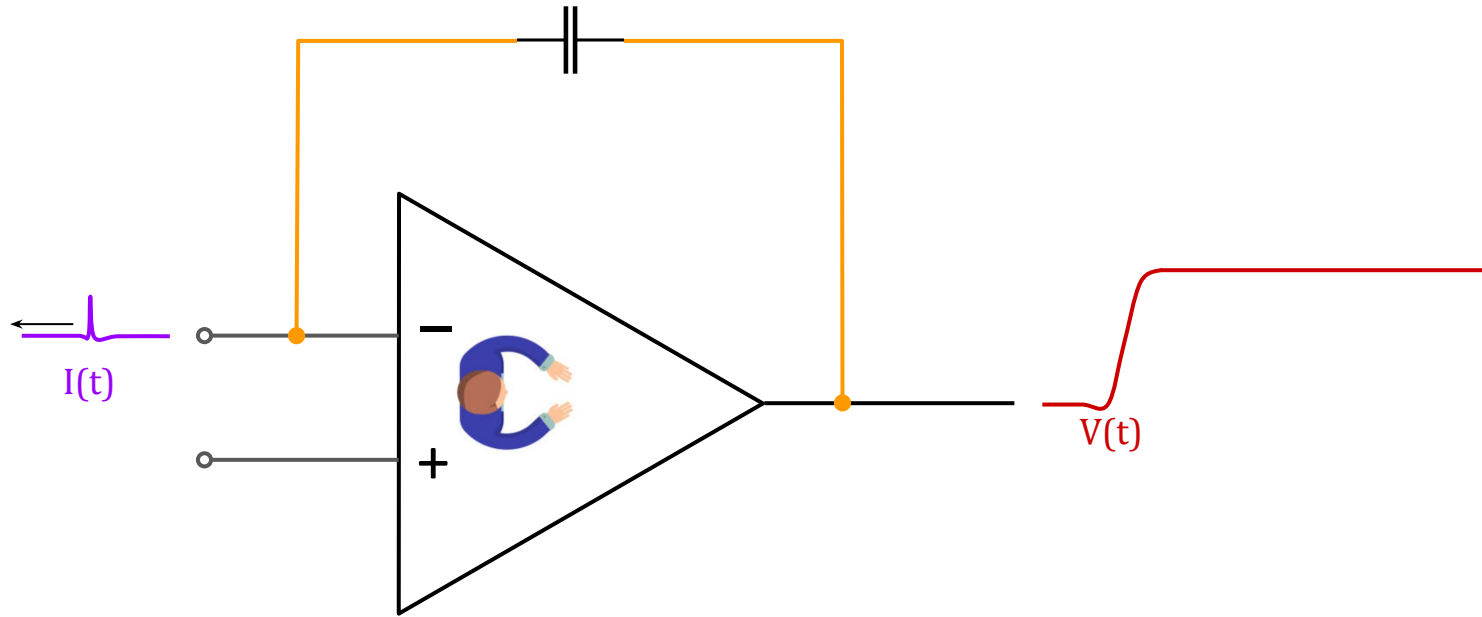
So now Mr. OpAmp will see a voltage signal **proportional to the deposited charge**...

So Mr. OpAmp starts sending out voltage, which begins to cancel the capacitor voltage, *discharging* the capacitor, reducing the input voltage until it is **equalized**.



*But wait!* The **input charges** are *not gone*; no charge flows through a capacitor. So if he stops sending voltage, the charges will accumulate again...

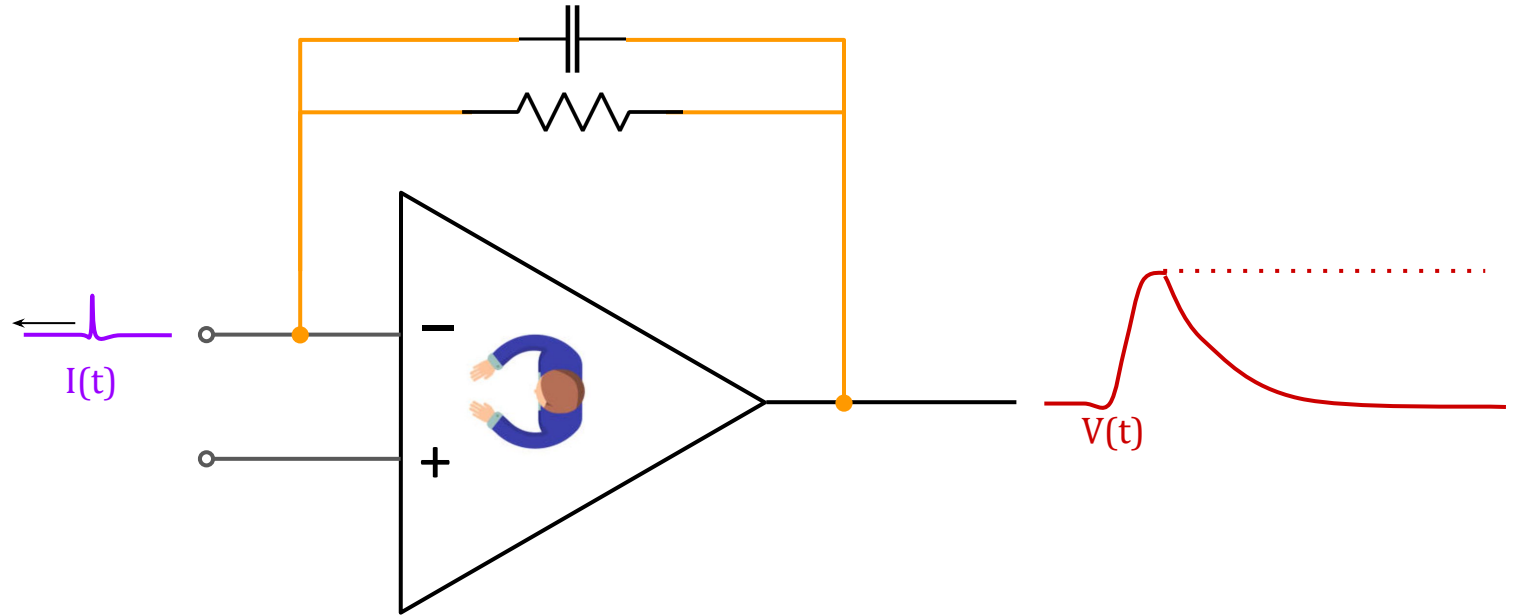
He's **stuck**! Without removing the injected charge, Mr. OpAmp can never return to normal. Whoops!



But at least the output voltage is proportional to the input charge (it has *integrated* the current pulse), so we have preserved our  $dE$ . How do we reset the amplifier now?

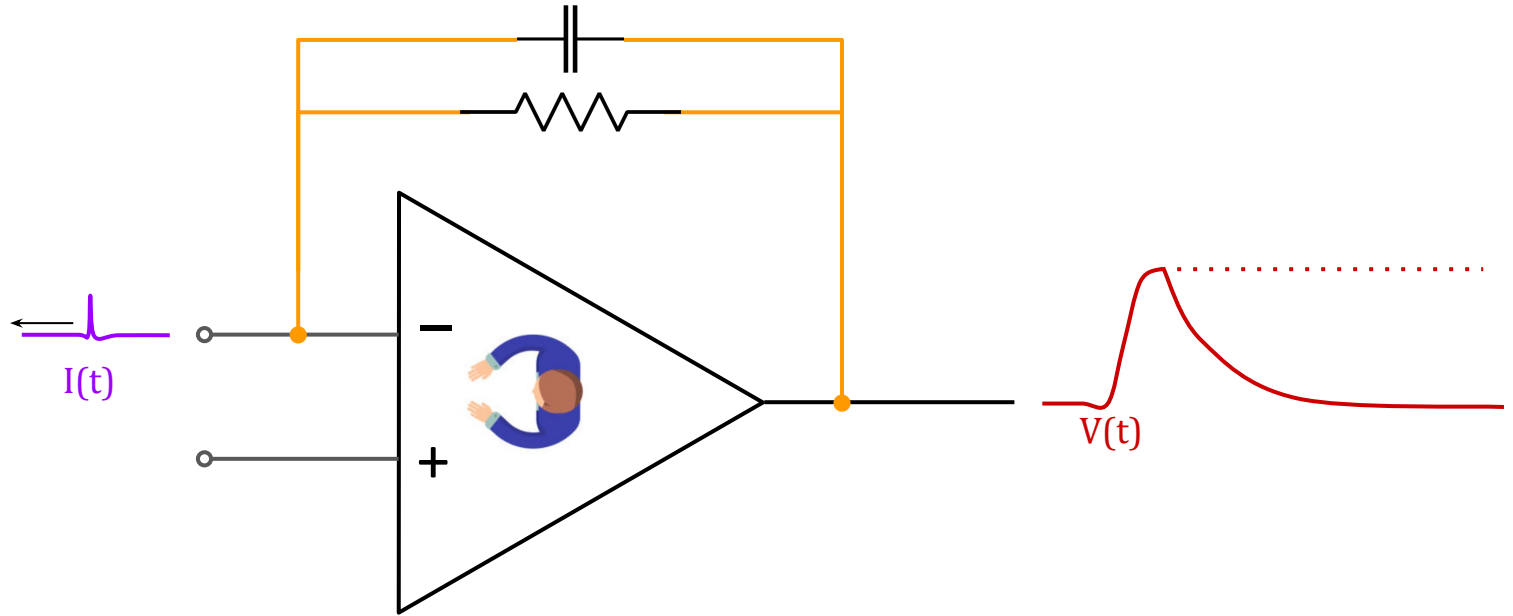


Let's add a **big** resistor in parallel to the capacitor. Now we allow charge to slowly drain out of the input. Mr. OpAmp can then relax and prepare for the next pulse...



*Question:* what determines the **shape** of the decay?

We have built a **charge-sensitive (pre)amplifier**. Its gain is  $1/C$  and the decay time of the pulse is  $RC$ .

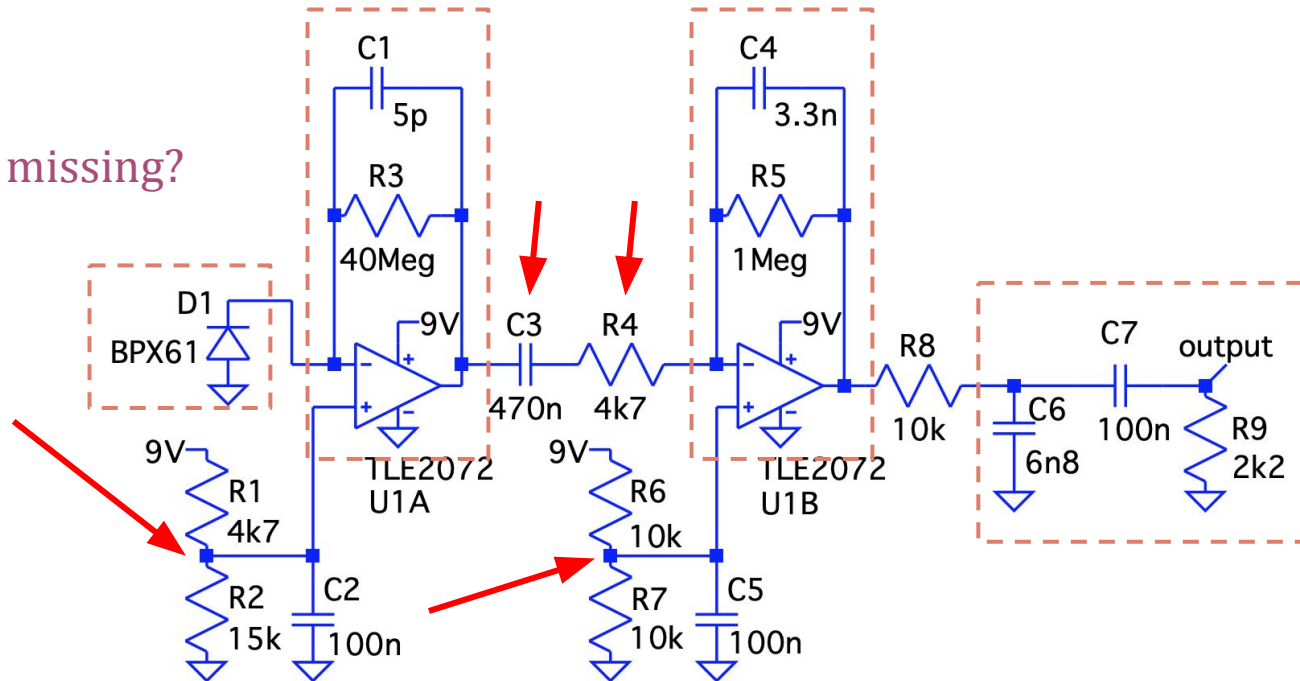


In almost all cases you will first use a **charge sensitive amplifier** followed by a **voltage amplifier**... the main difference is relative values of  $R$  and  $C$ , and no input  $R$

Mr. OpAmp is an (*ideal*) **O**perational **A**mplifier. They are used for *tons* of things.

You can now qualitatively explain **everything** going on here and calculate gain:

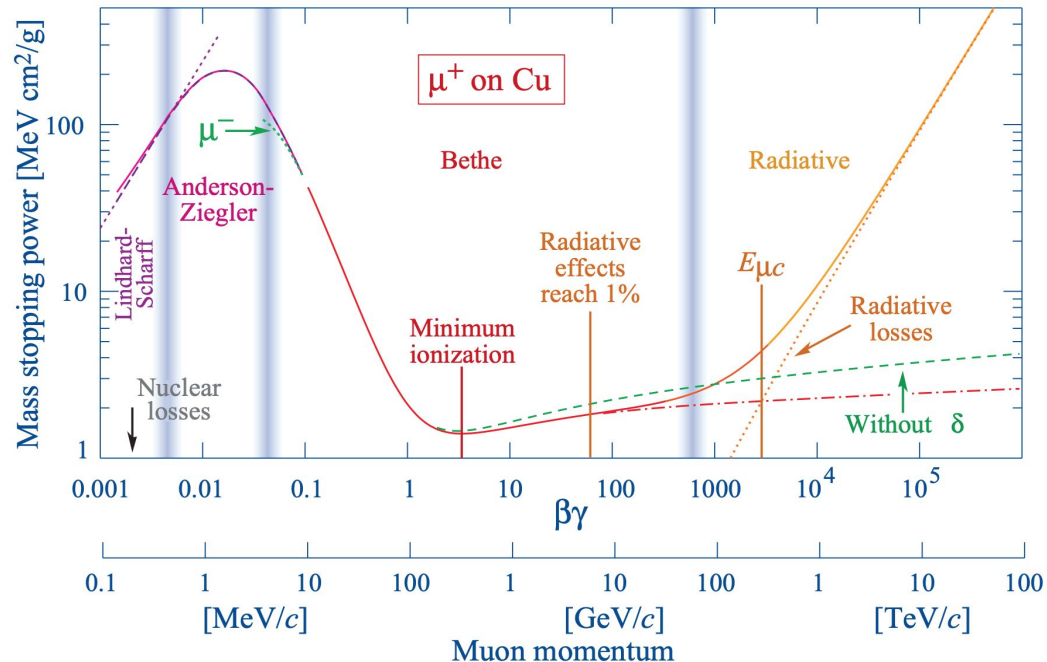
Q: what is missing?



*A question:*

The circuit outputs a voltage **directly proportional to the charge deposited**. So, can we do *spectroscopy* with this device with:

- MIPs?
- Electrons?
- Alphas?
- Photons?



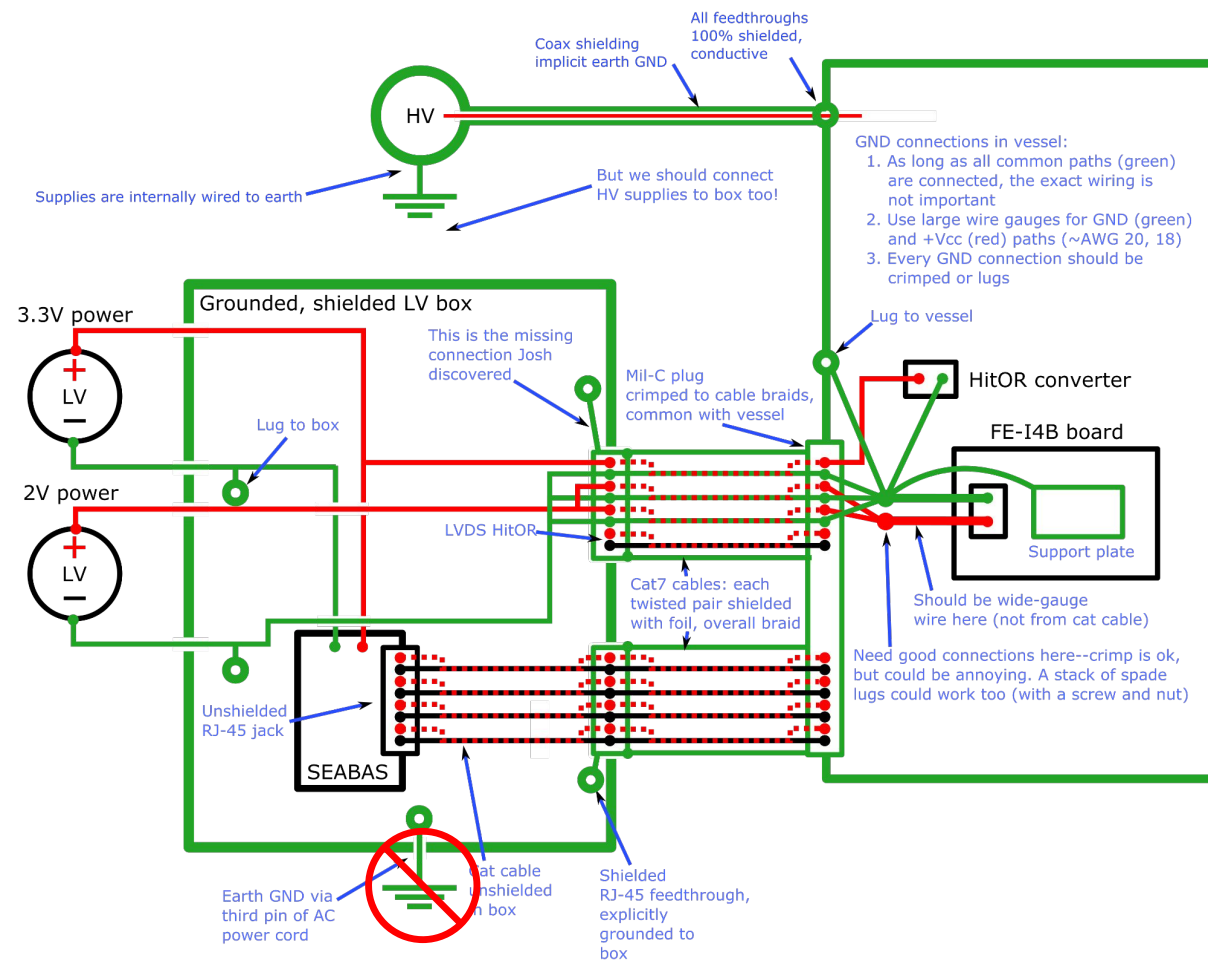
One last thing... why do we always, *always* put stuff in metal boxes?

Our amplifier is *awesome* at taking **small transient currents** and turning them into **big voltages**.

Small transient currents can be caused by stuff we really don't like:

- *Induction* of current by radio-frequency EM waves (like cellphones)
- *Capacitive* coupling of detector with other nearby electronics

To make a very long story short... always *shield* every part of your device with a **grounded** conductor (Faraday cage)...



**Best practice:**

**Shield** everything

*Design* the grounding; be clear what is connected to what

Require very low resistance from shields to earth ground

Only **one** path to earth ground\*

Any questions?

If not: enough talking, let's build!