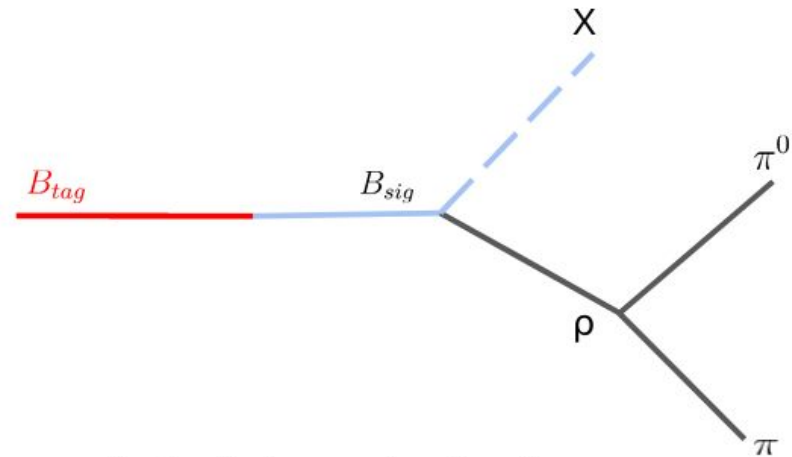
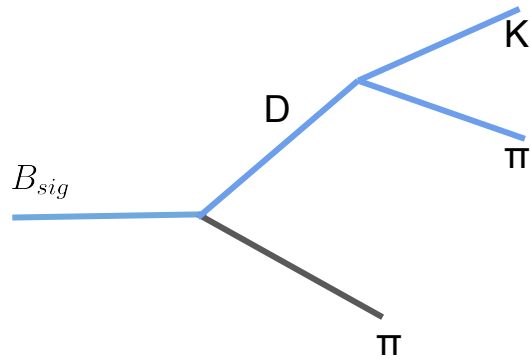


$B \rightarrow D^{(*,**)0} \rho(\pi)$ reconstruction with missing mass method

Swarna Prabha Maharana, Vidya Sagar Vobbiliseti, Saurabh Sandilya, Karim Trabelsi



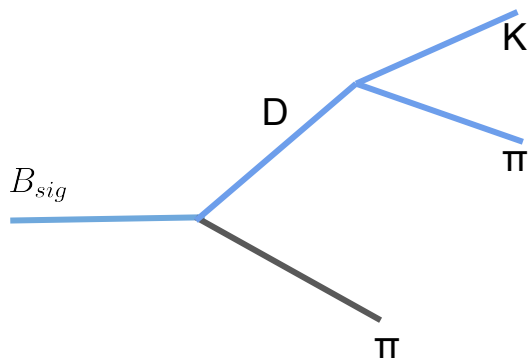
Why Partial Reconstruction?



Reconstruct all the
final state particles
from the B

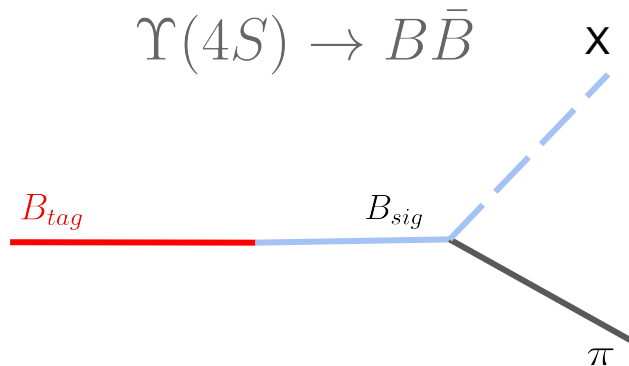
$$\text{Eff} = \text{BR}(B \rightarrow D^0 \pi) \times \text{BR}(D^0 \rightarrow K \pi) \times \epsilon_K \times \epsilon_\pi \times \epsilon_\pi$$

Why Partial Reconstruction?



Reconstruct all the final state particles from the B

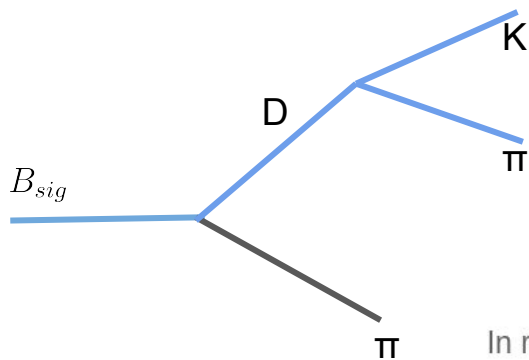
$$\text{Eff} = \text{BR}(B \rightarrow D^0 \pi) \times \text{BR}(D^0 \rightarrow K \pi) \times \epsilon_K \times \epsilon_\pi \times \epsilon_\pi$$



- Instead of reconstructing the D exclusively, one could reconstruct the other B
- Look for the D in the recoil mass.

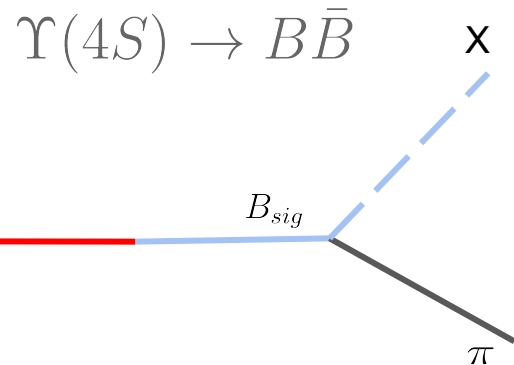
$$\text{Eff} = \epsilon_{B_{\text{tag}}} \times \epsilon_\pi$$

Why Partial Reconstruction?



Reconstruct all the final state particles from the B

$$\text{Eff} = \text{BR}(B \rightarrow D^0 \pi) \times \text{BR}(D^0 \rightarrow K \pi) \times \epsilon_K \times \epsilon_\pi \times \epsilon_\pi$$



In rest frame of $\Upsilon(4S)$: $\vec{p}_{B_{sig}} = -\vec{p}_{B_{tag}}$

$$\vec{p}_X = \vec{p}_{B_{sig}} - \vec{p}_\pi$$

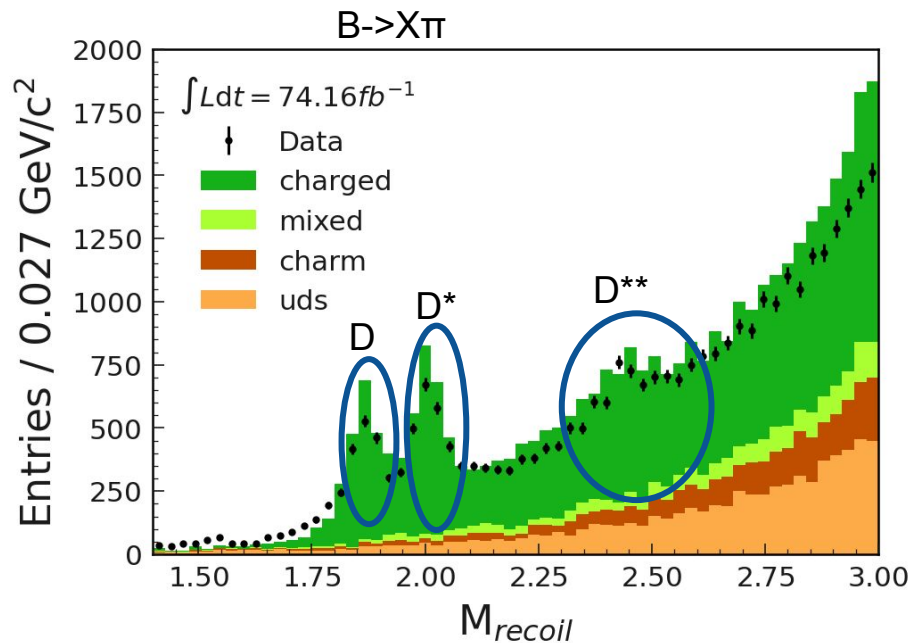
$$E_X = E_{beam} - E_\pi$$

$$M_X = \sqrt{E_X^2 - \vec{p}_X^2}$$

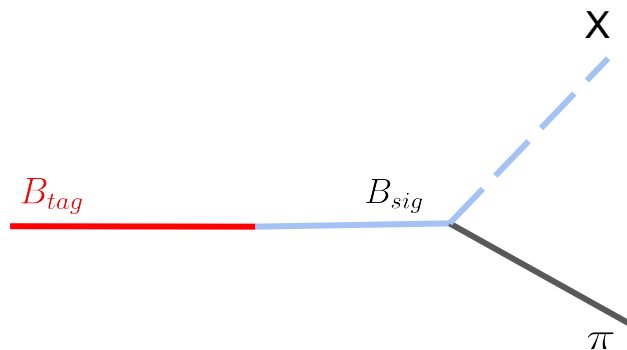
- Instead of reconstructing the D exclusively, one could reconstruct the other B
- Look for the D in the recoil mass.

$$\text{Eff} = \epsilon_{B_{tag}} \times \epsilon_\pi$$

Why Partial Reconstruction?

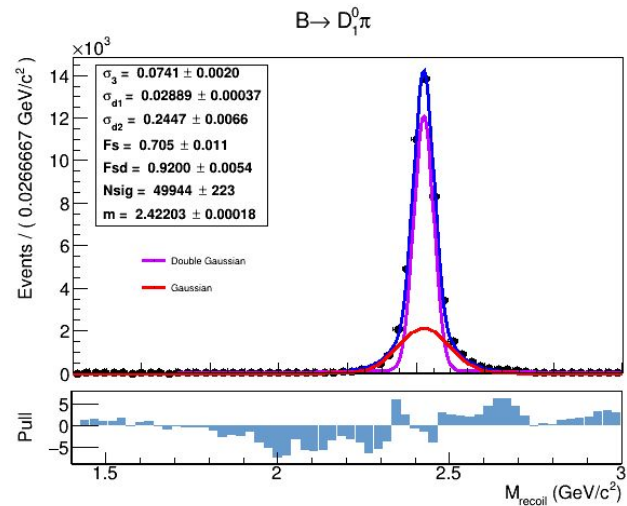
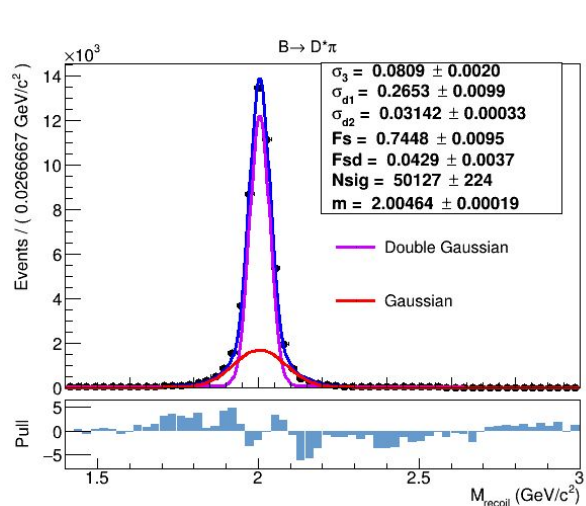
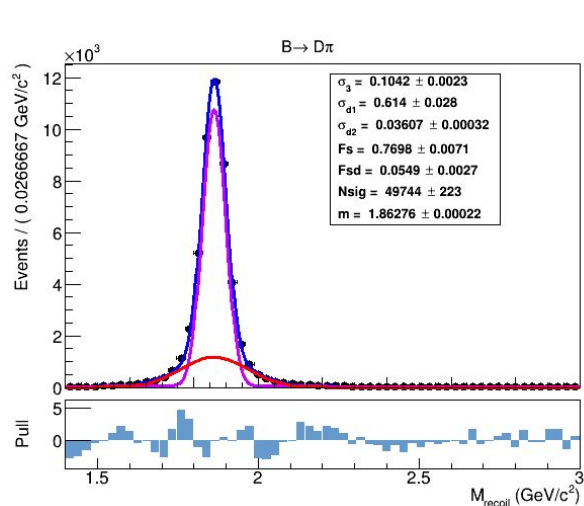


D, D*, D** with same efficiency



- Instead of reconstructing the D exclusively, one could reconstruct the other B
- Look for the D in the recoil mass.

$$\text{Eff} = \epsilon_{B_{tag}} \times \epsilon_{\pi}$$



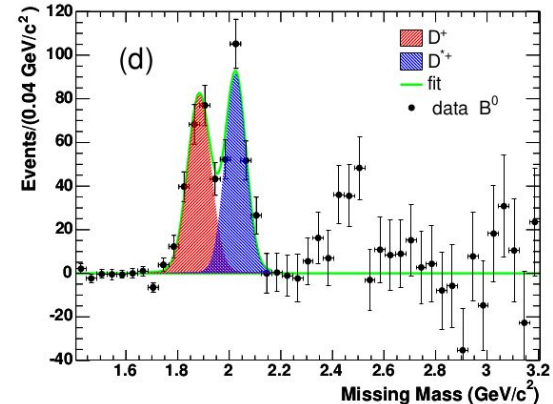
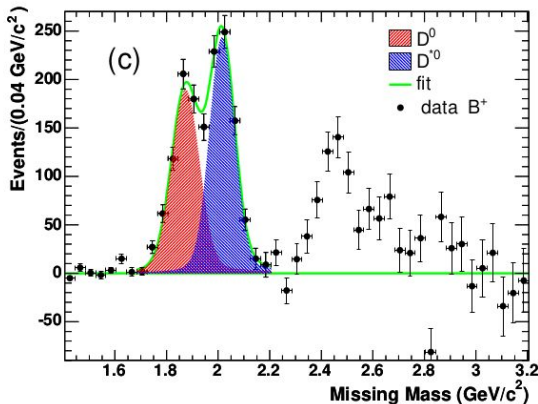
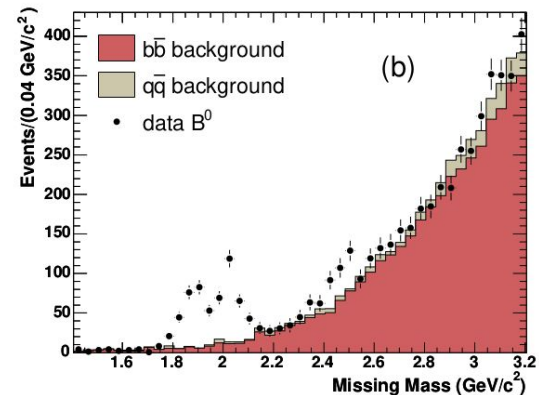
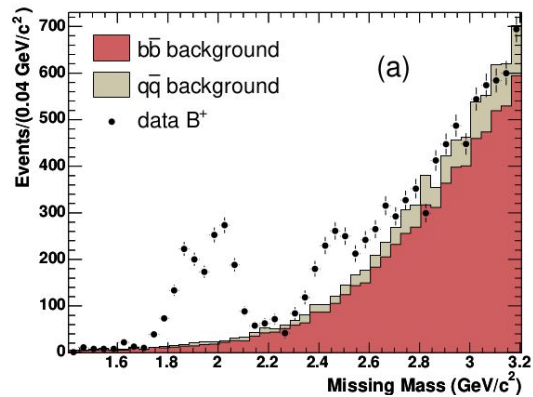
| Mode | Efficiency(x 10 ⁻³) |
|--------------------------------------|---------------------------------|
| B->D π | 4.97 \pm 0.02 |
| B->D [*] π | 5.01 \pm 0.02 |
| B->D ₁ ⁰ π | 4.99 \pm 0.02 |

Approach 1.0

- $B^+ \rightarrow D^{(*)0} \pi^+, D^{(*)0} \rho^+, D^{(*)0} a_1^+$
- $B^0 \rightarrow D^{(*)-} \pi^+, D^{(*)-} \rho^+, D^{(*)-} a_1^+$

The D^{**} yields are defined as the excess of candidates in the missing mass range 2.2 – 2.8 GeV/c^2 , and the $B \rightarrow D^{**} \pi^-$ branching fractions refer to the contributions of all non-strange charm meson states in the same region.

| Decay mode | Yield | Efficiency | $\mathcal{B}(10^{-3})$ |
|---------------------------------------|--------------|-------------------|--------------------------|
| $B^- \rightarrow D^0 \pi^-$ | 677 ± 32 | | $4.49 \pm 0.21 \pm 0.23$ |
| $B^- \rightarrow D^{*0} \pi^-$ | 774 ± 33 | 0.796 ± 0.007 | $5.13 \pm 0.22 \pm 0.28$ |
| $B^- \rightarrow D^{**0} \pi^-$ | 829 ± 78 | | $5.50 \pm 0.52 \pm 1.04$ |
| $\bar{B}^0 \rightarrow D^+ \pi^-$ | 248 ± 19 | | $3.03 \pm 0.23 \pm 0.23$ |
| $\bar{B}^0 \rightarrow D^{*+} \pi^-$ | 245 ± 19 | 0.793 ± 0.007 | $2.99 \pm 0.23 \pm 0.24$ |
| $\bar{B}^0 \rightarrow D^{**+} \pi^-$ | 192 ± 54 | | $2.34 \pm 0.65 \pm 0.88$ |



Selection

We start with B to $X\pi$

Tag side B selection:

- $M_{bc} > 5.27 \text{ GeV}/c^2$
- $|\Delta E| < 0.05 \text{ GeV}$
- FEI Signal Probability > 0.01

Select a π with:

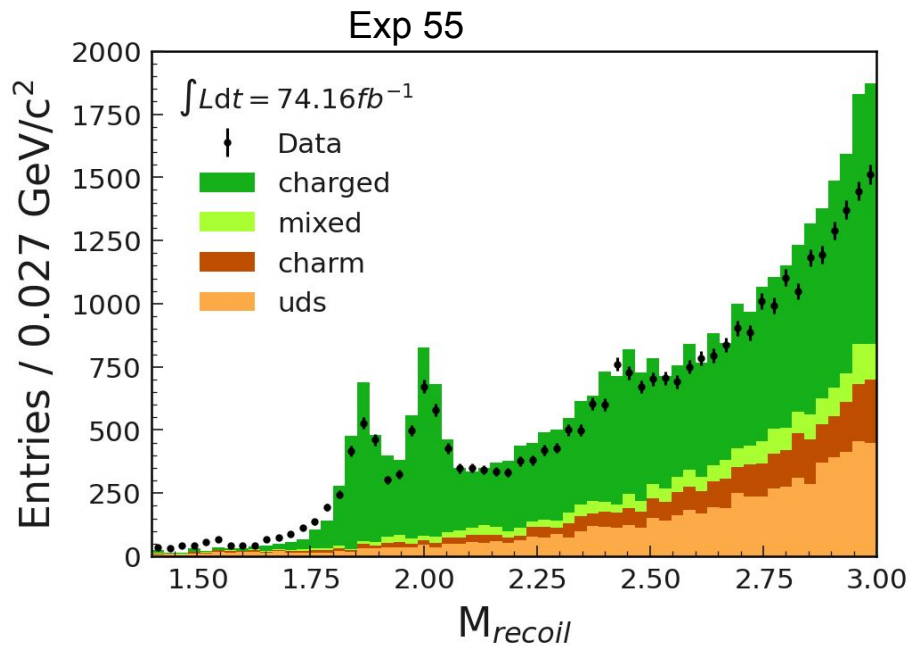
- $|d0| < 1$ and $|z0| < 3$
- $L[K/\pi] < 0.9$ and $\mu\text{-id} < 0.9$ and $e\text{-id} < 0.9$

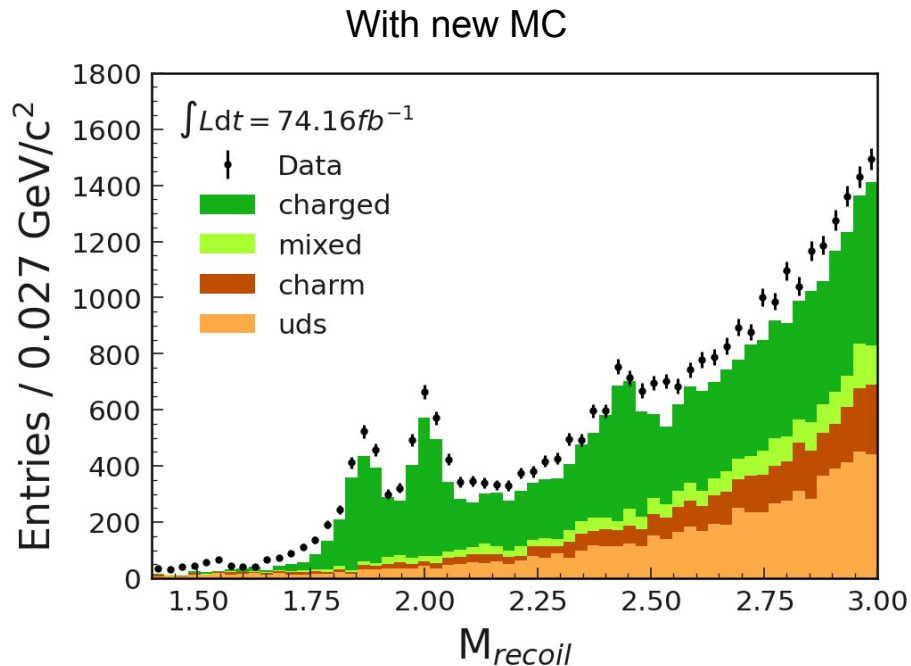
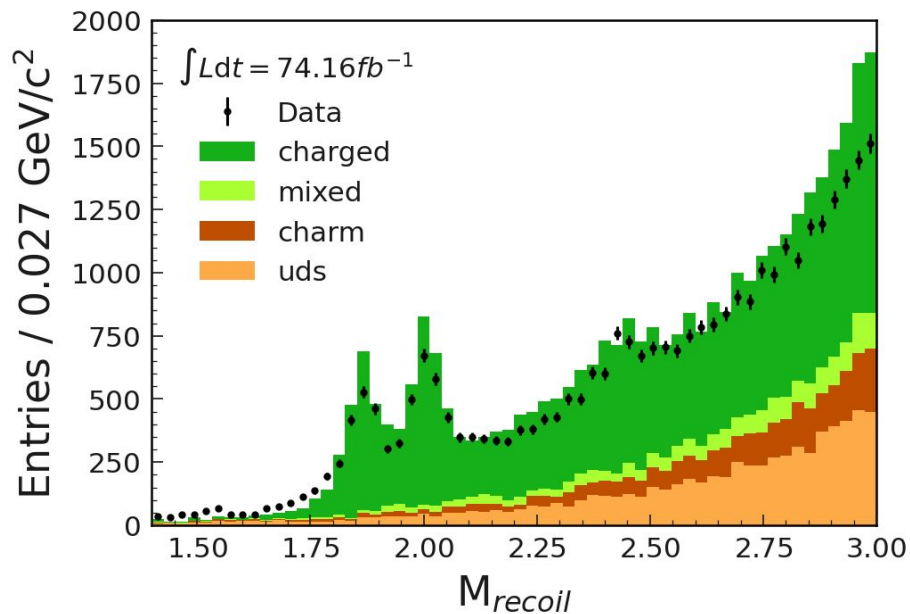
continuum suppression:

- Event sphericity > 0.2
- B tag 's $\cos\text{TBTO} < 0.9$

BCS: Event with highest FEI signal probability and highest π momentum in CMS

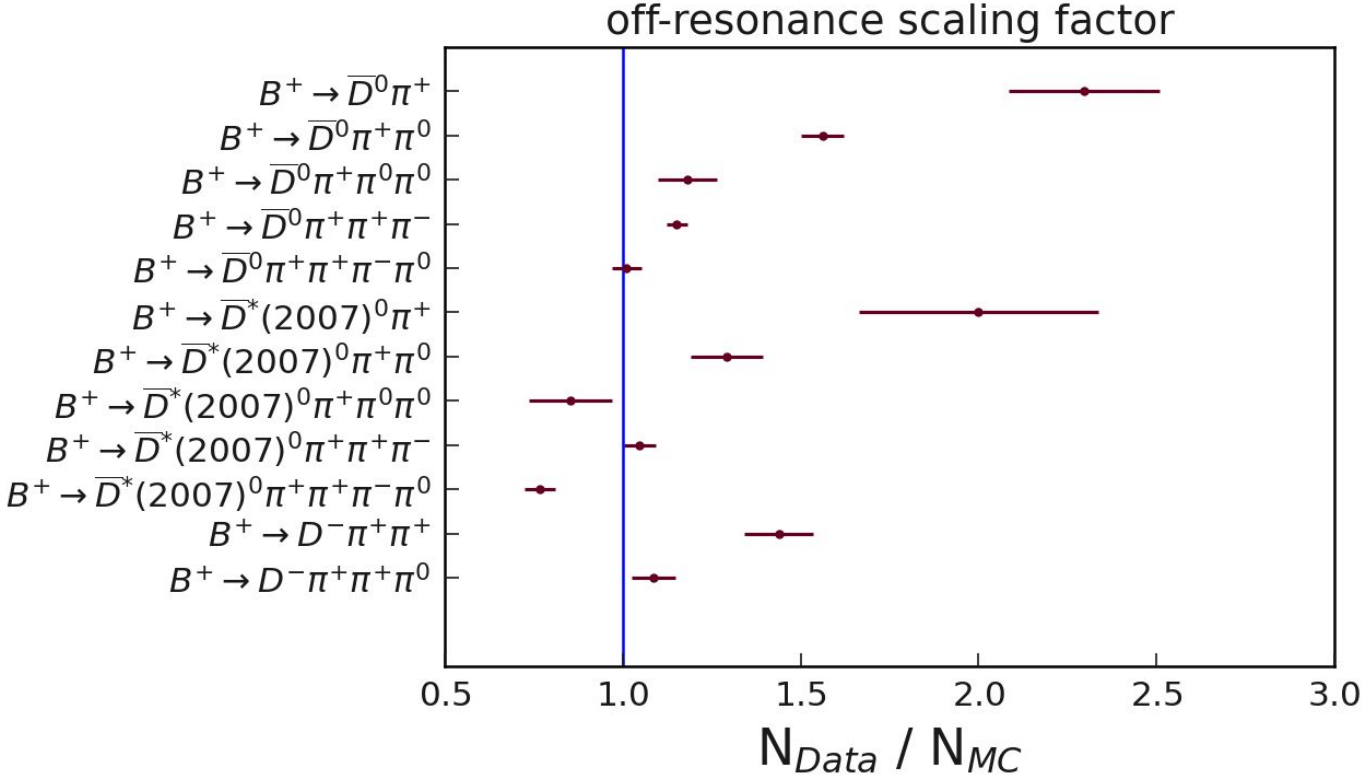
B → **X** **π**





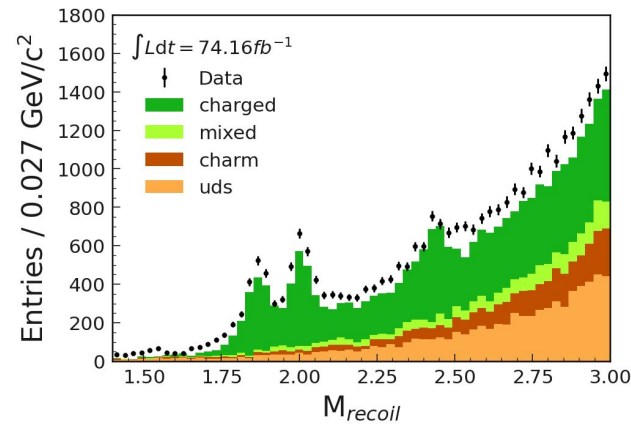
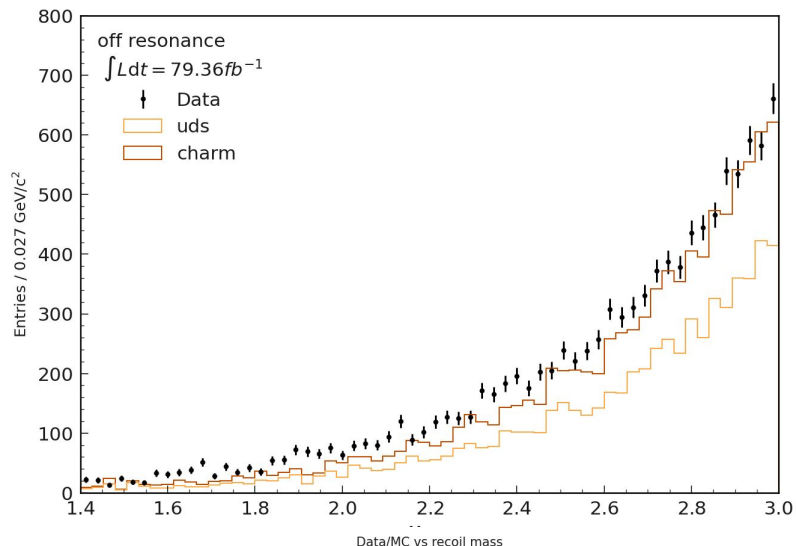
Scaling factor from continuum?

Scaling factor Vs tag mode

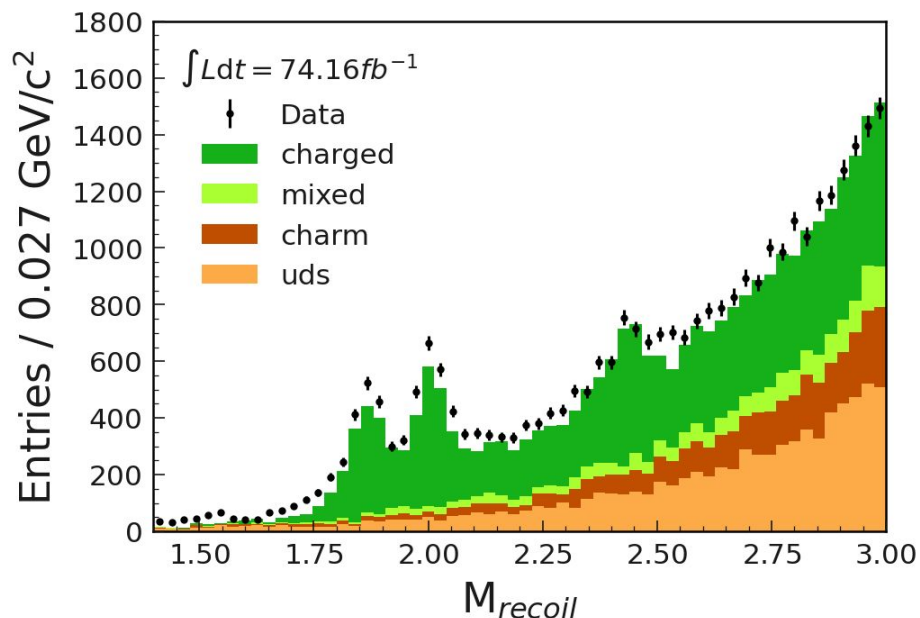


M_{recoil}

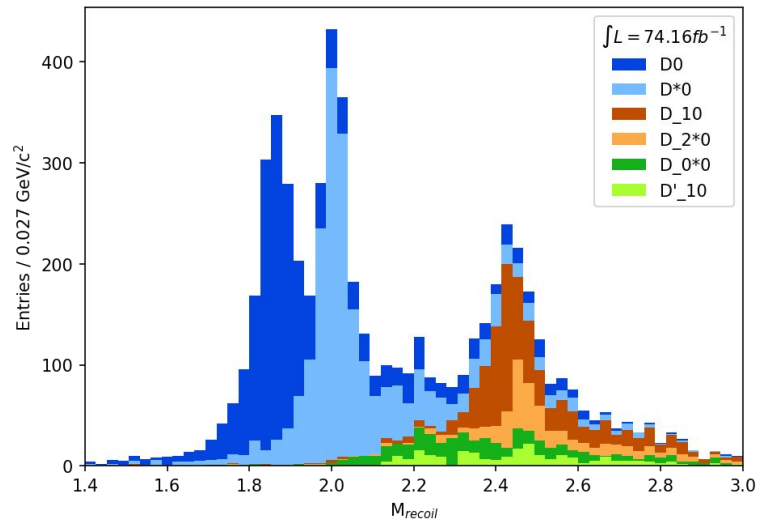
Overall Data/MC-1.15 from off-resonance



Scale continuum

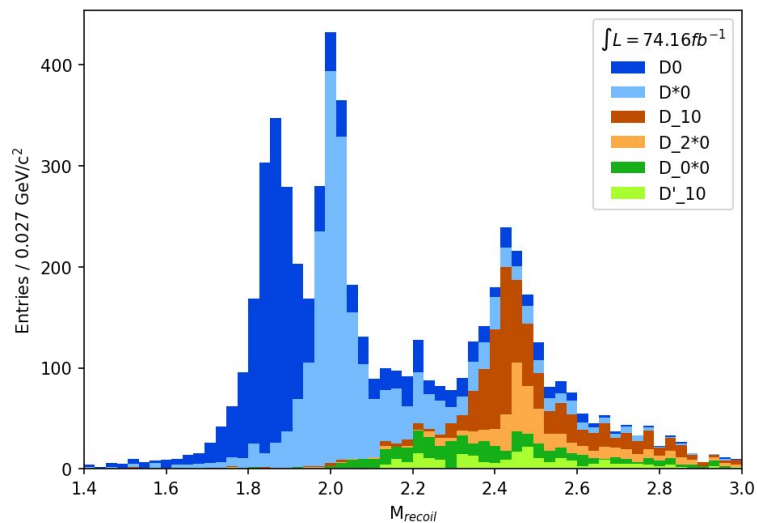


Background subtracted data



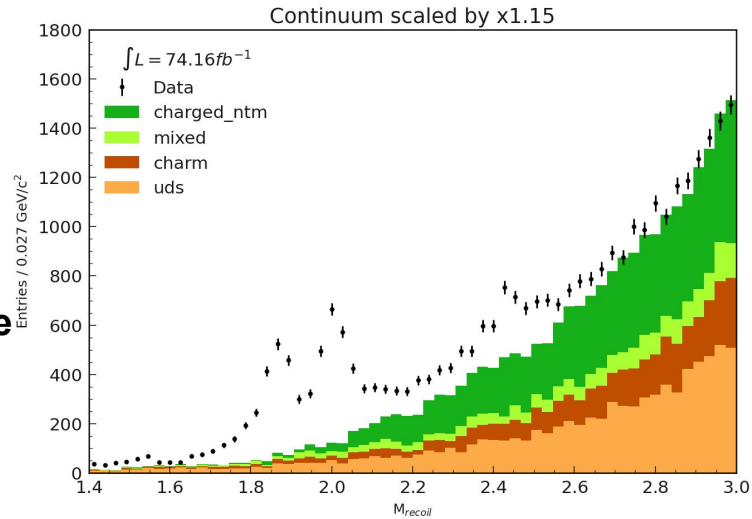
Signal modes

Background subtracted data

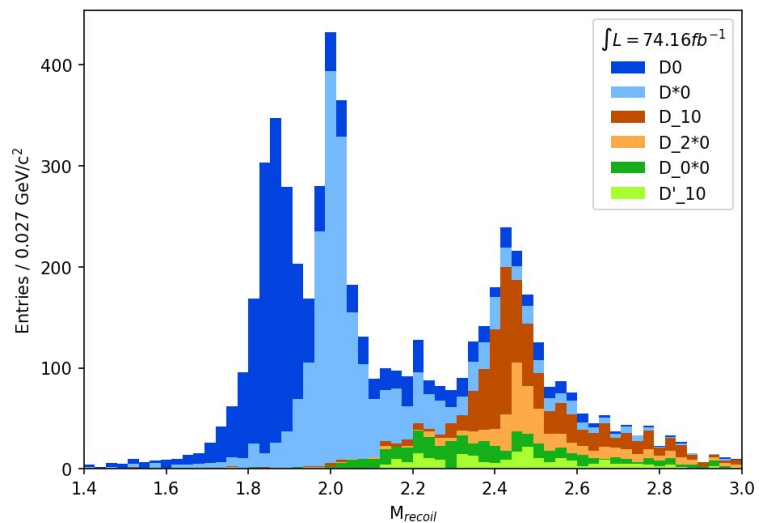


Signal modes

Remove all the signal modes

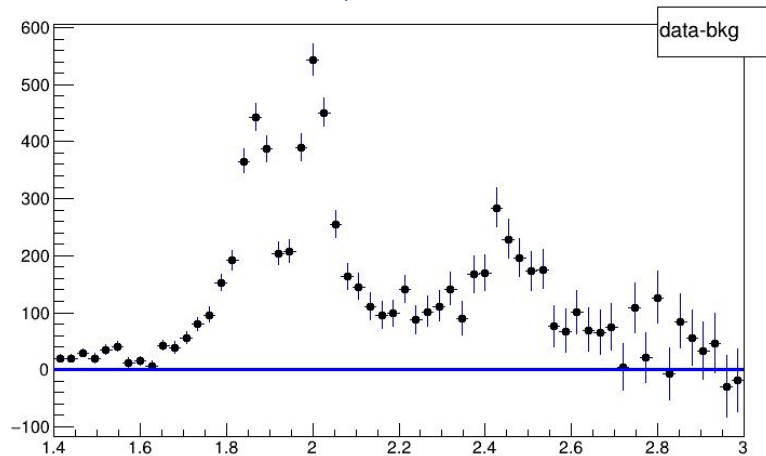
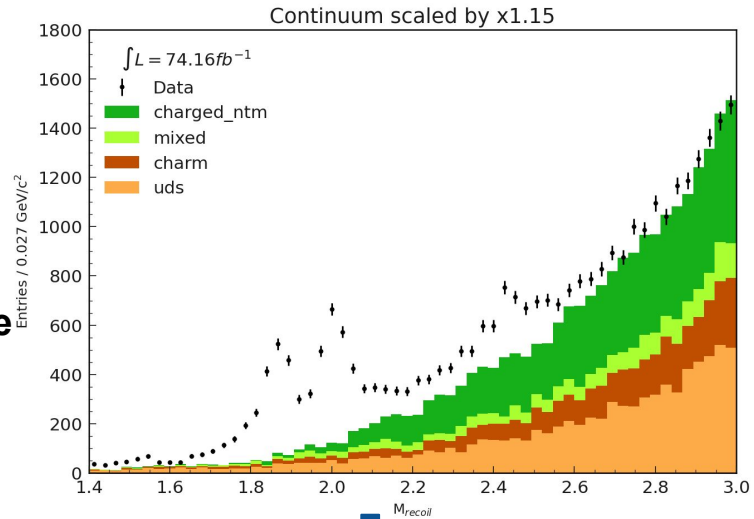


Background subtracted data

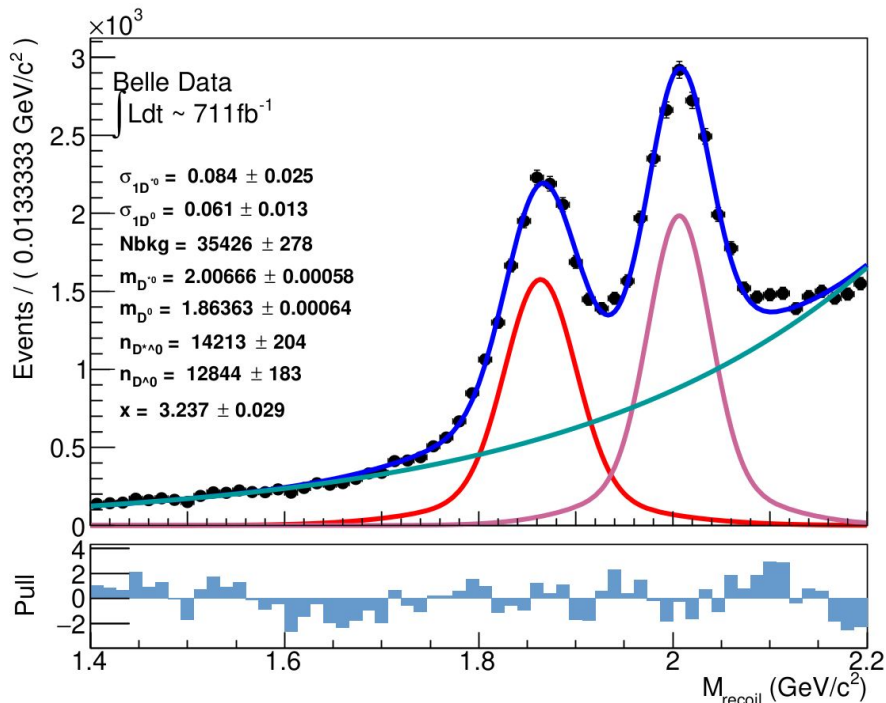
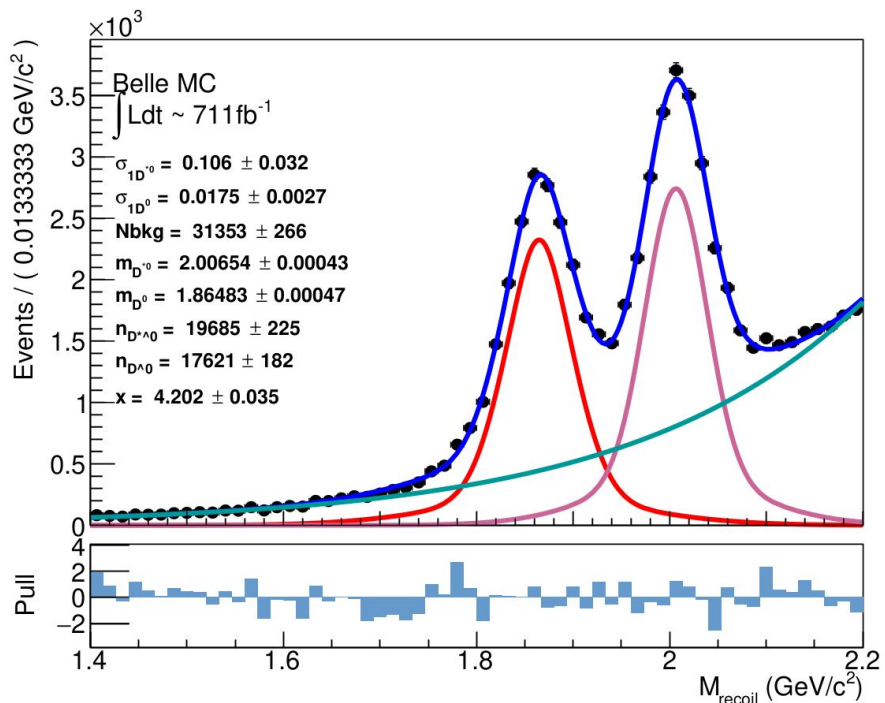


Signal modes

Remove all the signal modes



Approach 2.0



$$\mathcal{B} = \frac{N_{\text{yield}}}{2 \times N_{B\bar{B}} \times f_{00} \times \epsilon_{MC} \times C_{\text{tag}} \times C_{\pi}}$$

$$\frac{\mathcal{B}(B \rightarrow D^{*0}\pi)}{\mathcal{B}(B \rightarrow D^0\pi)} = \frac{N_{D^*\pi}}{N_{D\pi}} \times \frac{\epsilon_{D\pi}}{\epsilon_{D^*\pi}}$$

| | Data | MC |
|-------|-----------|-----------|
| Ratio | 1.09±0.02 | 1.10±0.01 |

Selection for $B \rightarrow X\rho$

- $M_{bc} > 5.27 \text{ GeV}/c^2$
- $|\Delta E| < 0.05 \text{ GeV}$
- FEI Signal Probability > 0.01

Select a π with:

- $|d_0| < 1$ and $|z_0| < 3$
- $L[K/\pi] < 0.9$ and $\mu\text{-id} < 0.9$ and $e\text{-id} < 0.9$

continuum suppression:

- Event sphericity > 0.2
- Btag 's $\cos\text{TBTO} < 0.9$

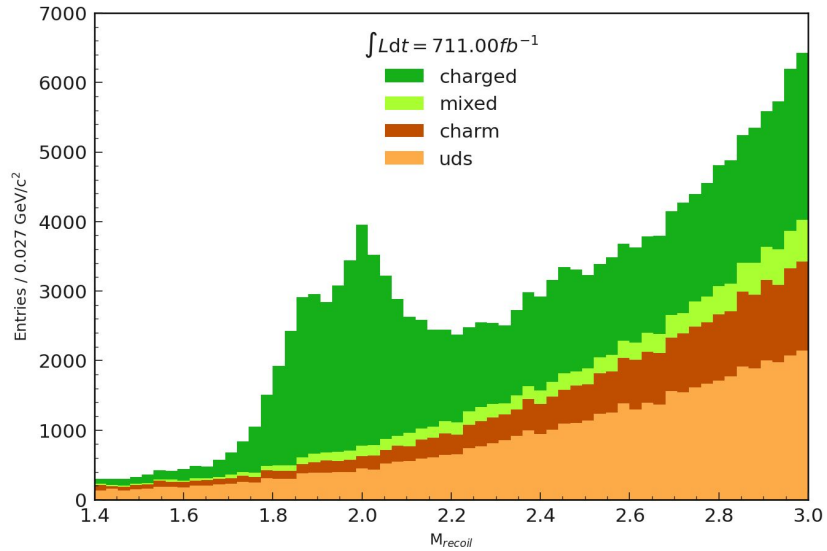
Select a π^0 with:

- π^0 : mdst list

Further cuts to reduce background:

- $p[\pi^0] > 150 \text{ MeV}$
- $M[\pi^0] \in [0.12, 0.15] \text{ GeV}/c^2$
- $M[\rho] \in [0.6, 0.9] \text{ GeV}/c^2$

BCS: Event with highest FEI signal probability and highest p momentum in CMS



Resolution is worse than $B \rightarrow X\pi$
But can still see D, D*, D** peaks.

What next?

- Continuum Suppression needs a revisit.
- Some specific B_{tag} modes may be favourable.
- Some selection criteria on the pion invariant may help reducing the background.
- A fit plan for the whole M_{recoil} region(1.4-3 GeV).
- Look if the signal, background pdfs depend on FEI modes.
- Double recoil method for an efficient understanding of D^{**} .

Thank You

Fit in MC

