

Using Charm Flavour tagger with $D^0 \rightarrow K_S K_S$

Sanjeeda Bharati Das¹, Kavita Lalwani¹, Angelo Di Canto²
MNIT Jaipur¹, BNL, USA²

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Today's talk

- **Goal: Measurement of CP Asymmetry in $D^0 \rightarrow K_S K_S$.**
- Explore the prospect of using Charm Flavour Tagger (CFT):
 - Data Sample & Selection Criteria
 - Physics Motivation for CFT
 - Results: Measurement of CFT Metrics with 200fb^{-1} for prompt $D^0 \rightarrow K_S K_S$

Data Sample & Selection Criteria

Trial Sample & Software version:

- MC15ri, 200fb⁻¹
- light-2207-bengal

Selection Criteria :

- *For charged tracks:*
 - *thetaInCDCAcceptance*
 - *dr < 0.5 && abs(dz) < 2*
 - *[nSVDHits > 0] and [nCDCHits > 20]*
- *K_S0:merged is used*
 - *KS_significanceOfDistance > 20*
- *For D⁰:*
 - *Dz_p_CMS > 2.5 GeV/c*
 - *1.7 < Dz_M < 2.05 GeV/c²*

Physics Motivation

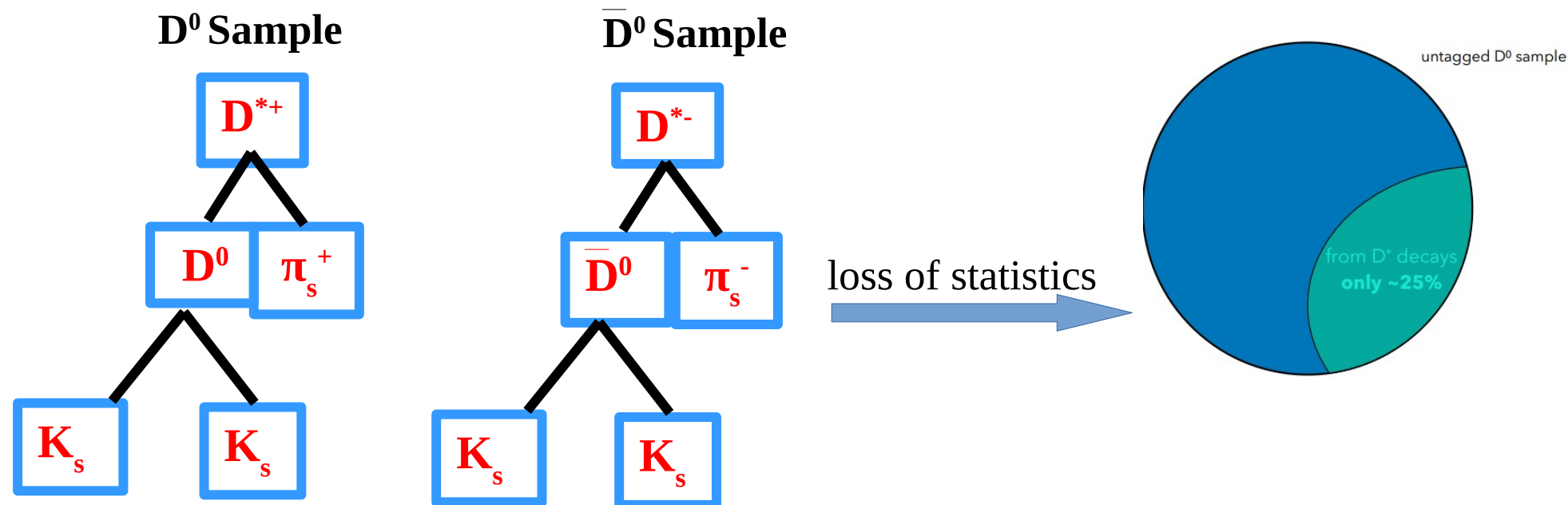
Experimentally measured quantity is raw asymmetry (A_{raw}) defined as:

$$A_{\text{raw}} \equiv \frac{N(D^0) - N(\bar{D}^0)}{N(D^0) + N(\bar{D}^0)}$$

$N(D^0) = \text{measured yield of } D^{*+} \rightarrow D^0\pi^+, D^0 \rightarrow K_s K_s \text{ decays}$

$N(\bar{D}^0) = \text{measured yield of } D^{*-} \rightarrow \bar{D}^0\pi^-, \bar{D}^0 \rightarrow K_s K_s \text{ decays}$

To measure CP Asymmetry, we need to identify (tag) the flavor the D^0 meson. One can use the charge of the slow pion (π_s).



$$B(D^0 \rightarrow K_s K_s) = (1.321 \pm 0.023 \pm 0.036 \pm 0.044) \times 10^{-4} \text{ (Phys. Rev. Lett. 119 171801)}$$

Due to low branching fraction, it is desirable to have other flavor identifying techniques which can retain statistics in addition to efficient flavour identification.

Charm Flavour Tagger (CFT)

1. **The Charm Flavour Tagger** is a promising new tool (BELLE2-NOTE-PH-2022-044).
2. We explore the possibility of using this new tool for our analysis.
3. We expect to considerably increase the statistics
4. CFT metrics and procedure:

tagging efficiency: $\epsilon_{tag} = \frac{R + W}{R + W + U}$

mistag fraction: $\omega = \frac{W}{R + W}$

dilution: $r = |1 - 2\omega|$

tagging power: $\epsilon_{eff} = \epsilon_{tag}(1 - 2\omega)^2$

tagging decision: $q = \pm 1$

R (W), U: rightly (wrongly) tagged, untagged D^0 candidates
q: +1 for D^0 , -1 for \bar{D}^0

Reconstruct Decay



Apply CFT



Additional variables to measure CFT metrics. Eg: *pred flavour, qr*, etc.

CFT Metrics

- The meaning of **tagging efficiency** ϵ_{tag} and the **mistag rate** ω are self explanatory.
- The sensitivity of a measurement that relies on flavor tagging is directly related to the effective **tagging efficiency, or tagging power** (ϵ_{tag}^{eff})

$$\epsilon_{tag}^{eff} = \epsilon_{tag} r^2 = \epsilon_{tag} (1 - 2\omega)^2, \text{ where } r = \frac{R - W}{R + W}$$

is a dilution factor that accounts for candidates that are not correctly tagged.

$r = 0$ indicates that it is not possible to identify the flavor

$r = 1$ indicates that the flavor is perfectly known.

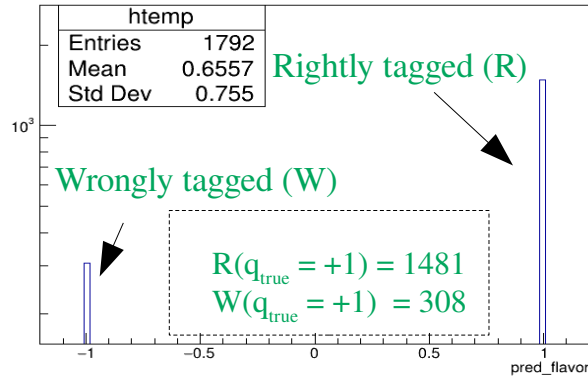
The tagging power represents, in essence, the effective statistical reduction of the sample size when a tagging decision is required.

- tagging efficiency, ϵ_{tag} , and the mistag rate, ω , can be different for charm and anticharm flavors due to charge-asymmetries in detection and reconstruction and as such $\Delta\epsilon_{tag}$ and $\Delta\omega$

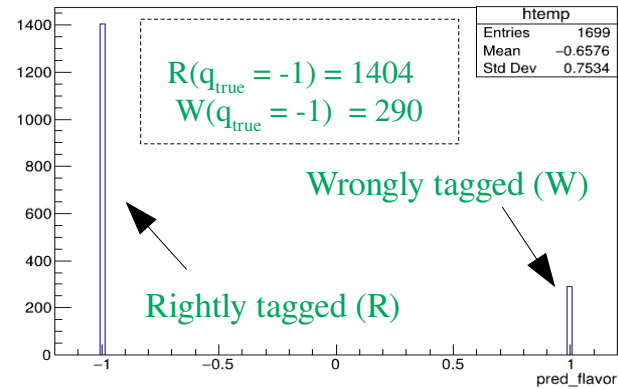
CFT Metrics

pred flavor distributions

$Dz_isSignal==1 \ \&\& \ Dz_mcPDG==421$

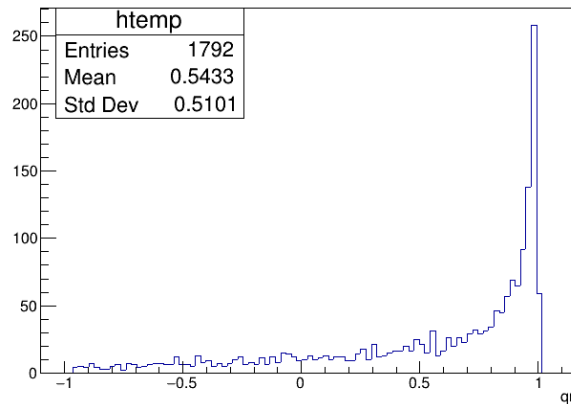


$Dz_isSignal==1 \ \&\& \ Dz_mcPDG==-421$

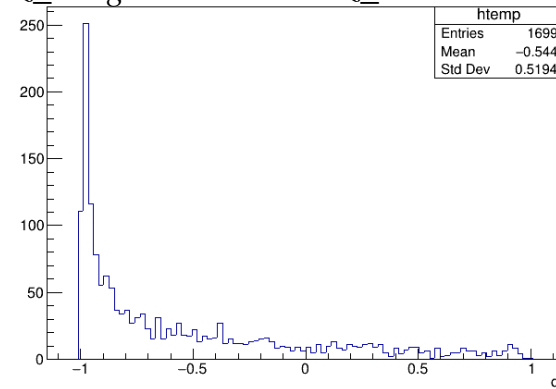


qr distributions

$Dz_isSignal==1 \ \&\& \ Dz_mcPDG==421$



$Dz_isSignal==1 \ \&\& \ Dz_mcPDG==-421$



in a sample of signal D^0 mesons:

$(q_{\text{true}} = +1)$ is the fraction of D^0 that are wrongly classified as anti- D^0

$(q_{\text{true}} = -1)$ is the fraction of anti- D^0 mesons wrongly classified as D^0

CFT Metrics (Mistag fraction)

fraction of D^0 mesons that are wrongly classified as \bar{D}^0 :

$$\omega(q_{true}=+1) = \frac{W}{R+W} = \frac{308}{1481+308} = 17.22\%$$

fraction of \bar{D}^0 mesons that are wrongly classified as D^0 :

$$\omega(q_{true}=-1) = \frac{W}{R+W} = \frac{290}{1404+290} = 17.11\%$$

$$\text{Mistag fraction } (\omega) = \frac{\omega(q_{true}=+1) + \omega(q_{true}=-1)}{2} = 17.17\%$$

$$\Delta \omega = 0.11\%$$

CFT Metrics (Tagging Efficiency, Tagging Power)

Untagged (U) = 8 (*qr* ≠ *qr*, for no cut on *qr*)

$U(q_{\text{true}} = +1) = 3$, $U(q_{\text{true}} = -1) = 5$

$$\varepsilon_{\text{tag}}(q_{\text{true}} = +1) = \frac{R+W}{R+W+U} = \frac{1481+308}{1481+308+3} = 98.33\%$$

$$\varepsilon_{\text{tag}}(q_{\text{true}} = -1) = \frac{R+W}{R+W+U} = \frac{1404+290}{1404+290+5} = 99.71\%$$

$$\text{tagging efficiency} = \frac{\varepsilon_{\text{tag}}(q_{\text{true}} = +1) + \varepsilon_{\text{tag}}(q_{\text{true}} = -1)}{2} = 99.02\%$$

$$\text{tagging power} = \varepsilon_{\text{eff}} (1 - 2\omega)^2 = 42.68\%$$

CFT Metrics with 200 fb⁻¹ (D⁰ → K_sK_s)

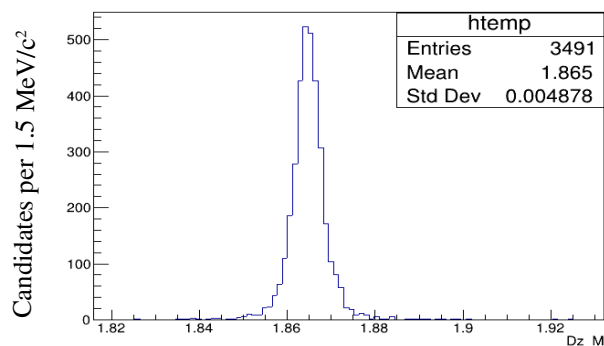
| qr | Mistag fraction ω (%) | Δω = ω(q _{true} = +1) - ω(q _{true} = -1)(%) | tagging efficiency ε _{tag} (%) | tagging power ε _{eff} ^{tag} (%) |
|----------------|--------------------------|---|---|---|
| - | 17.17 ± 0.64 % | 0.10 ± 1.28 % | 99.769 ± 0.084 % | 43.02 ± 1.67 % |
| >0.2 | 13.71 ± 0.61 % | -0.41 ± 1.23 % | 89.699 ± 0.514 % | 47.26 ± 1.62 % |
| >0.4 | 10.45 ± 0.58 % | 0.26 ± 1.17 % | 78.395 ± 0.697 % | 49.06 ± 1.51 % |
| >0.6 | 7.16 ± 0.54 % | -0.90 ± 1.08 % | 65.294 ± 0.806 % | 47.93 ± 1.34 % |
| >0.8 | 4.34 ± 0.49 % | -1.67 ± 0.98 % | 49.652 ± 0.846 % | 41.40 ± 1.13 % |

|qr| > 0.4 is the optimal cut for maximum tagging power.

M(D⁰) distributions

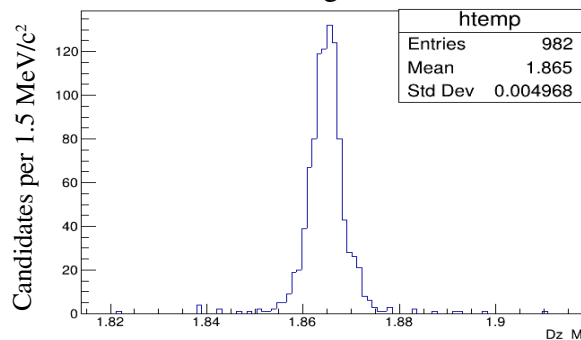
For prompt sample

Dz_isSignal==1



For D* tagged sample

Dst_isSignal==1



Events with CFT:

3491 x tagging power (without qr cut)

3491 x 0.43 = **1501**

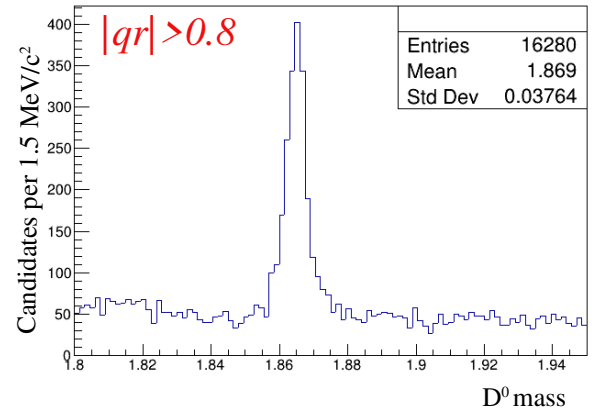
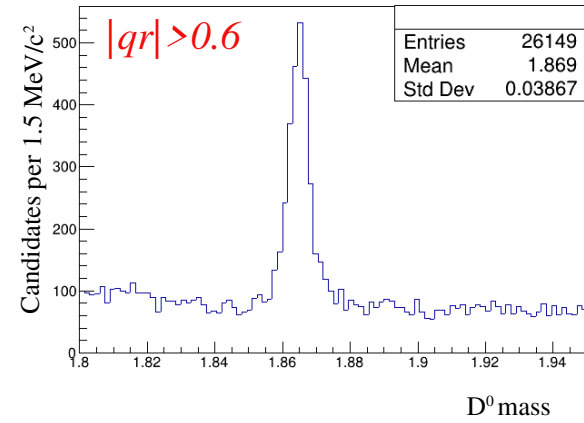
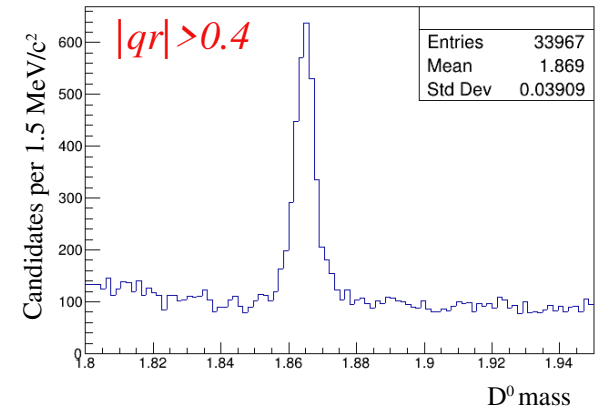
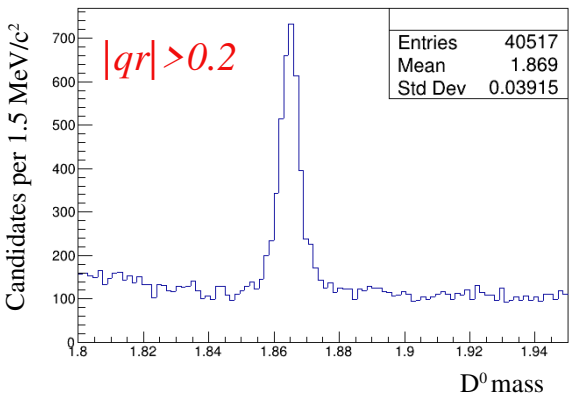
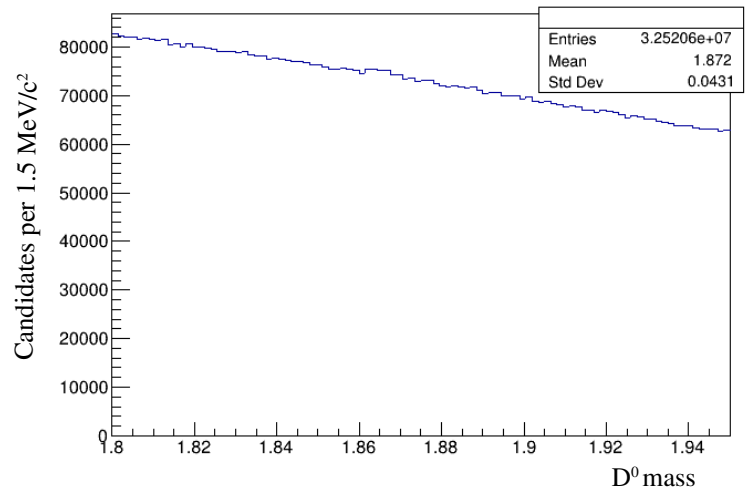
Increase: (1501-982)/982 ~ 53%

Prompt: D⁰ → K_sK_s

D* tagged: D* → D⁰ (K_sK_s)π_s

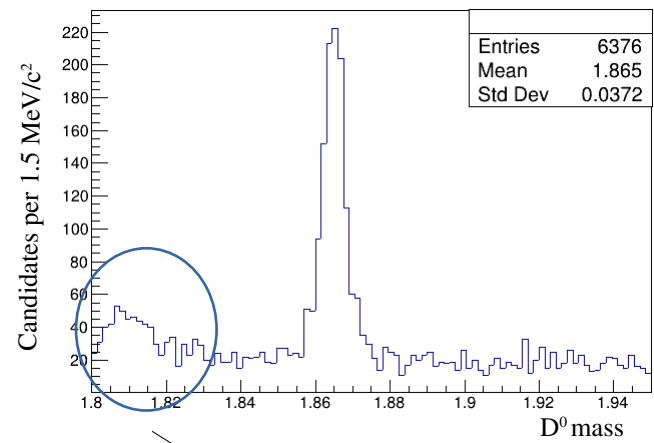
Effect of $|qr|$ criteria, D^0 Mass distributions (Prompt sample)

Simulation

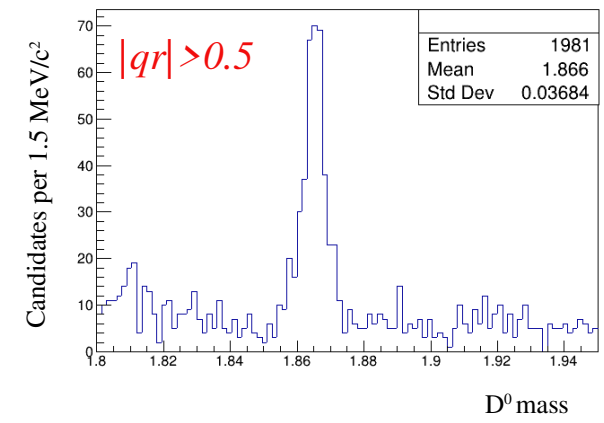
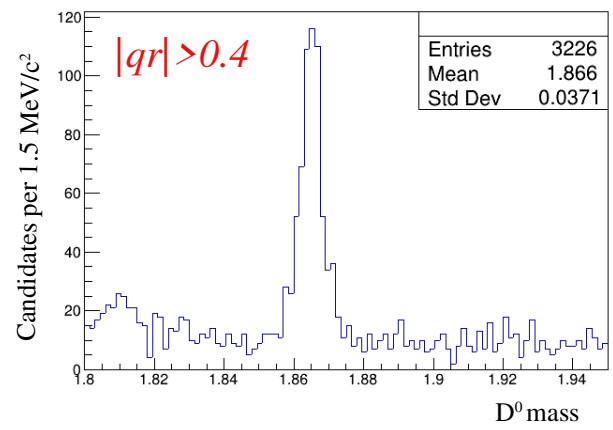
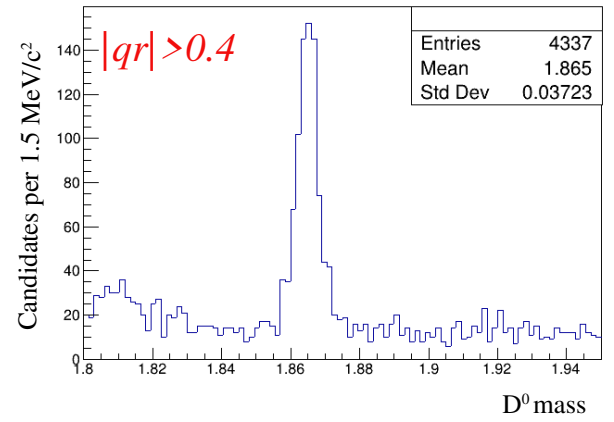
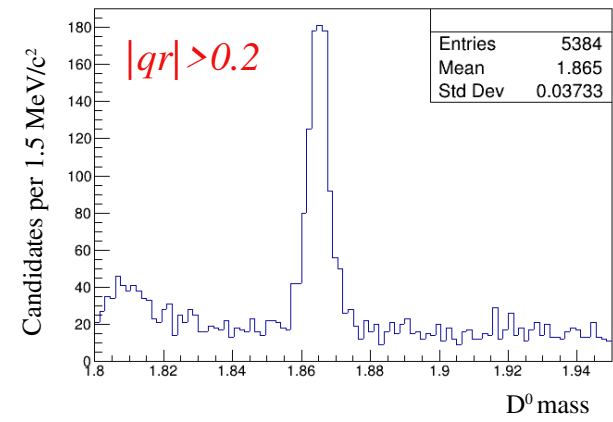


Effect of $|qr|$ criteria, D^0 Mass distributions (with D^* tagged sample)

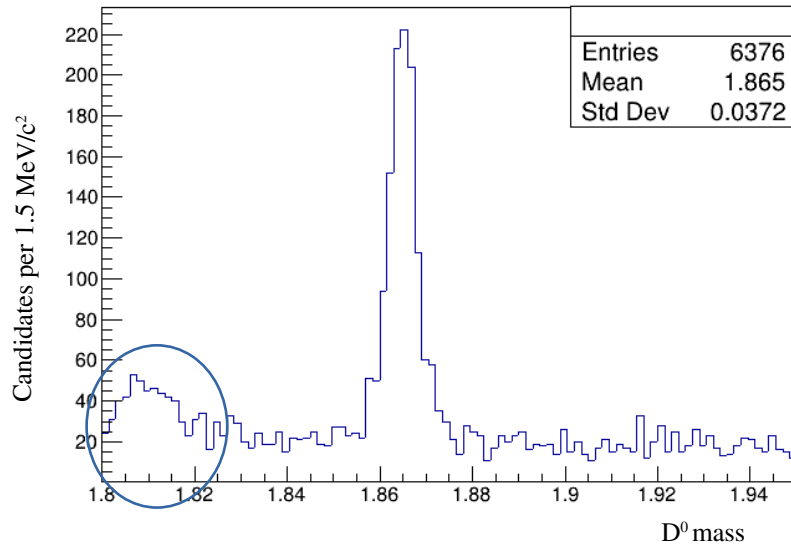
Simulation



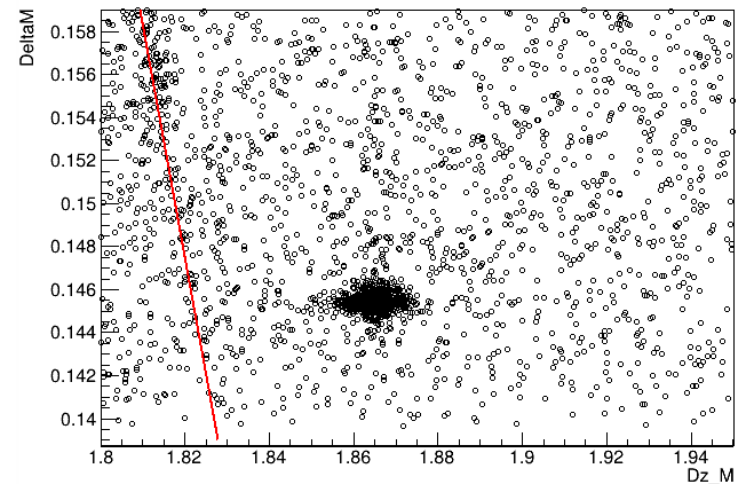
Need to check this peak



$M(D^0)$ distribution



Dz_M:DeltaM

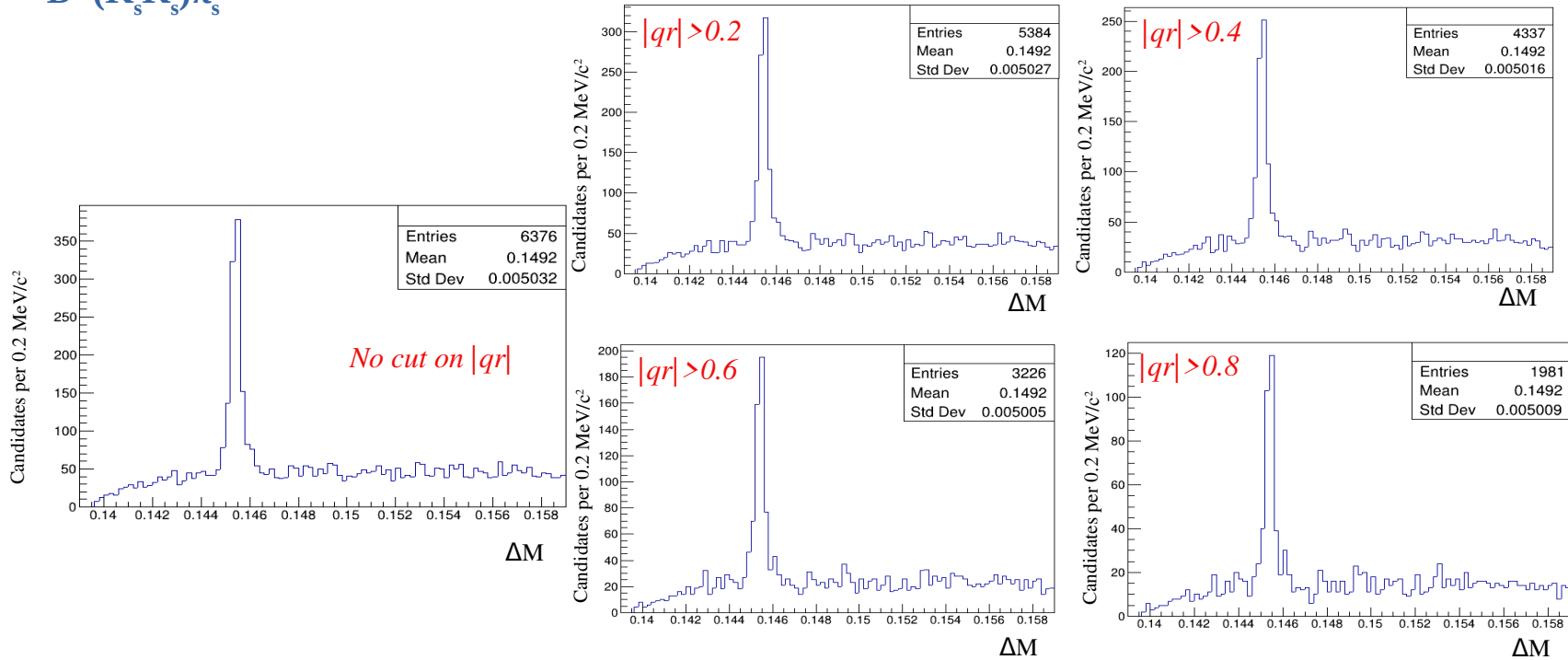


The ‘*shoulder*’ observed in the $M(D^0)$ distribution, is consistent with a contamination from $D_s^+ \rightarrow K_s K_s \pi^+$ ($\mathcal{B} = 7.7 \times 10^{-3}$) decay. The charged pion is used as soft pion candidate.

Effect of $|qr|$ criteria, ΔM distributions (with D^* tagged sample)

Simulation

$D^* \rightarrow D^0 (K_s K_s) \pi_s$



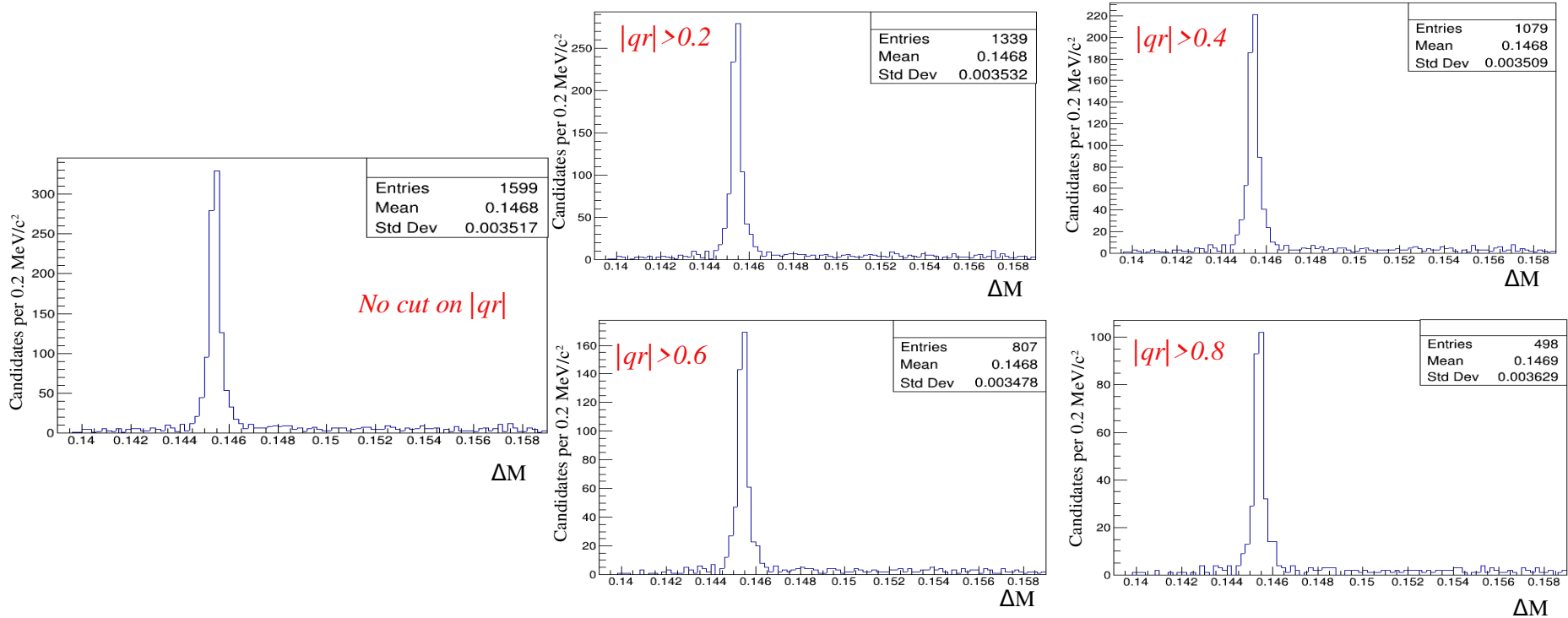
| $ qr $ | S (Signal) <i>Dst_isSignal==1</i> | B(Background) <i>Dst_isSignal!=1</i> | Purity: S/S+B |
|--------|--------------------------------------|---|---------------|
| - | 982 | 5394 | 15.40% |
| >0.2 | 823 | 4561 | 15.29% |
| >0.4 | 664 | 3673 | 15.31% |
| >0.6 | 491 | 2735 | 15.22% |
| >0.8 | 303 | 1678 | 15.30% |

Effect of $|qr|$ criteria, ΔM distributions (with D^* tagged sample)

Simulation

$D^* \rightarrow D^0 (K_s K_s) \pi_s$

(Signal Window: $1.845 < m(D^0) < 1.885$)



| $ qr $ | S (Signal) <i>Dst_isSignal==1</i> | B(Background) <i>Dst_isSignal!=1</i> | Purity: S/S+B |
|--------|--------------------------------------|---|---------------|
| - | 970 | 629 | 60.66% |
| >0.2 | 813 | 526 | 60.72% |
| >0.4 | 659 | 420 | 61.08% |
| >0.6 | 488 | 319 | 60.47% |
| >0.8 | 302 | 196 | 60.64% |

Summary

- Charm Flavour Tagger is a promising tool for flavour tagging.
- Observed that the CFT suppressing the background in untagged sample of $D^0 \rightarrow K_S K_S$
- Calculated the CFT Metrics and measured a $\sim 53\%$ increase in statistics in untagged sample of $D^0 \rightarrow K_S K_S$.

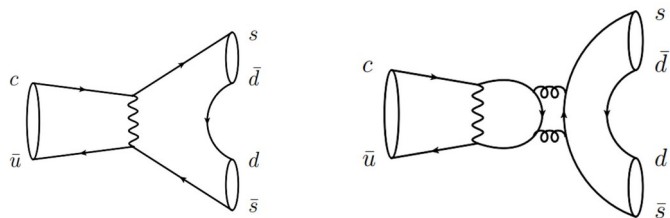
Ongoing

- **Study of signal mode $D^0 \rightarrow K_S K_S$:**
 - * Improve the fit for $D^0 \rightarrow K_S K_S$.

Backup Slides

Physics Motivation

- $D^0 \rightarrow K_S K_S$ is a Singly Cabibbo Suppressed (SCS) decay which involves the interference of $c \bar{u} \rightarrow s \bar{s}$ and $c \bar{u} \rightarrow d \bar{d}$ transitions.



- Due to this interference, the CP Assymetry (A_{CP}) may be enhanced to an observable level within the Standard Model.
- In Belle, the branching fraction and time-integrated A_{CP} was measured with $D^0 \rightarrow K_S \pi^0$ as the control sample. (*Phys. Rev. Lett. 119 171801*)

➡ $B(D^0 \rightarrow K_S K_S) = (1.321 \pm 0.023 \pm 0.036 \pm 0.044) \times 10^{-4}$

➡ $A_{CP}(D^0 \rightarrow K_S K_S) = (-0.02 \pm 1.53 \pm 0.02 \pm 0.17) \%$

- In this analysis, our goal is to measure the time integrated A_{CP} of $D^0 \rightarrow K_S K_S$ using $D^0 \rightarrow K^+ K^-$ as the control sample, when we reach the same statistics as Belle.
- The A_{CP} in $D^0 \rightarrow K^+ K^-$ is measured with 0.11% precision [HFLAV] and is expected to improve. https://hflav-eos.web.cern.ch/hflav-eos/charm/cp_asym/charm_asymcp_19Sep19.html
- Using $D^0 \rightarrow K^+ K^-$ as the control sample will make the analysis much simpler and will reduce the systematic uncertainty.

Methodology

Time integrated A_{CP} is defined as:
$$A_{CP} \equiv \frac{\Gamma(D^0 \rightarrow K_S^0 K_S^0) - \Gamma(\bar{D}^0 \rightarrow K_S^0 K_S^0)}{\Gamma(D^0 \rightarrow K_S^0 K_S^0) + \Gamma(\bar{D}^0 \rightarrow K_S^0 K_S^0)}$$
 $\Gamma = \text{partial decay width}$

Experimentally measured quantity is raw assymetry (A_{raw}) defined as:

$$A_{raw} \equiv \frac{N(D^0) - N(\bar{D}^0)}{N(D^0) + N(\bar{D}^0)}$$

$N(D^0) = \text{measured yield of } D^{*+} \rightarrow D^0 \pi^+, D^0 \rightarrow K_S K_S \text{ decays}$
 $N(\bar{D}^0) = \text{measured yield of } D^{*-} \rightarrow D^0 \pi^-, \bar{D}^0 \rightarrow K_S K_S \text{ decays}$

$$A_{raw} \approx A_{FB}^{D^{*+}} + A_{CP} + A_{\epsilon}^{\pi_s} \left(\text{relation between } A_{CP} \text{ \& } A_{raw} \right)$$

$$A_{raw}^{K_s K_s} = A_{FB}^{D^{*+}} + A_{CP}^{K_s K_s} + A_{\epsilon}^{\pi_s} \rightarrow (i)$$

$$A_{raw}^{KK} = A_{FB}^{D^{*+}} + A_{CP}^{KK} + A_{\epsilon}^{\pi_s} \rightarrow (ii)$$

$$A_{CP}^{K_s K_s} = \left(A_{raw}^{K_s K_s} - A_{raw}^{KK} \right) + A_{CP}^{KK}$$

$A_{\epsilon}^{\pi_s} = \text{assymetry of the detection efficiency of the slow pion}$

$A_{FB} = \text{forward backward assymetry}$