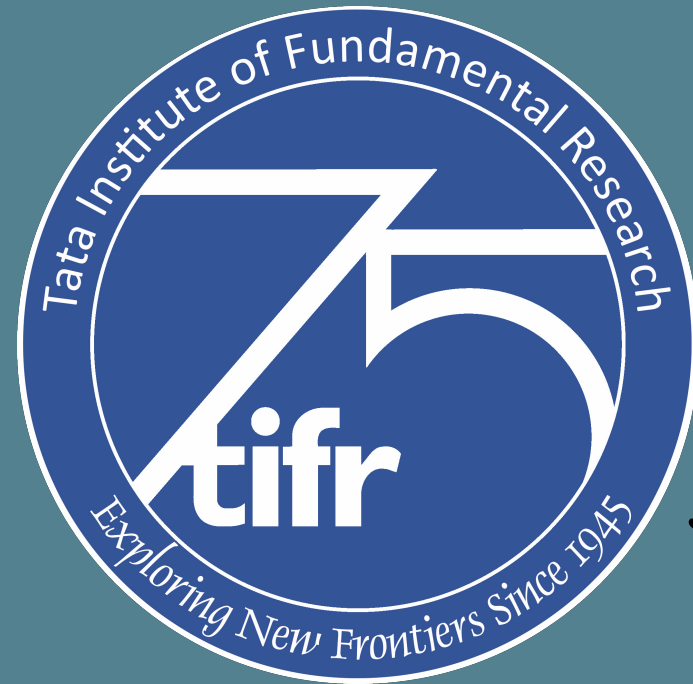


# VALIDATION OF

$\pi^0/\eta$  veto

-Sudev Pradhan (18MS)

Tata Institute of Fundamental Research, Mumbai  
Prof. Gagan B. Mohanty



TIFR

Belle Analysis Workshop

17th Dec, 2022

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# OUTLINE

- **Motivation**
- $\pi^0/\eta$  veto
- **Soft photon selections before MVA**
- **Variables for Soft Photon Candidates**
- **Variables for the Pair of Hard and Soft Photon**
- **ROC for different variables**
- **Control Decay Channel**
- **Cuts in the reconstruction script**
- **2d scatter plot between  $M_{bc}$  and  $\Delta E$**
- $M_{bc}$  and  $\Delta E$  plot
- $\eta$  and  $\pi^0$  probability plot
- **Mass hypothesis**
- $\pi^0$  probability plot comparison
- **Data-Mc agreement**
- **Fitting**
- **2D-MC-DATA— $M_{bc}\Delta E$  fit for eta**
- **Systematics for pion mass hypothesis**
- **Momentum Binning and systematics**
- **Theta Binning and systematics**
- **Acknowledgement**

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# MOTIVATION

- **In  $B \rightarrow X\gamma$  decay, having a prompt photon (hard photon) candidate in the final state.**
- **Asymmetric decays of  $\pi^0 \rightarrow \gamma\gamma$  and  $\eta \rightarrow \gamma\gamma$  are dominant backgrounds to these radiative meson decays.**
- **We use a BDT Classifier that helps to differentiate the  $\gamma$  coming from the  $\pi^0$  and  $\eta$ .**
- **To estimate data/MC of the efficiency of  $\pi^0/\eta$  veto,  $B^- \rightarrow D^0\pi^-$  will be used.**
- **Where the primary  $\pi^-$  will be treated as the primary photon. This will provide a highly clean comparison of the efficiency of  $\pi^0$  veto between data and MC.**
- **We will evaluate the systematic uncertainty due to the data/MC difference of the  $\pi^0$  probability.**
- **We have Generic MC for  $200\text{ fb}^{-1}$  MC15ri\_b BGx1 on release-06-00-07 of the BASF2 framework.**

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# $\pi^0/\eta$ VETO

- $\pi^0/\eta$  veto, the tool would provide a probability that a given hard photon ( $\gamma_{hard}$ ) decayed from  $\pi^0$  or  $\eta$  using a multi-variate analysis (MVA) technique.
- The hard photon is typically a photon decayed from B meson directly and thus expected to have a large energy.
- The hard photon candidate is paired with soft photon ( $\gamma_{soft}$ ) candidates in the event (ROE), and then calculate the  $\pi^0$ -like or  $\eta$ -like probabilities are based on the variables sensitive to discriminate signals from backgrounds.
- There are two types of variables, one is for soft photon ( $\gamma_{soft}$ ) candidates to select real photon in the hadronic events, the other is for the pair to select  $\pi^0$  and  $\eta$ .

---

# SOFT PHOTON SELECTIONS BEFORE MVA

Following are the types of selections we have used-

- **Loose- Selection Cut**
- **Standard- Selection Cut, Standard Energy Cut and Standard Timing Cut**
- **Tight - Selection Cut, Tight Energy Cut and Tight Timing Cut**
- **Cluster - Selection Cut, Standard Energy Cut, Standard Timing Cut and NHits cut**
- **Both- Selection Cut, Tight Energy Cut, Tight Timing Cut and NHits cut**

# VARIABLES FOR SOFT PHOTON CANDIDATES

First, to suppress the soft photon candidates, following selections cuts are applied before MVA.

➤ **Selection Cut-** `abs(gamma_hard_MotherPDG1)==511 && abs(gamma_hard_mcPDG)==22`

We are working only Loose selection mode so we are taking only **Selection Cut**

➤ **Energy Cut-**

	$\pi^0$ candidate	$\eta$ candidate
forward endcap ( <code>clusterReg==1</code> )	$E > 0.025(0.03)$ GeV	$E > 0.035(0.06)$ GeV
barrel ( <code>clusterReg==2</code> )	$E > 0.02(0.03)$ GeV	$E > 0.03(0.06)$ GeV
backward endcap ( <code>clusterReg==3</code> )	$E > 0.02(0.04)$ GeV	$E > 0.03(0.06)$ GeV

➤ **Timing cut-**

➤ Standard timing selection: `abs(clusterTiming) < 200 ns`

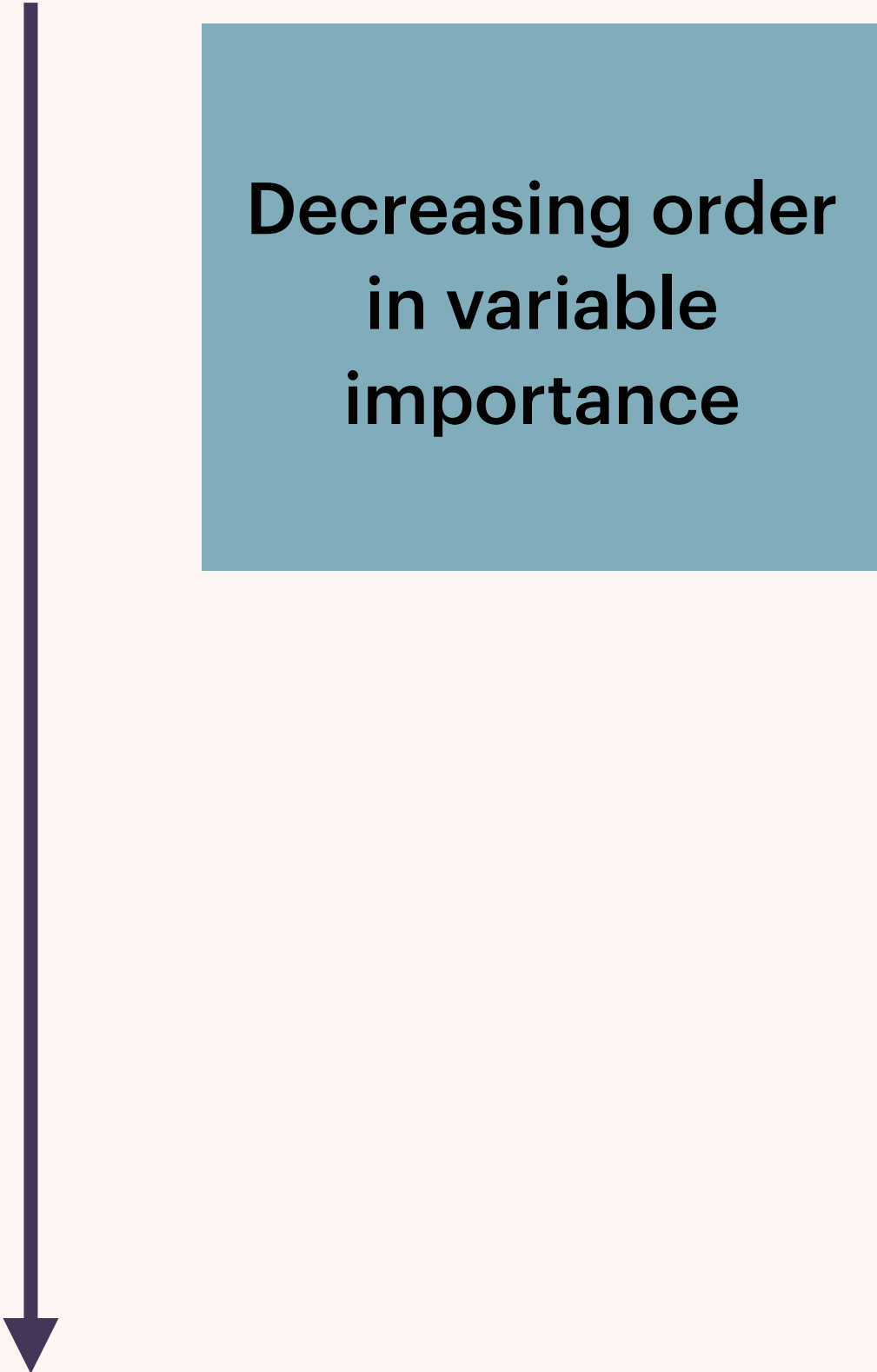
➤ Tight timing selection: `abs(clusterTiming) < 200 && abs(clusterTiming/clusterErrorTiming)<2.0`

➤ **NHits Cut-** `"gamma_soft_clusterNHits>=2 "`

---

# VARIABLES FOR THE PAIR OF HARD AND SOFT PHOTON

1. pi0CosHel
2. InvM
3. gamma\_soft\_E
4. gamma\_soft\_minC2TDist
5. gamma\_soft\_ZernikeMVA
6. gamma\_soft\_clusterTheta
7. gamma\_soft\_clusterNHits
8. gamma\_soft\_clusterSecondMoment

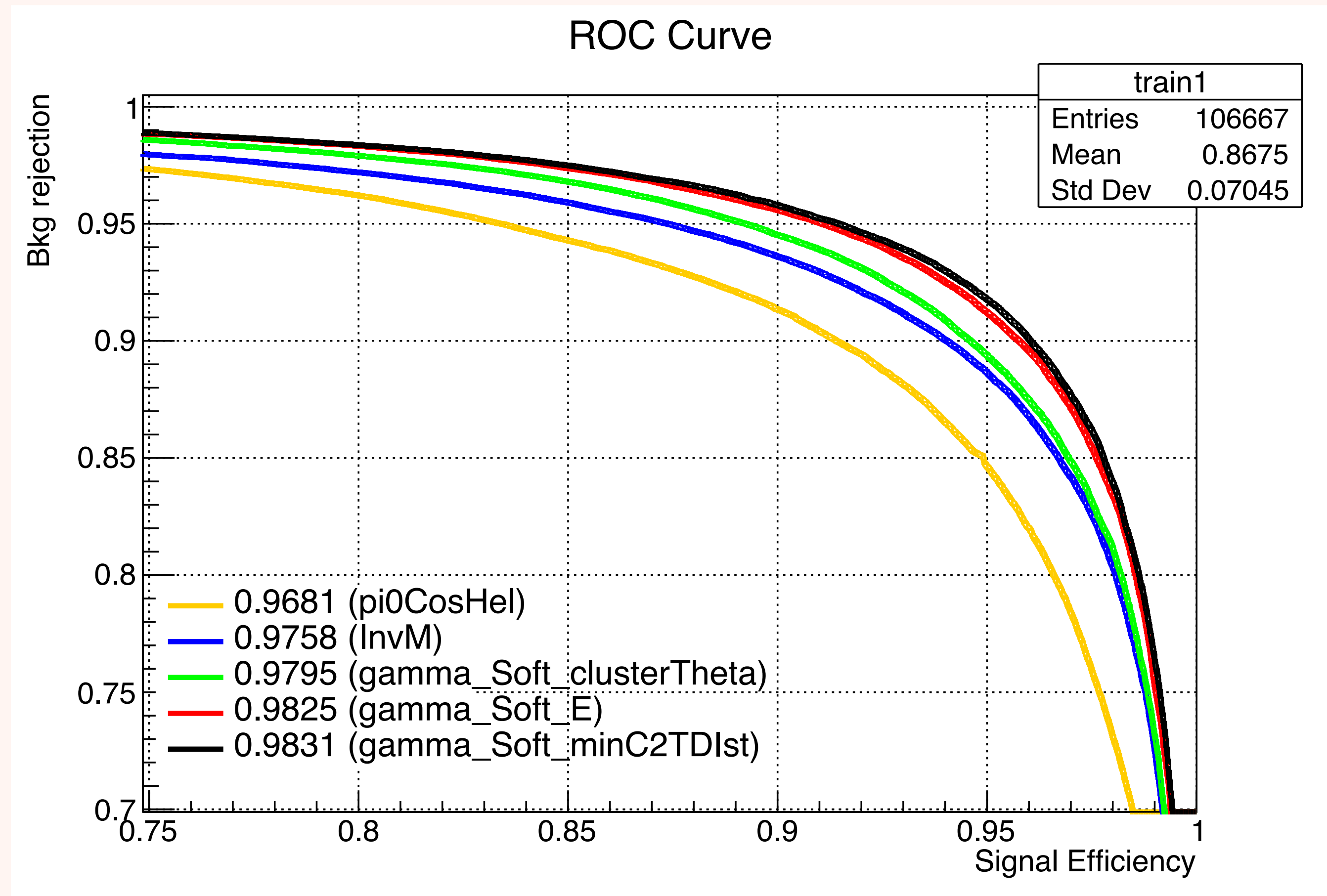


Decreasing order  
in variable  
importance

# ROC FOR DIFFERENT VARIABLES

AUC Score	Train	Test
pi0CosHel	0.9681	0.9680
InvM	0.9758	0.9753
gamma_soft_E	0.9795	0.9789
gamma_soft_minC2TDist	0.9825	0.9820
gamma_soft_ZernikeMVA	0.9831	0.9825
gamma_soft_clusterTheta	0.9835	0.9834
gamma_soft_clusterNHits	0.9835	0.9835
gamma_soft_clusterSecondMoment	0.9835	0.9835

Table for Train Test AUC Score for different variable



Train ROC curve for different variables(adding them up top to bottom)



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# CONTROL DECAY CHANNEL

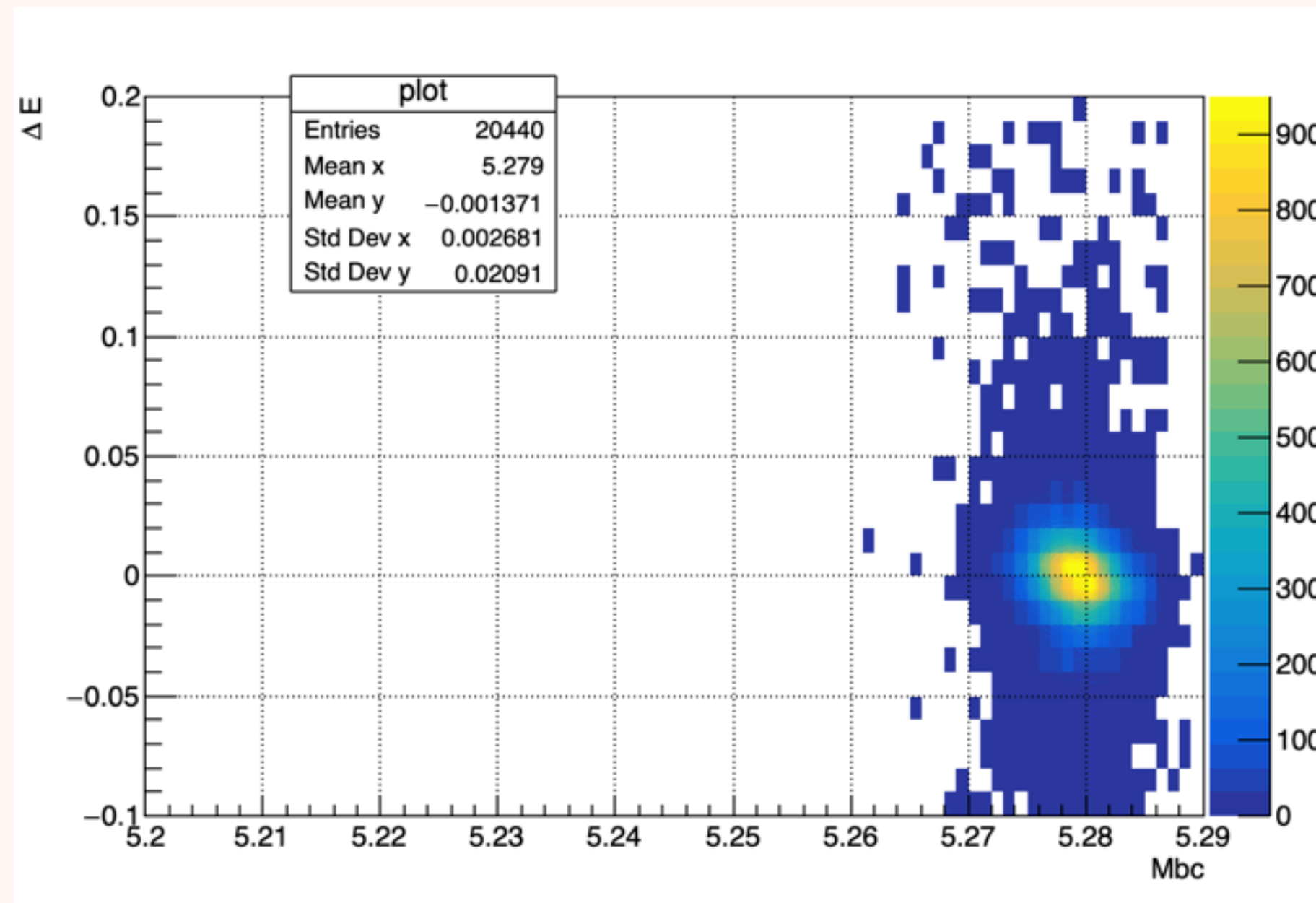
- **The decay channel of interest:**  $B^- \rightarrow D^0[K^- \pi^+] \pi^-$
- **Fast negative charged pion ( $\pi^-$ ) will be used as a proxy for ( $\pi^0/\eta$ ) veto as it mimics the hard photon candidates. Theoretically, the veto should select all the fast pion candidates. We have used this ( $\pi^0/\eta$ ) veto on our reco script on fast ( $\pi^-$ ) candidates.**
- **We have run on Generic MC for  $200 \text{ fb}^{-1}$  MC15ri\_b BGx1 on “light-2203-Zeus” of the BASF2 framework.**

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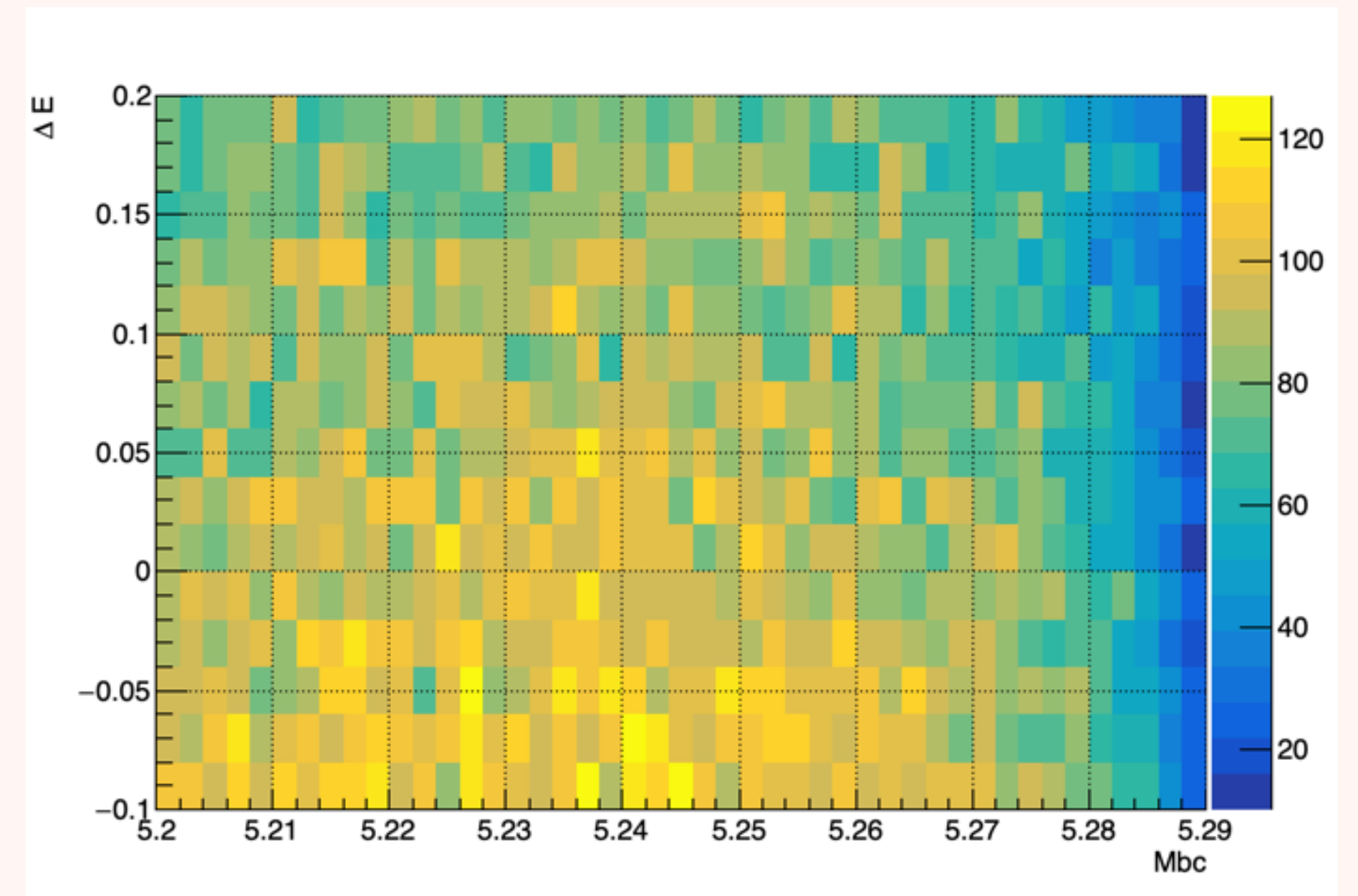
# CUTS IN THE RECONSTRUCTION SCRIPT

- **Good Track Cut** - "**abs(dz) < 2.0 cm and abs(dr) < 0.5 cm**"
- **$D^0$  mass cut** - "**1.6 < M < 2.2**" ( $GeV/c^2$ )
- **$B^-$  Mbc mass cut** - "**5.2 < Mbc < 5.3**" ( $GeV/c^2$ )
- **$\Delta E$  cut** - "**-0.1 < deltaE < 0.2**" ( $GeV$ )
- **Kaon and pion BinaryPiD cut** - "**PIDPairProbabilityExpert(211,321,ALL) > 0.1**"

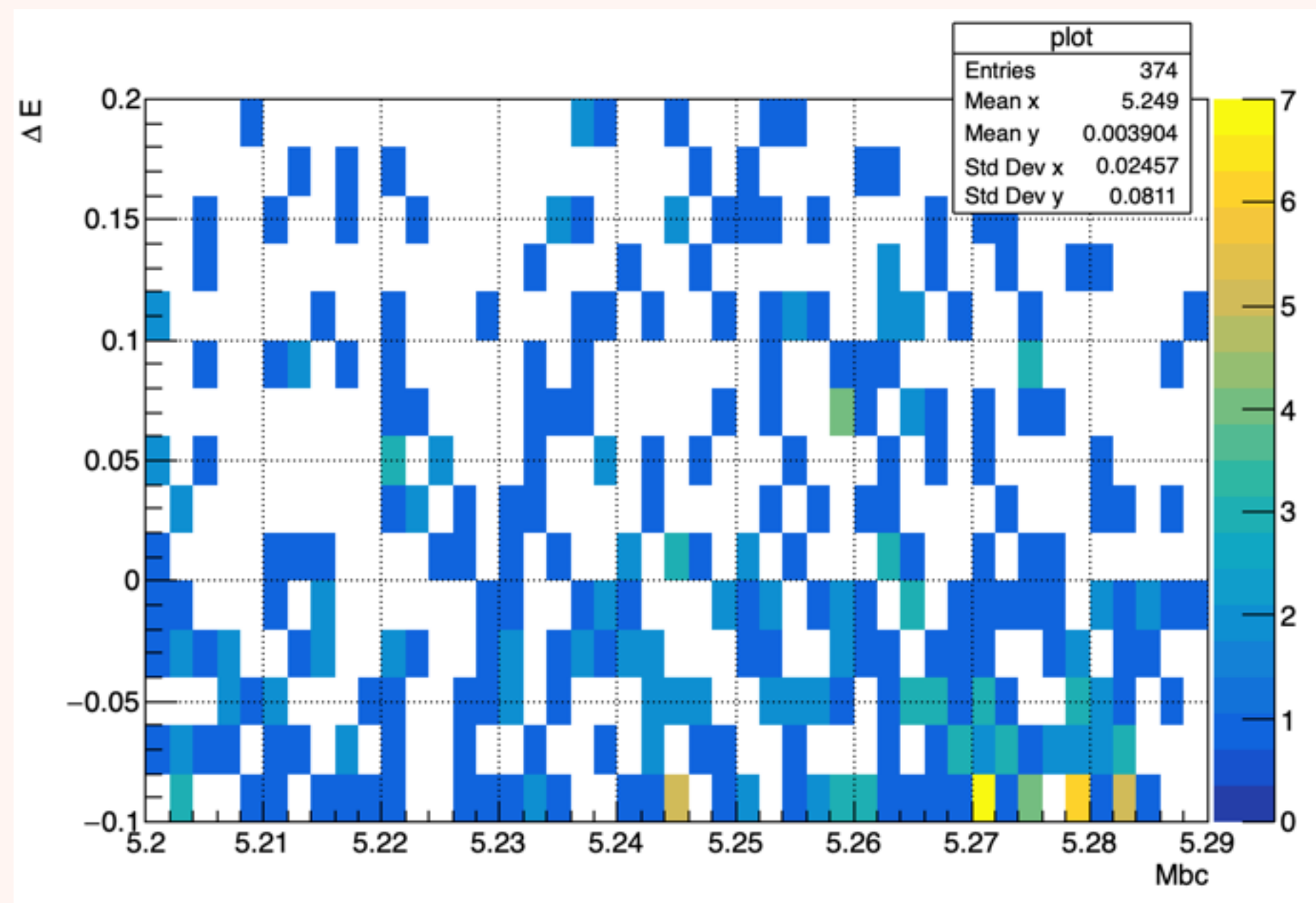
# 2D SCATTER PLOT BETWEEN $M_{bc}$ AND $\Delta E$



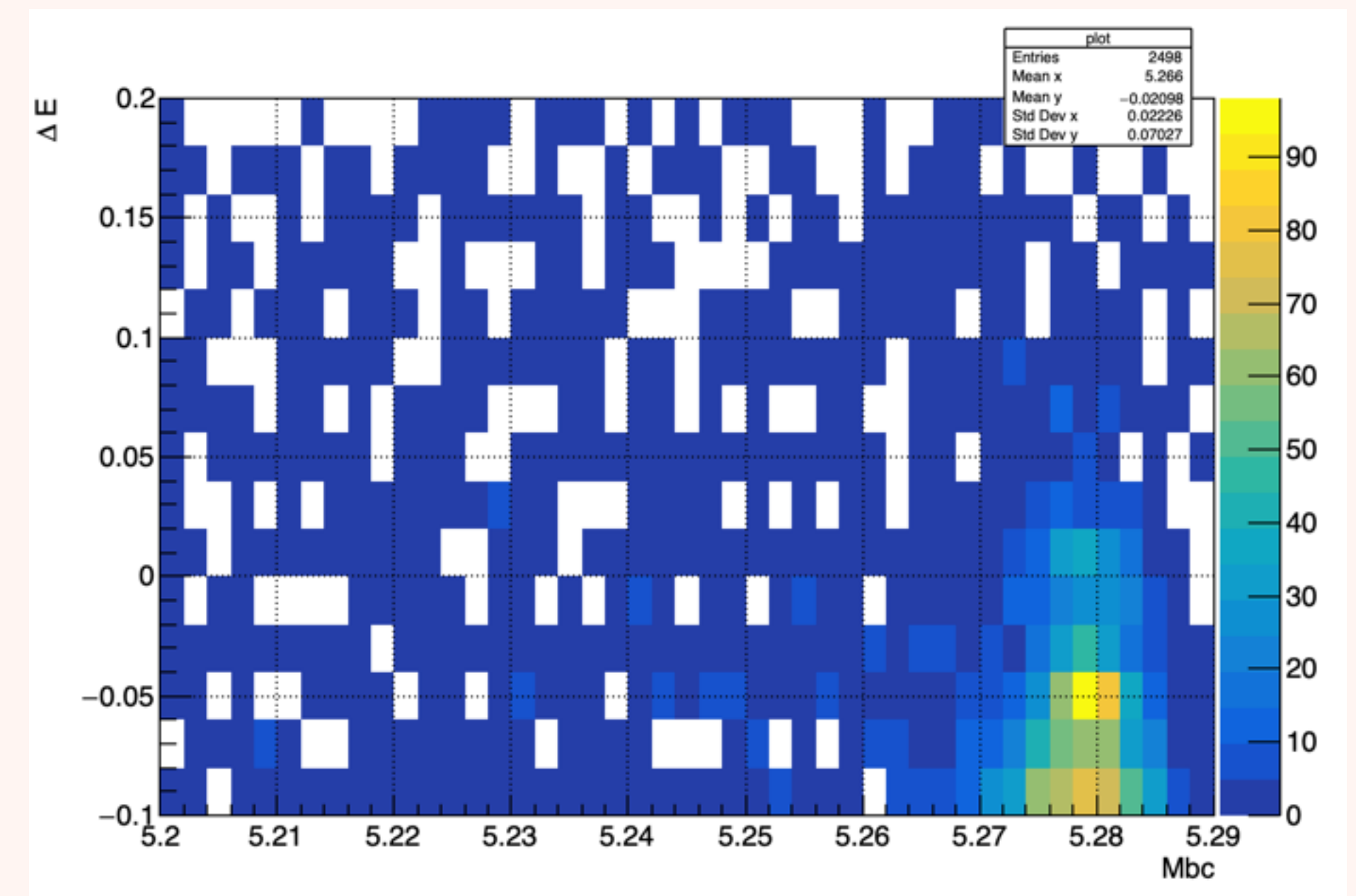
Signal; 2d scatter plot (colz)



Qqbar; 2d scatter plot (colz)



Mixed; 2d scatter plot (colz)



Charged; 2d scatter plot (colz)

Signal represents the correctly reconstructed  $B^- \rightarrow D^0[K^-\pi^+]\pi^-$  channel (isSignal==1)

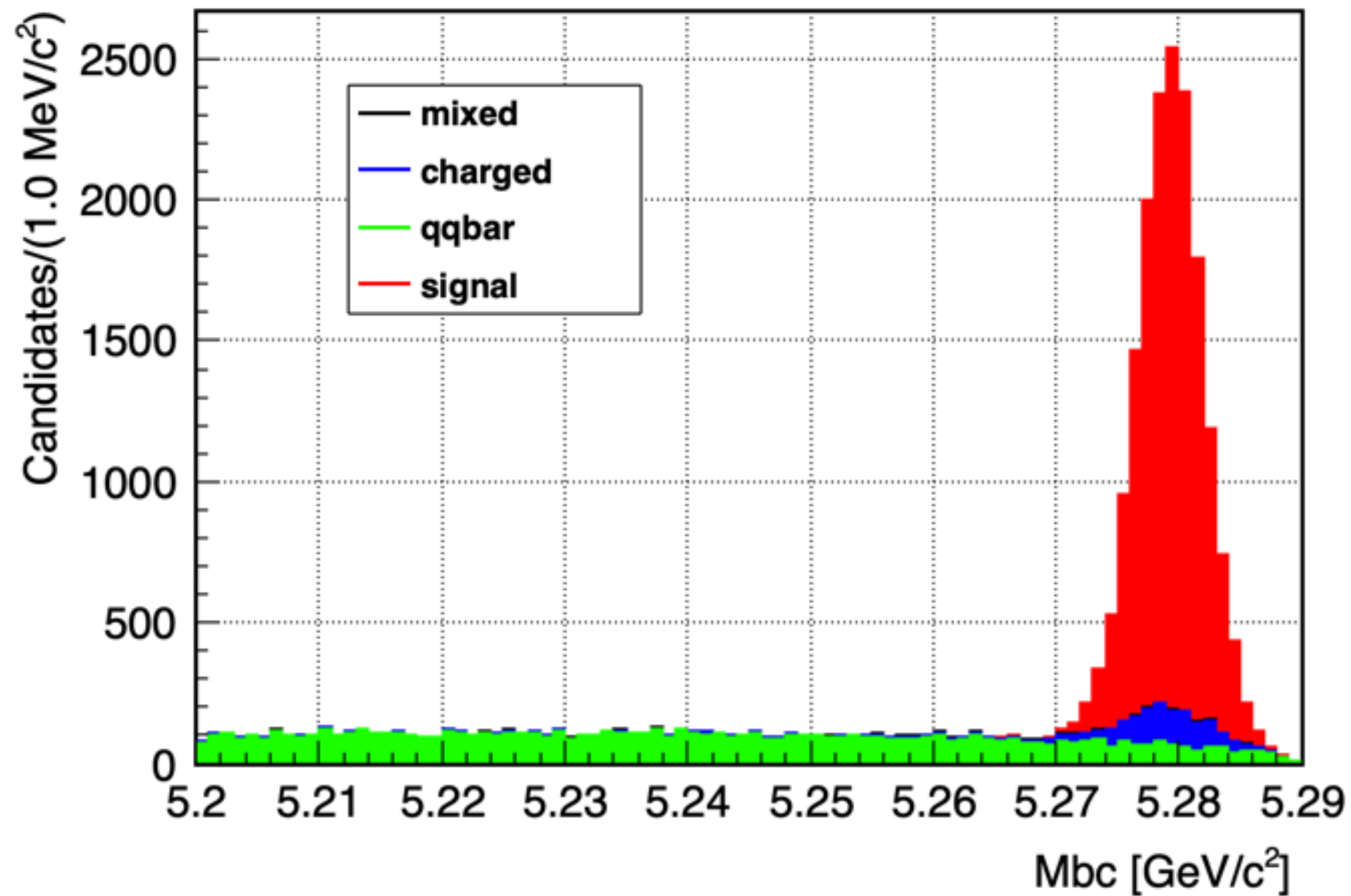
Background shows all other misreconstructed events except the above B- channel (isSignal!=1)

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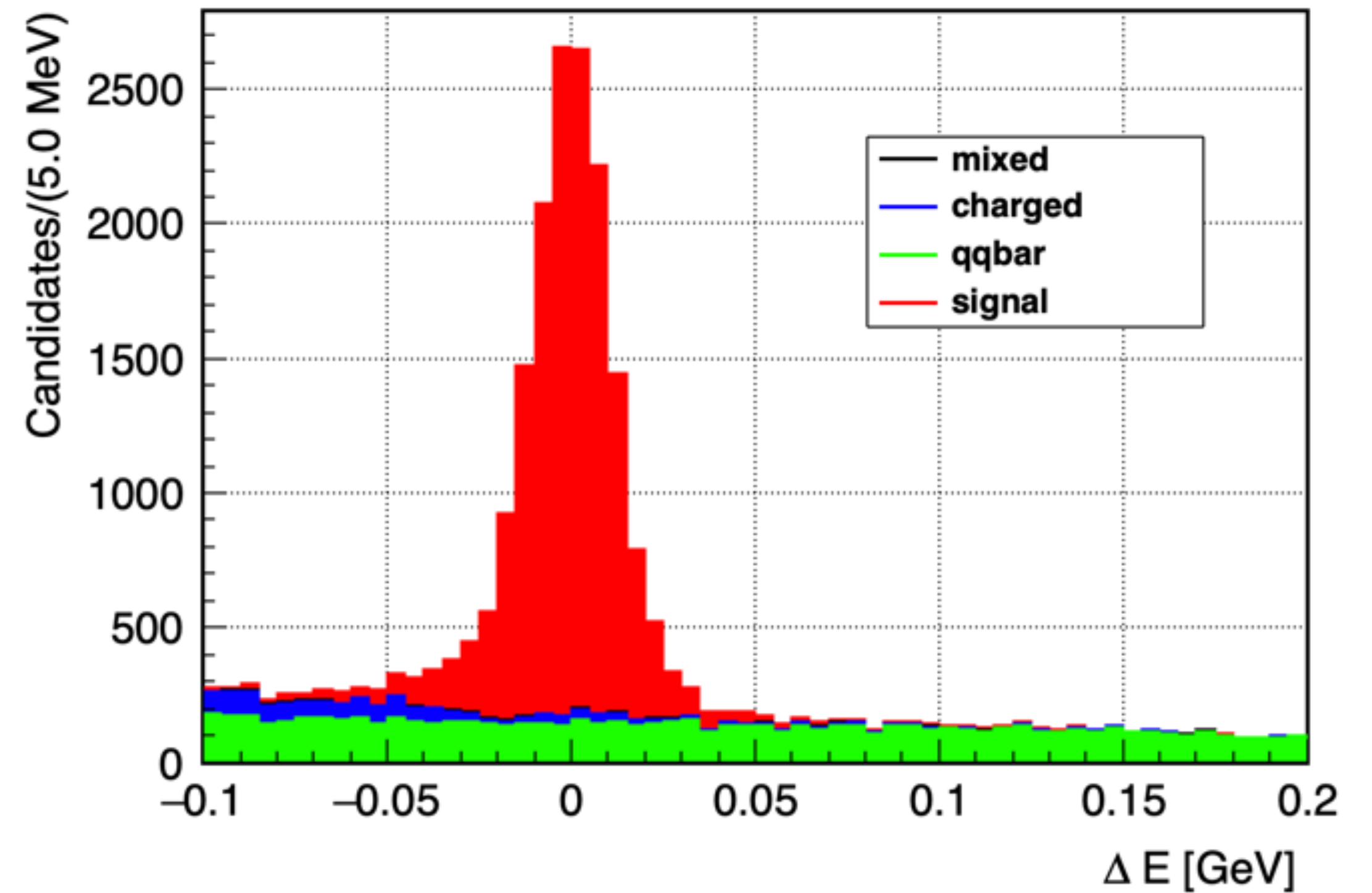
# FROM THE PLOTS-

- **We could see a concentrated Signal at  $5.28 \text{ GeV}/c^2$  ( $M_{bc}$  X-axis) and at  $0 \text{ GeV}$  ( $\Delta E$  Y-axis) and its range varies at  $[5.27 - 5.29] \text{ GeV}/c^2$**
- **From the qqbar 2D Scatter plot, we could see a uniform background or confirm background throughout.**
- **From the Charged 2D Scatter plot, we could see a peaking Background at  $5.28 \text{ GeV}/c^2$  ( $M_{bc}$  X-axis) and in the Negative Range of the Y-axis.**
- **From the Mixed 2D Scatter plot, we could see a sub-Dominant (less prominent) Background throughout.**

# $M_{bc}$ AND $\Delta E$ PLOT



$M_{bc}$  plot for B- decay channel after all cuts



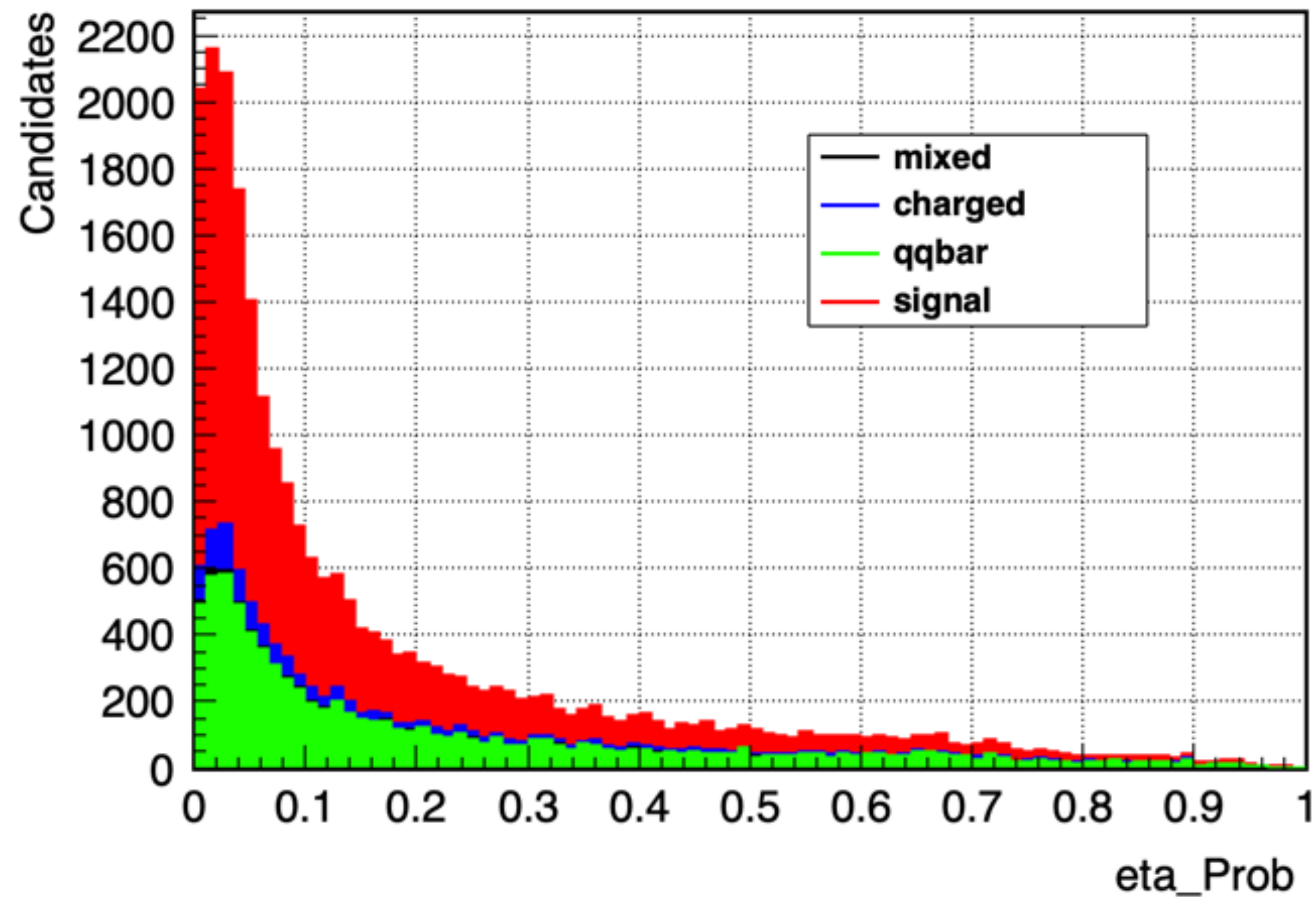
$\Delta E$  plot for B- decay channel after all cuts

**Cuts Used-**  
D0\_Km\_binaryPID\_211\_321<0.6  
D0\_pip\_binaryPID\_211\_321>0.6  
R2<0.3 and chiProb>0.001

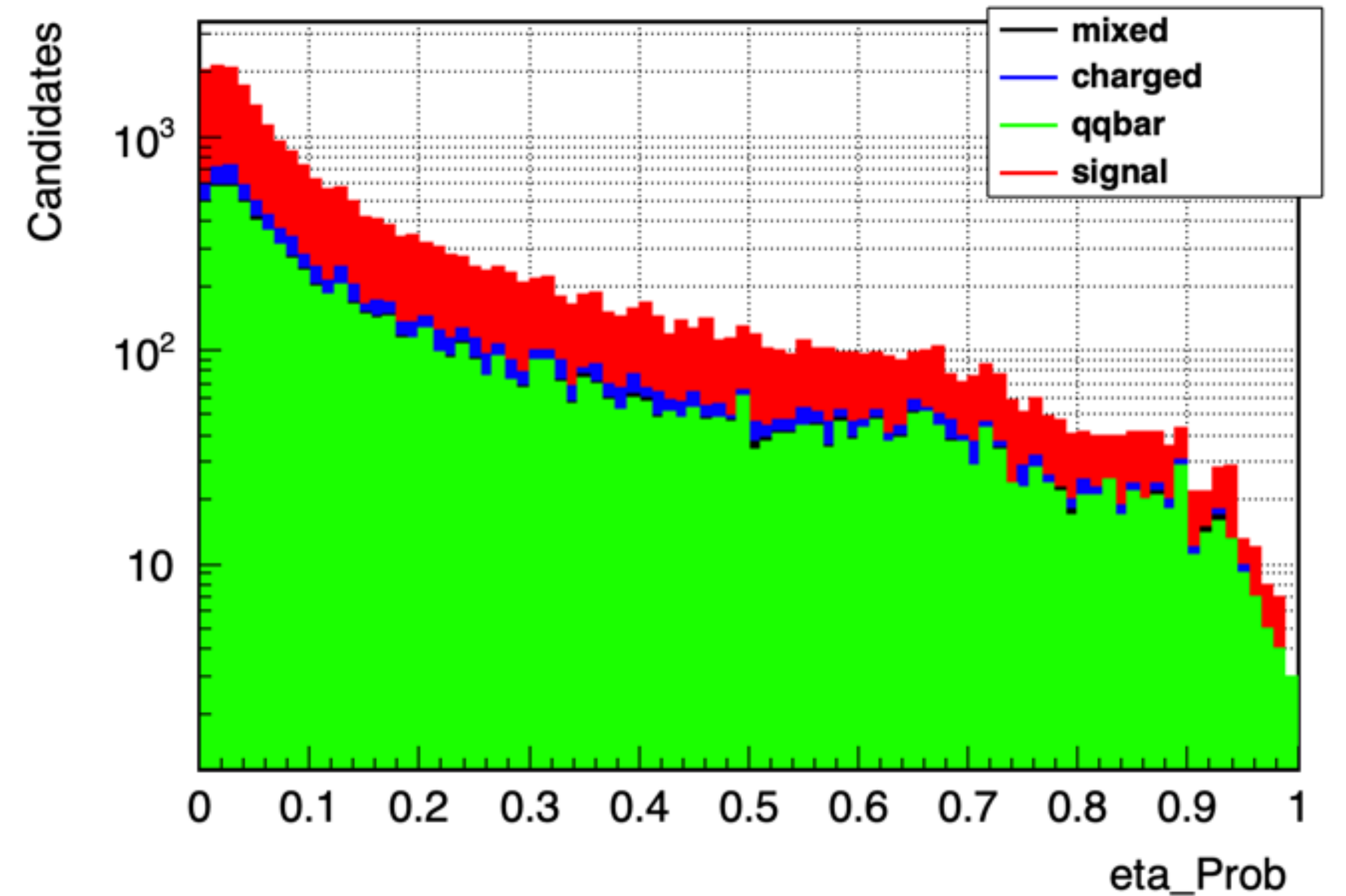
**Signal** represents the correctly reconstructed  $B^- \rightarrow D^0[K^- \pi^+] \pi^-$  channel (isSignal==1)

**Background** shows all other misreconstructed events except the above B- channel (isSignal!=1)

# $\eta$ PROBABILITY PLOT

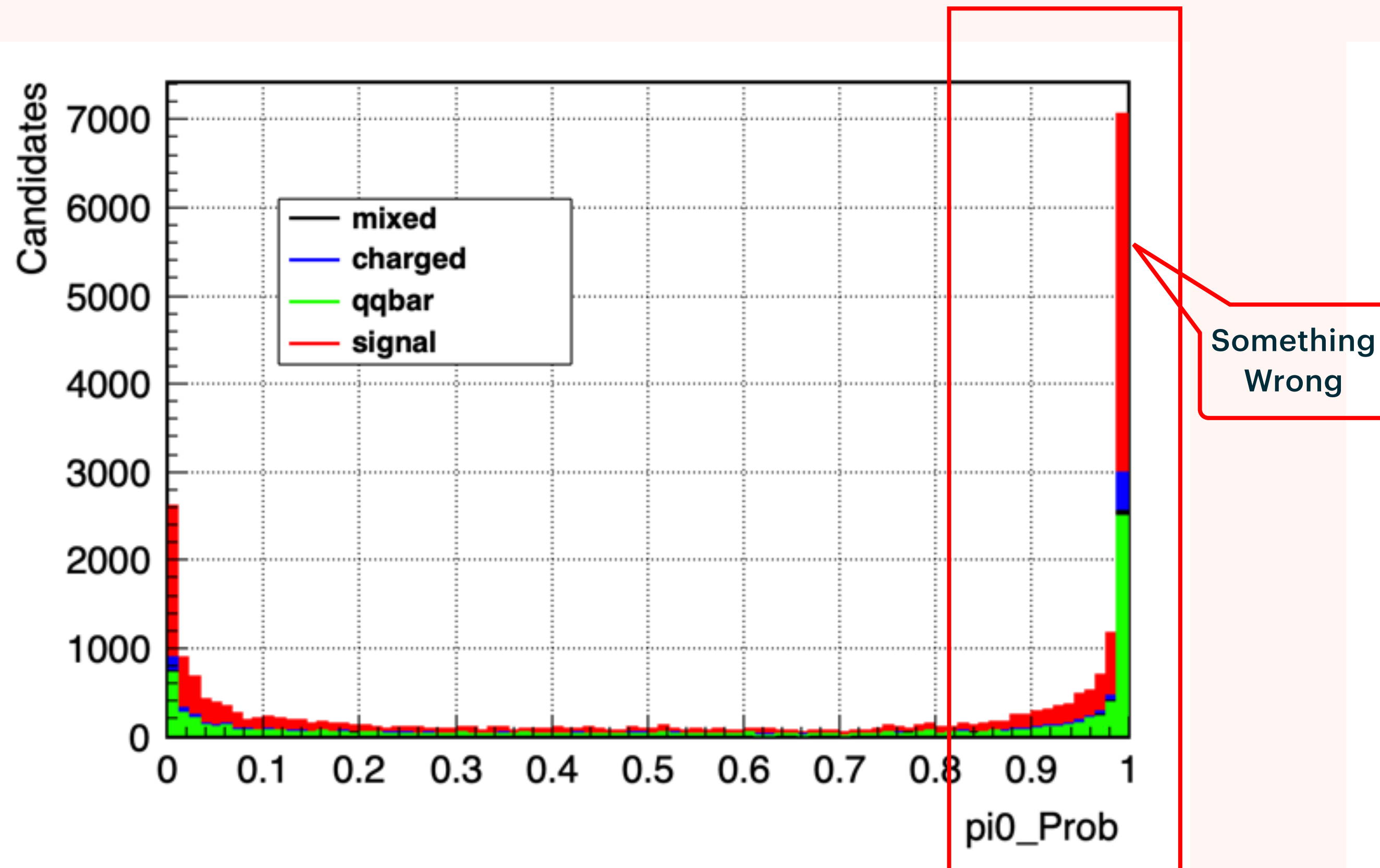


$\eta$  probability plot after all cuts

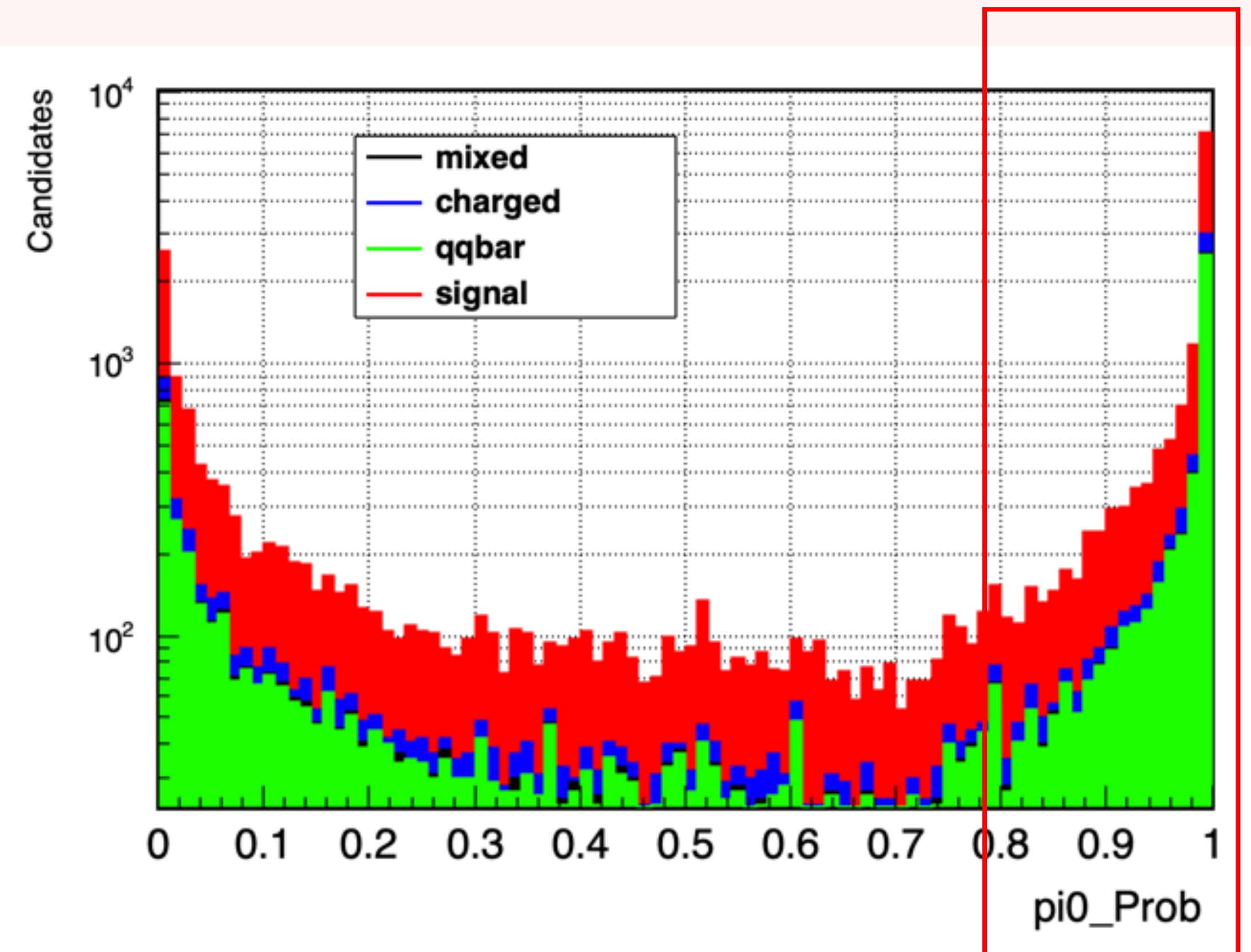


$\eta$  probability plot in log scale after all cuts

# $\pi^0$ PROBABILITY PLOT



$\pi^0$  probability plot after all cuts



$\pi^0$  probability plot in log scale after all cuts

- In Ideal case Scenario Sig  $\pi^0$  prob should not peak at 1
- We used the existing Veto

---

# SOLVING THE PROBLEM BY-MASS HYPOTHESIS

➤ **Pion mass hypothesis**  $B^- \rightarrow D^0[K^- \pi^+] \pi^-$

➤ **Electron mass hypothesis (very close to “photon mass hypothesis” using super-relativistic theory  $E \approx p$  as  $\frac{m^2}{p} \ll 1$  for electron)**

$$B^- \rightarrow D^0[K^- \pi^+] e^-$$

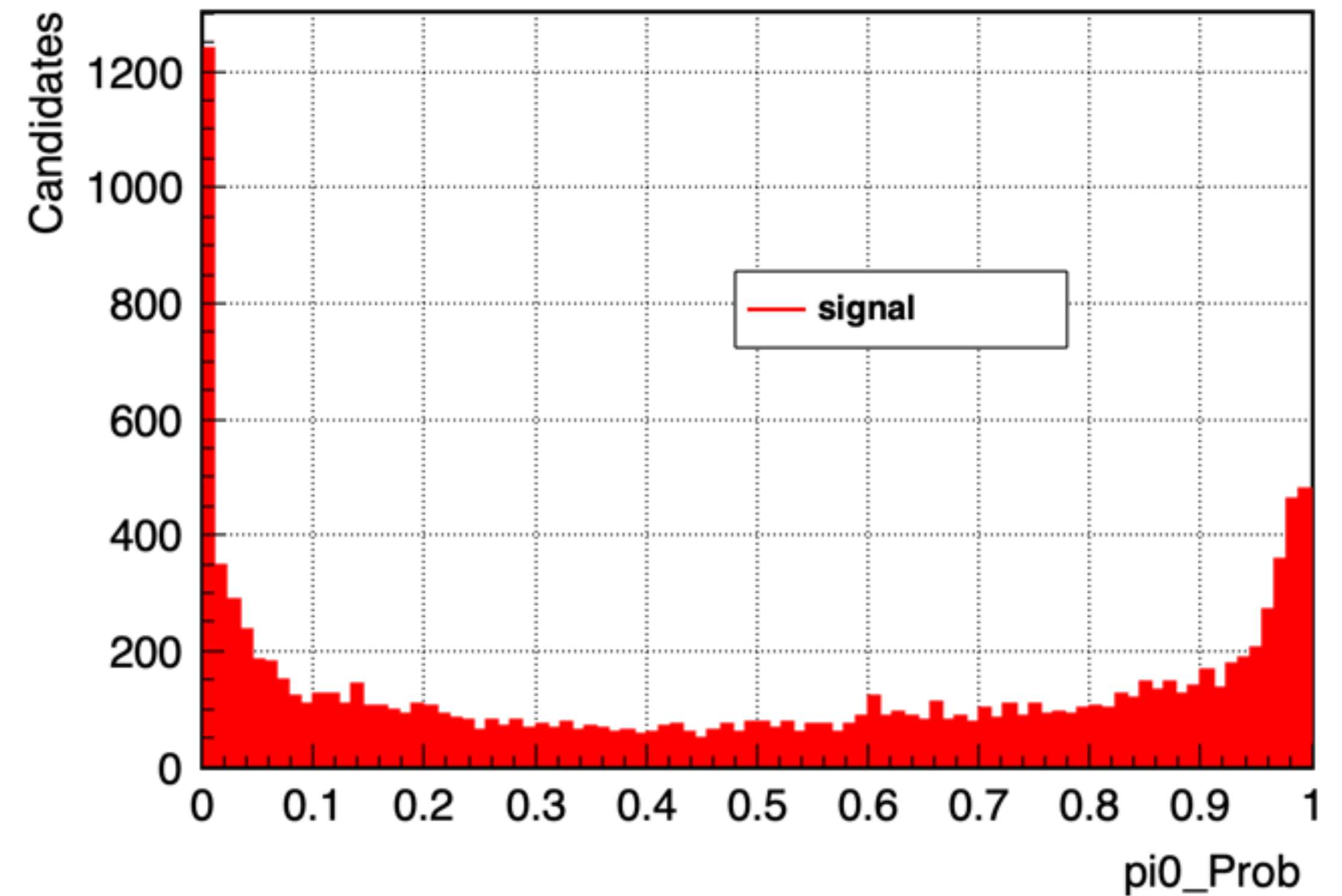
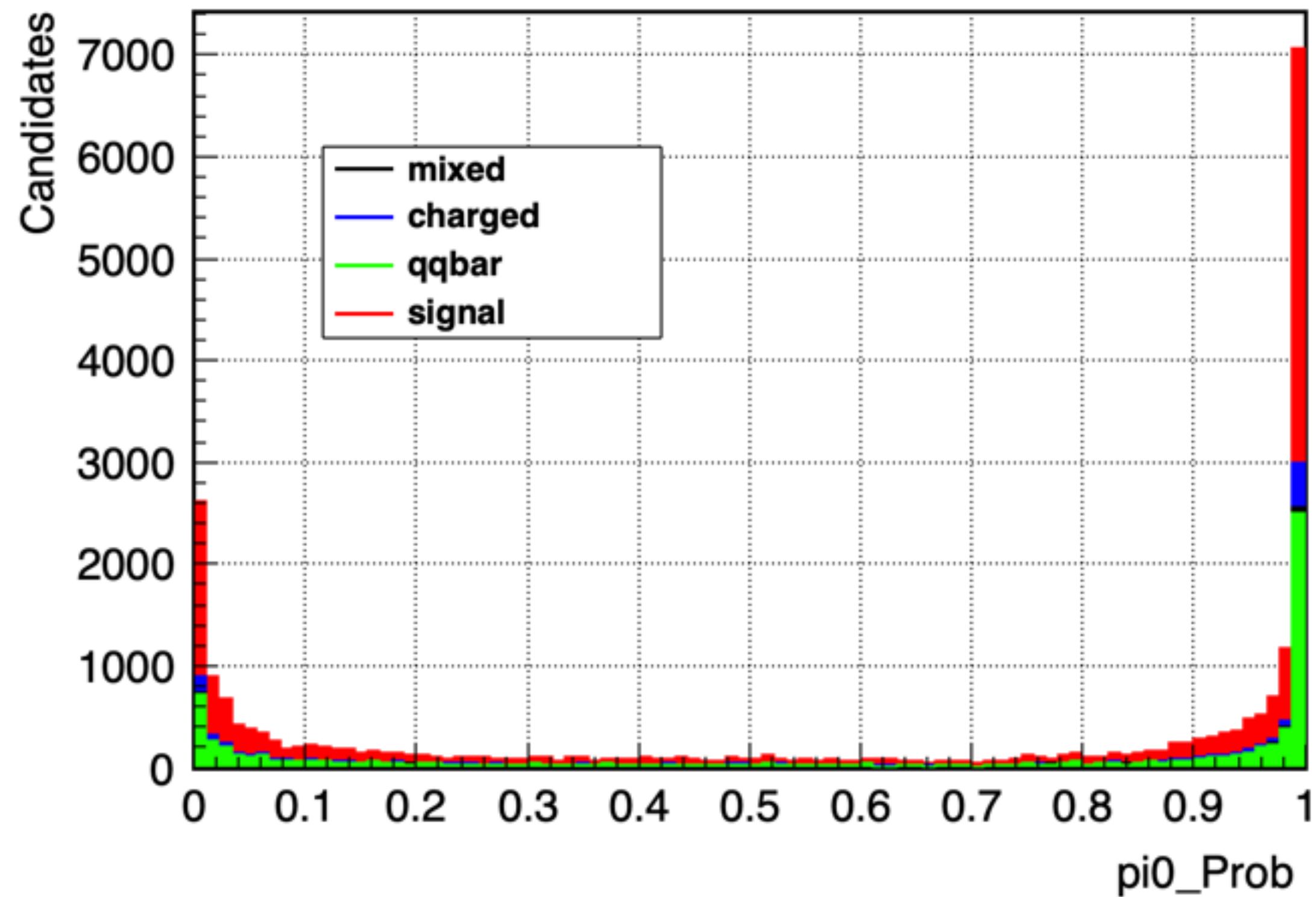
➤ **So we used 3 basic channel decays to find out the problem, investigating each training variable**

$$\pi^0 \rightarrow \gamma\gamma \quad \pi^0 \rightarrow \pi^+\gamma \quad \pi^0 \rightarrow e^-\gamma$$

-allowChargeViolation=True



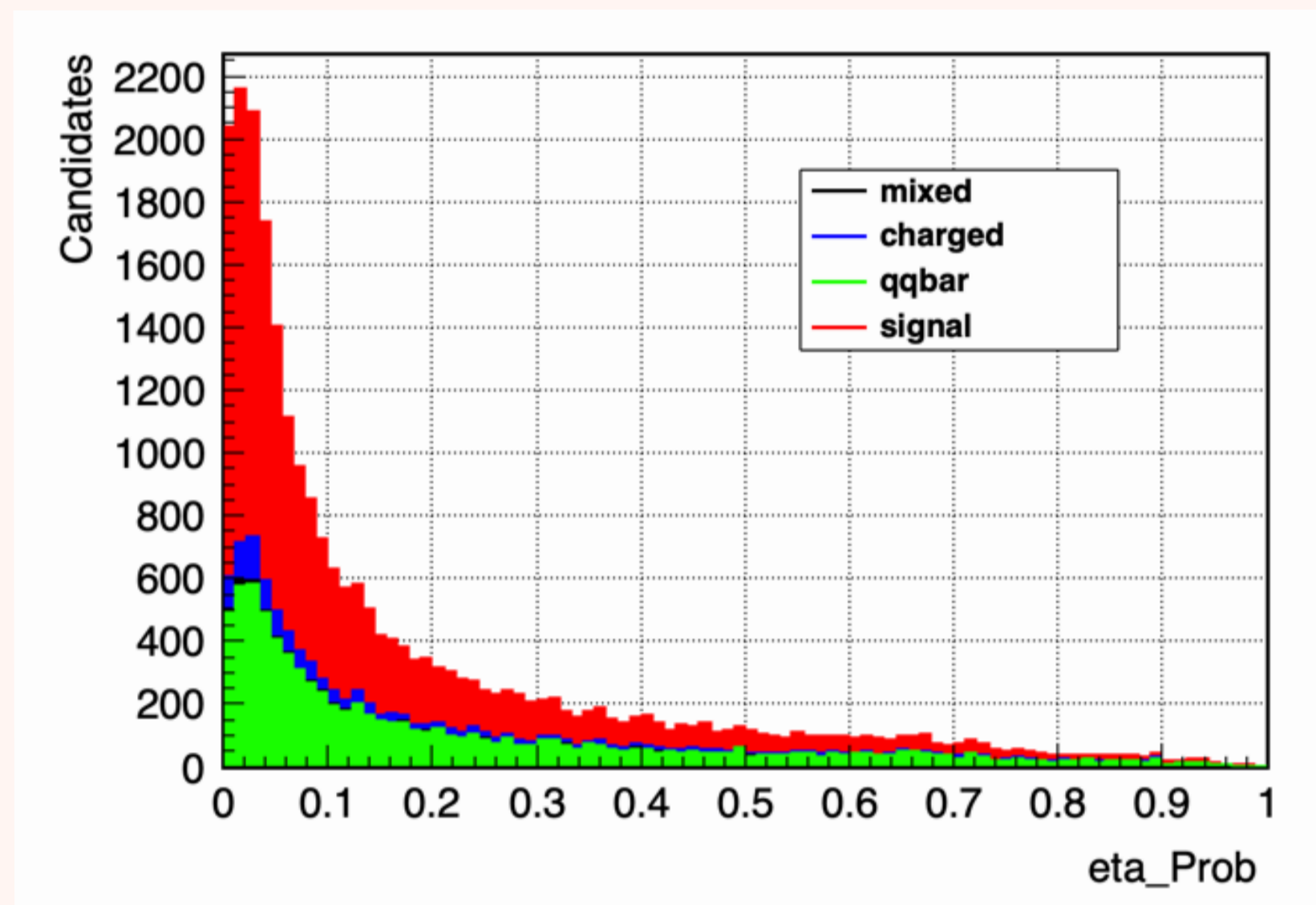
# $\pi^0$ PROBABILITY PLOT COMPARISON



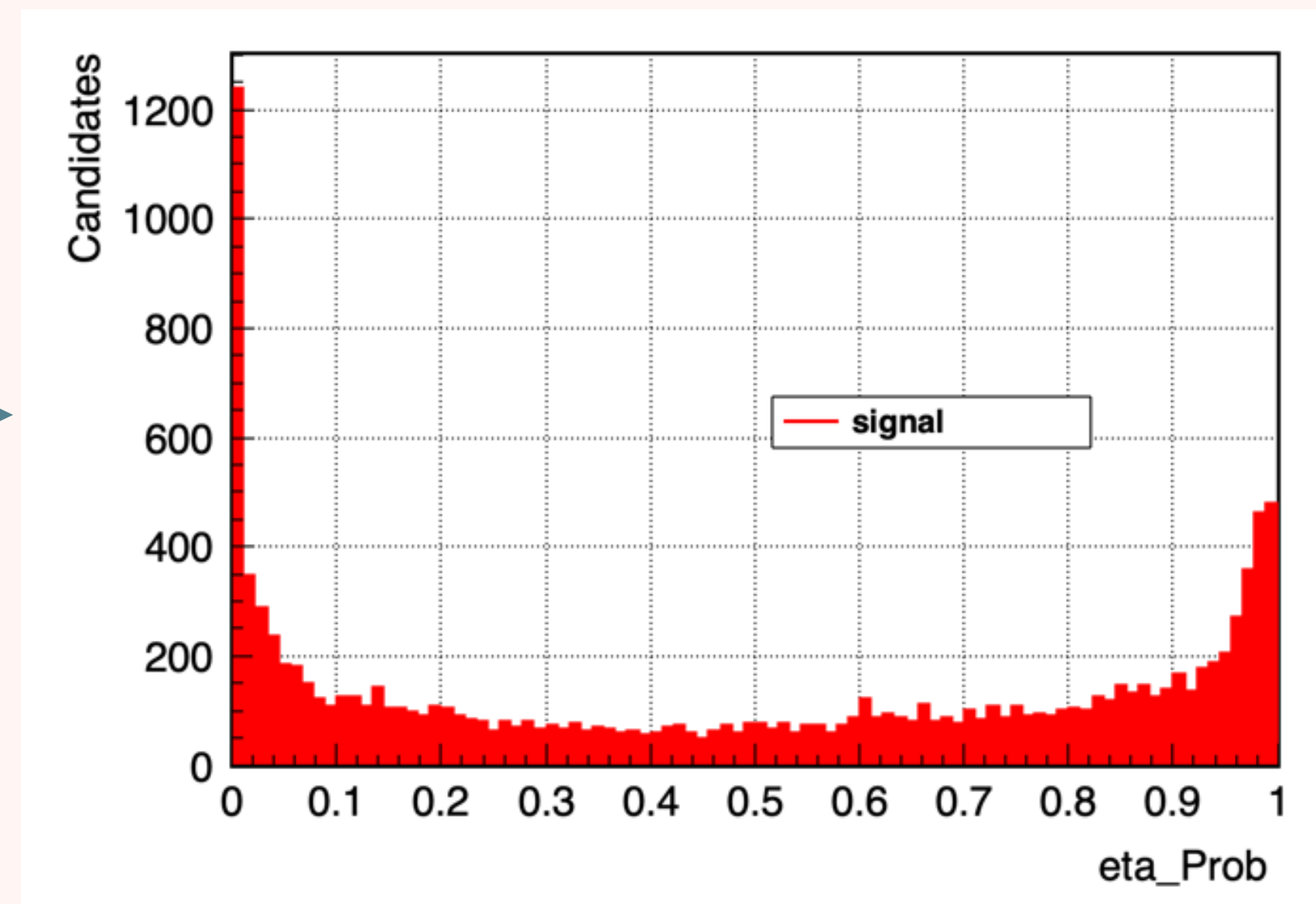
$\pi^0$  probability plot for pion mass hypothesis

$\pi^0$  probability plot for B- decay channel for electron mass hypothesis

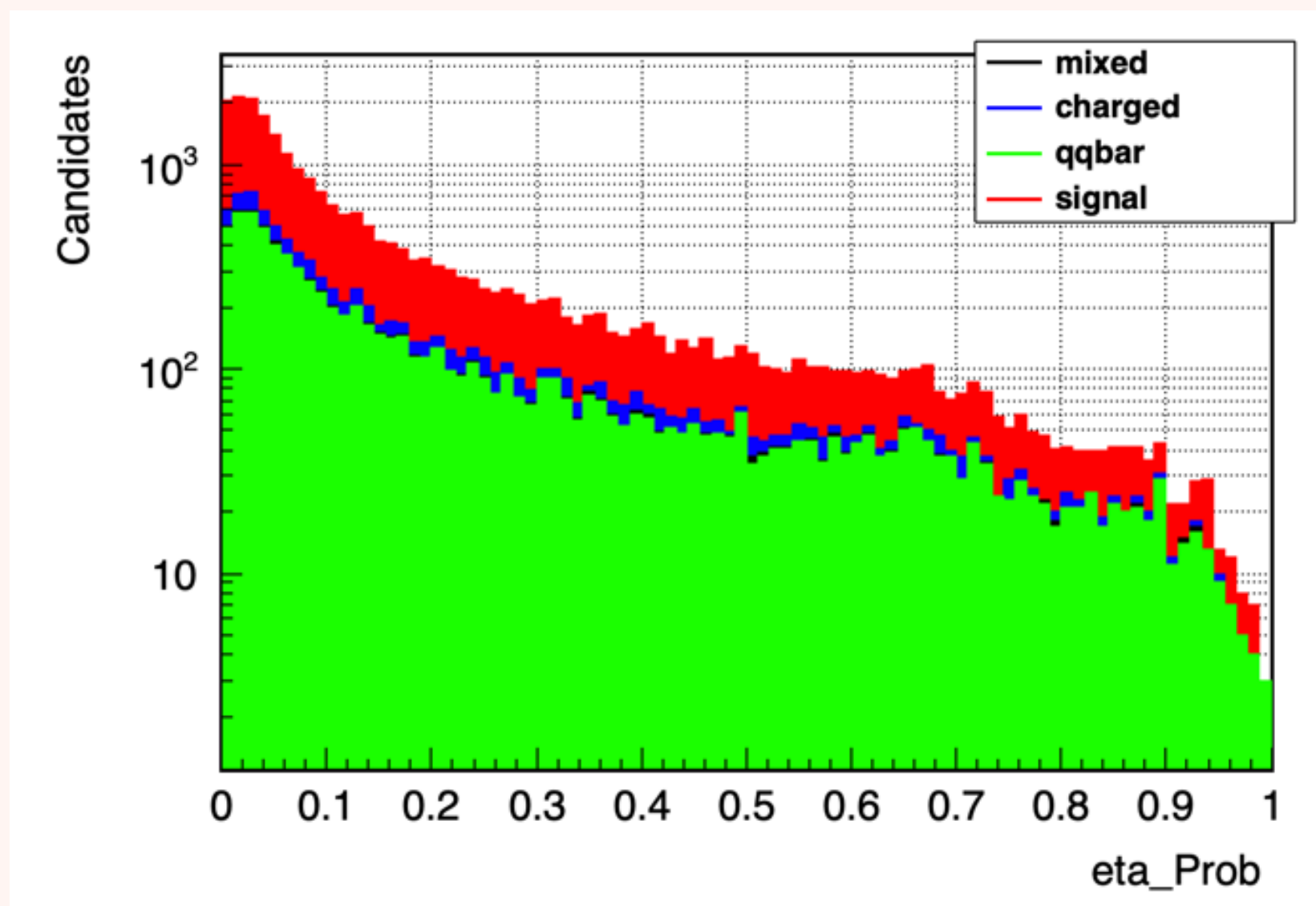
# $\eta$ PROBABILITY PLOT COMPARISON



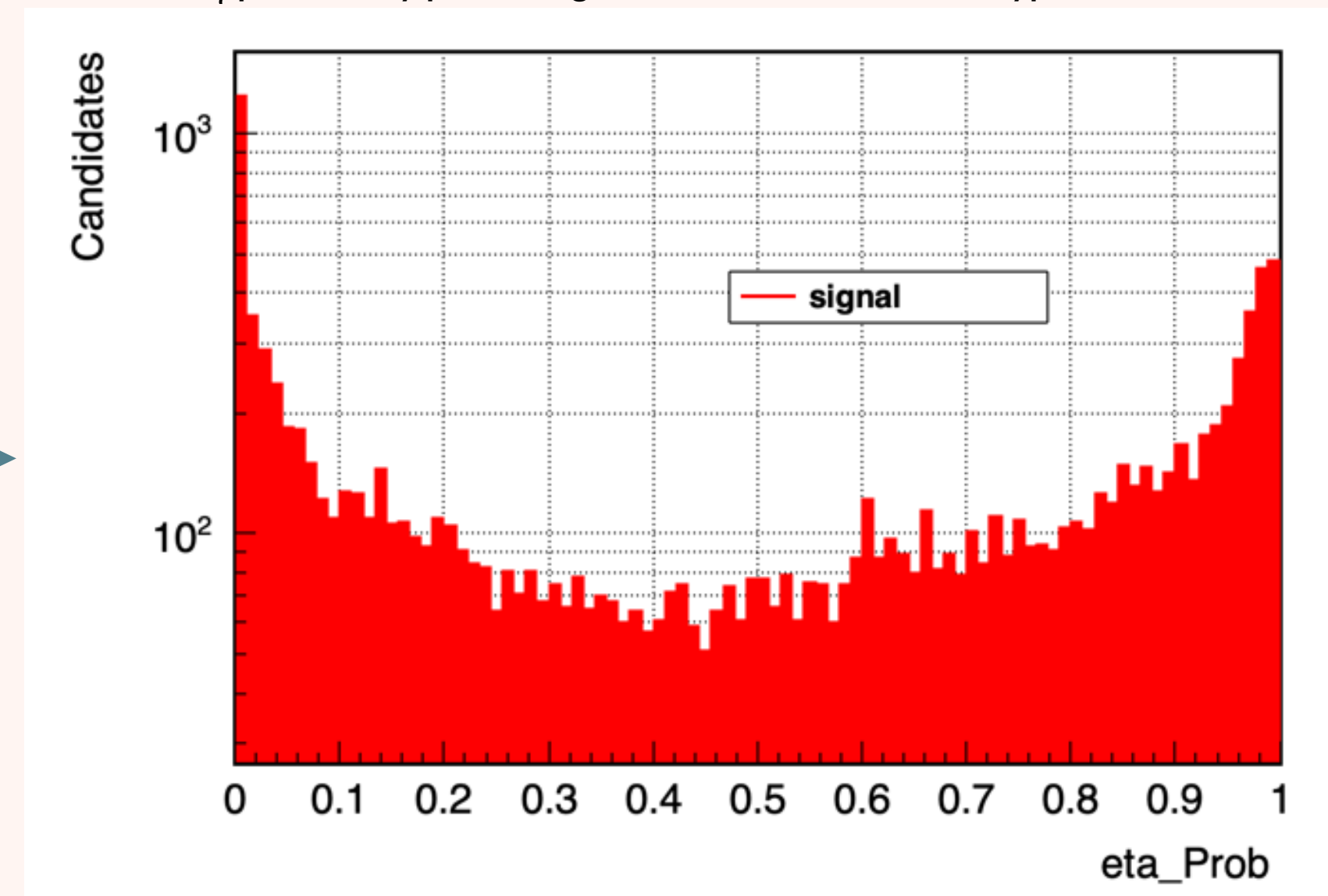
$\eta$  probability plot for pion mass hypothesis



$\eta$  probability plot in log scale for electron mass hypothesis



$\eta$  probability plot in log scale for pion mass hypothesis



$\eta$  probability plot in log scale for electron mass hypothesis

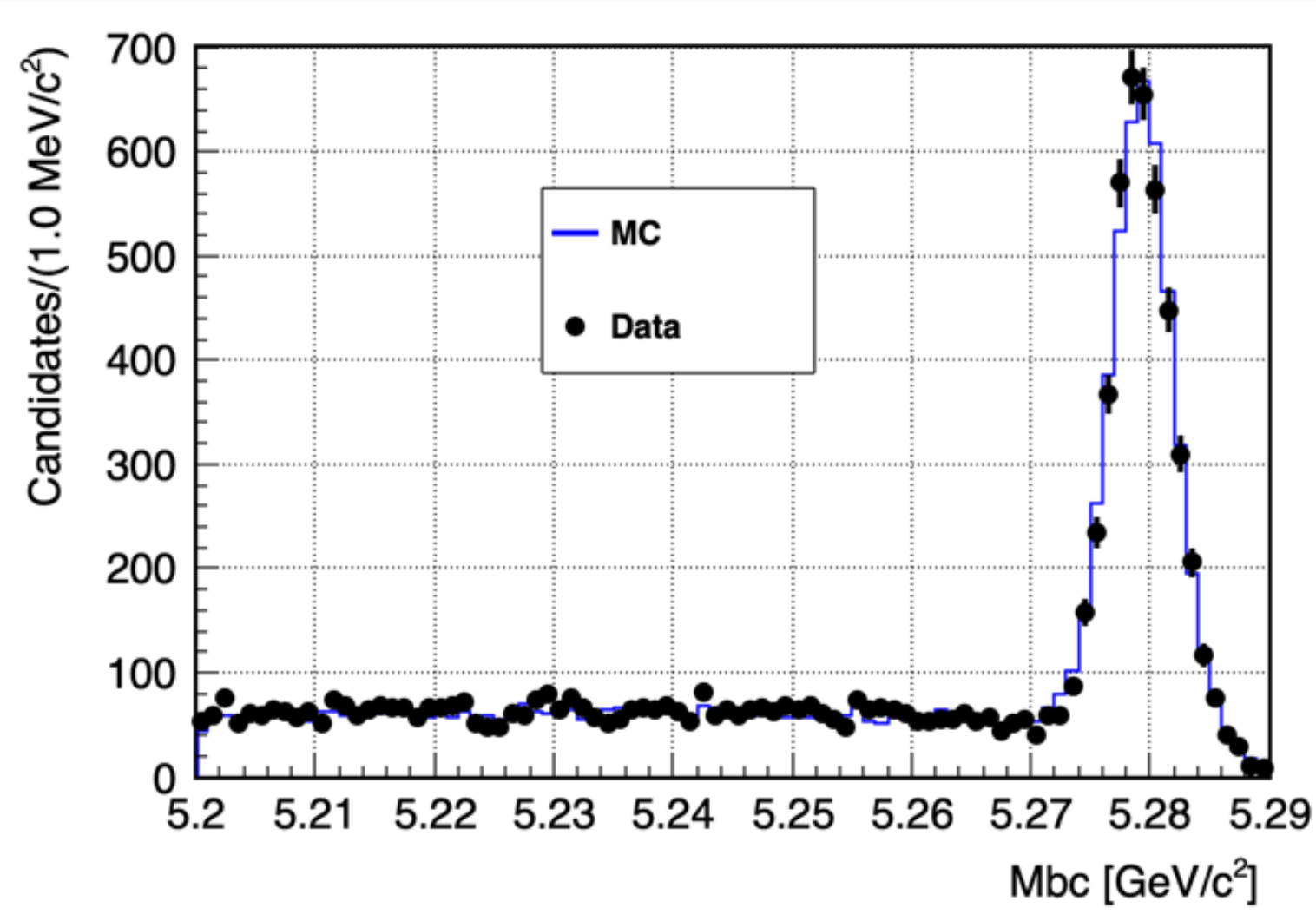
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**CASE : 1**

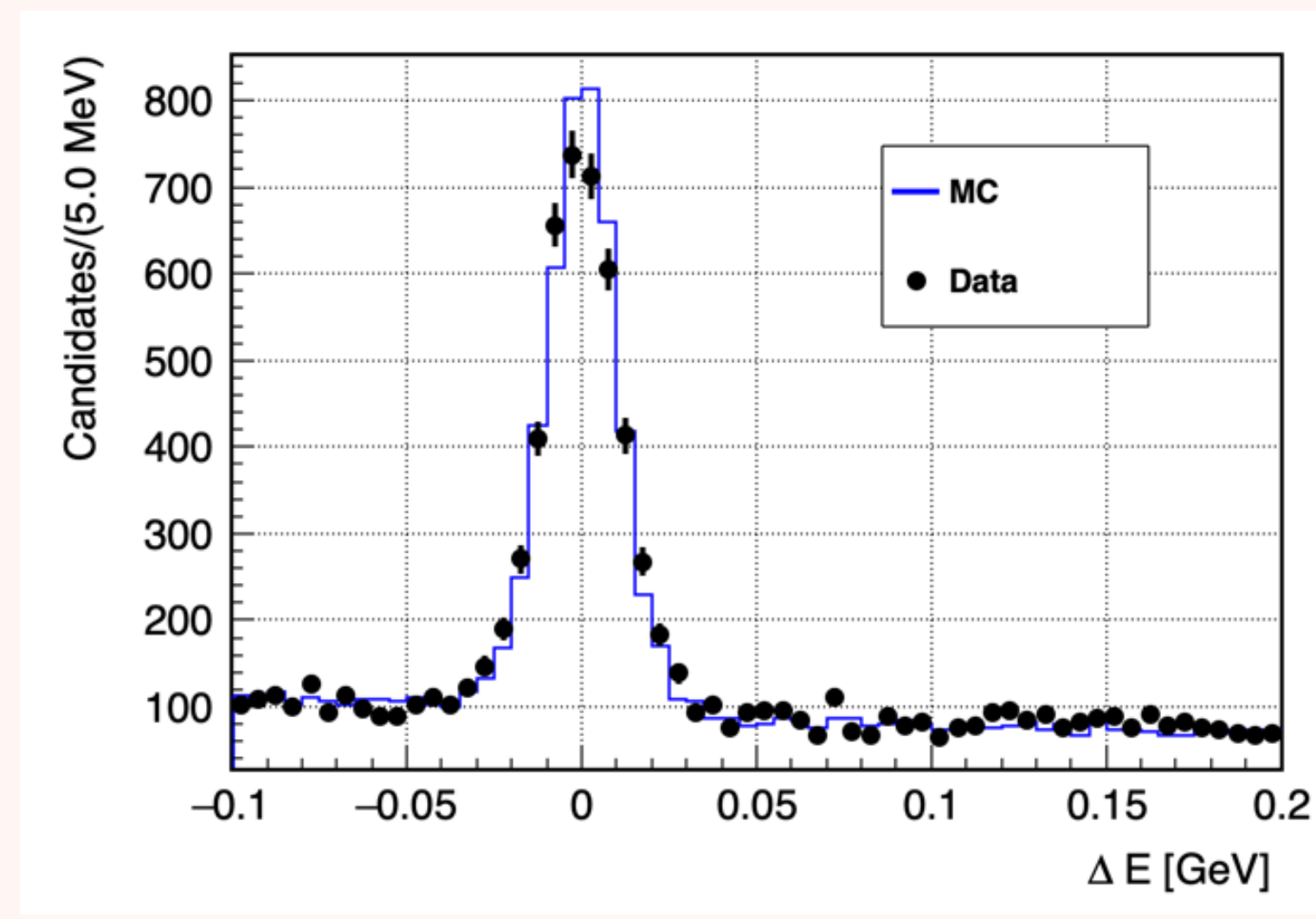
**FOR PION MASS HYPOTHESIS**

**RESOLVING  $\eta$  PROBABILITY**

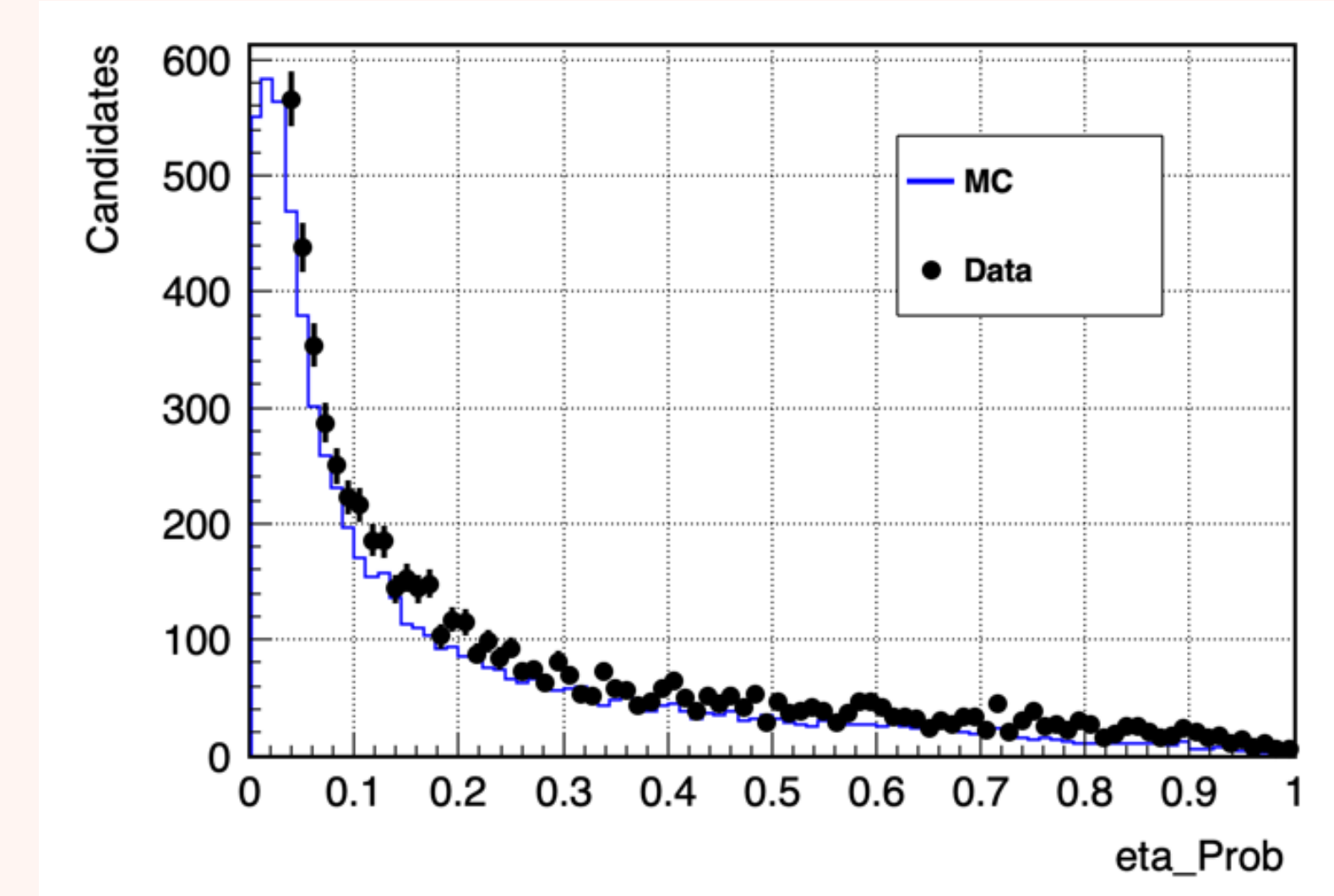
# DATA-MC AGREEMENT



Data-MC  $M_{bc}$  plot of  $B^-$  decay channel for  $\eta$



Data-MC  $\Delta E$  plot for  $B^-$  decay channel from  $\eta$



Data-MC agreement of  $\eta$  Prob plot

- **Comparison of several variables between Chunk2 Proc13 dataset and MC15ri\_a for  $B^- \rightarrow D^0 \pi^-$  channel.**
- **One can see non-negligible discrepancy between data and MC in  $B^- \rightarrow D^0 \pi^-$  channel.**



**BLUE** indicates the MC events



**Black** indicates the data with error bars.

# FITTING

New fit model for  $B^- \rightarrow D^0 \pi^-$  modes

Component	Shape $\Delta E$	Shape $M_{bc}$	Parameters	Yield
Continuum	Exponential	ARGUS	Floated	Floated
$B\bar{B}$	CB	CB	Fixed	Fixed
$B^- \rightarrow D^0 \pi^-$	Cruiff	Gaussian	Floated	Floated

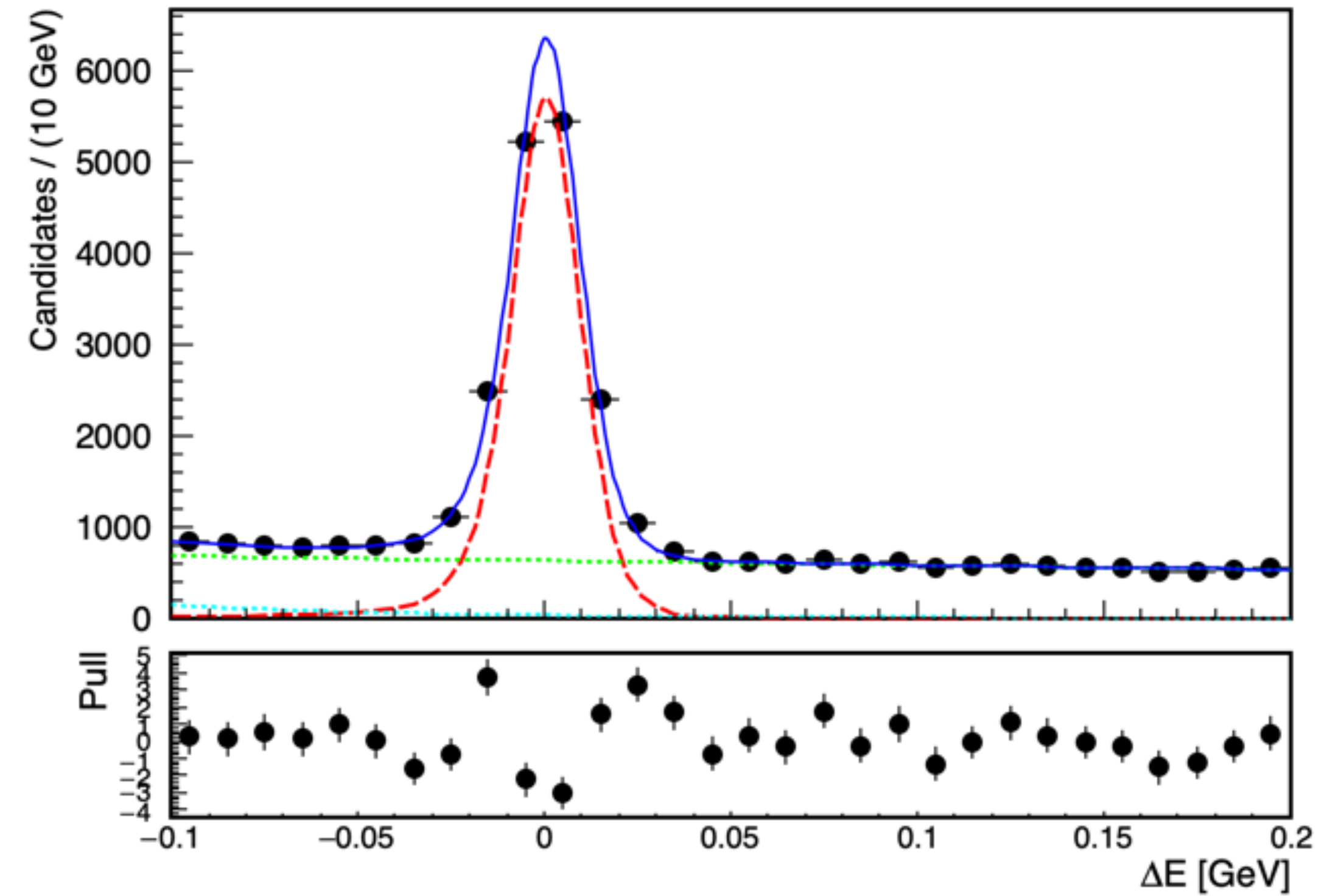
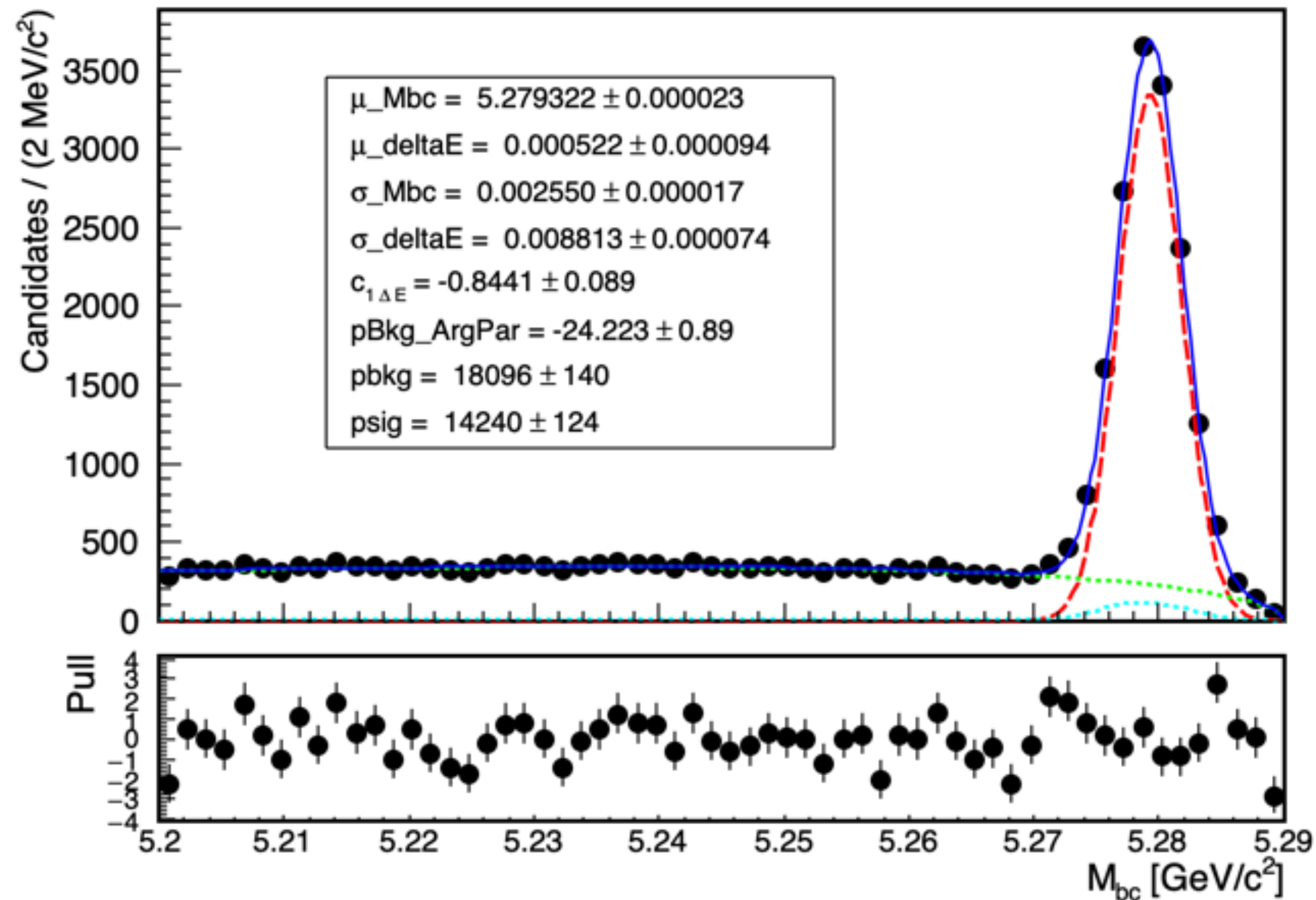
$B\bar{B}$  Background yield- 863      Signal yield- 13718      Percentage - 6.03%

$B\bar{B}$  combinatorial background can have a peaking component in signal region ( $M_{bc} > 5.28 \text{ (GeV/c}^2\text{)}$ ). Thus combinatorial background distribution is modeled by Crystal Ball (CB) and kept fixing with the fitting results of MC.

## CUTS USED

- Kaon and pion BinaryPiD cut - " $DO\_Km\_binaryPID\_211\_321 < 0.6 \ \&\& \ DO\_pip\_binaryPID\_211\_321 > 0.6 \ \&\& \ piF\_binaryPID\_211\_321 > 0.6$ "
- nCDCHits Cut - " $piF\_nCDCHits > 20 \ \&\& \ DO\_Km\_nCDCHits > 20 \ \&\& \ DO\_pip\_nCDCHits > 20$ "
- chiProb cut - " $chiProb > 0.001$ "
- DO mass cut - " $1.855 < DOM < 1.875$ "

# 2D-MC- $M_{bc}\Delta E$ FIT FOR ETA



2D MC-  $M_{bc}$  Fit

2D-MC- $\Delta E$  Fit

$M_{bc}$  - Single Gaussian  
 $\Delta E$  - Cruiff

\* Signal Yield (Fit) =  $14305 \pm 124$

$<< 1\sigma$

\* Signal Yield (TM) = 14240

\* Background Yield (Fit) -  $18096 \pm 140$

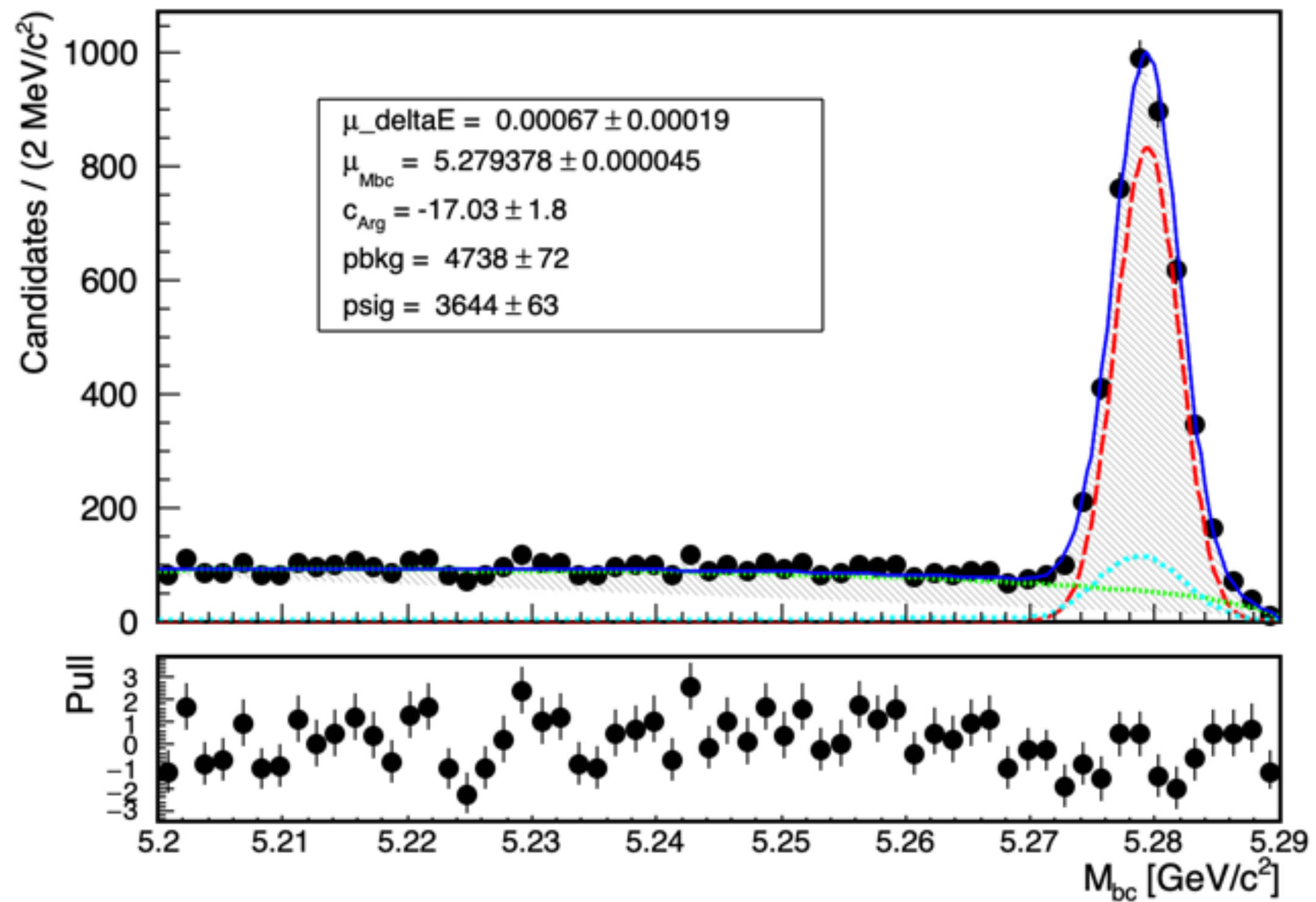
$<< 1\sigma$

\* Background Yield (TM)- 18066

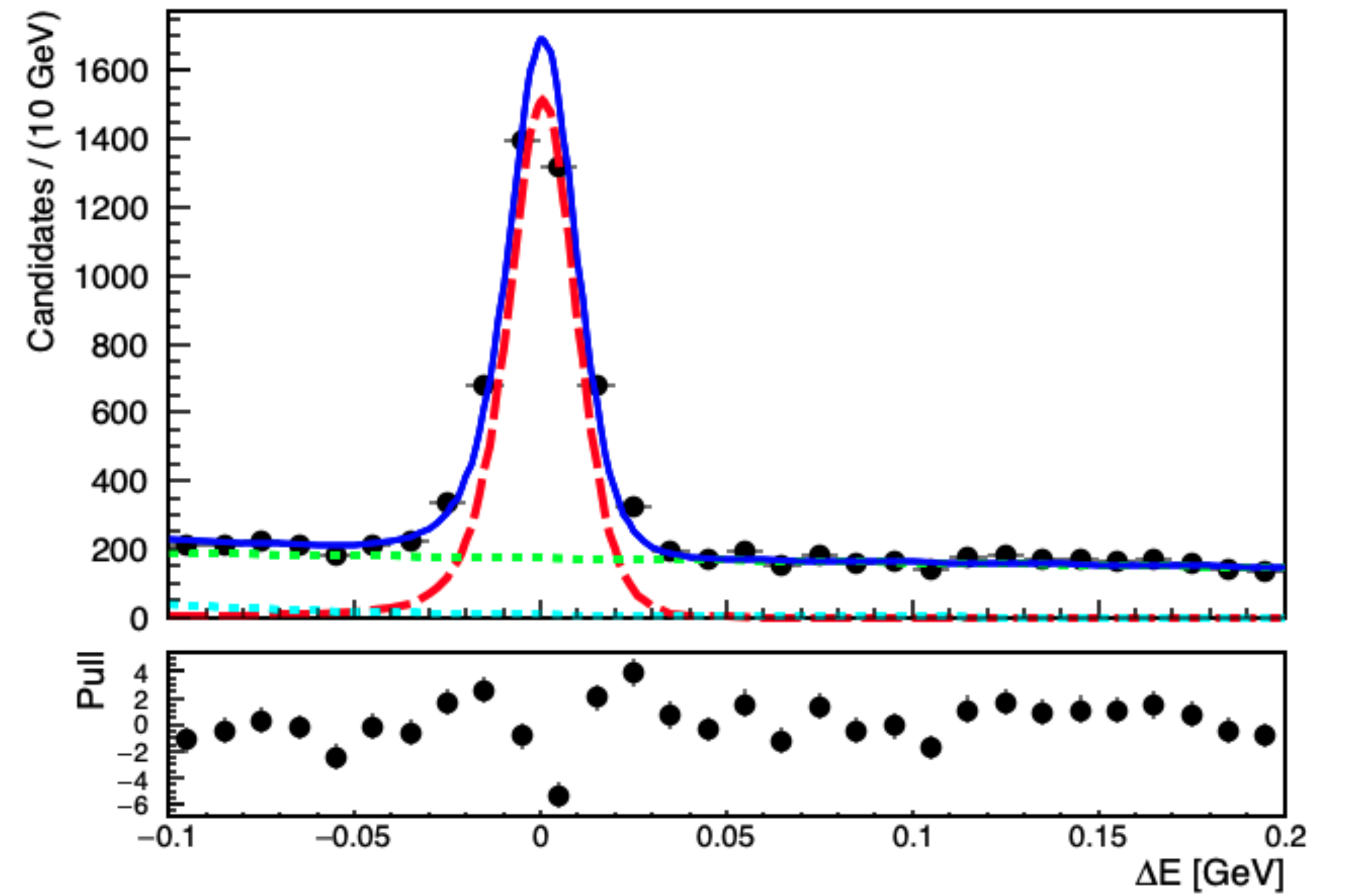
\* Background Yield (charged)- 863

Green - Background  
 Red- signal  
 Cyan -  $B\bar{B}$  (charged + mixed)  
 Blue- Both

# DATA 2D- $M_{bc}\Delta E$ FIT



2D  $M_{bc}$  Fit



New 2D  $\Delta E$  Fit

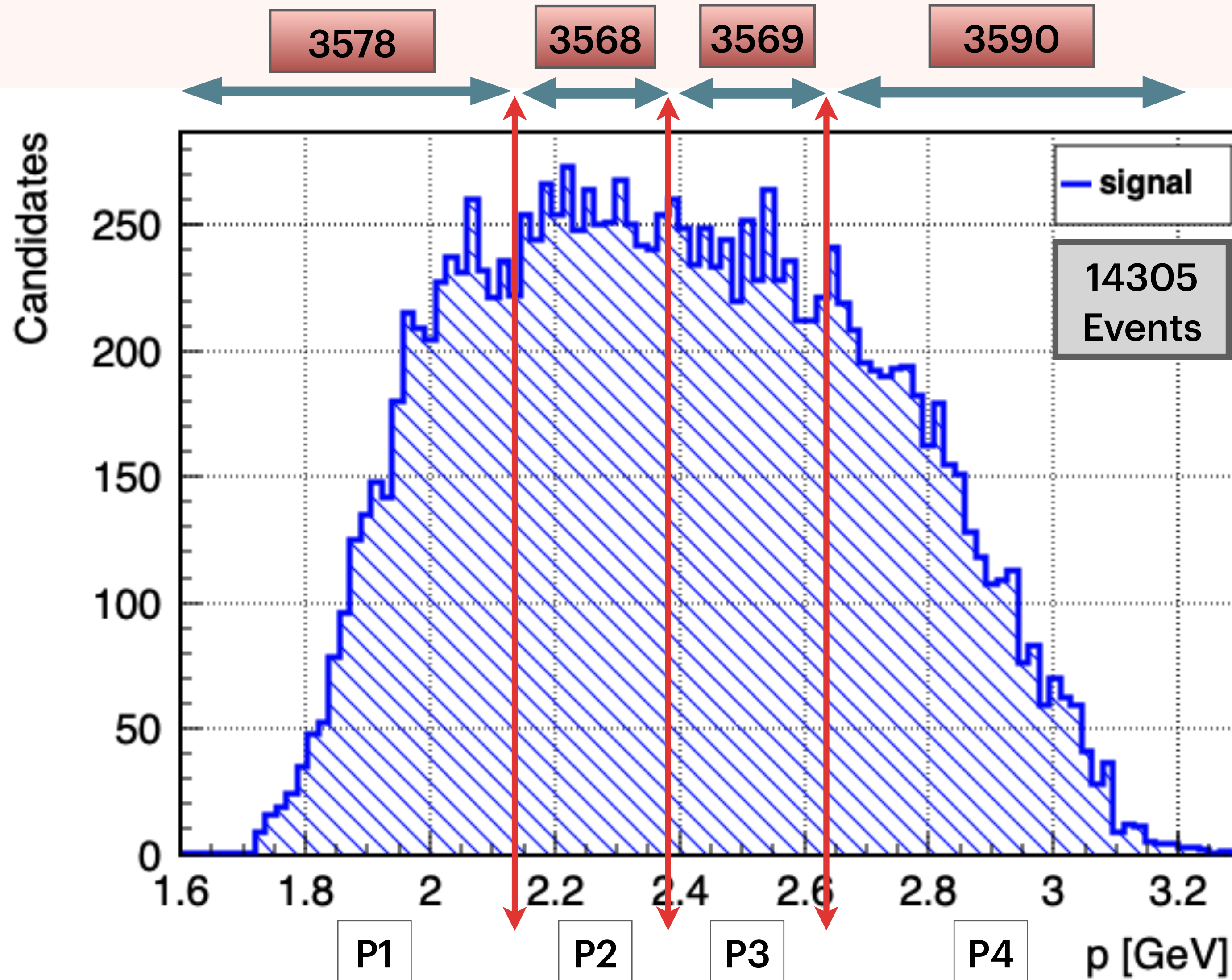
Green - Background  
 Red - signal  
 Cyan -  $B\bar{B}$  (charged + mixed)  
 Blue - Both

# SYSTEMATICS FOR PION MASS HYPOTHESIS

Mode	$\epsilon_{Data}$	$\epsilon_{MC}$	$R_{Data/MC}$
$B^- \rightarrow D^0 [K^- \pi^+] \pi^-$	$0.9606 \pm 0.0031$	$0.9596 \pm 0.0017$	$1.0010 \pm 0.0036$

$$\epsilon_{Data} = \frac{Fit_{etaProb<0.8}^{Data}}{Fit_{etaProb>0.8}^{Data} + Fit_{etaProb<0.8}^{Data}} \quad \epsilon_{MC} = \frac{Fit_{etaProb<0.8}^{MC}}{Fit_{etaProb>0.8}^{MC} + Fit_{etaProb<0.8}^{MC}}$$





Momentum( $p_{iF_p}$ ) Binning distribution

## MOMENTUM BINNING

- Divided the momentum into 4 bins -  $p_1, p_2, p_3, p_4$
- $1.6 < p < 2.142$  indicates  $p_1$  consists of 3578 signal events
- $2.142 < p < 2.381$  indicates  $p_2$  consists of 3568 signal events
- $2.381 < p < 2.638$  indicates  $p_3$  consists of 3569 signal events
- $2.638 < p < 3.3$  indicates  $p_4$  consists of 3590 signal events

# MOMENTUM BINNING SYSTEMATICS

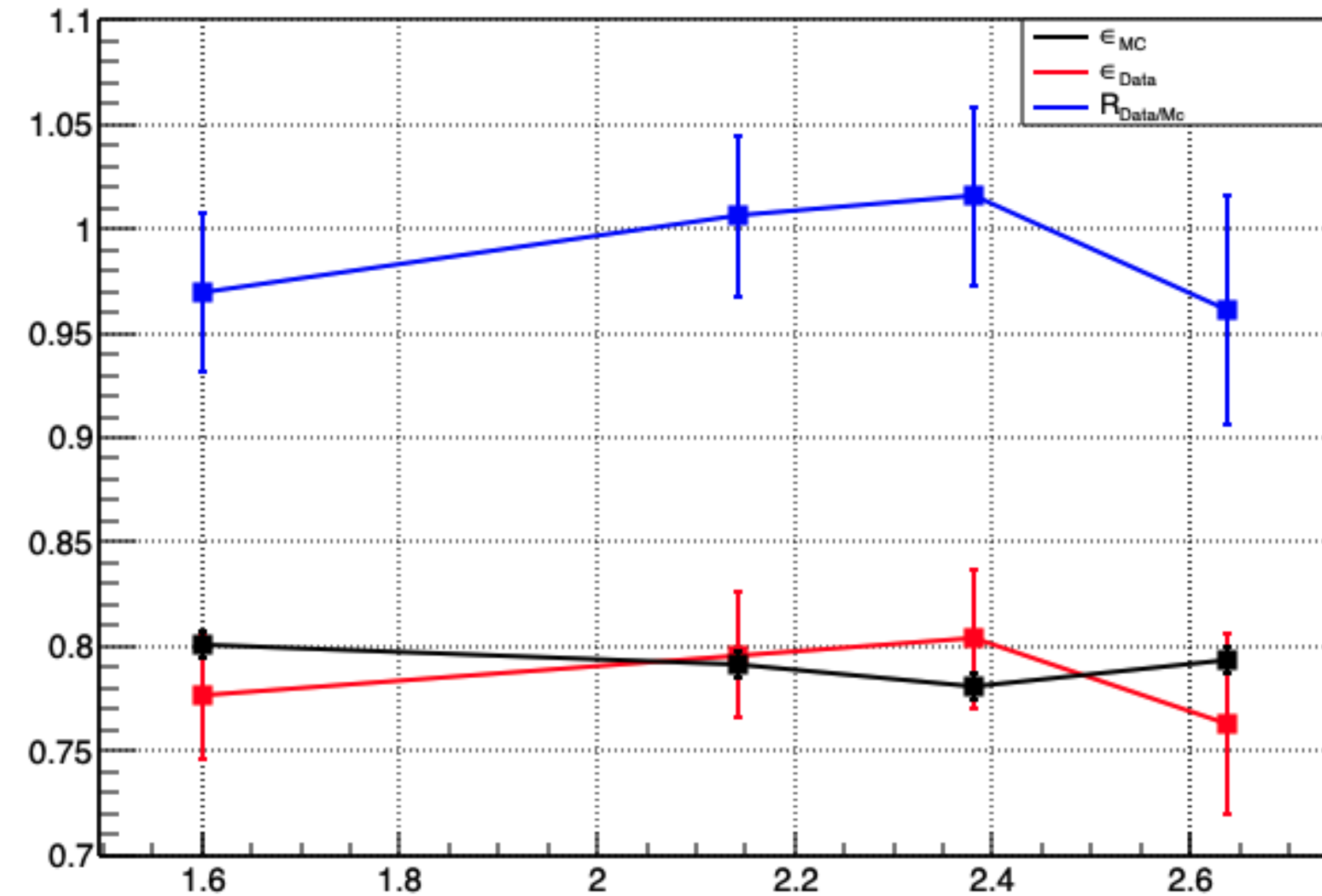
piF\_p bin distribution

	$\epsilon_{MC}$	$\epsilon_{DATA}$	$R_{Data/MC}$
P_1 (1.6 < p < 2.142)	$0.8010 \pm 0.0063$	$0.7765 \pm 0.0301$	$0.9694 \pm 0.0383$
P_2 (2.142 < p < 2.381))	$0.7917 \pm 0.0063$	$0.7963 \pm 0.0295$	$1.0058 \pm 0.0381$
P_3 (2.381 < p < 2.638)	$0.7813 \pm 0.0064$	$0.8041 \pm 0.0332$	$1.0156 \pm 0.0427$
P_4 (2.638 < p < 3.3)	$0.7941 \pm 0.0063$	$0.7633 \pm 0.0431$	$0.9612 \pm 0.0548$

$$\epsilon_{Data} = \frac{Fit_{etaProb<0.8}^{Data}}{Fit_{etaProb>0.8}^{Data} + Fit_{etaProb<0.8}^{Data}}$$

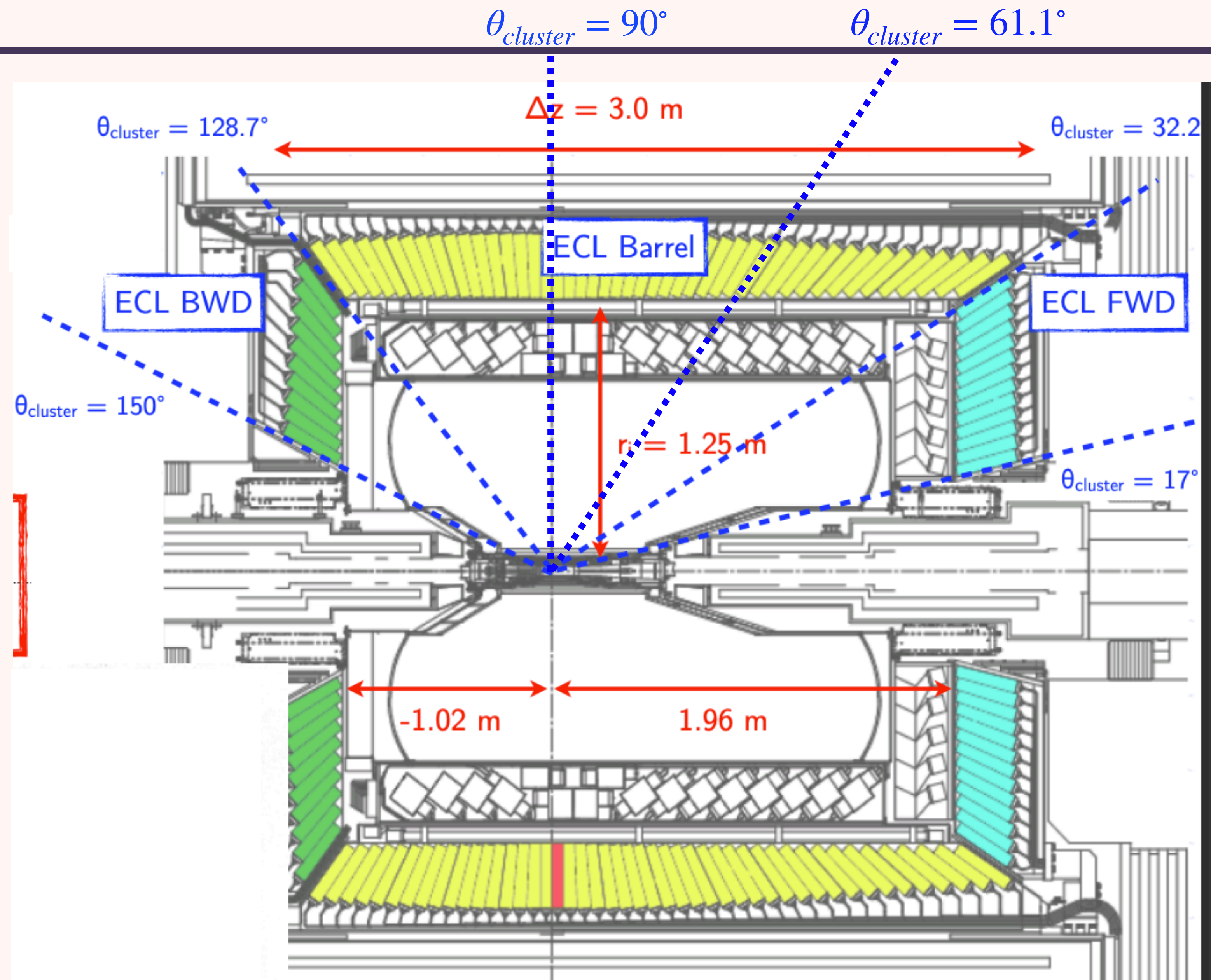
$$\epsilon_{MC} = \frac{Fit_{etaProb<0.8}^{MC}}{Fit_{etaProb>0.8}^{MC} + Fit_{etaProb<0.8}^{MC}}$$

Graph

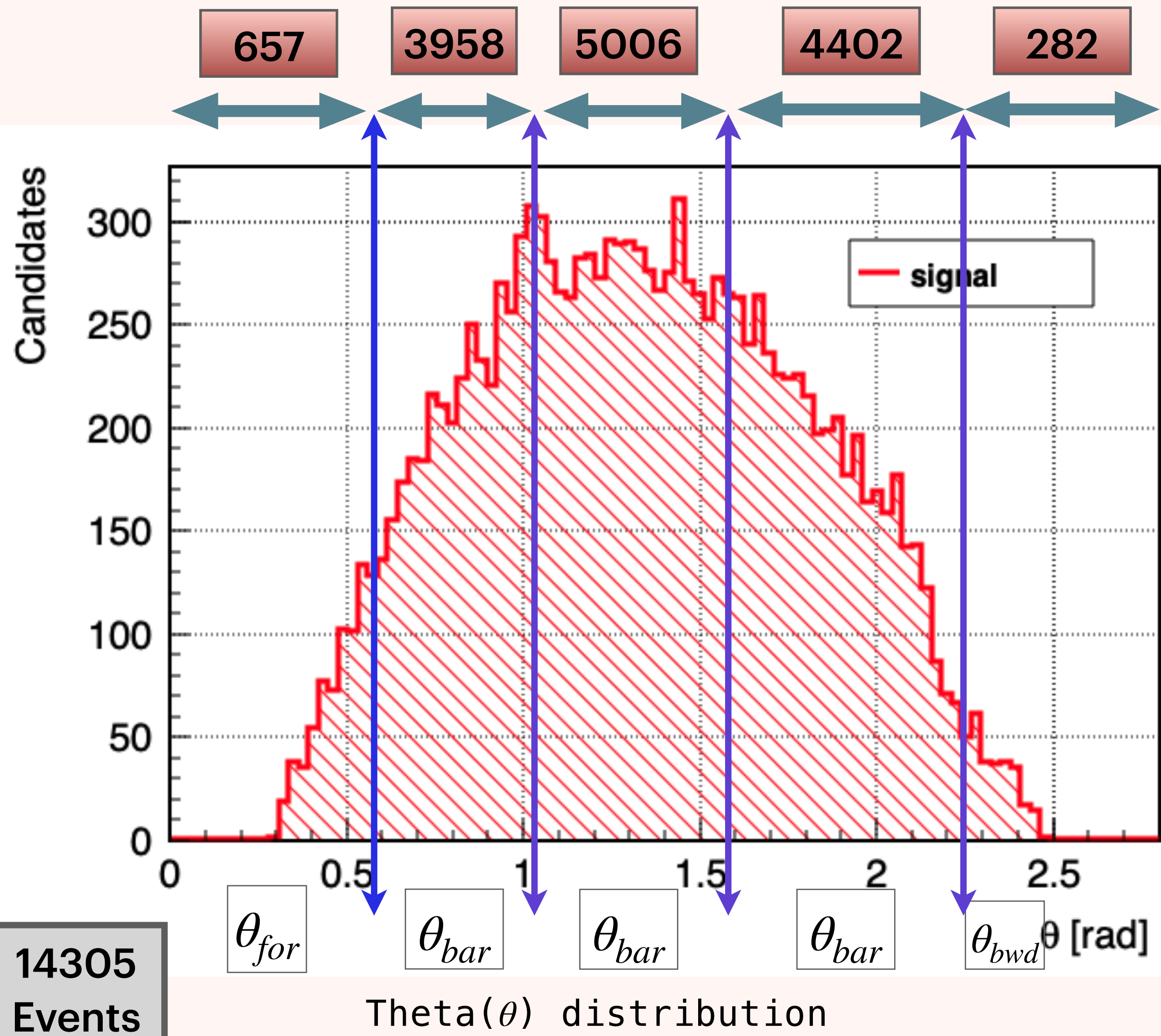


Systematics distribution for the Momentum (piF\_p) Binning

# THETA BINNING



# THETA BINNING



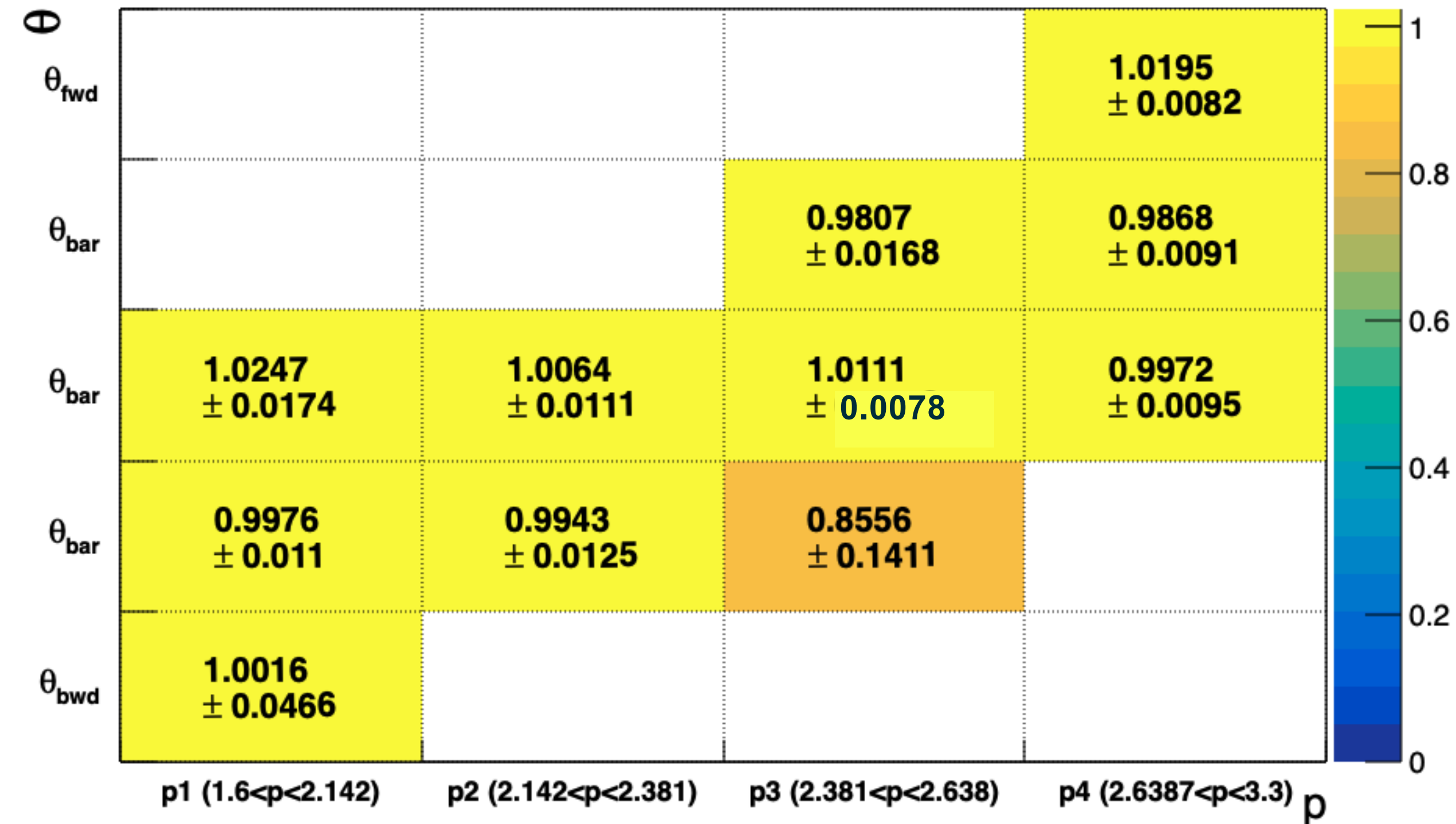
## ➤ Divided the Theta into 5 parts -

- $\theta_{for}$  - **Forward endcap region**  $17^\circ < \theta_{for} < 32.2^\circ$  or  $0.297 < \theta_{for} < 0.562$  (rad)
- $\theta_{bar}$  - **Barrel region**  $32.2^\circ < \theta_{bar} < 61.1^\circ$  or  $0.562 < \theta_{bar} < 1.0664$  (rad)
- $\theta_{bar}$  - **Barrel region**  $61.1^\circ < \theta_{bar} < 90^\circ$  or  $1.0664 < \theta_{bar} < 1.571$  (rad)
- $\theta_{bar}$  - **Barrel region**  $90^\circ < \theta_{bar} < 128.7^\circ$  or  $1.571 < \theta_{bar} < 2.246$  (rad)
- $\theta_{bwd}$  - **Backward endcap region**  $128.7^\circ < \theta_{bwd} < 150^\circ$  or  $2.246 < \theta_{bwd} < 2.618$  (rad)

# MOMENTUM THETA BINNING SYSTEMATICS

	P_1 (1.6 < p < 2.142)	P_2 (2.142 < p < 2.381))	P_3 (2.381 < p < 2.638)	P_4 (2.638 < p < 3.3)
Theta1 (fwd)				1.0195 ± 0.0082
Theta2 (bar)			0.9807 ± 0.0168	0.9868 ± 0.0091
Theta2 (bar)	1.0247 ± 0.0174	1.0064 ± 0.0111	1.011 ± 0.0078	0.9972 ± 0.0095
Theta 4 (bar)	0.9976 ± 0.011	0.9943 ± 0.0125	0.8556 ± 0.1411	
Theta 5 (bwd)	1.0016 ± 0.0466			

$R_{Data/Mc}$  Tabular Distribution



$R_{Data/Mc}$  colz 2D Distribution

---

# **ACKNOWLEDGEMENT**

**Dr. Gagan B. Mohanty- TIFR, Mumbai**

**Rahul Tiwari- 5th year PhD TIFR, Mumbai**

**Dr. Md Nasim - IISER Berhampur**

**Dr. Sandeep Chatterjee - IISER Berhampur**

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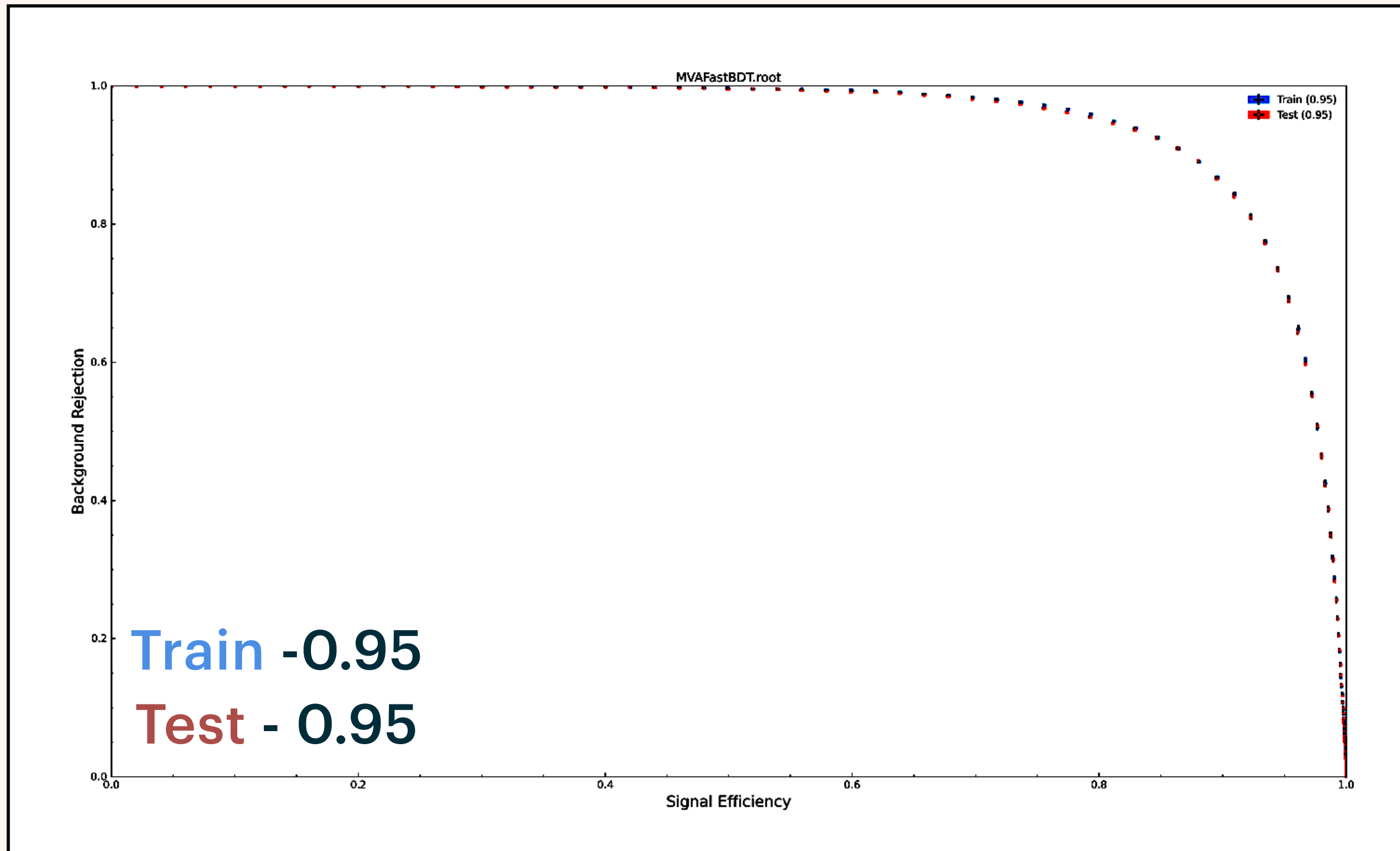
**THANK YOU.**

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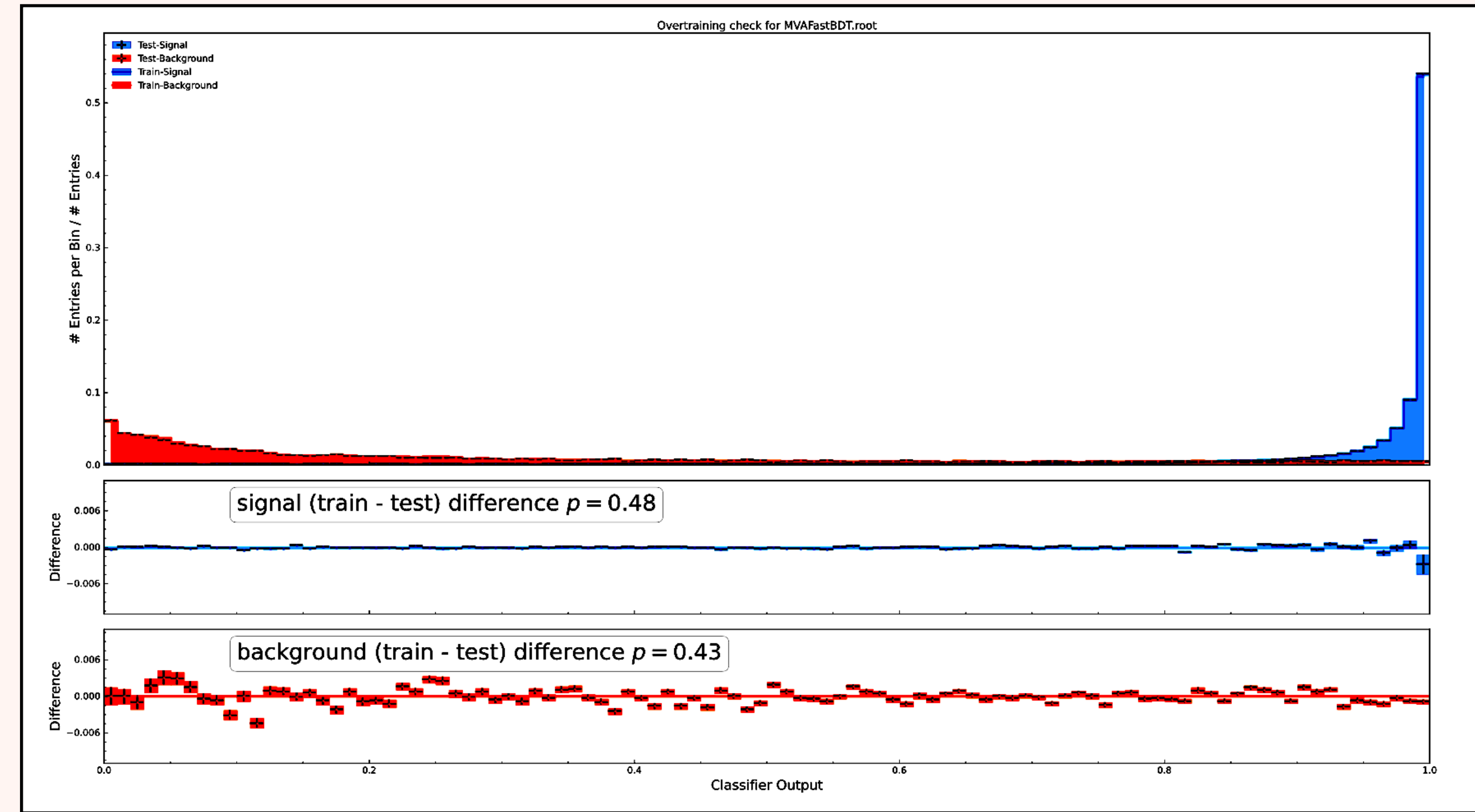
# **BACK UP SLIDES**



# ROC CURVE AND KS PLOT FOR LOOSE CUT



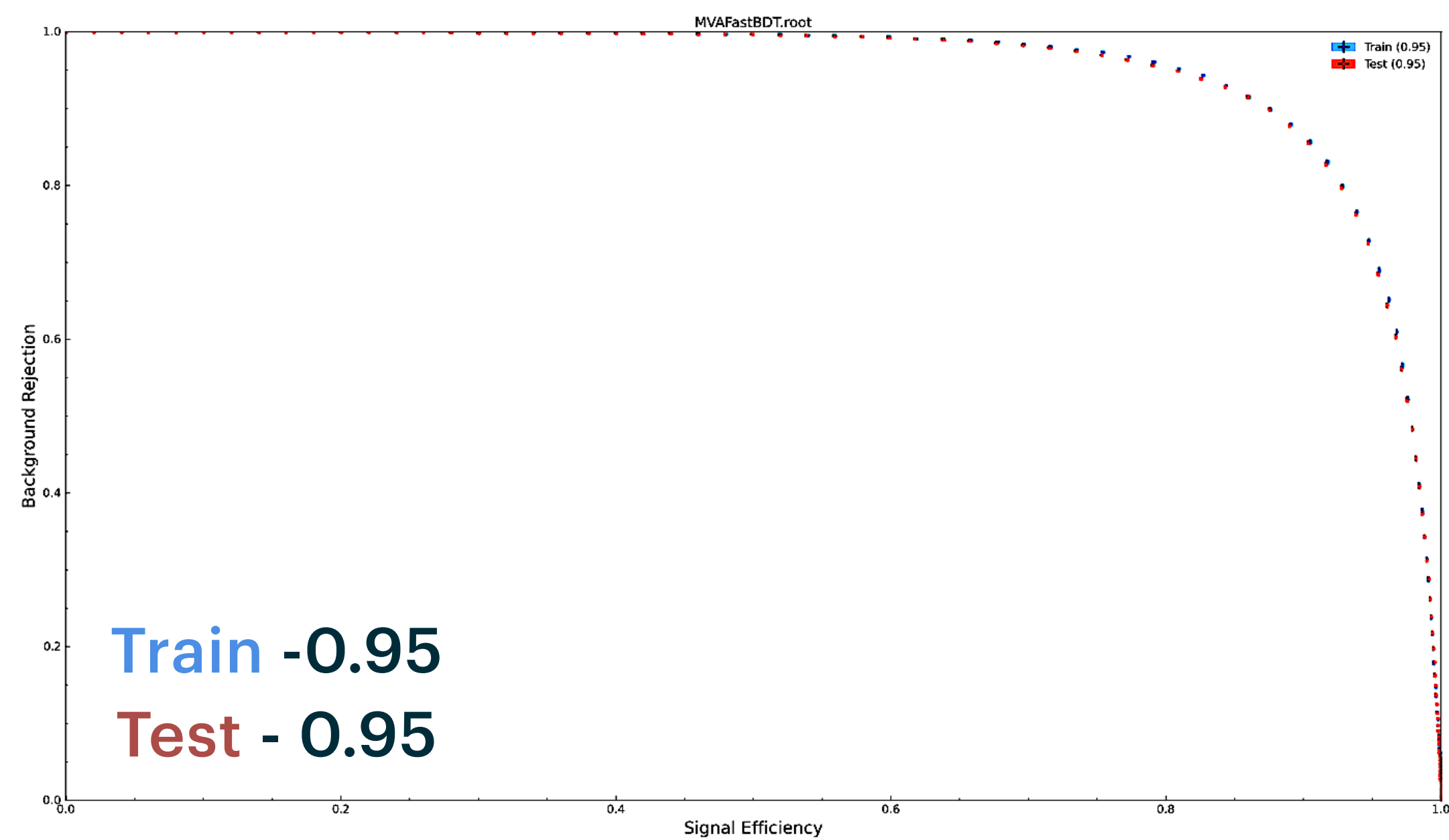
ROC plot of pi0 for Loose Cut



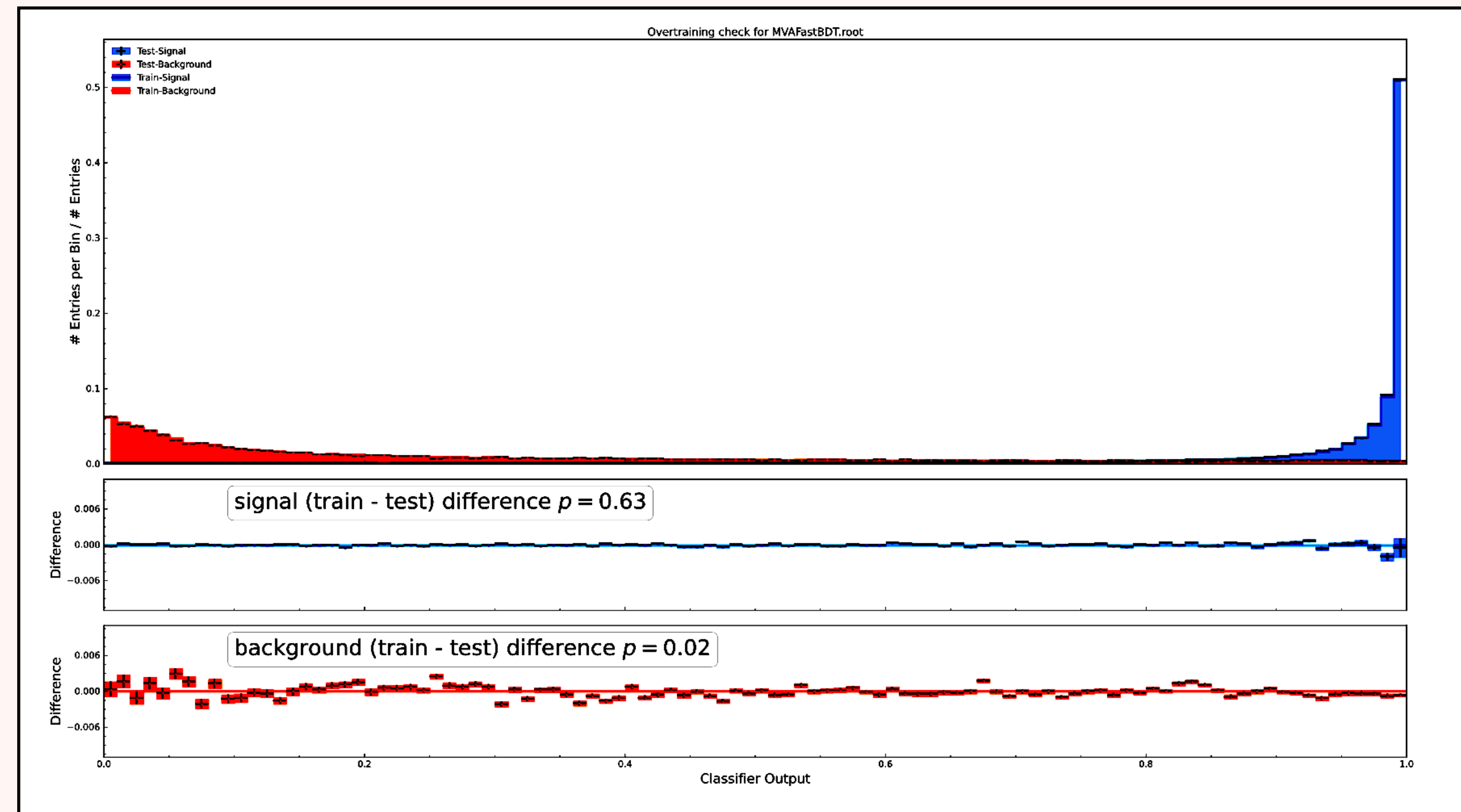
Ks probability plot of pi0 for Loose Cut

\*KS test probability greater than 0.05 for signal and background. • We conclude that the MVA is not overtrained.

# ROC CURVE AND KS PLOT FOR STANDARD CUT

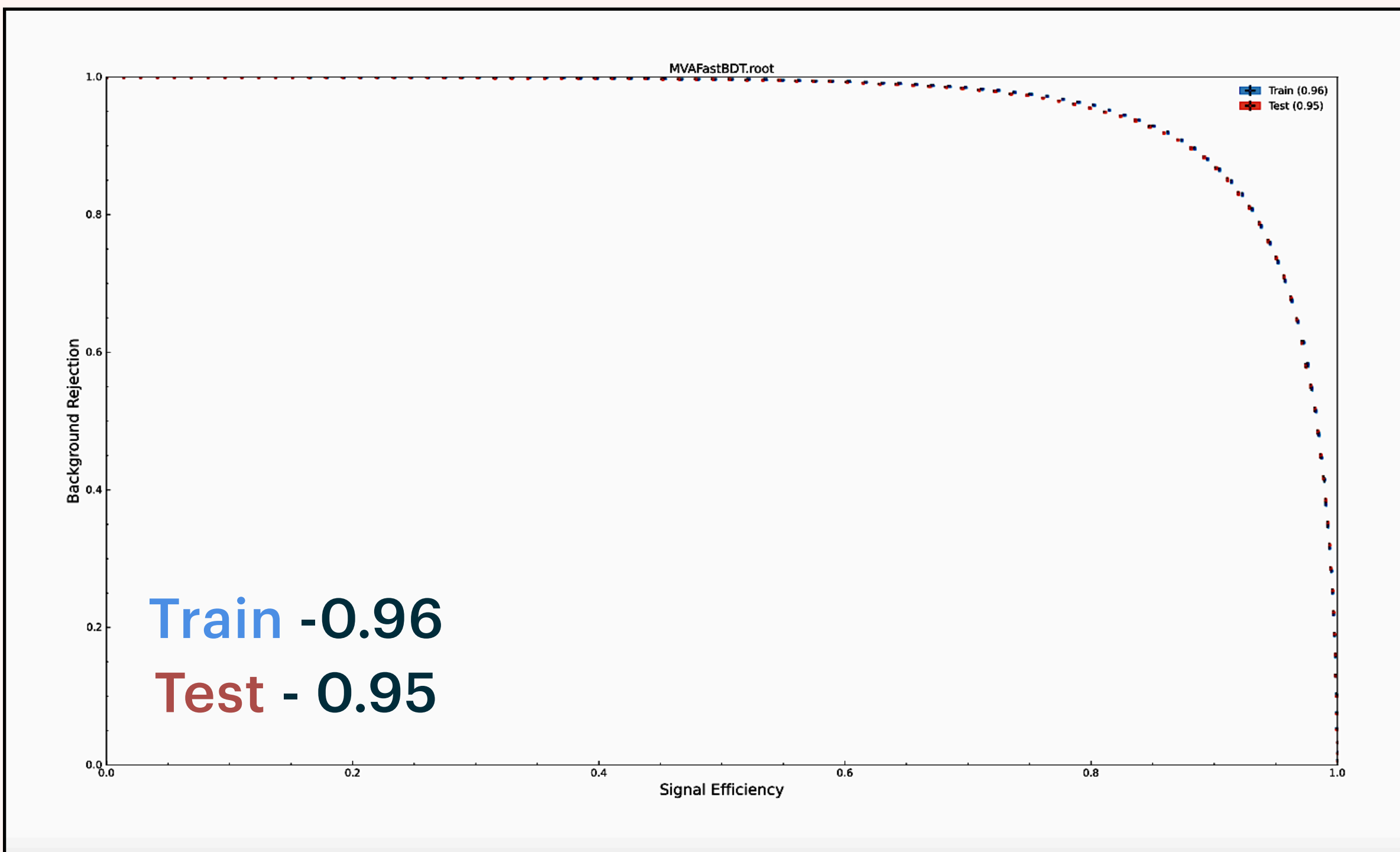


ROC plot of pi0 for Standard Cut

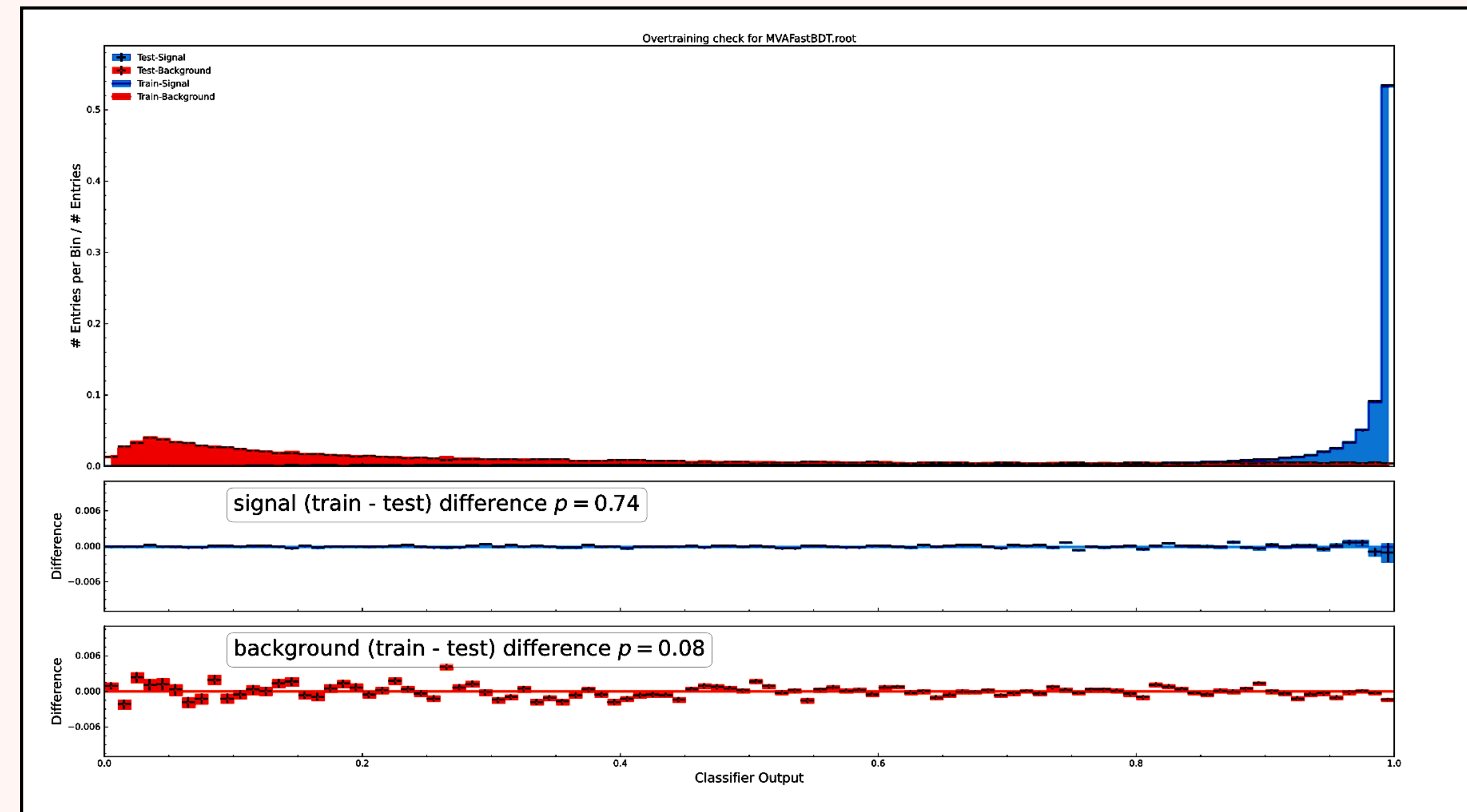


Ks probability plot of pi0 for Standard Cut

# ROC CURVE AND KS PLOT FOR TIGHT CUT

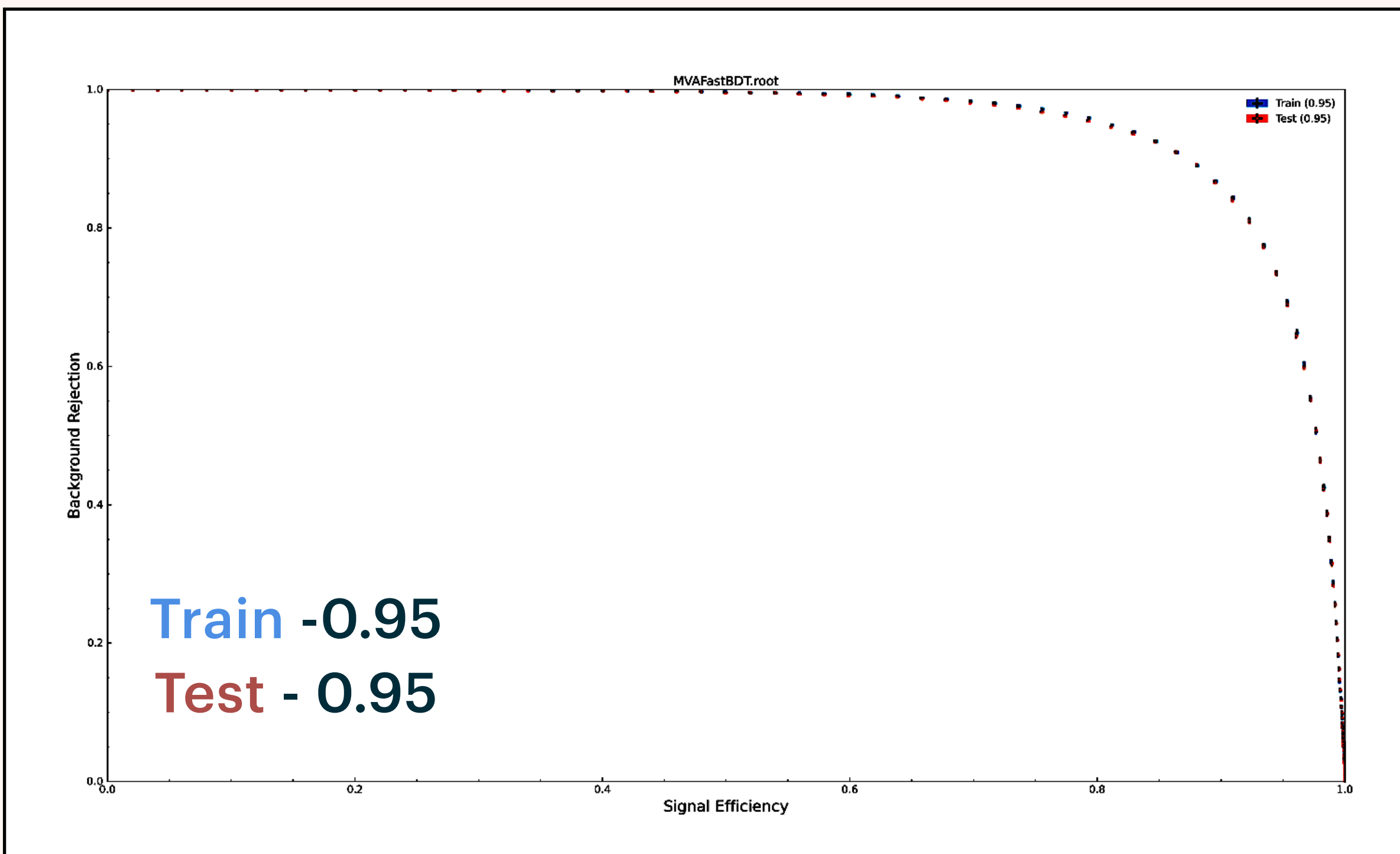


ROC plot of pi0 for Tight Cut

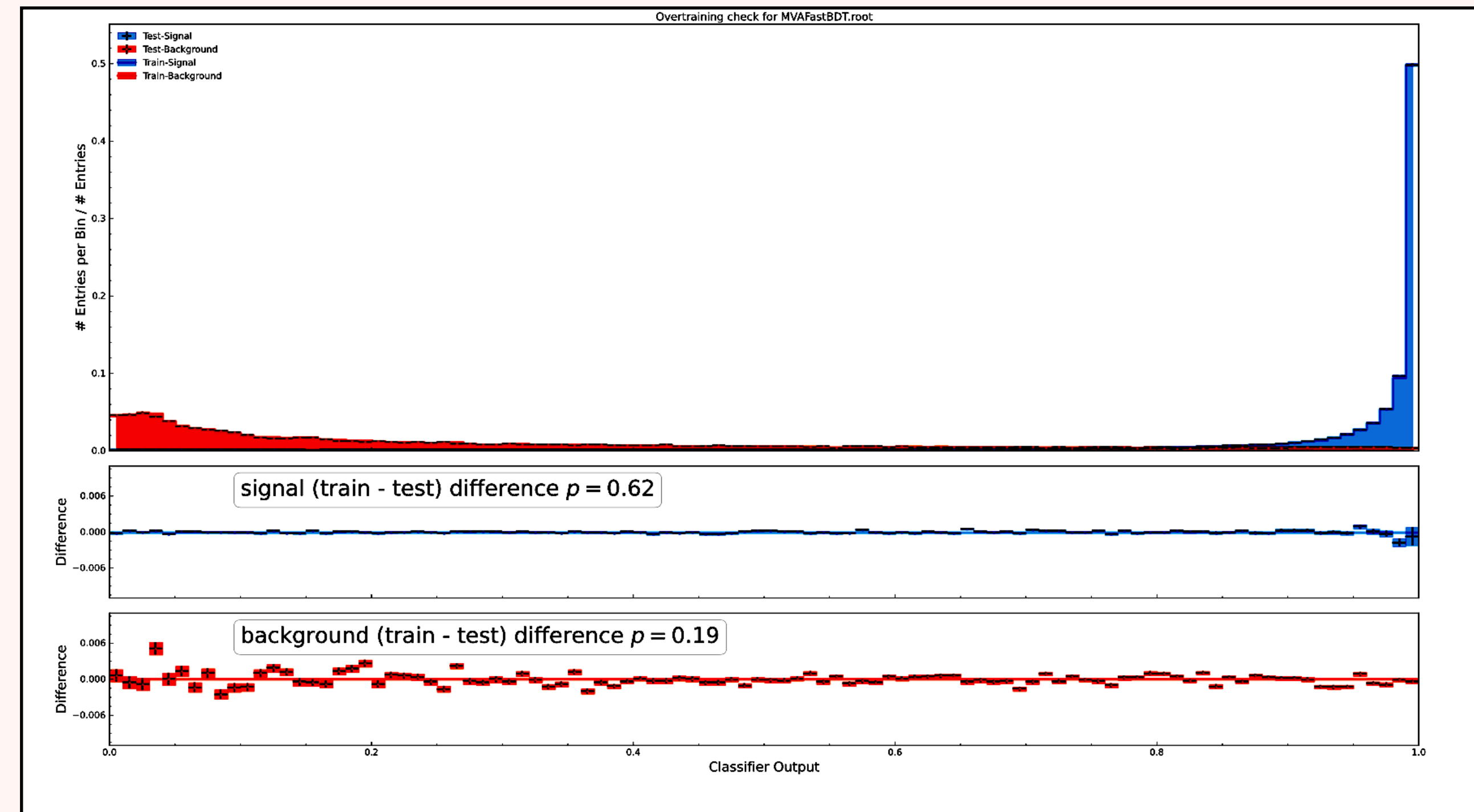


Ks probability plot of pi0 for Tight Cut

# ROC CURVE AND KS PLOT FOR CLUSTER CUT

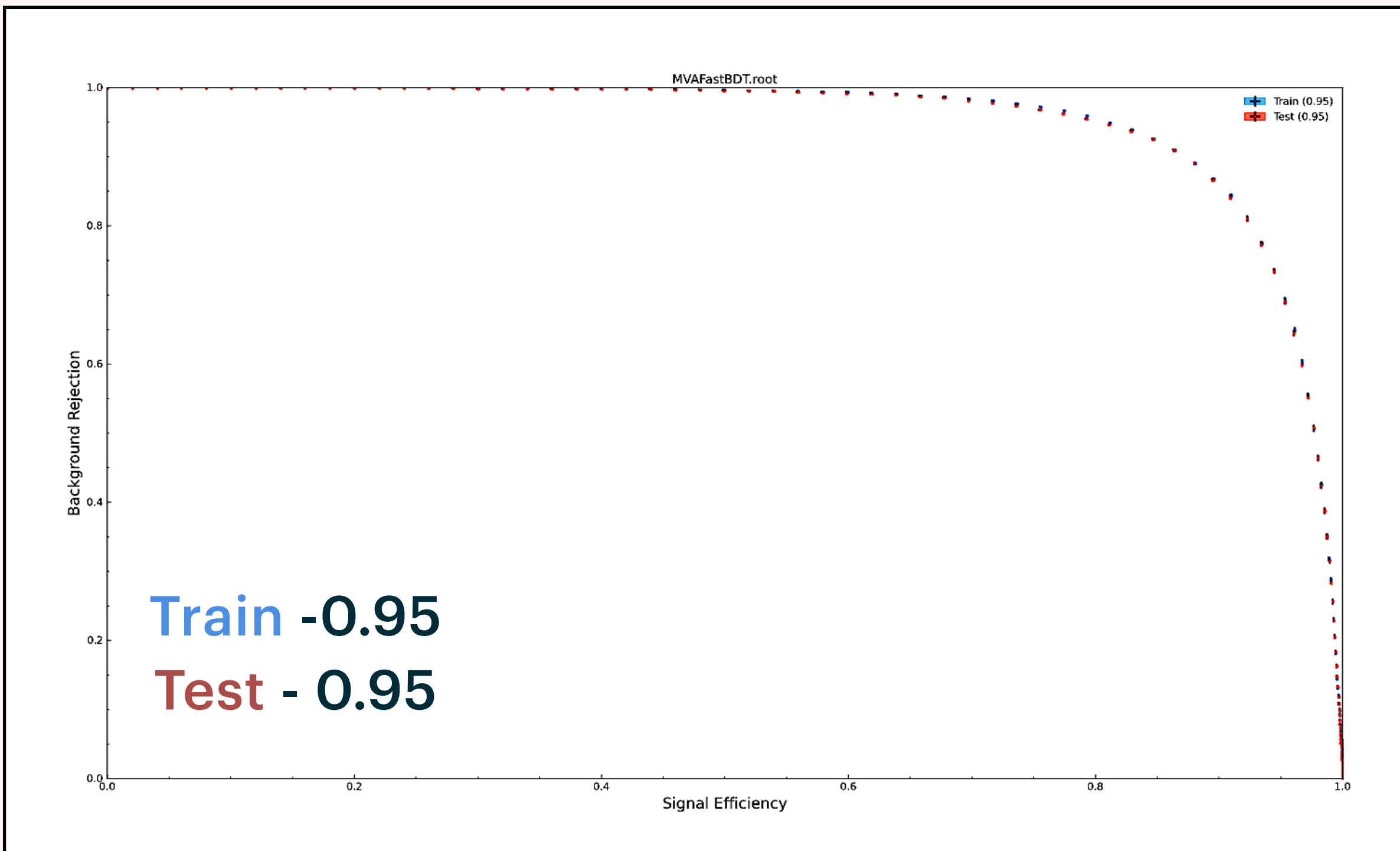


ROC plot of pi0 for Cluster Cut

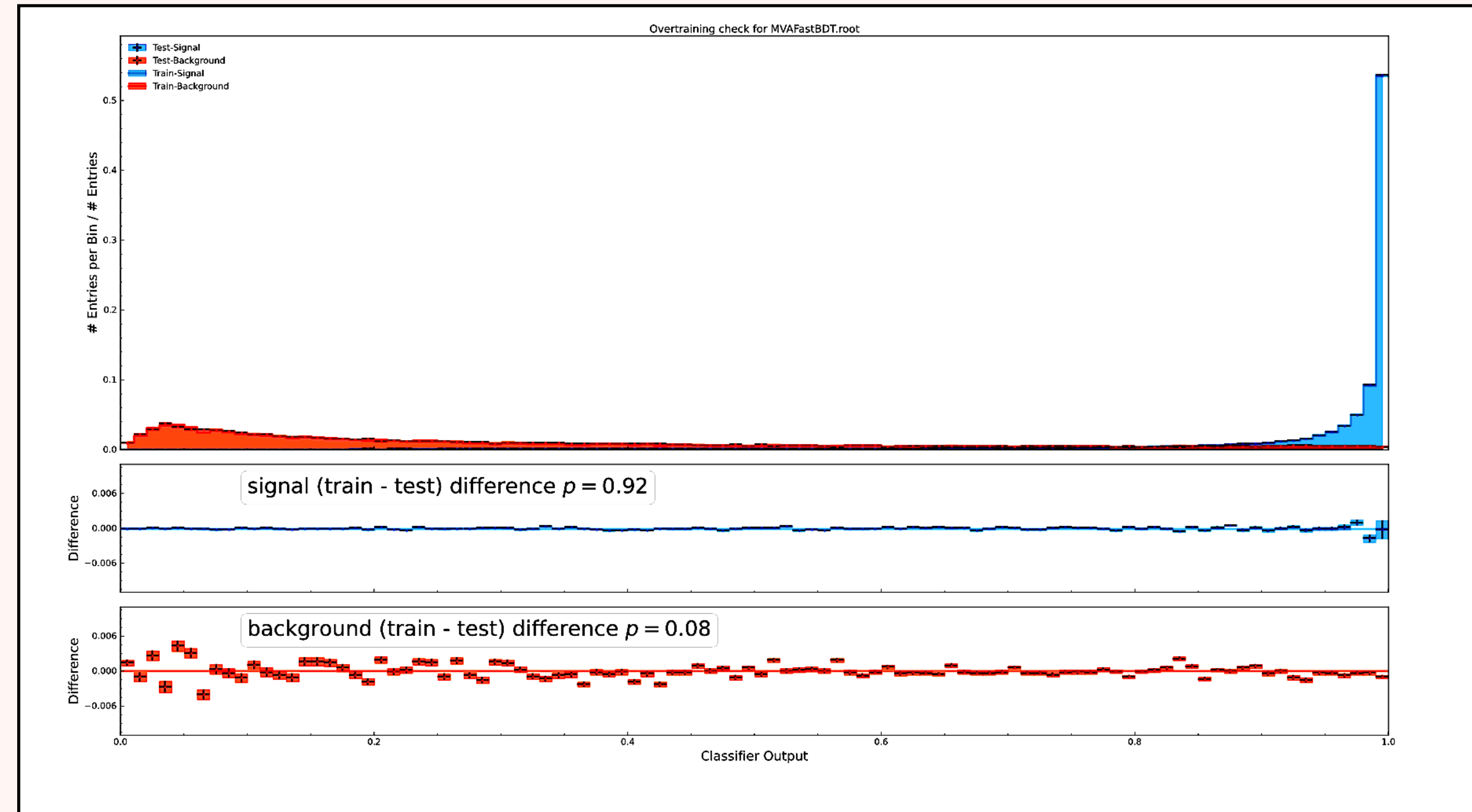


Ks probability plot of pi0 for Cluster Cut

# ROC CURVE AND KS PLOT FOR BOTH CUT



ROC plot of pi0 for Both Cut



Ks probability plot of pi0 for Both Cut

---

# CUT FLOW TABLE FOR ROC AND KS

	<b>Train</b>	<b>Test</b>
Loose	0.95	0.95
Standard	0.95	0.95
Tight	0.96	0.95
Cluster	0.95	0.95
Both	0.95	0.95

ROC TABLE

	<b>P_sig</b>	<b>P_bkg</b>
Loose	0.48	0.43
Standard	0.63	0.02
Tight	0.74	0.08
Cluster	0.62	0.19
Both	0.92	0.08

KS PROBABILITY TABLE

---

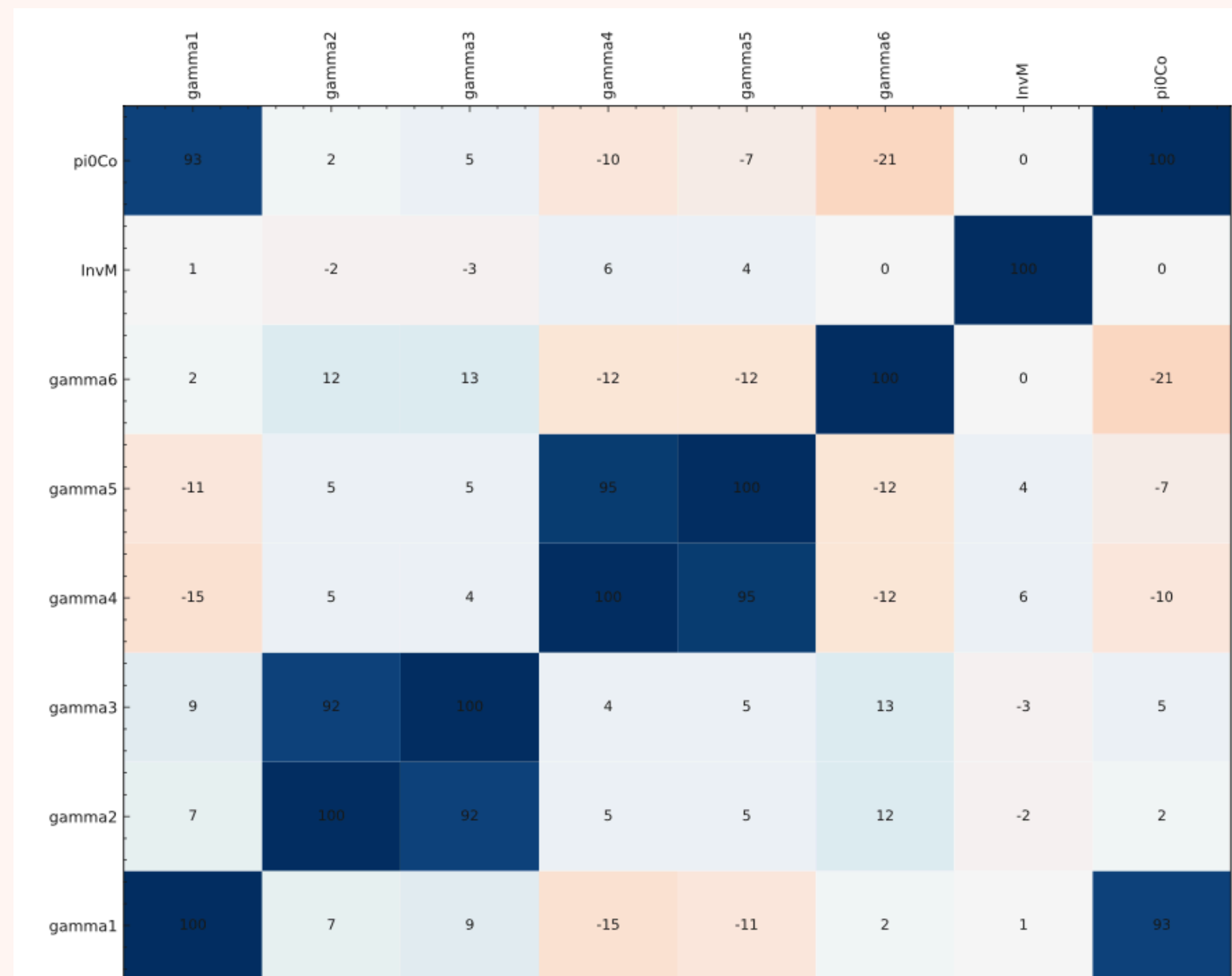
# KS FOR DIFFERENT VARIABLES

KS Probability plot	P_Signal	P_Bkg
pi0CosHel	0.0369	0.62
InvM	0.008	0.529
gamma_soft_E	0.8185	0.5438
gamma_soft_minC2TDist	0.588	0.603
gamma_soft_ZernikeMVA	0.639	0.433
gamma_soft_clusterTheta	0.618	0.534

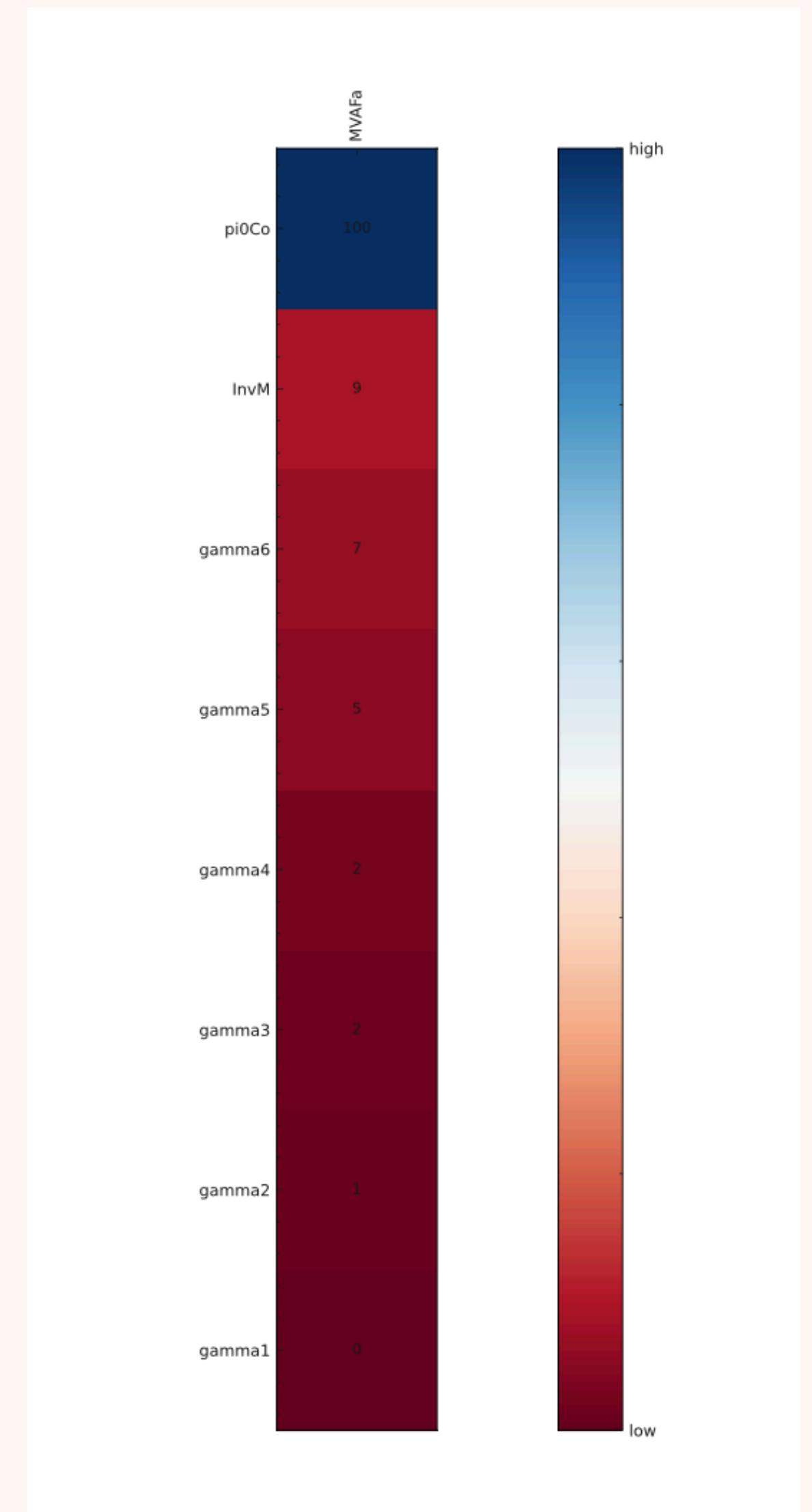
Table for KS Probability plot for different variable

# VARIABLE IMPORTANCE

➤ **pi0CosHel > InvM > gamma\_hard\_E > gamma\_hard\_clusterTheta > gamma\_soft\_clusterTheta > gamma\_hard\_minC2TDist > gamma\_soft\_minC2TDist > gamma\_soft\_E**

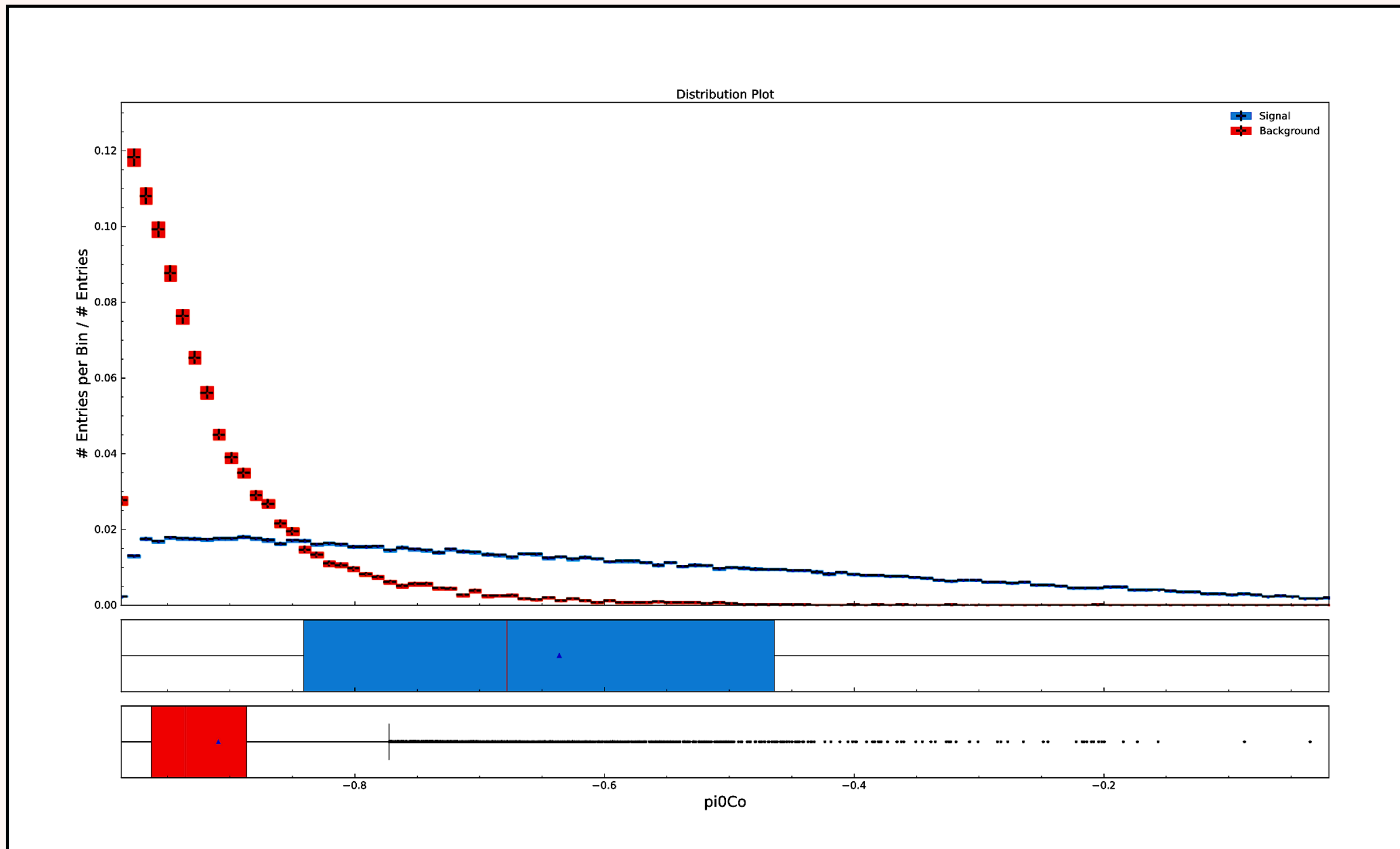


Variable	Abbreviation
gamma_soft_E	gamma1
gamma_soft_minC2TDist	gamma2
gamma_hard_minC2TDist	gamma3
gamma_soft_clusterTheta	gamma4
gamma_hard_clusterTheta	gamma5
gamma_hard_E	gamma6
InvM	InvM
pi0CosHel	pi0Co

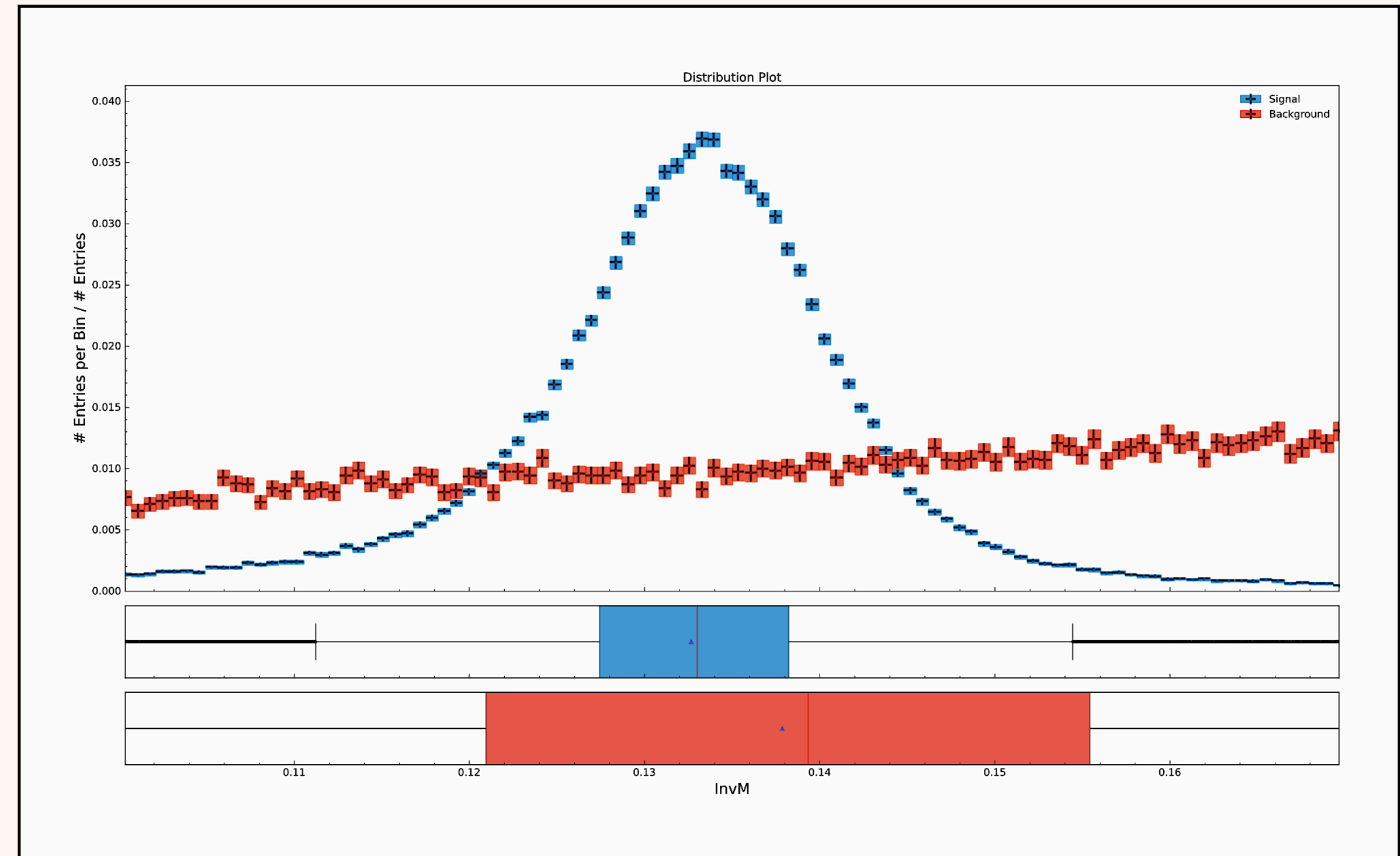




# PI0\_COSHEL AND INVVM SIG BKG



$\pi^0$ \_cosHel



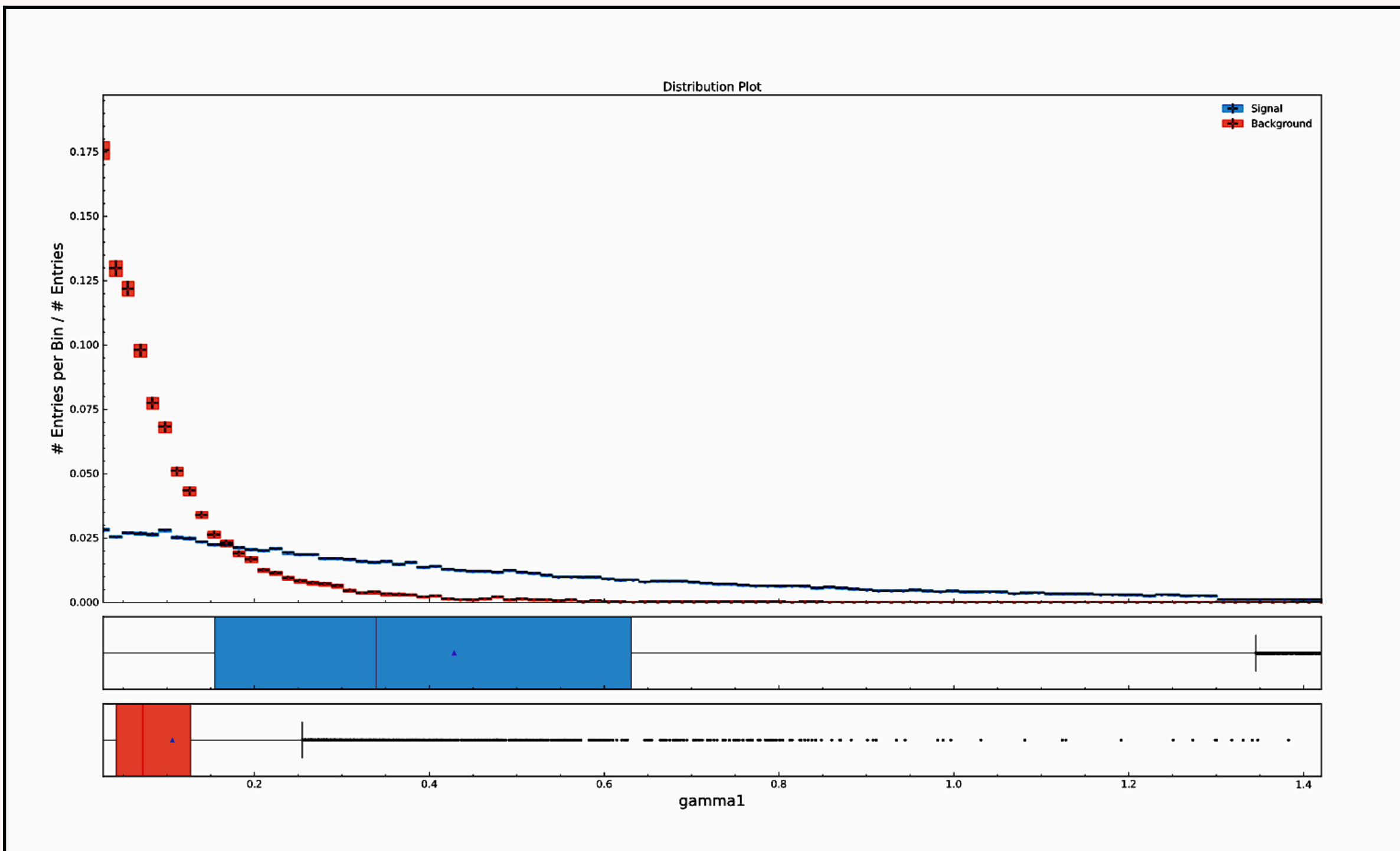
InvM

■ Background ■ Signal

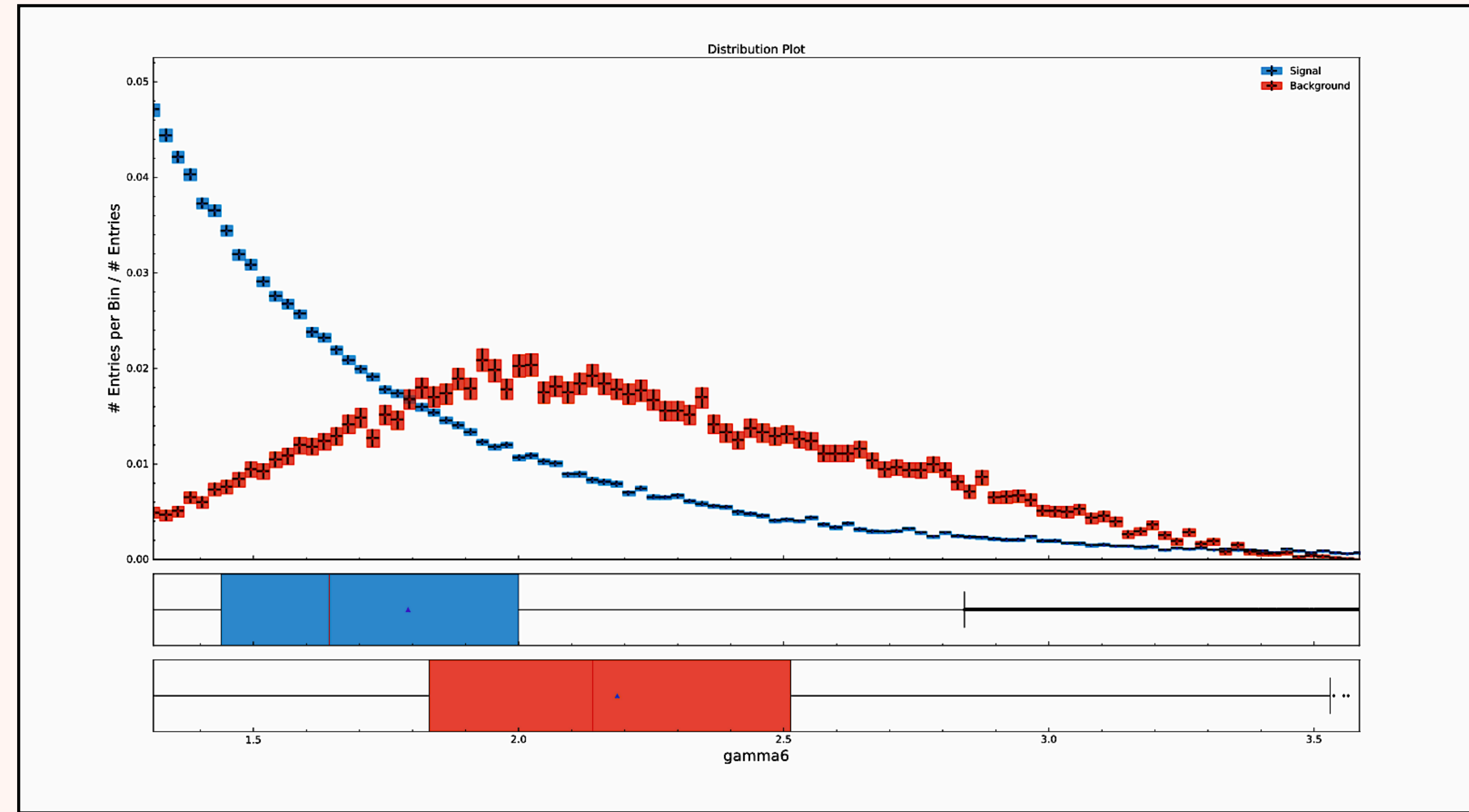
Sig= correctly reconstructed  $B \rightarrow X\gamma$   
Bkg = correctly reconstructed  $\pi^0 \rightarrow \gamma\gamma$

The distributions are normed for signal and background separately, and only the region  $\pm 3$  sigma around the mean is shown.

# GAMMA\_SOFT\_E AND GAMMA\_HARD\_E



gamma\_soft\_E



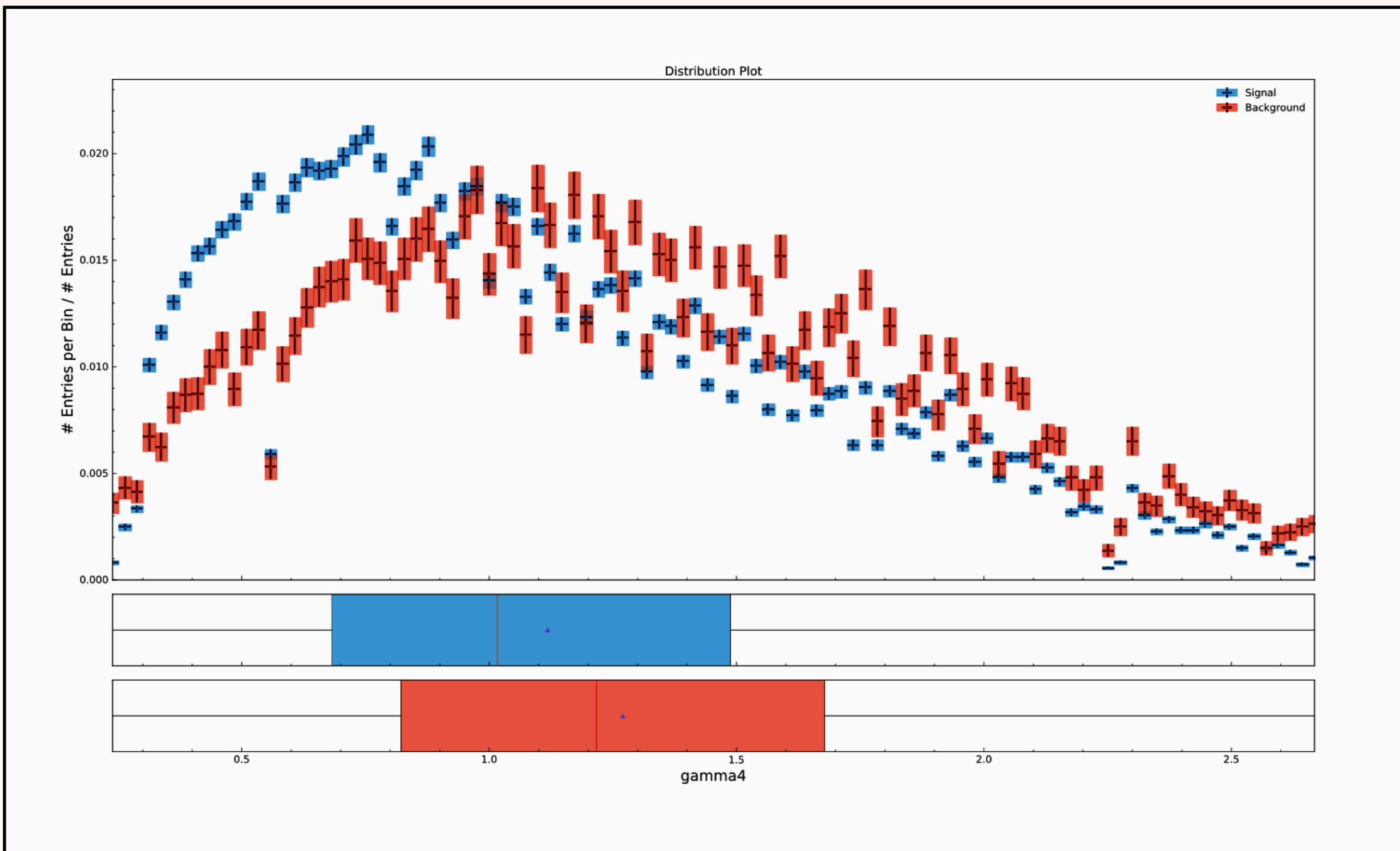
gamma\_Hard\_E

■ Background 
 ■ Signal

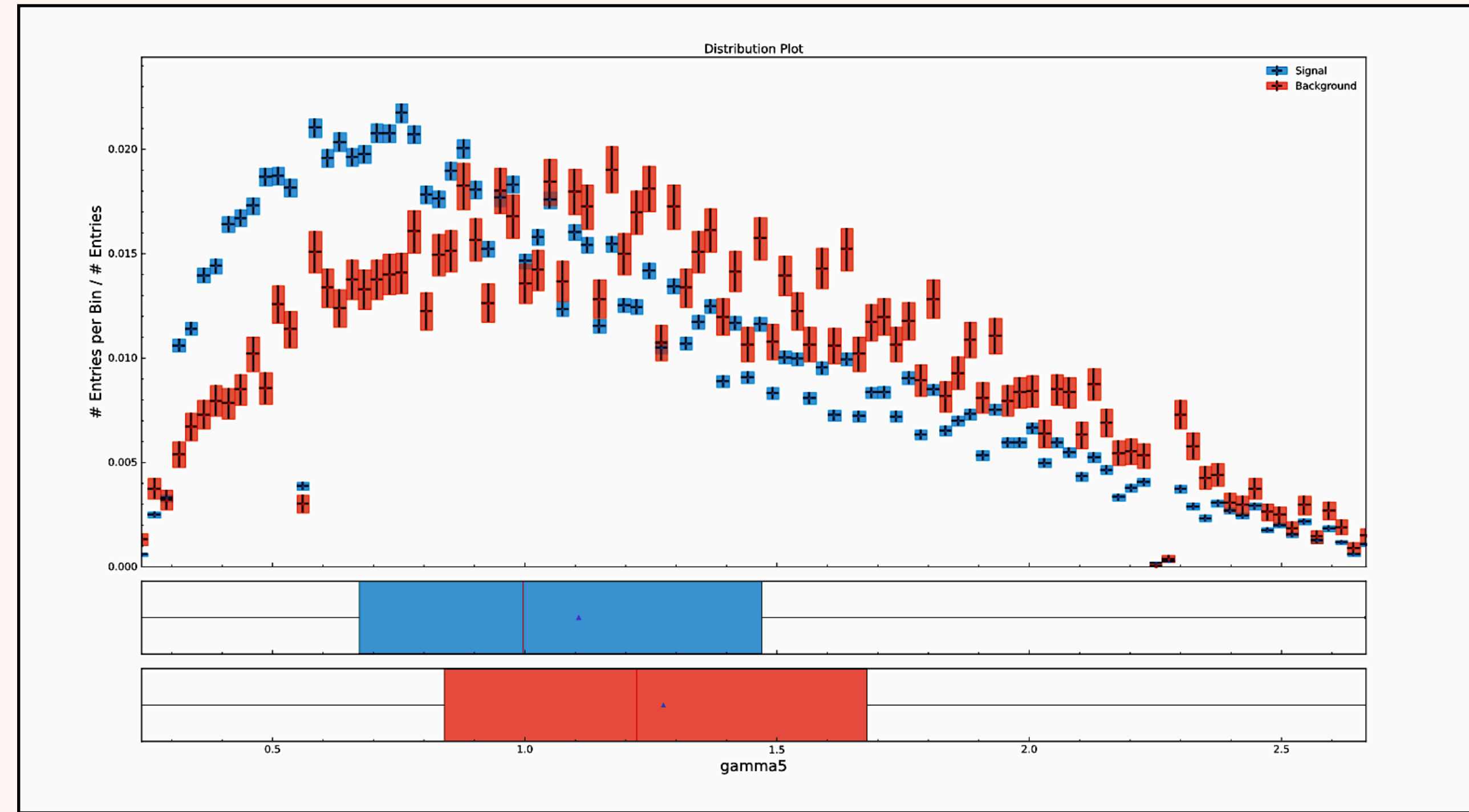
Sig= correctly reconstructed  $B \rightarrow X\gamma$

Bkg = correctly reconstructed  $\pi^0 \rightarrow \gamma\gamma$

# GAMMA\_SOFT\_CLUSTERTHETA AND GAMMA\_HARD\_CLUSTERTHETA



gamma\_soft\_clusterTheta



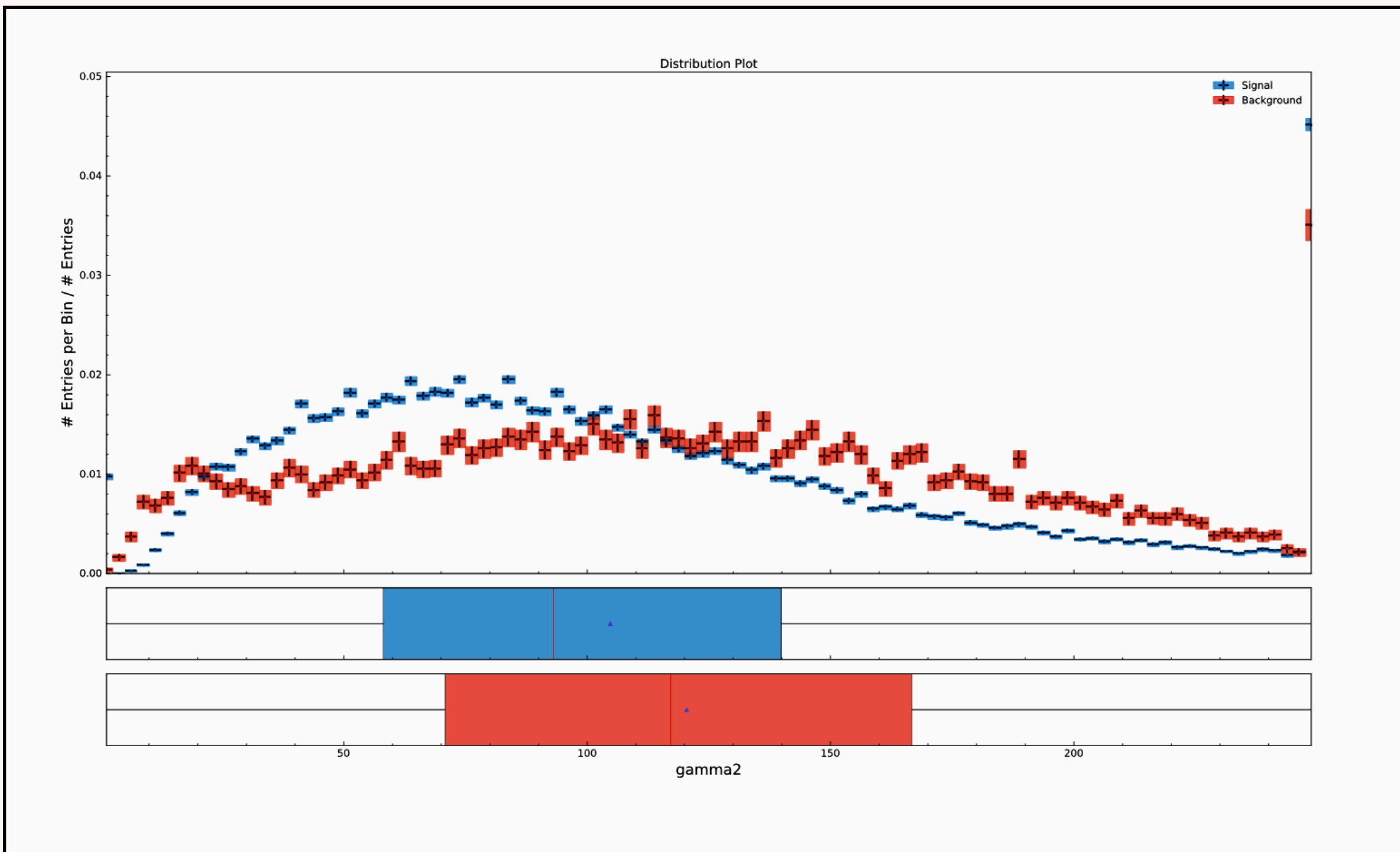
gamma\_Hard\_clusterTheta

Sig= correctly reconstructed  $B \rightarrow X\gamma$

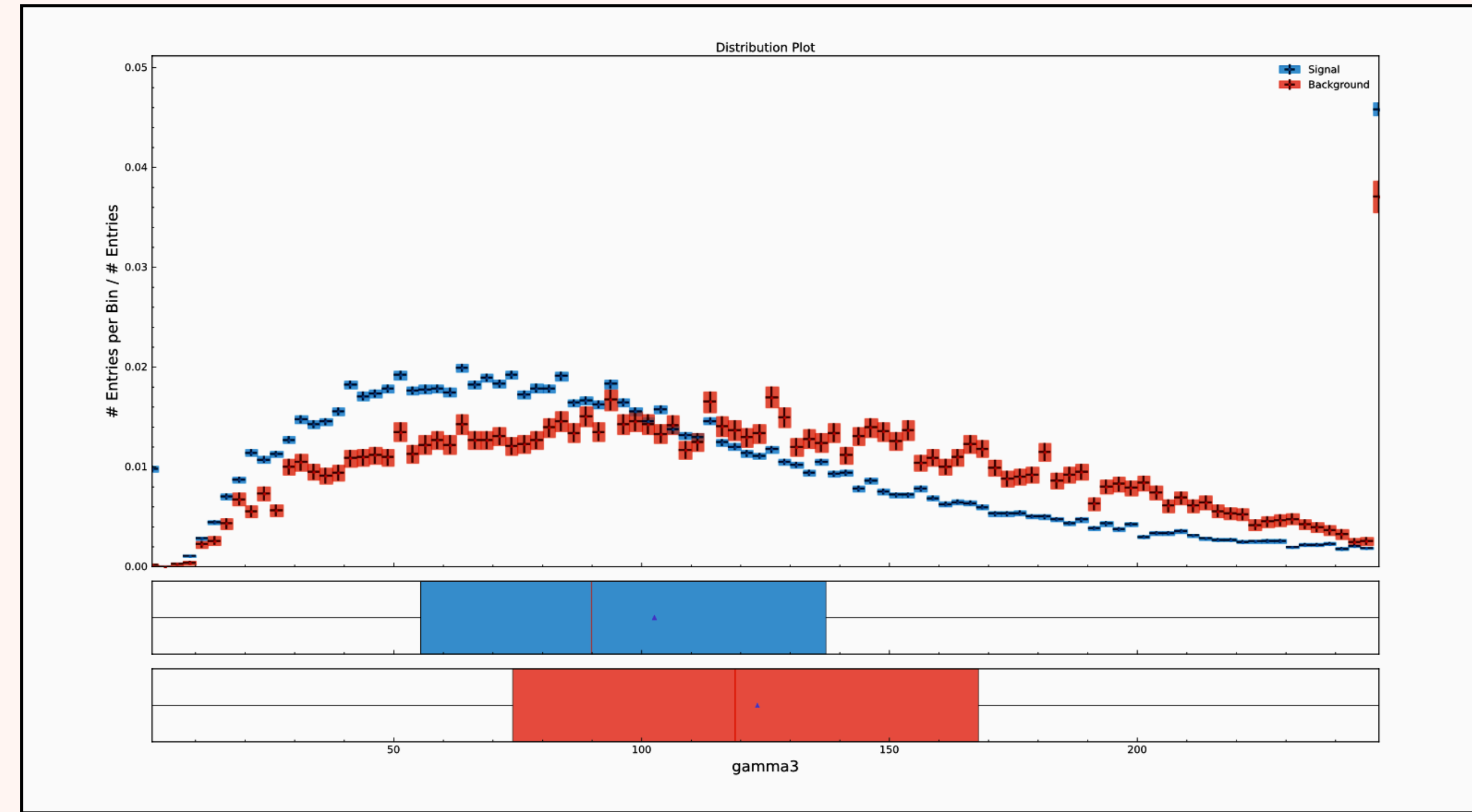
Bkg = correctly reconstructed  $\pi^0 \rightarrow \gamma\gamma$

Background Signal

# GAMMA\_SOFT\_MINC2TDIST AND GAMMA\_HARD\_MINC2TDIST



gamma\_soft\_minC2Tdist



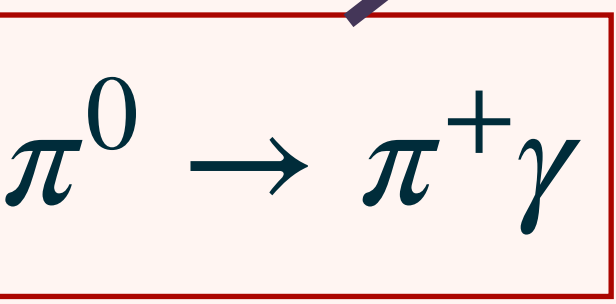
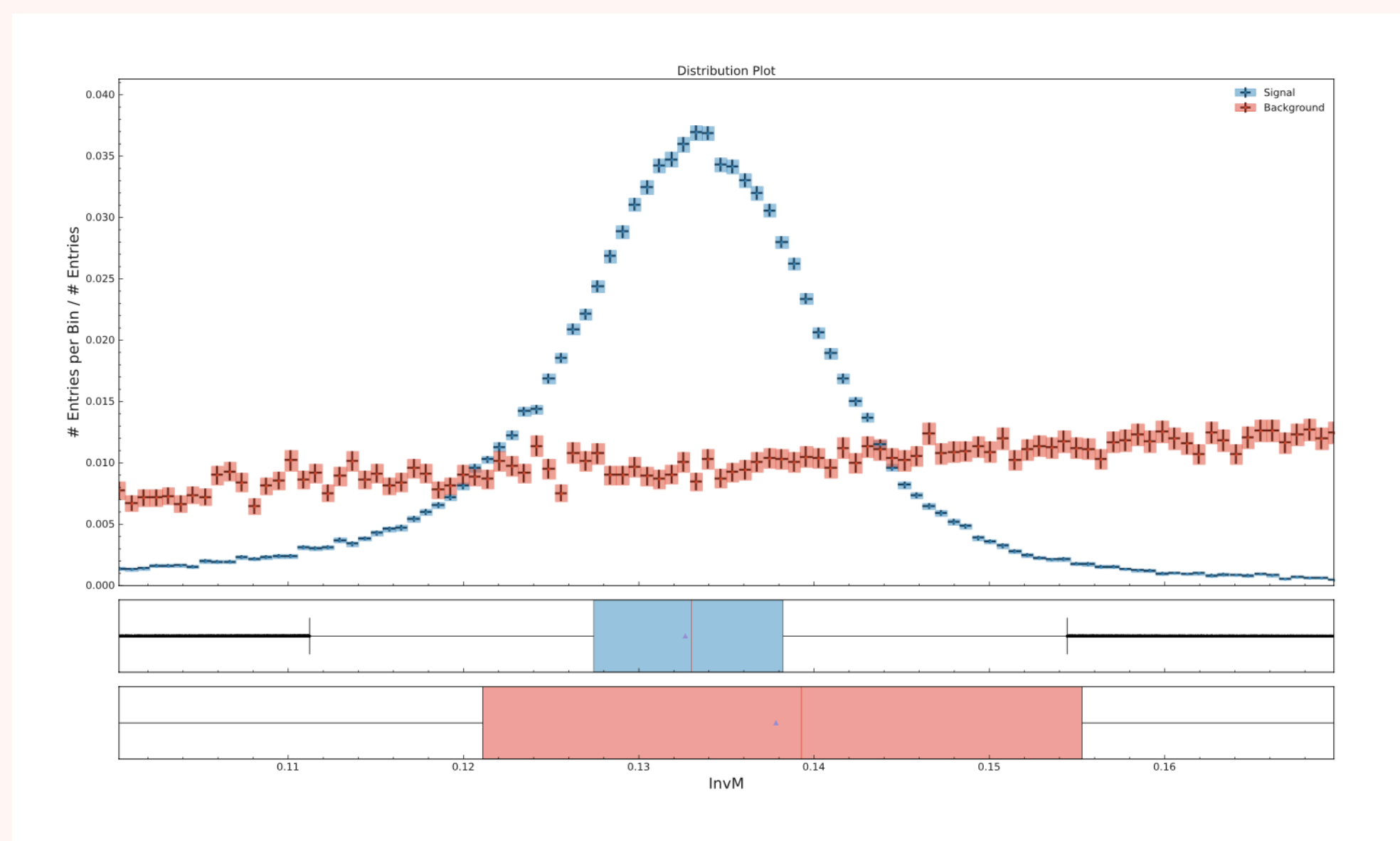
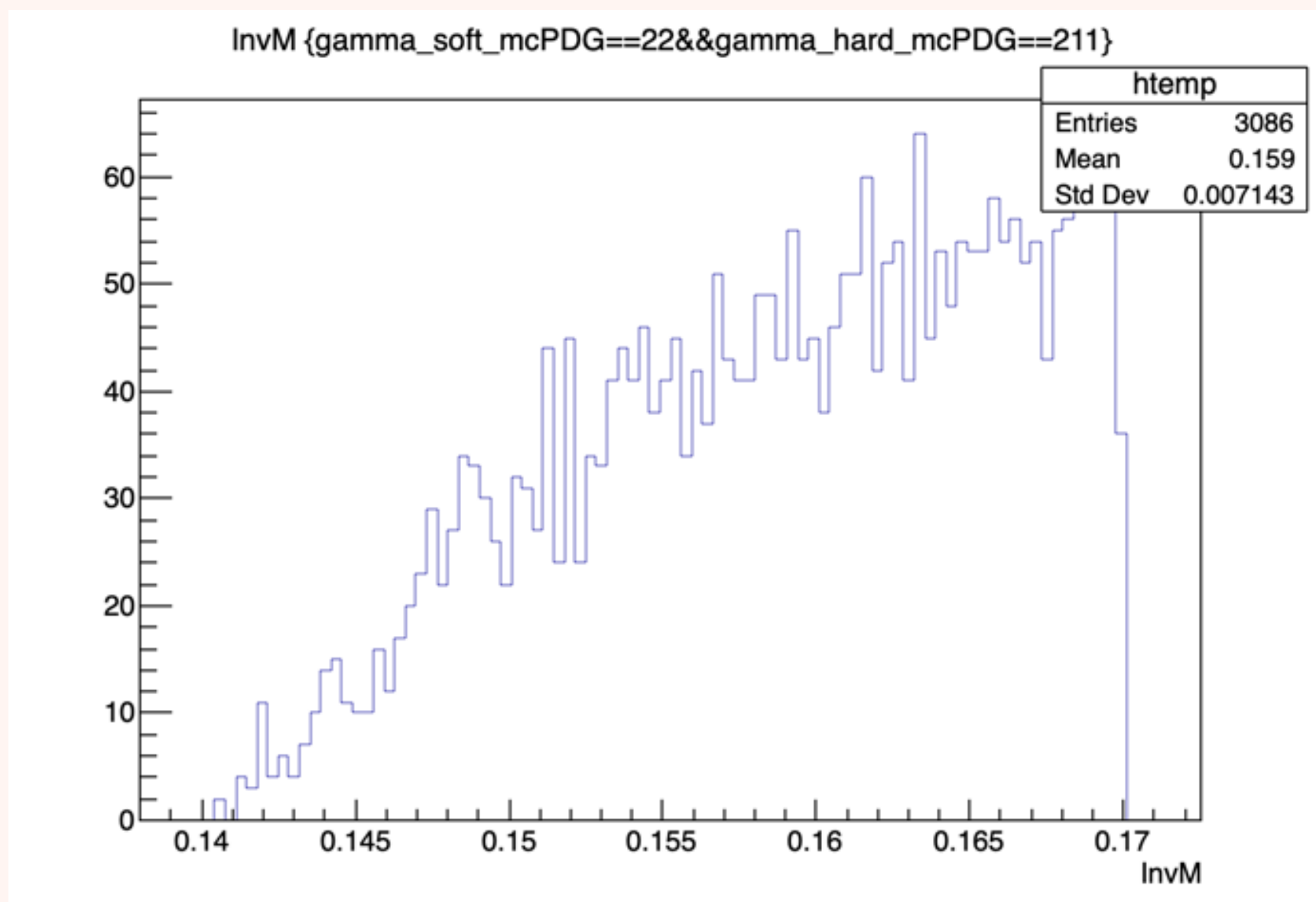
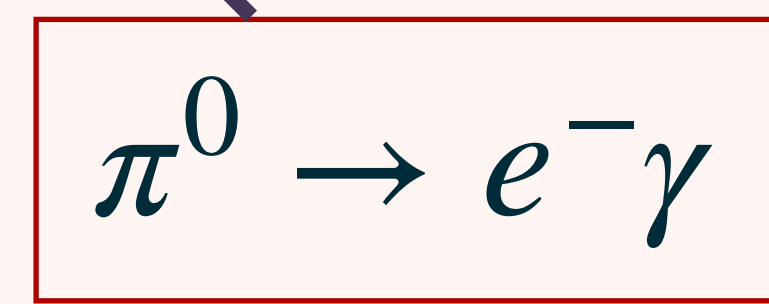
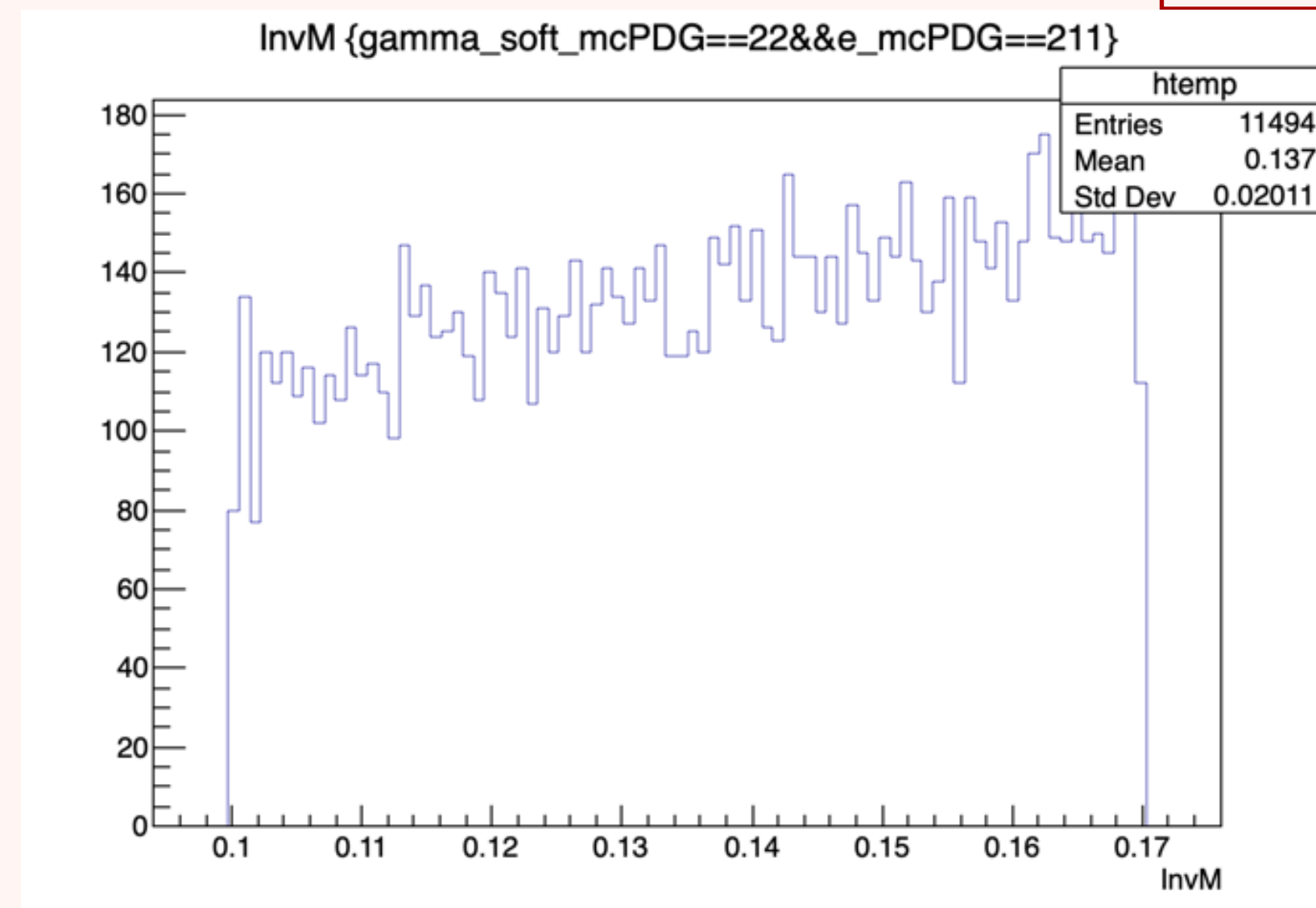
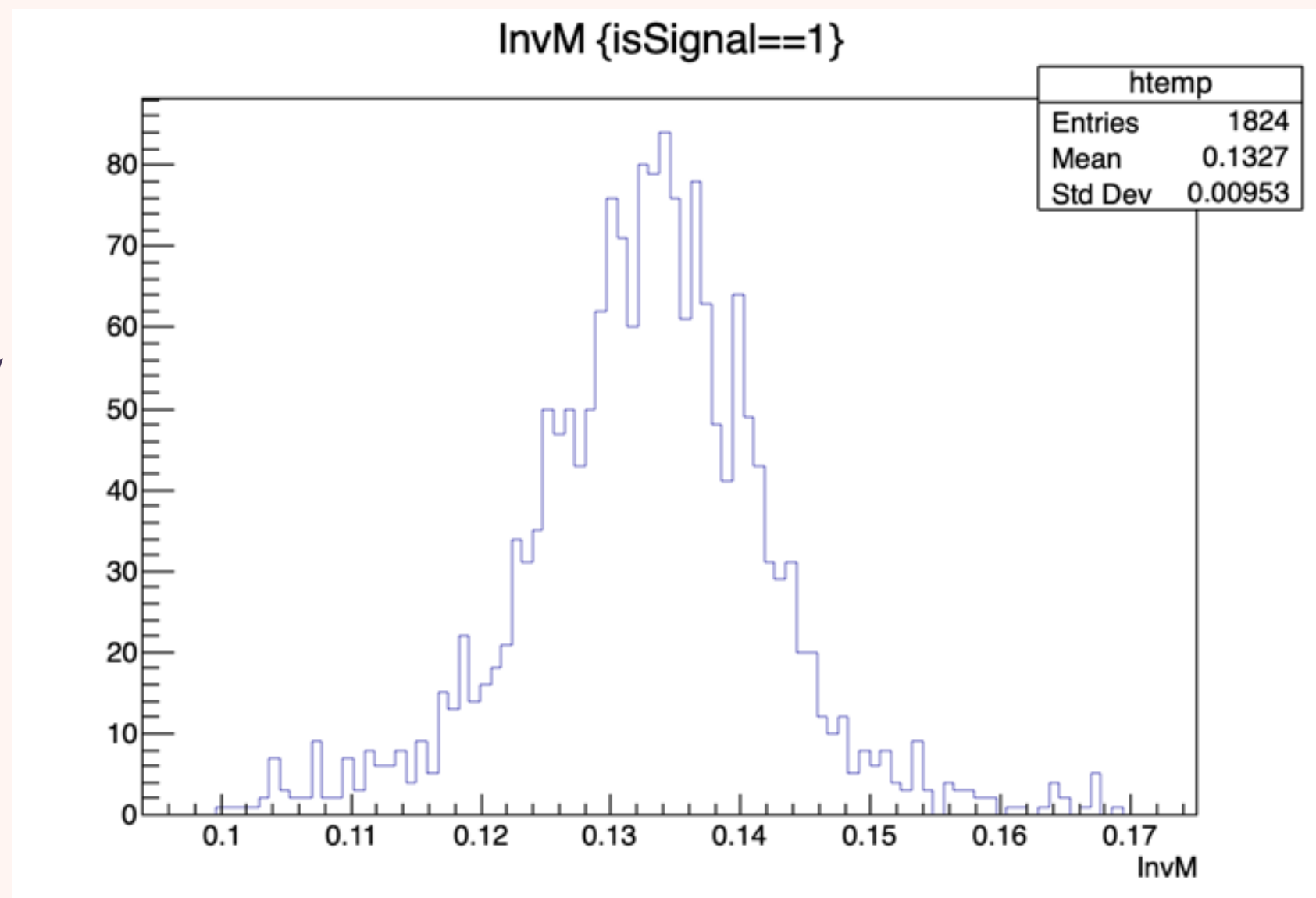
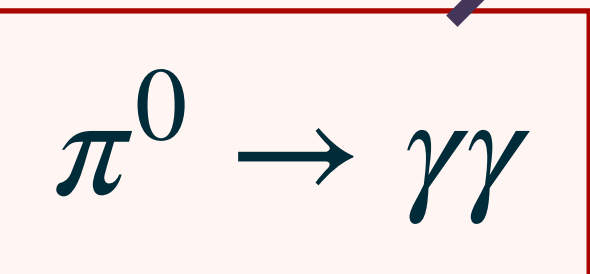
gamma\_Hard\_minC2Tdist

■ Background ■ Signal

Sig= correctly reconstructed  $B \rightarrow X\gamma$   
Bkg = correctly reconstructed  $\pi^0 \rightarrow \gamma\gamma$

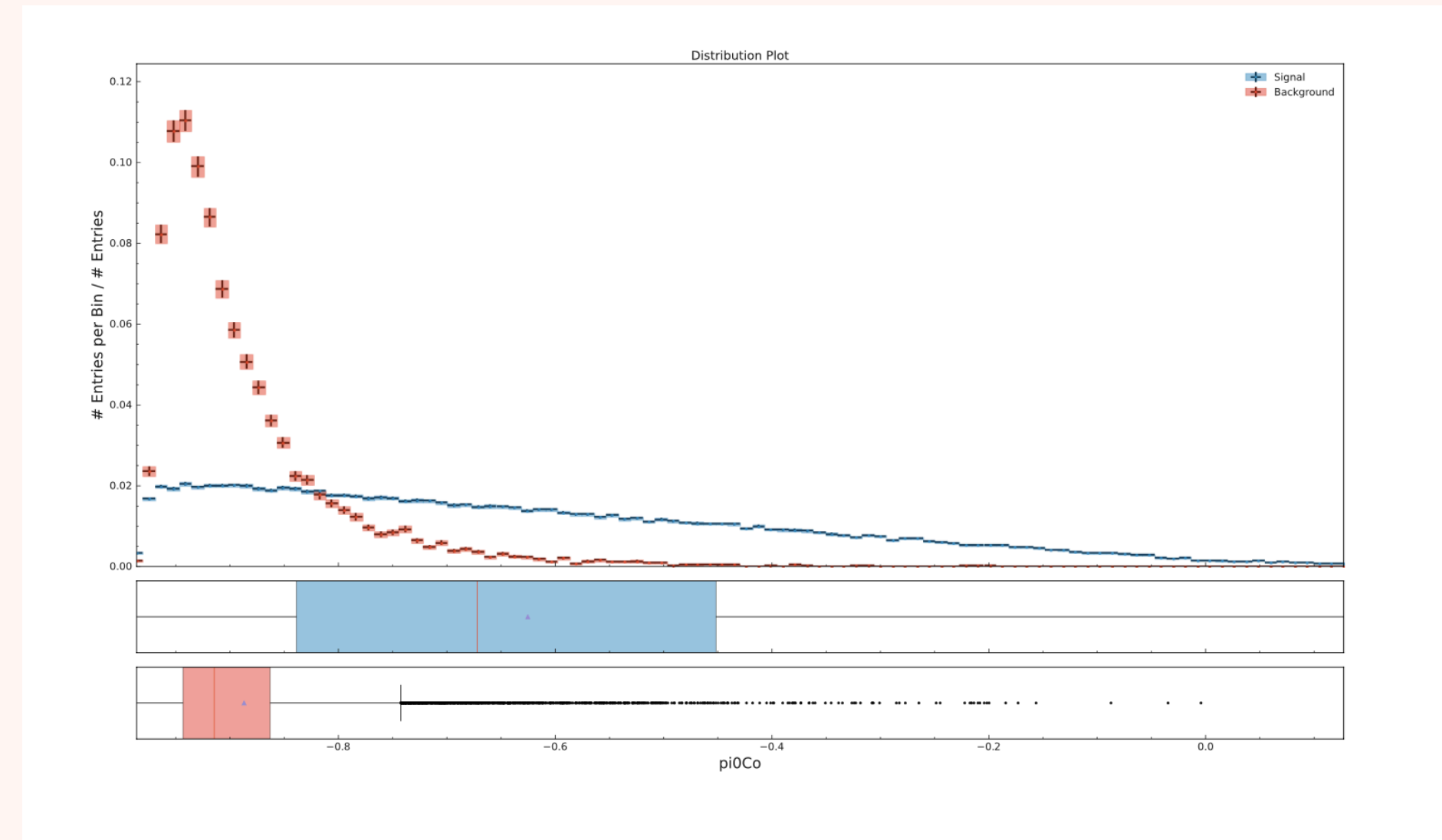
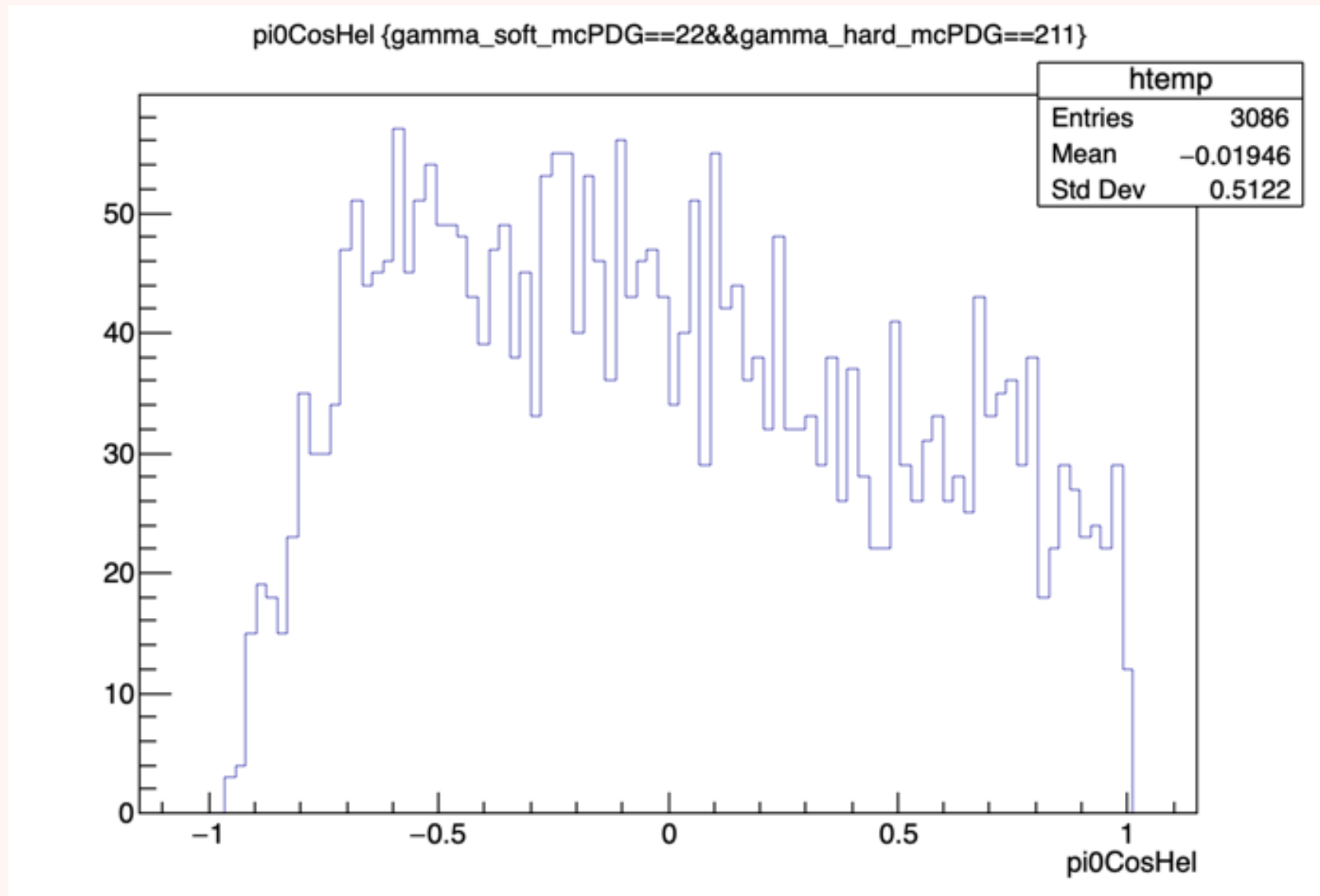
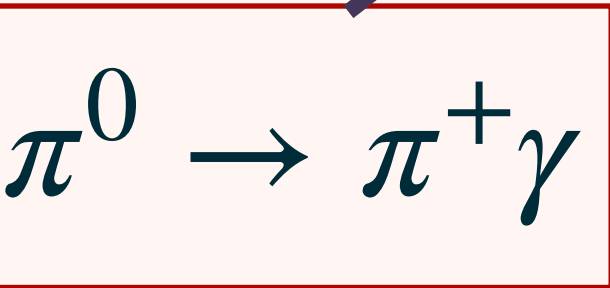
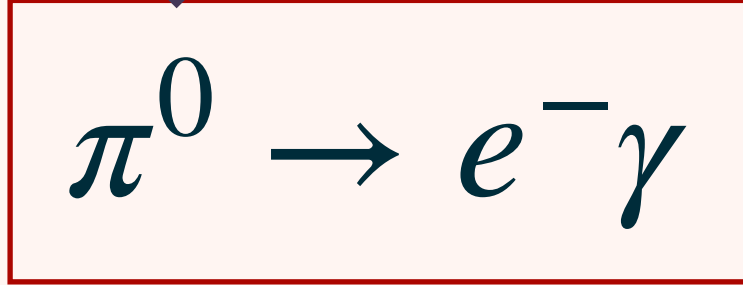
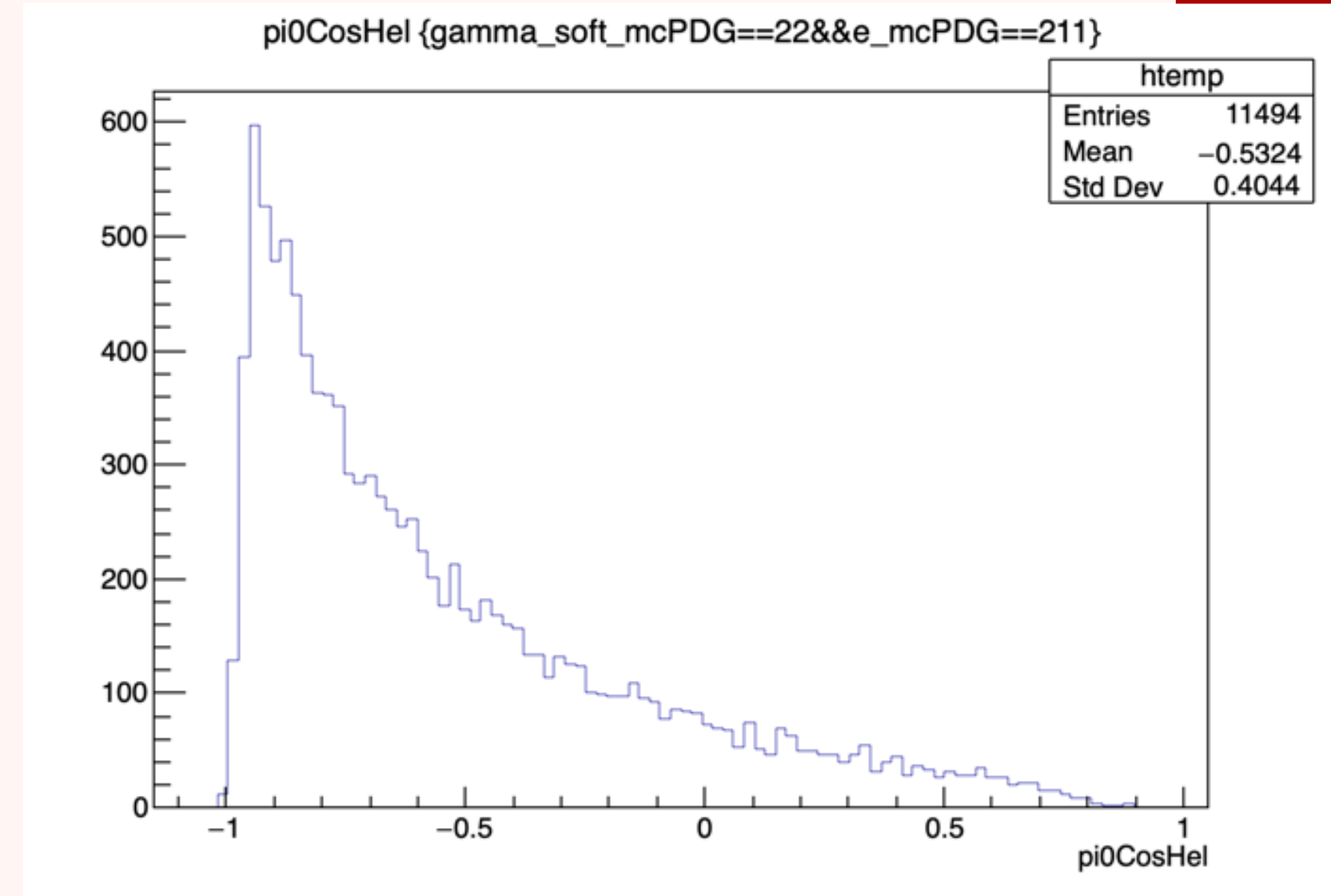
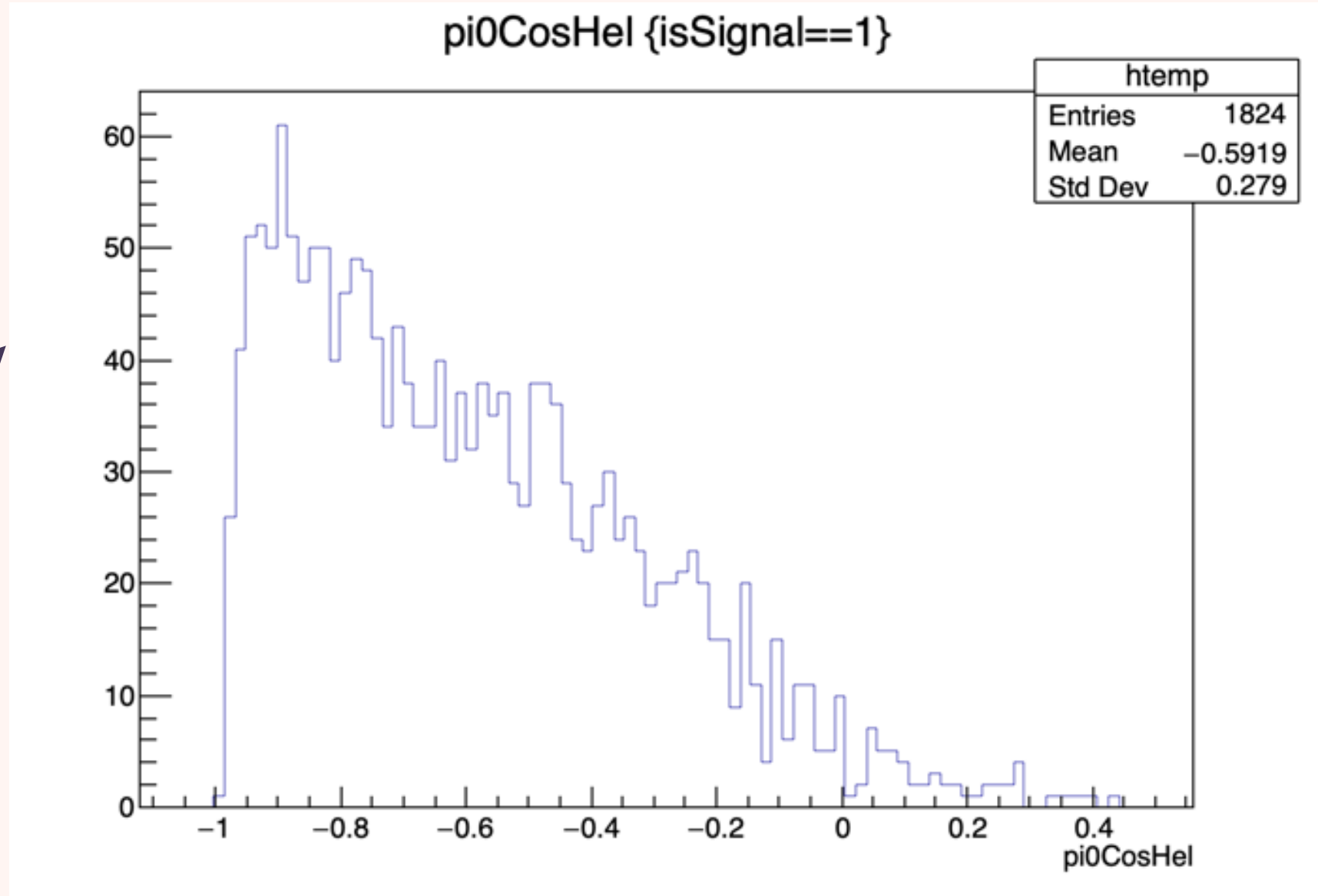
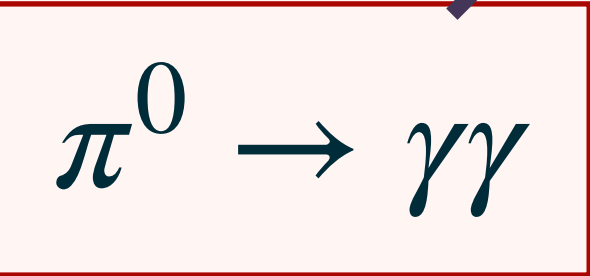
# INV\_M COMPARISONS

TM- gamma\_soft\_mcPDG==22 &&  
e\_mcPDG==211



# PIOCOSHEL COMPARISONS

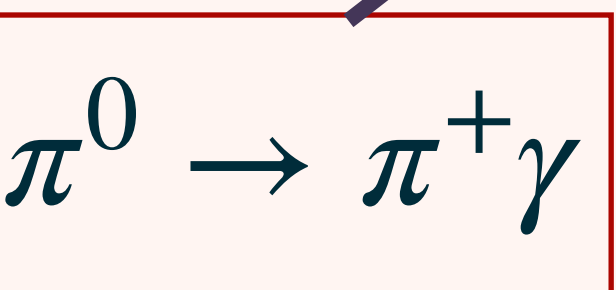
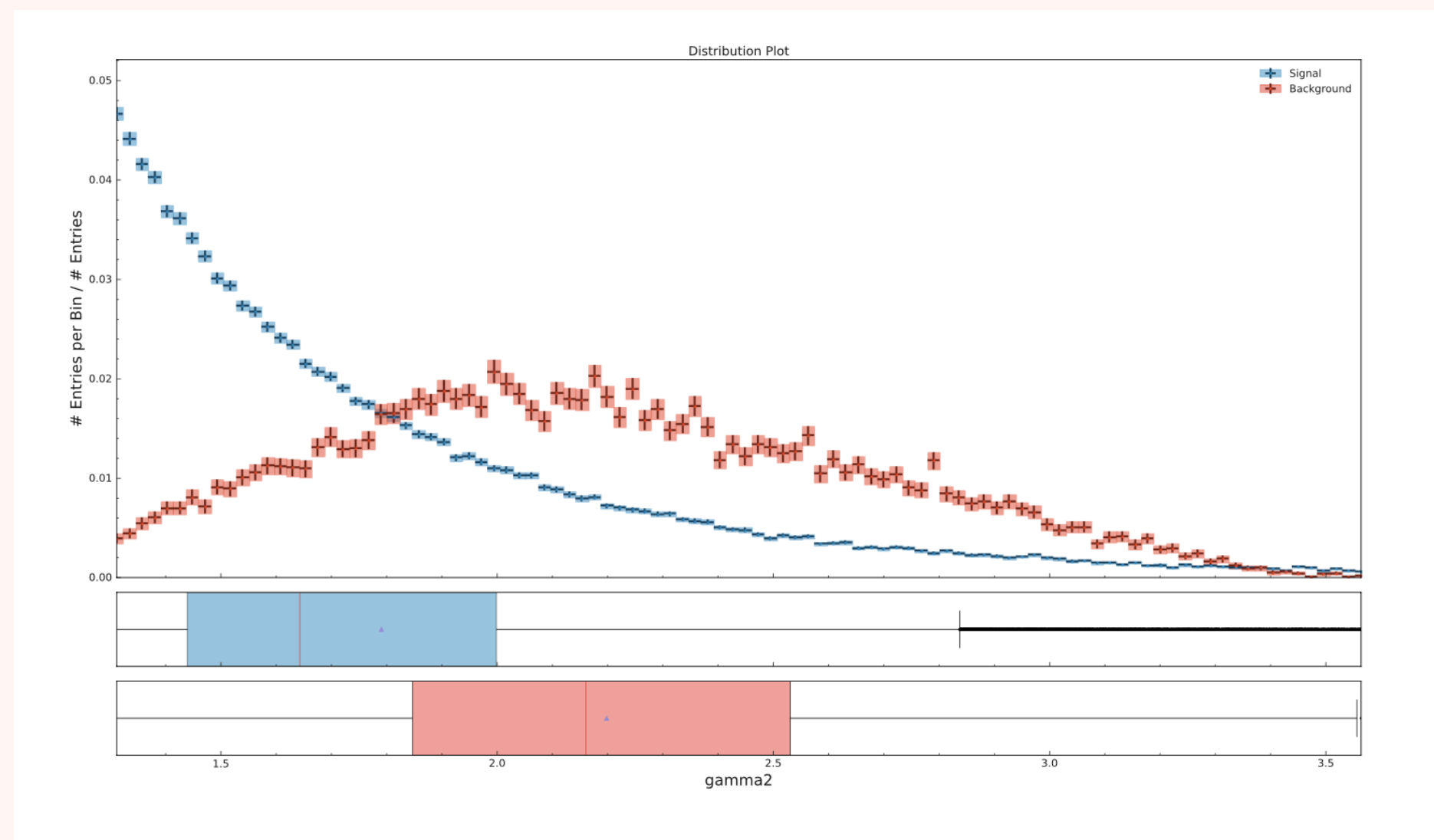
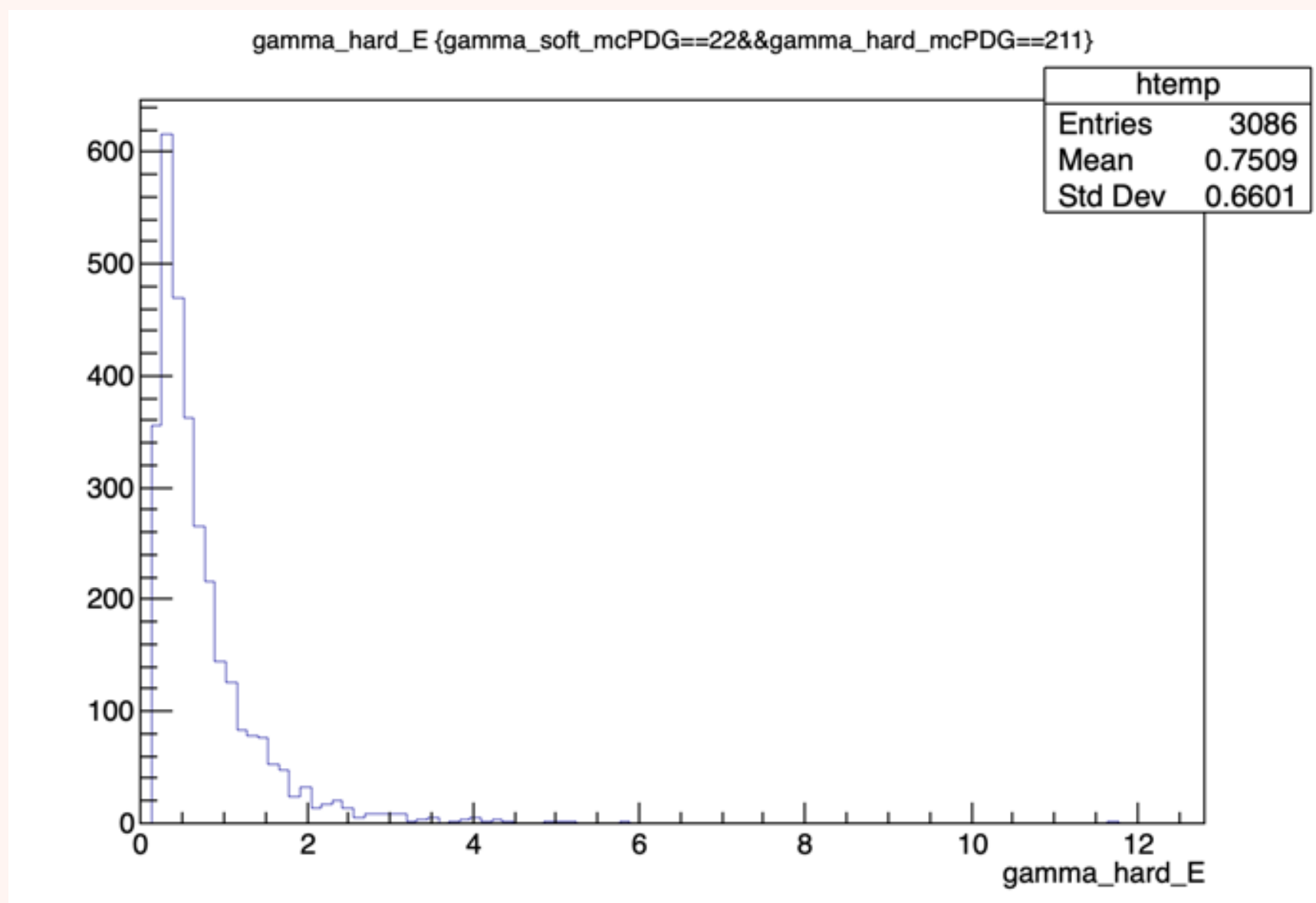
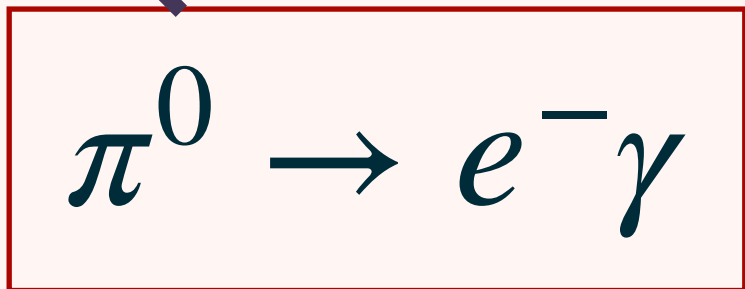
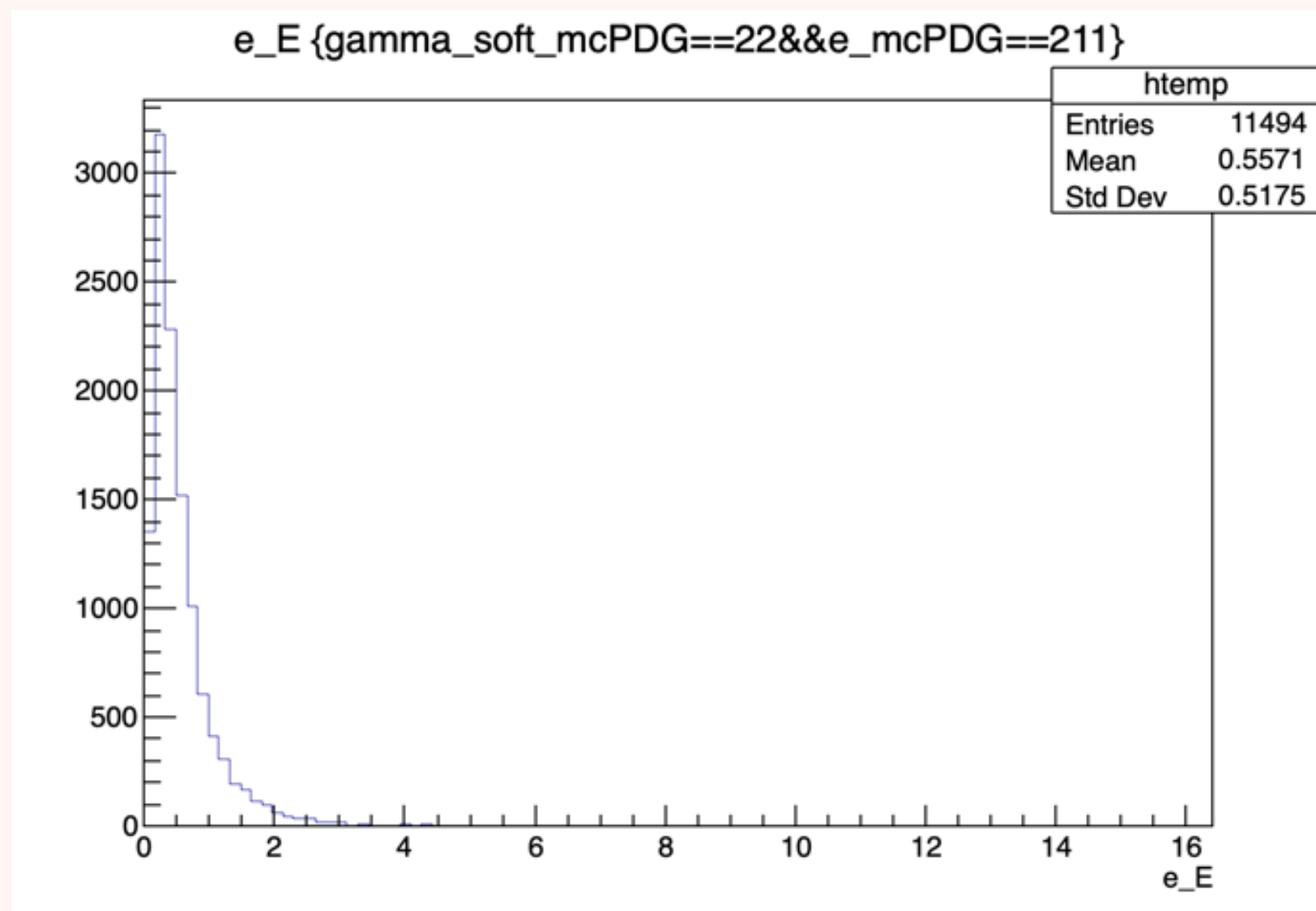
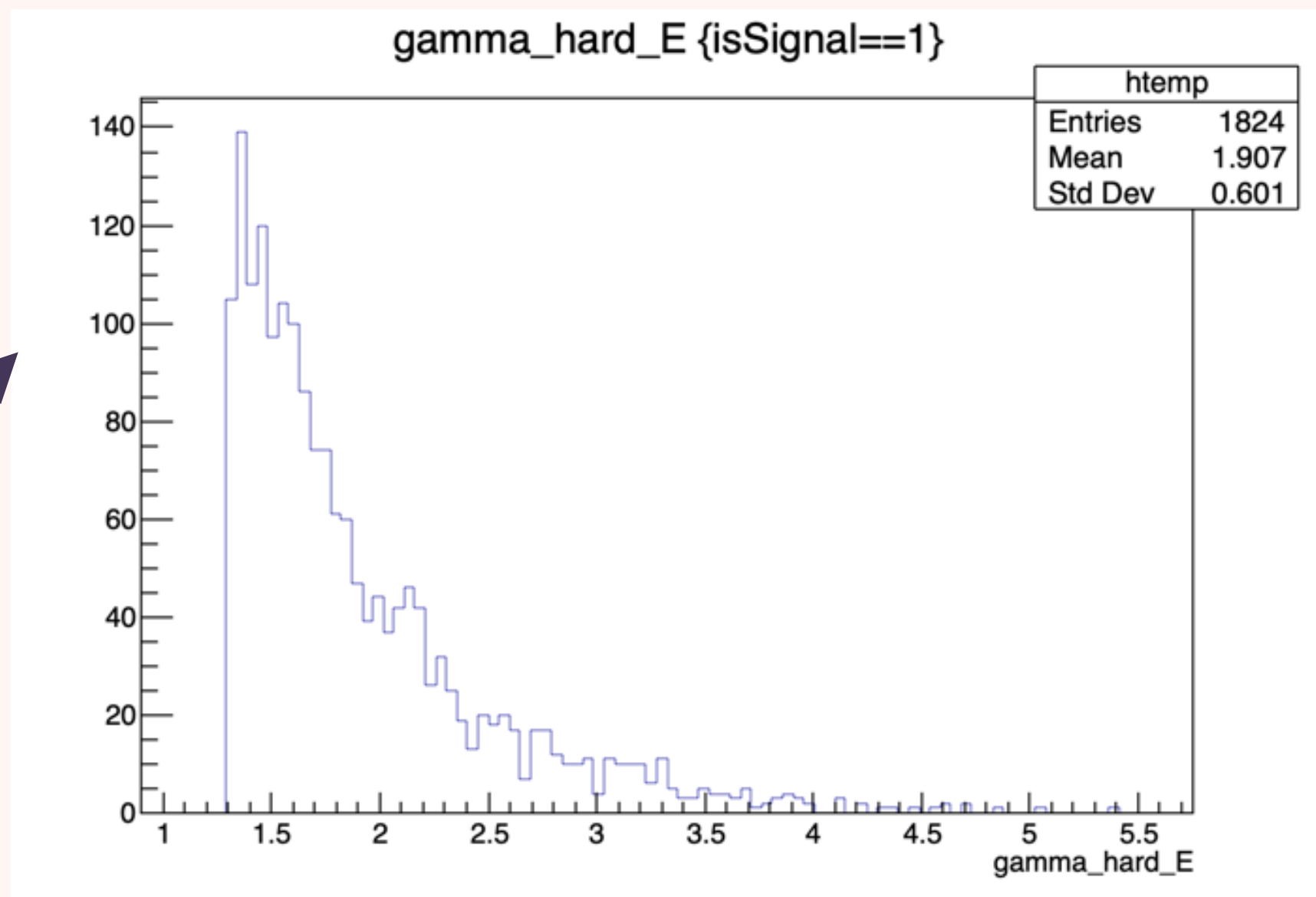
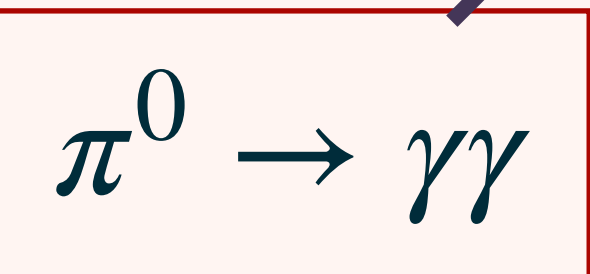
TM- gamma\_soft\_mcPDG==22 &&  
e\_mcPDG==211



pi0CosHel B->Xγ

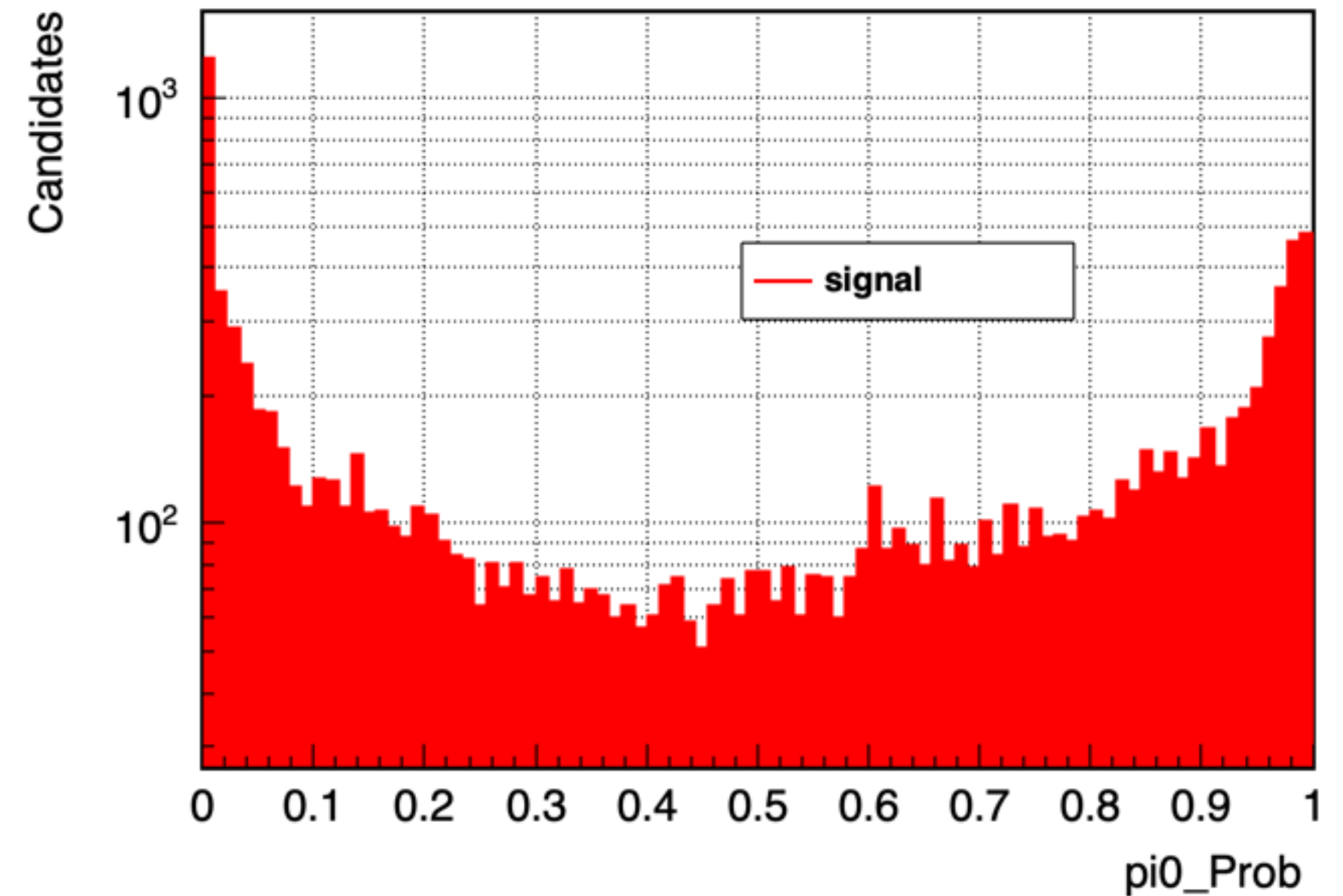
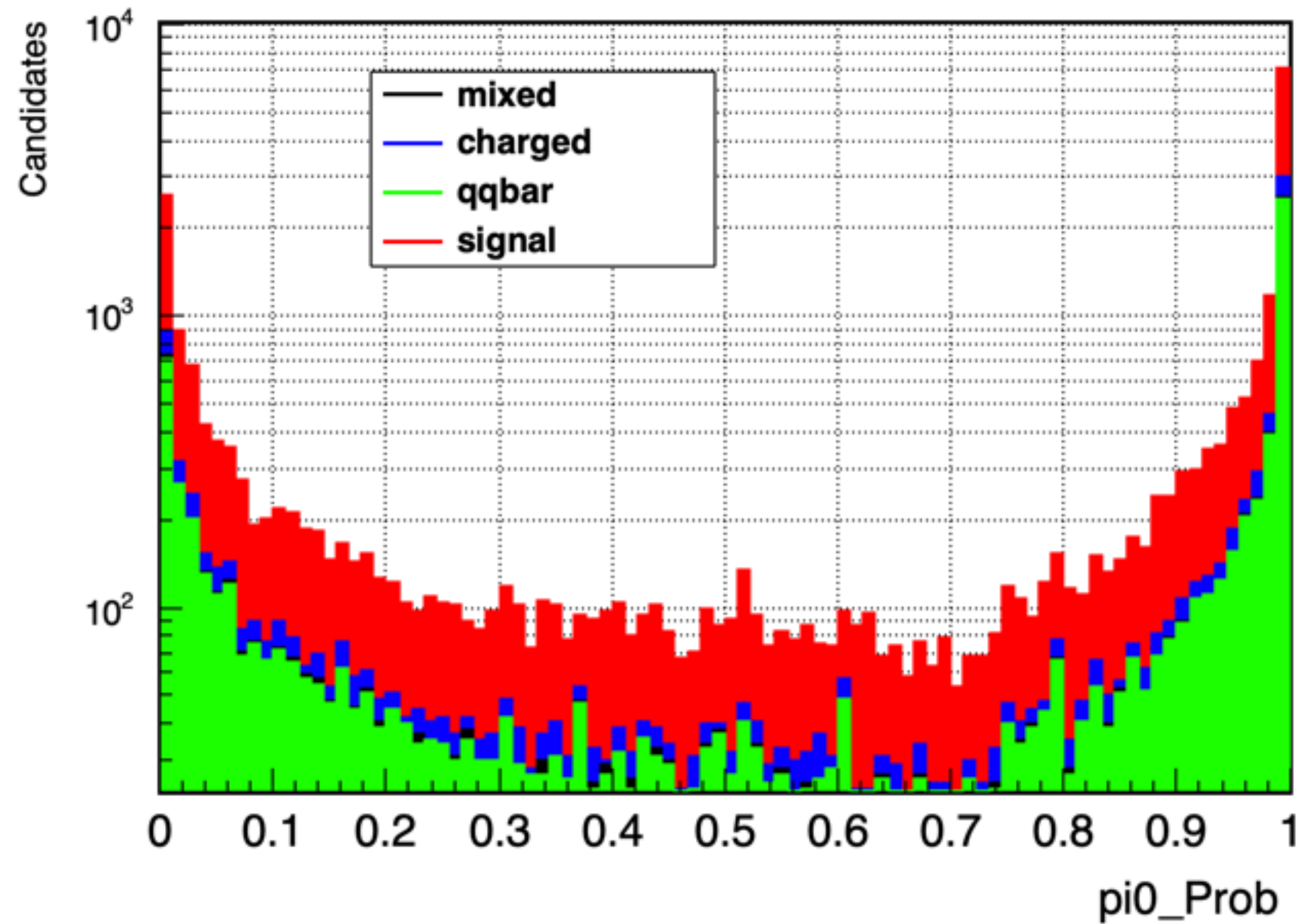
# GAMMA\_HARD\_E/ $\pi^+ E/e^- E$ COMPARISONS

TM-  
gamma\_soft\_mcPDG==  
22 &&e\_mcPDG==211



gamma\_hard\_E B->X $\gamma$

# $\pi^0$ PROBABILITY PLOT COMPARISON

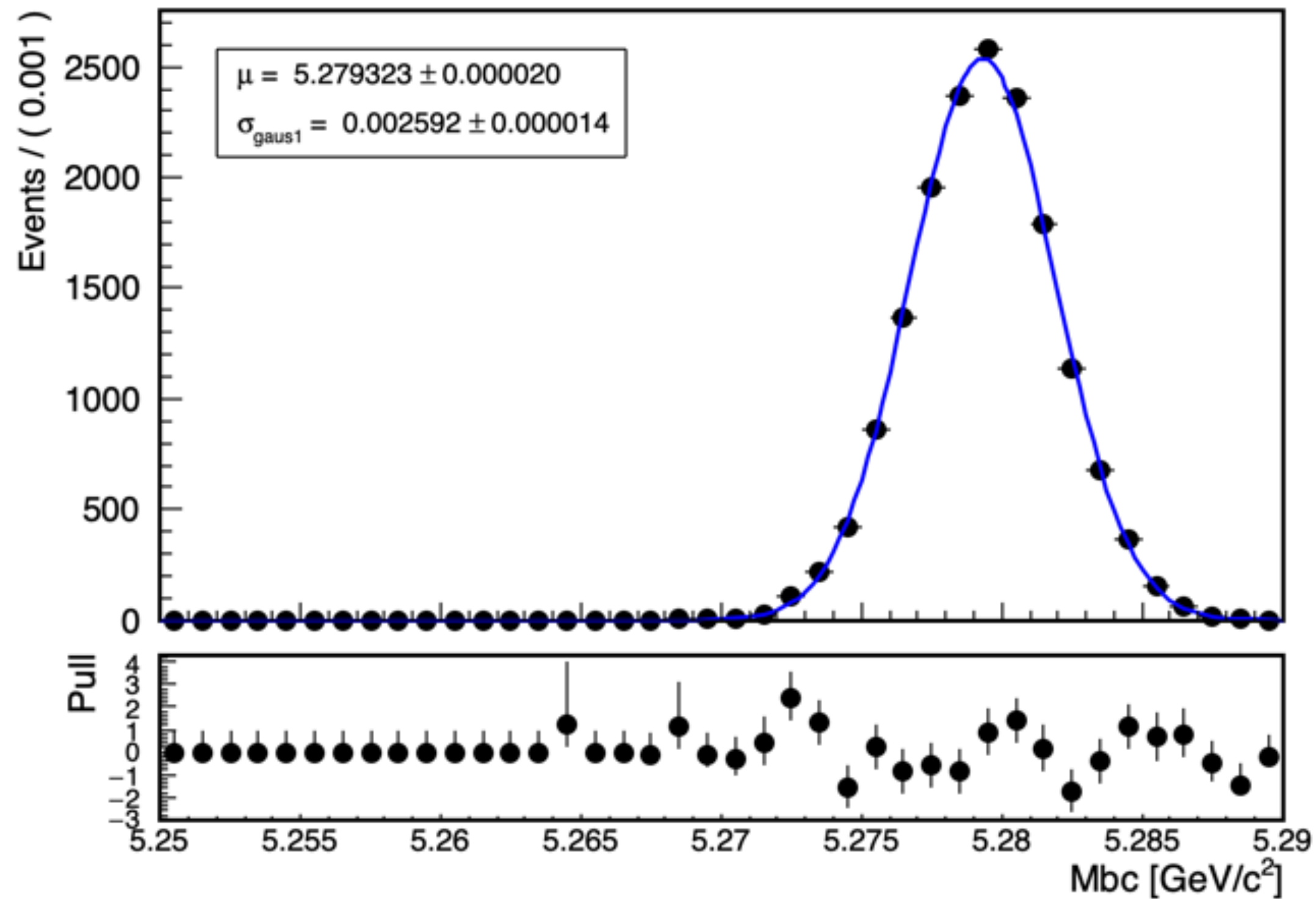


$\pi^0$  probability plot in log scale for pion mass hypothesis

$\pi^0$  probability plot in log scale for B- decay channel for electron mass hypothesis

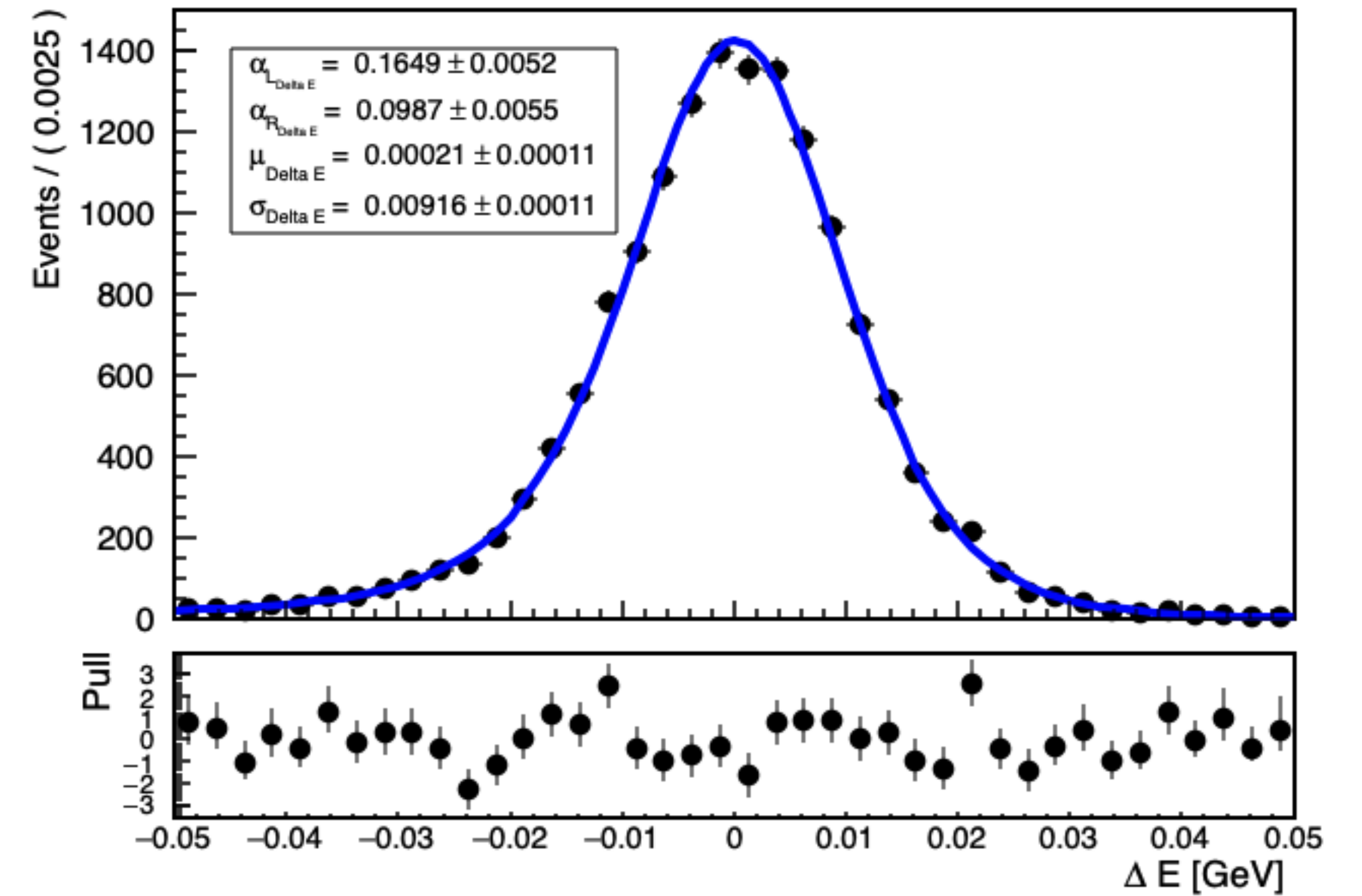


# 1D- $M_{bc}\Delta E$ SIGNAL FIT WITH ALL THE CUT



1D-Signal  $M_{bc}$  Fit with Single Gaussian

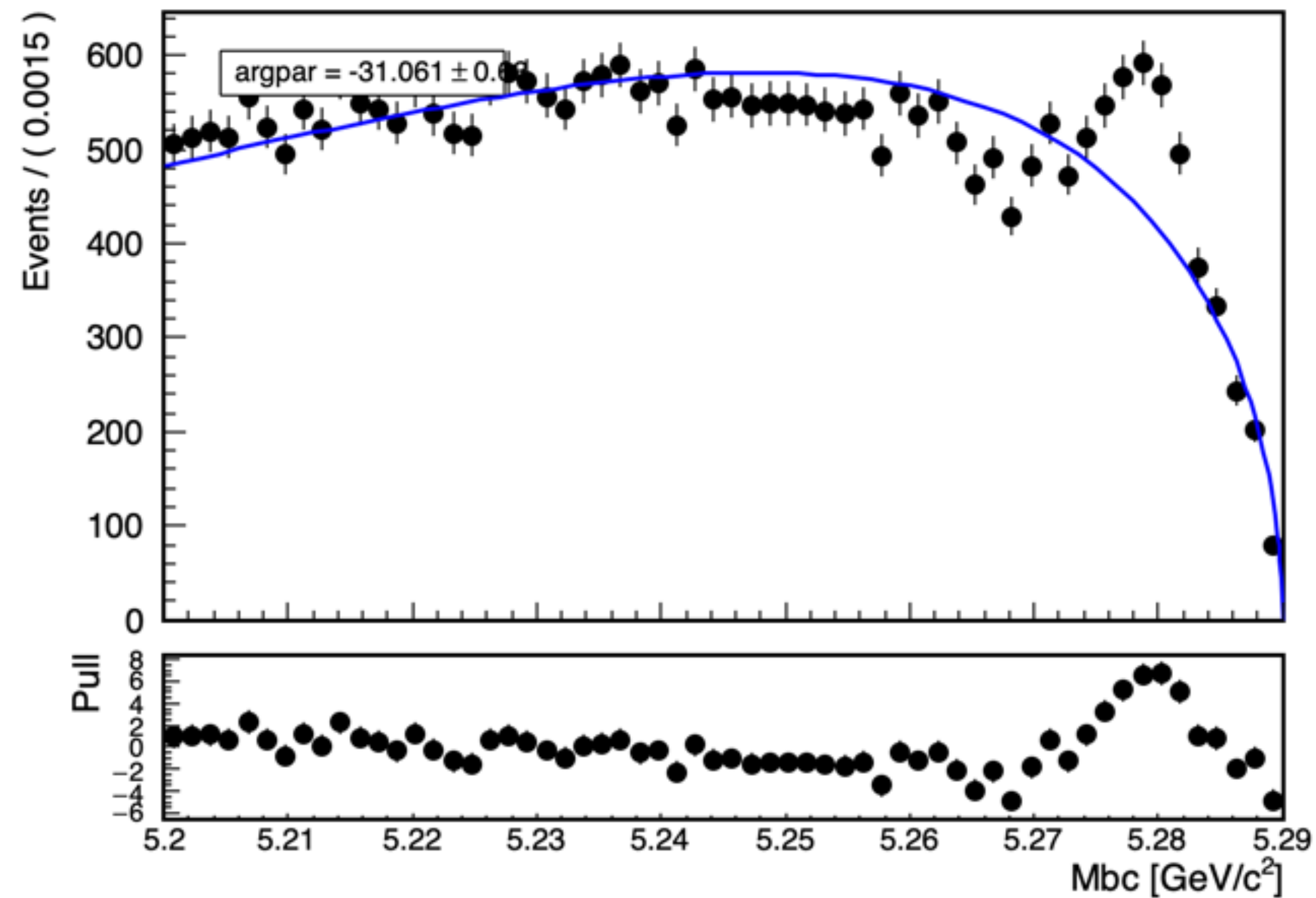
- $\sigma_{Mbc}$  refers to the sigma of Gaussian
- $\mu_{Mbc}$  refers the mean



1D-Signal  $\Delta E$  Fit with Cruiff Function

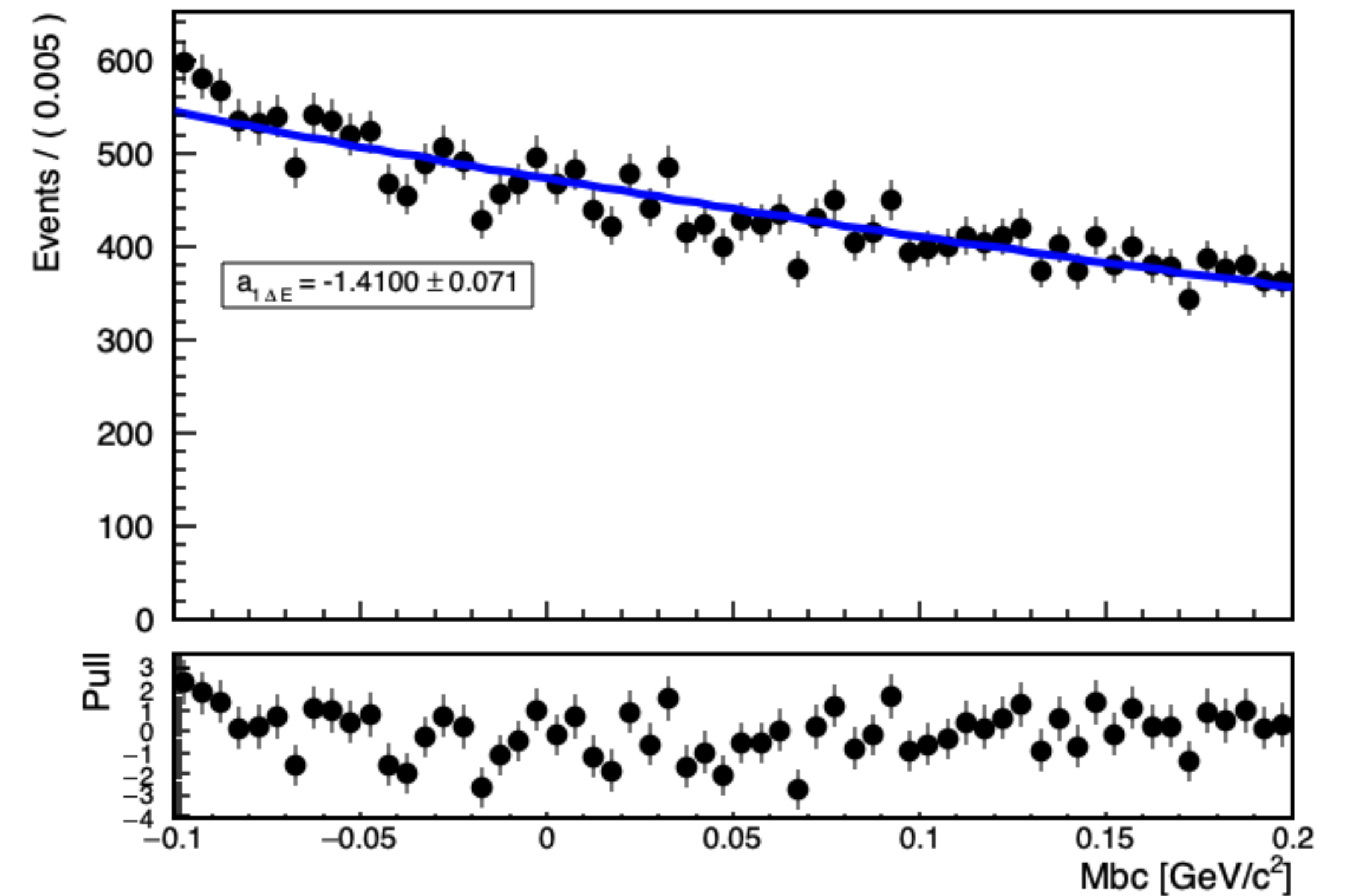
- $\sigma_{\Delta E}$  refers to the sigma of Gaussian
- $\mu_{\Delta E}$  refers the mean
- $\sigma_L, \sigma_R$  refers to the sigma of Cruiff
- $\alpha_L, \alpha_R$  refers to the Constant of Cruiff

# 1D- $M_{bc}\Delta E$ BKG FIT WITH ALL THE CUT



1D-Background  $M_{bc}$  Fit with Argus Function

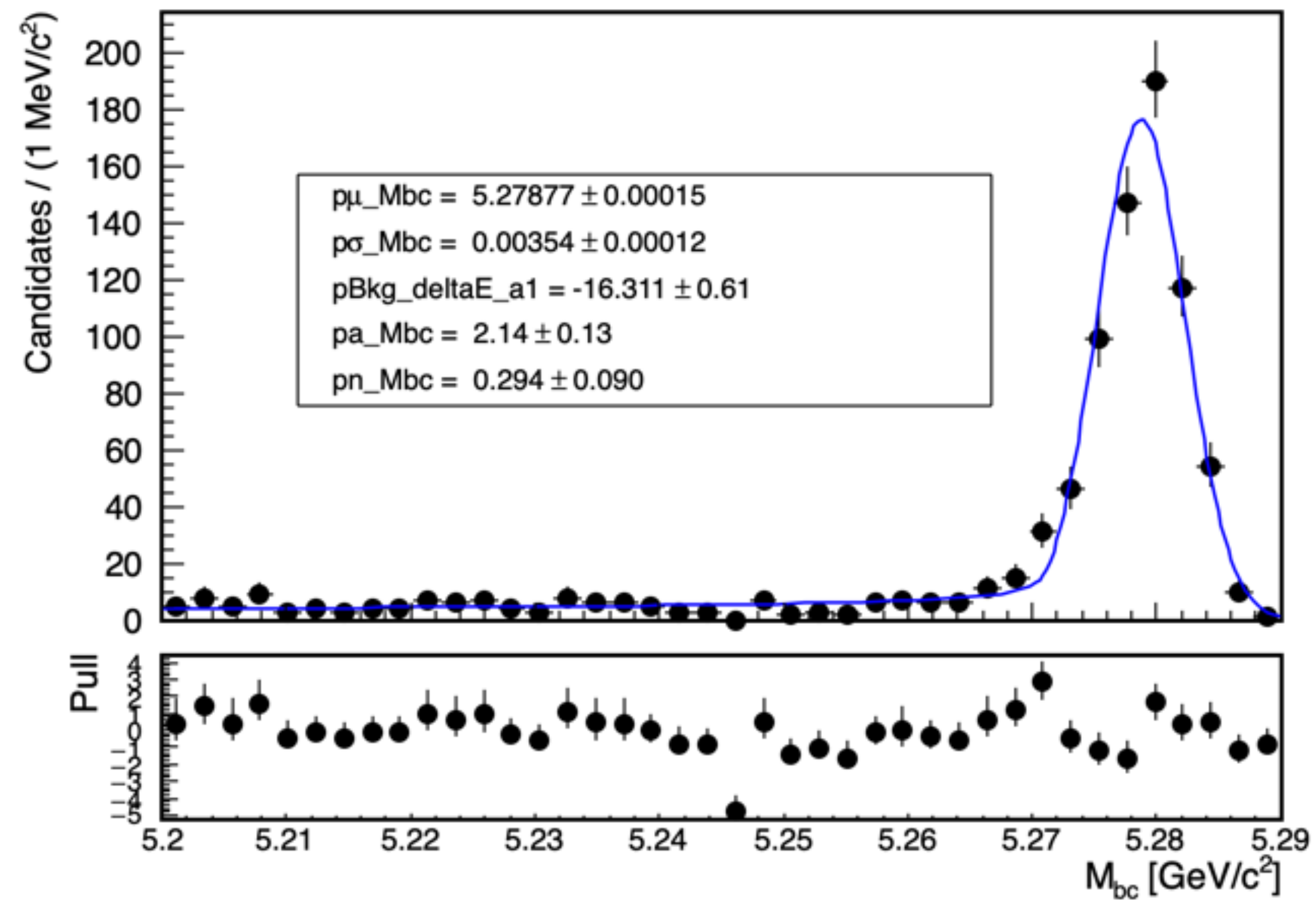
- Argpar refers to argus constant



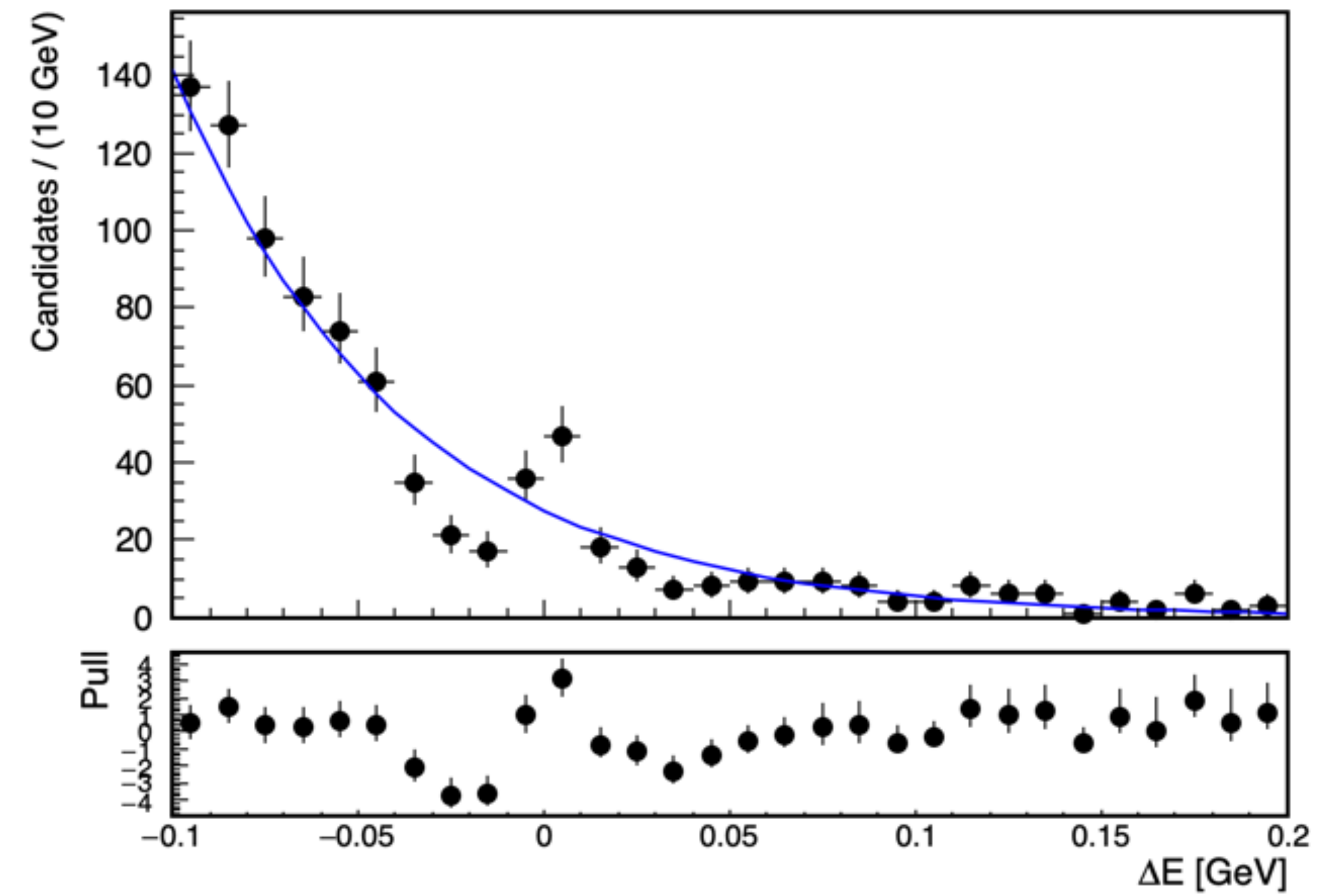
1D-Background  $\Delta E$  Fit with Exponential Function

- $a_{1\Delta E}$  refers the constant of exponential

# 2D $B\bar{B}$ BACKGROUND FIT



Signal  $B\bar{B}$  Fit with Single crystal Ball



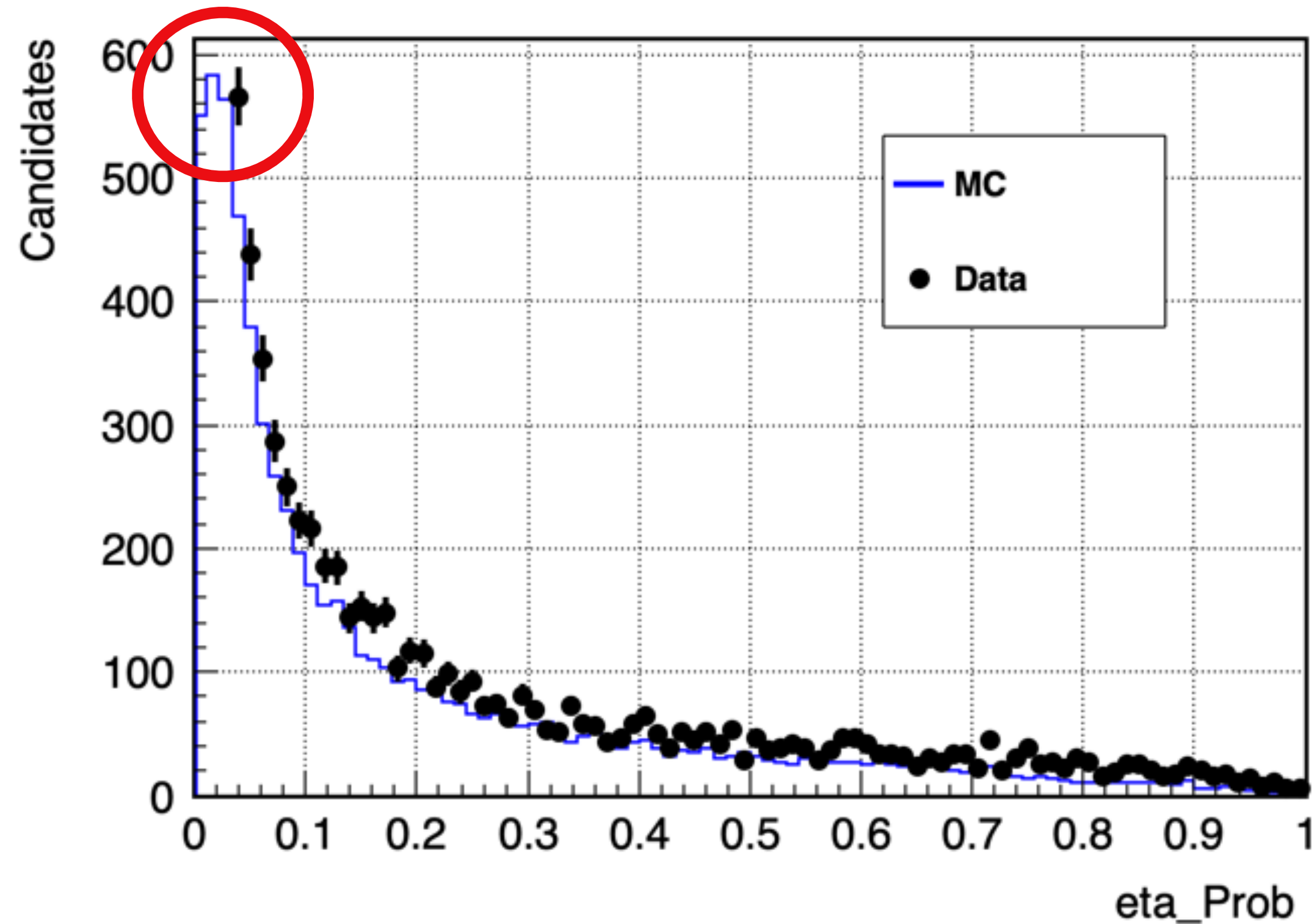
Background  $B\bar{B}$  Fit with Exponential Fit

- $p\sigma_{Mbc}$  refers to the sigma of crystal ball
- $pn_{Mbc}$  and  $pa_{Mbc}$  constant for Crystal Ball

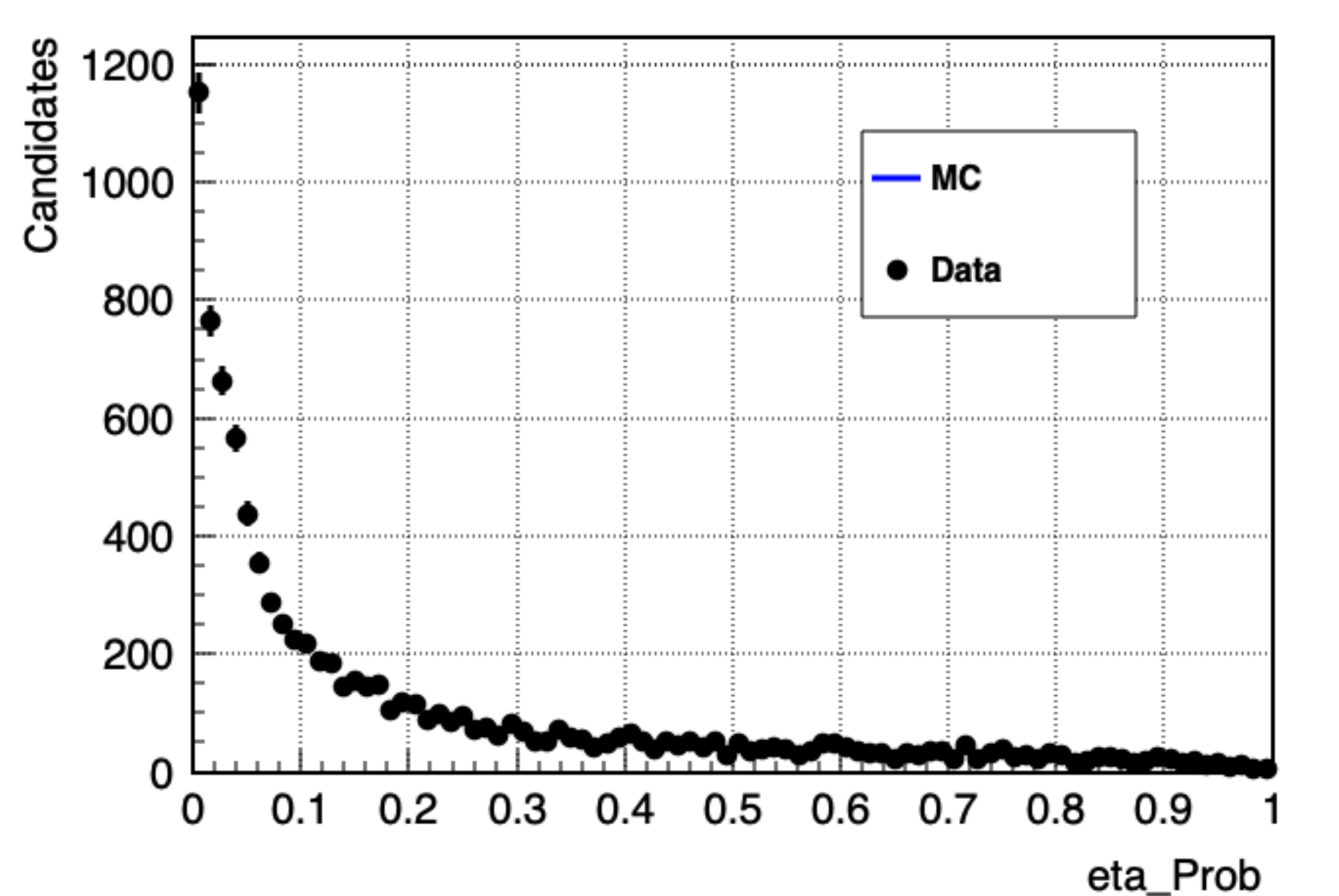
Background yield- 863

- $pBkg\_deltaE$  exponential constant for Bkg

# DATA-MC AGREEMENT OF $\eta$ PROB



Data-MC agreement of  $\eta$  Prob plot (Data and MC)



Data-MC agreement of  $\eta$  Prob plot (only Data)

All the MC and the Data points in the plot are scaled.



**BLUE** indicates the MC events

**Black** indicates the data with error bars.

# SIGNAL EVENTS IN THETA MOMENTUM BINNING

Total Signal in MC-1

	p1	P2	P3	P4
Theta1 (fwd)	0+0=0	0+0=0	1+0=1	637+19=656
Theta2 (bar)	0+0=0	0+7=7	878+26=904	2326+43=2369
Theta3 (bar)	224+10=234	2142+124=2266	2516+101=2617	531+14=545
Theta 4 (bar)	2894+166=3060	1253+42=1295	44+1=45	0+0=0
Theta 5 (bwd)	265+17=282	0+0=0	0+0=0	0+0=0

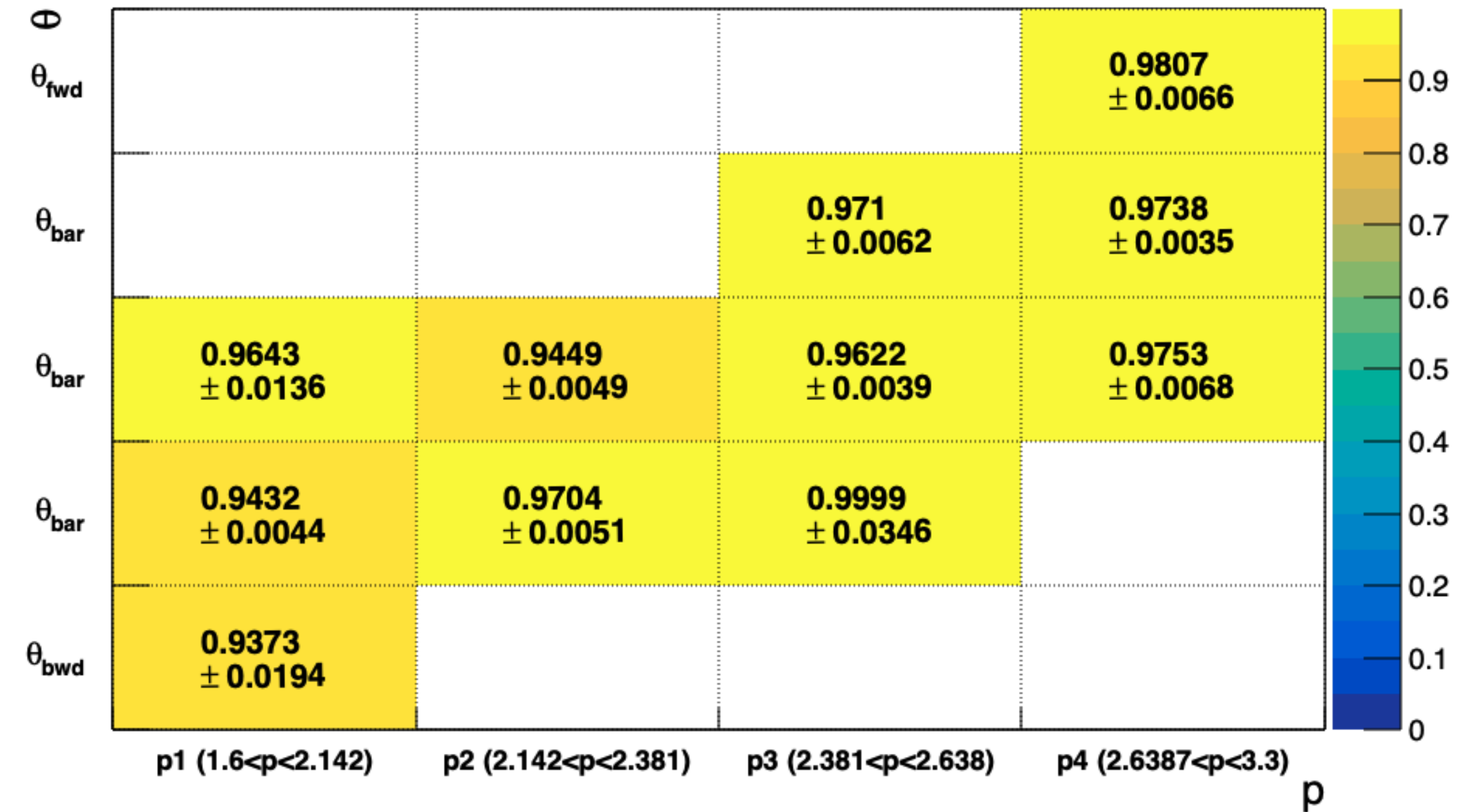
$\text{Eta\_Prob} < 0.68 + \text{Eta\_Prob} > 0.68 = \text{Total signal event}$  (for the particular bin)

# MOMENTUM THETA BINNING SYSTEMATICS

$\epsilon_{MC}$  Pbin Theta distribution

	P_1 (1.6 < p < 2.142)	P_2 (2.142 < p < 2.381)	P_3 (2.381 < p < 2.638)	P_4 (2.638 < p < 3.3)
Theta1 (fwd)				0.9807 ± 0.0066
Theta2 (bar)			0.9710 ± 0.0062	0.9738 ± 0.0035
Theta2 (bar)	0.9643 ± 0.0136	0.9449 ± 0.0049	0.9622 ± 0.0039	0.9753 ± 0.0068
Theta 4 (bar)	0.9432 ± 0.0044	0.9704 ± 0.0051	0.9999 ± 0.0346	
Theta 5 (bwd)	0.9373 ± 0.0194			

$\epsilon_{MC}$  Tabular Distribution

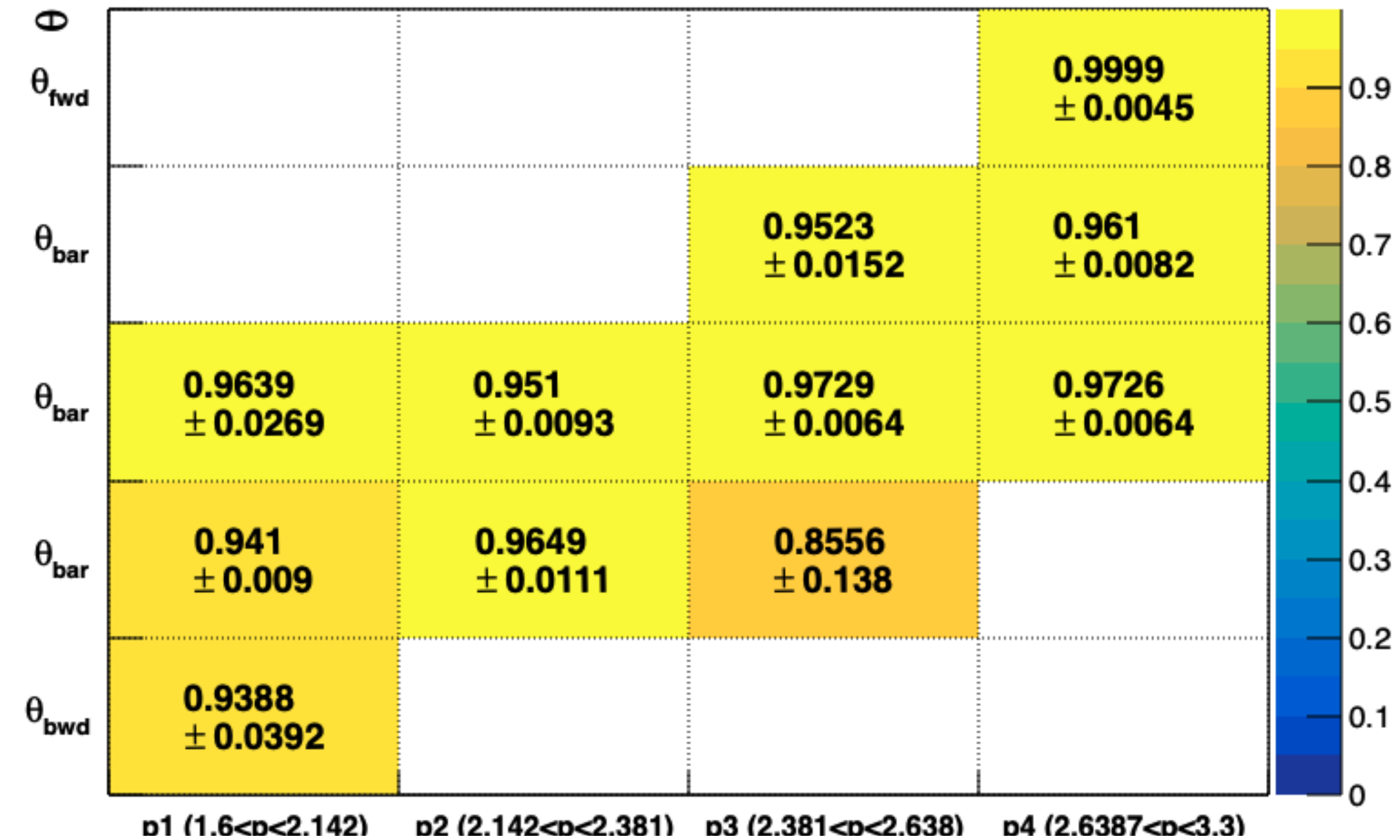


$\epsilon_{MC}$  colz 2D Distribution

# MOMENTUM THETA BINNING SYSTEMATICS

	$\epsilon_{DATA}$			
	P_1 (1.6 < p < 2.142)	P_2 (2.142 < p < 2.381))	P_3 (2.381 < p < 2.638)	P_4 (2.638 < p < 3.3)
Theta1 (fwd)				0.9999 ± 0.0045
Theta2 (bar)			0.9523 ± 0.0152	0.9610 ± 0.0082
Theta2 (bar)	0.9639 ± 0.0269	0.9510 ± 0.0093	0.9729 ± 0.0064	0.9726 ± 0.0064
Theta 4 (bar)	0.9410 ± 0.0090	0.9649 ± 0.0111	0.8556 ± 0.1380	
Theta 5 (bwd)	0.9388 ± 0.0392			

$\epsilon_{Data}$  Tabular Distribution



$\epsilon_{Data}$  colz 2D Distribution