# Charm(ing) Physics at **Belle II**

Michel Bertemes - Belle II US Summer Workshop - 07/25/23

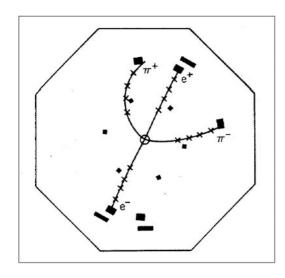


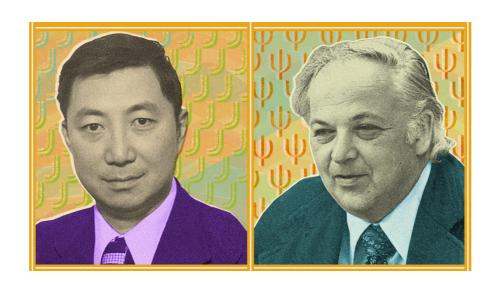




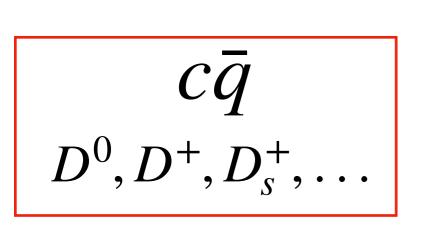
Der Wissenschaftsfonds.

## All things charm

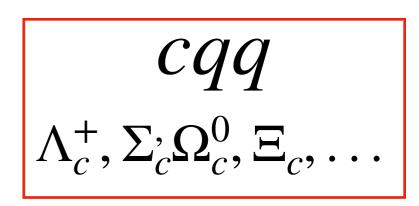






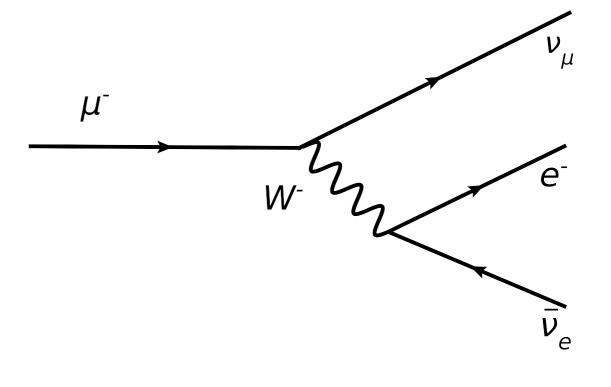


- Measure property of charmed hadrons
  - Lifetimes
  - $D^0 \overline{D}^0$  mixing
  - CP violation



Lifetimes

- lifetime is inverse of decay rate,  $\tau = 1/\Gamma$
- e.g. decay of muon
- proportional to particle mass  $m^{-5}$
- besides additional electro-weak corrections, this provides good estimate

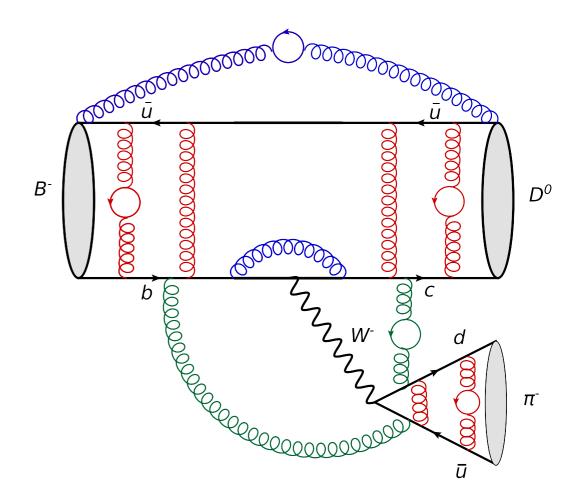


$$\Gamma = \frac{G_F^2 m_\mu^5}{192\pi^3} f\left(\frac{m_e}{m_\mu}\right)$$

- lifetime is inverse of decay rate,  $\tau = 1/(\Gamma_{\text{semi-lept}} + \Gamma_{\text{lept}} + \Gamma_{\text{had}})$
- for hadrons:

Lifetime

- need to consider different types of weak decays
- QCD effects for initial/final states and everything in between
- use HQE:
  - expansion in mass of heavy quark
  - corrections are significant for charm hadrons



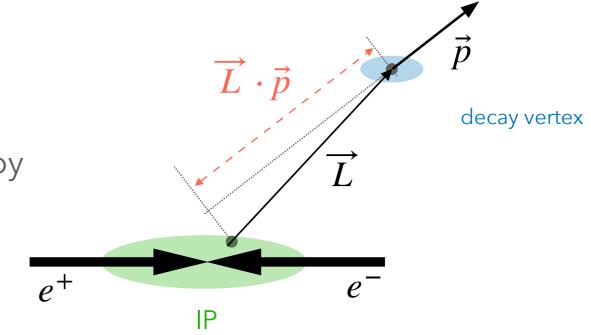
$$\Gamma = \Gamma_3 + \Gamma_5 \frac{\langle \mathcal{O}_5 \rangle}{m_c^2} + \Gamma_6 \frac{\langle \mathcal{O}_6 \rangle}{m_c^3} + \dots + 16\pi^2 \left( \tilde{\Gamma}_6 \frac{\langle \tilde{\mathcal{O}}_6 \rangle}{m_c^3} + \tilde{\Gamma}_7 \frac{\langle \tilde{\mathcal{O}}_7 \rangle}{m_c^4} + \dots \right)$$
$$\Gamma_i \sim \frac{G_F^2 m_c^5}{192\pi^3} |V_{cs}|^2$$

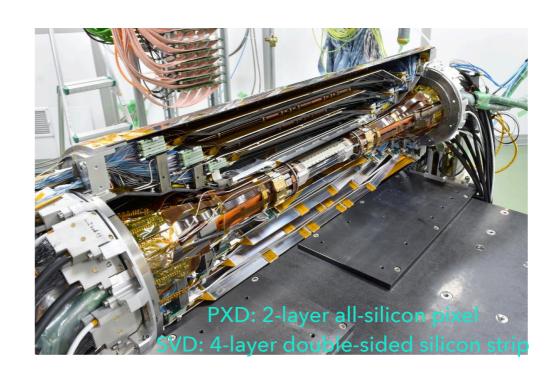
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## How to measure a lifetime

- what we want
  - determine decay time t by measuring vertex displacement and momentum
  - decay-time uncertainty  $\sigma_t$  is obtained by propagating uncertainties of  $\overrightarrow{L}$  and  $\overrightarrow{p}$
- what we need
  - accurate VXD alignment,
  - precise calibration of final-state particle momenta
  - powerful background discrimination

$$t = m_C \frac{\vec{L} \cdot \vec{p}}{|\vec{p}|^2}$$

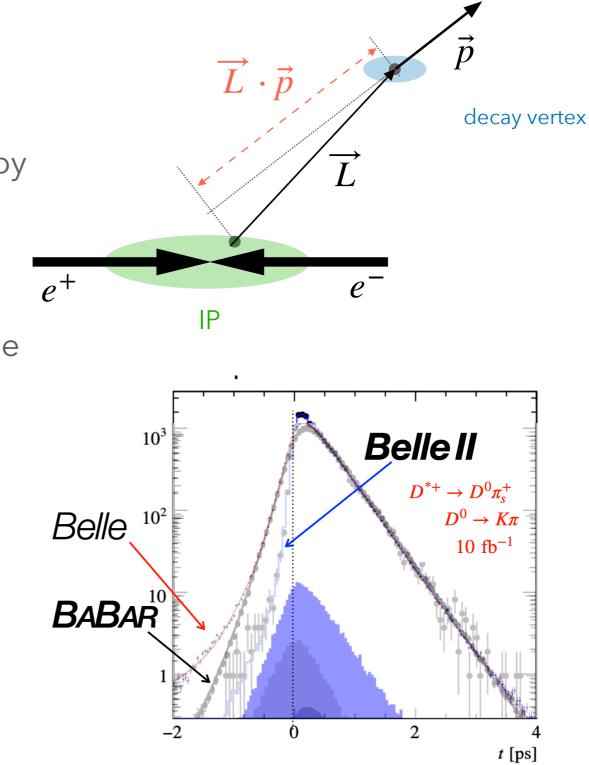




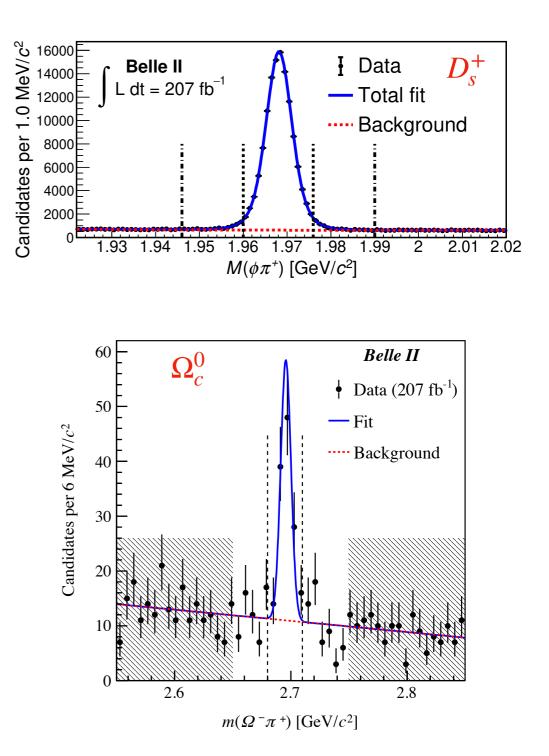
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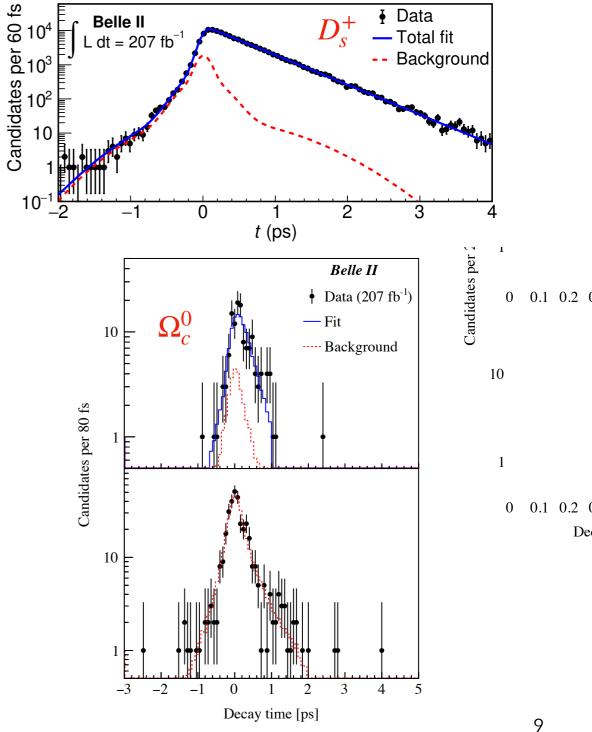


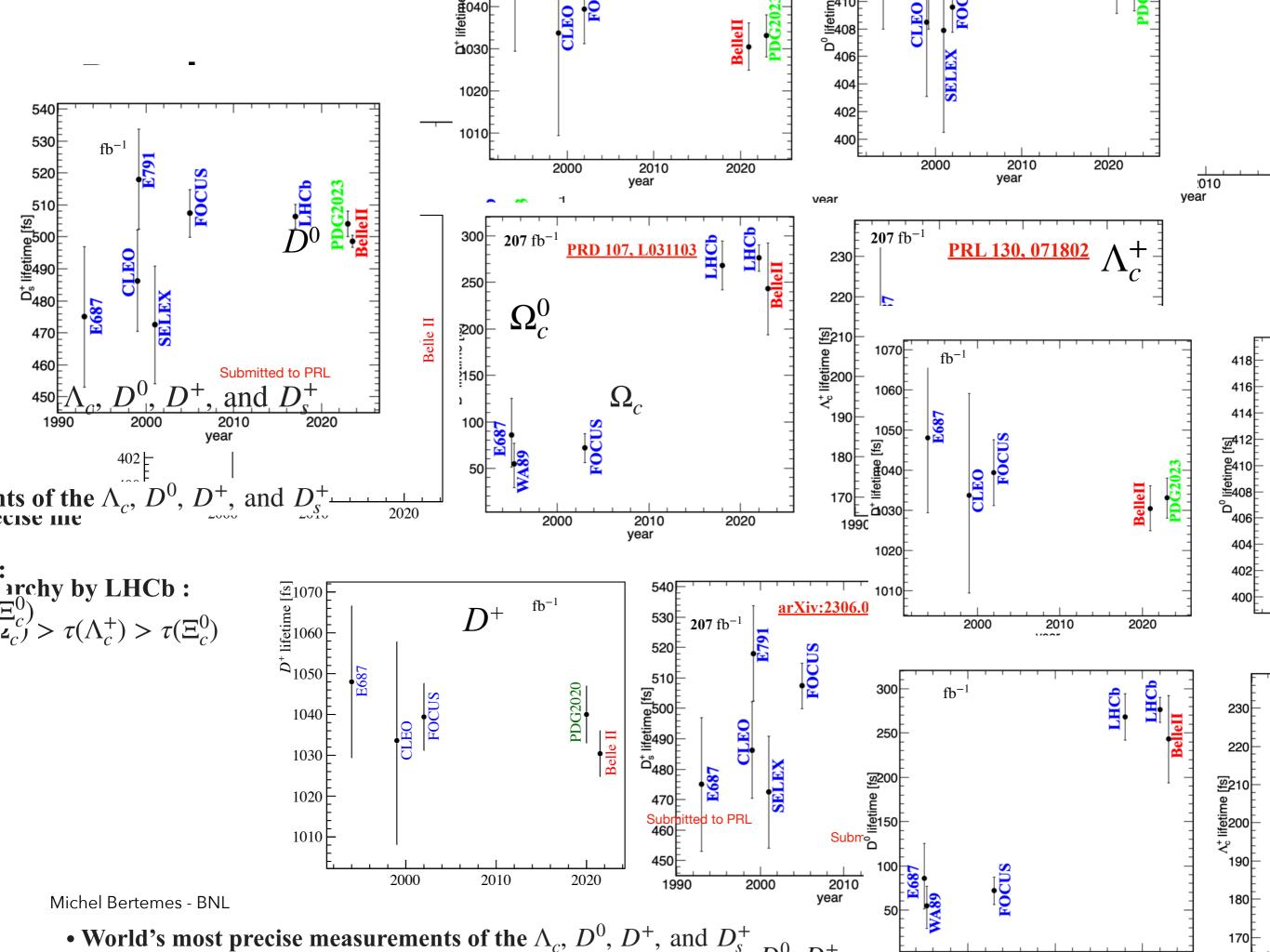
- select high-purity samples of:
  - $D^0 \to K^- \pi^+, D^+ \to K^- \pi^+ \pi^+$
  - $\Lambda_c^+ \to p K^- \pi^+$
  - $\Omega_c^0 \to \Omega^- \pi^+$
  - $D_s^+ \to \phi \pi^+$
- avoid selection criteria that bias the decay time



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  - $D_{\rm s}^+ \to \phi \pi^+$
- avoid selection criteria that bias the decay time
- extract lifetime with a fit to the  $(t, \sigma_t)$ distribution
  - $\sigma_t$  is used as a width of a Gaussian resolution function
- detector misalignment among syst. uncertainties

$$P_{\text{sig}}(t^i | \tau, \sigma_t^i) \propto \int e^{-t'/\tau} R(t^i - t'; \sigma_t^i) dt'$$

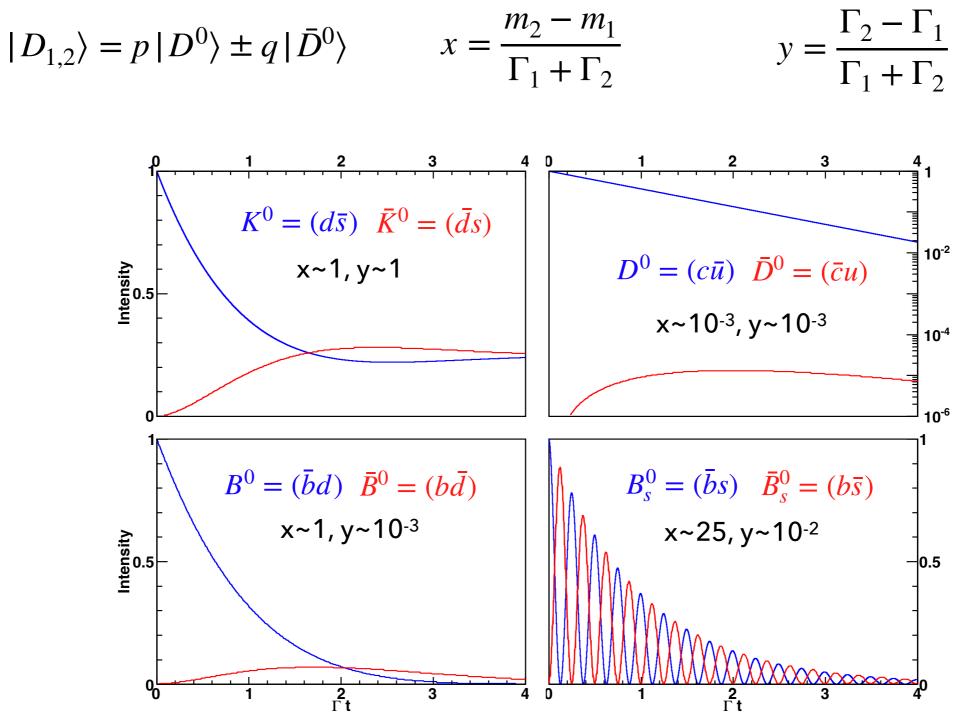




Mixing & CP Violation

#### To mix or not to mix

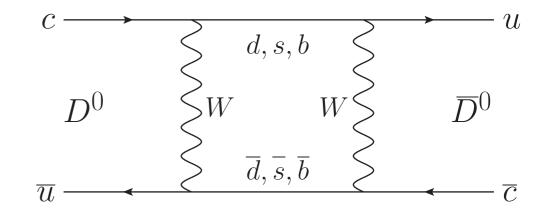
• The eigenstates of the neutral *D* meson are a mixture of the flavor states:

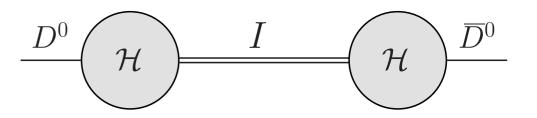


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# Short & Long

- mixing at short distances
  - box diagram involves loops with
    (d, s, b) quarks
  - GIM suppression,  $(m_s^2 m_d^2)^2 / m_W^2 m_c^2$
  - CKM suppression,  $|V_{ub}V_{cb}^*|^2 / |V_{us}V_{cs}^*|^2 \sim 10^{-6}$
- mixing at long distances
  - non-perturbative, difficult to describe
  - inclusive (HQE) and exclusive (summing over intermediate resonances) approaches give varying estimates
- more to come





## **CP** Violation

Three types of CP violation

- in decay,  $|\bar{A}_{\bar{f}}/A_f| \neq 1$ (|)
- (II) in mixing,  $|q/p| \neq 1$
- (III) in interference between a decay with and without mixing,  $\Im(\lambda_f) \neq 0$ ,  $\lambda_f = q/p \bar{A}_f / A_f$

Strange	Beauty	Charm
(I), (II) and (III) in $K \to \pi\pi$ (II) also in $K \to \pi\ell\nu$ , $K_L \to \pi^+\pi^-e^+e^-$ $\epsilon \sim 10^{-3}$ ichel Bertemes - BNL	(I) in various decays of $B^0, B^+$ and $B^0_s$ (III) in $b \to c\bar{c}s, b \to c\bar{c}d,$ $b \to c\bar{u}d, b \to q\bar{q}s$ $\mathscr{A}(K^+\pi^-) \sim 0.08$ $\mathscr{S}(\phi K) \sim 0.7$	

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## **CPV** in charm

• direct CPV has been established in 2019 (LHCb, <u>link</u>):

• 
$$\Delta A_{CP} = A_{CP}(D^0 \to K^+ K^-) - A_{CP}(D^0 \to \pi^+ \pi^-) = (-0.154 \pm 0.029)\%$$

- observed value is consistent with SM, challenges calculations and raises the question whether the signal is due to NP
- recent measurement from LHCb indicates direct CP violation in  $D^0 \rightarrow \pi^+\pi^-$ at 3.8 $\sigma(\underline{link})$
- at Belle II focus on  $D^+ \to \pi^+ \pi^0$  and  $D^0 \to \pi^0 \pi^0$  (isospin sum rule)

$$R = \frac{A_{CP}(D^{0} \to \pi^{+}\pi^{-})}{1 + \frac{\tau_{D^{0}}}{\mathcal{B}_{+-}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{2}{3}\frac{\mathcal{B}_{+0}}{\tau_{D^{+}}}\right)} + \frac{A_{CP}(D^{0} \to \pi^{0}\pi^{0})}{1 + \frac{\tau_{D^{0}}}{\mathcal{B}_{00}} \left(\frac{\mathcal{B}_{+-}}{\tau_{D^{0}}} + \frac{2}{3}\frac{\mathcal{B}_{+0}}{\tau_{D^{+}}}\right)} - \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{+-}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{00}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{00}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{00}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{00}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2}\frac{\tau_{D^{+}}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^{0}}} + \frac{\mathcal{B}_{00}}{\tau_{D^{0}}}\right)} = \frac{A_{CP}(D^{+} \to \pi^{+}\pi^{0})}{0 + 1 + \frac{3}{2$$

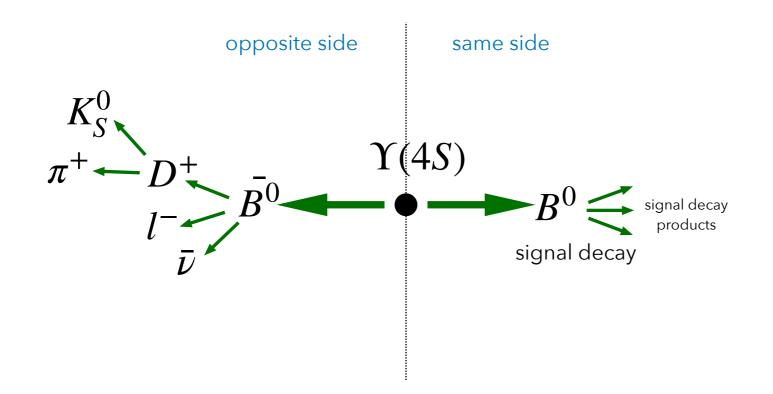
# **CP** Asymmetry

$$A_{CP}(D \to f) = \frac{\Gamma(D \to f) - \Gamma(\bar{D} \to \bar{f})}{\Gamma(D \to f) + \Gamma(\bar{D} \to \bar{f})}$$

#### **CP** Asymmetry

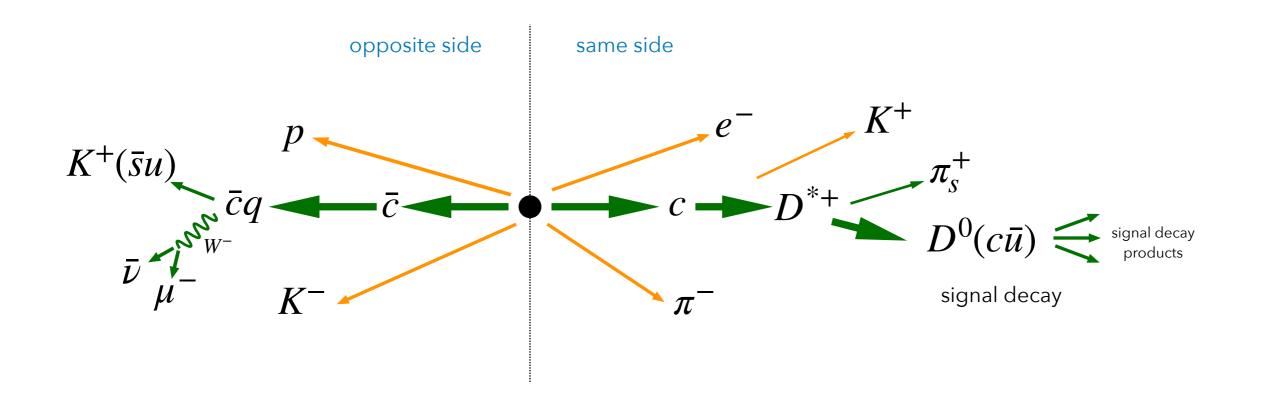
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One of the main ingredients of any CPV (mixing) measurements is **flavor tagging** →determine the signal flavor at the time of production



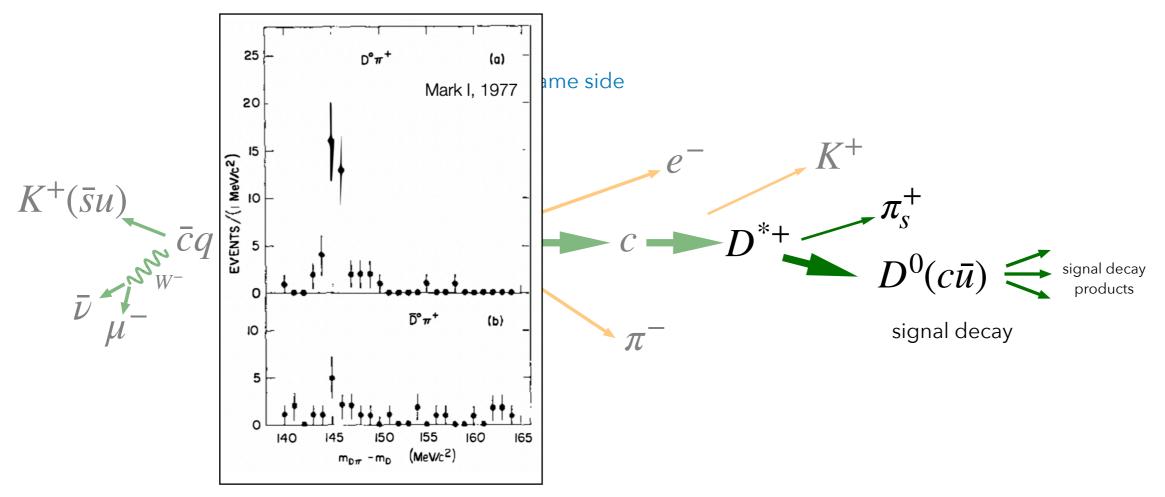
- $e^+e^- \rightarrow \Upsilon(4S) \rightarrow$  two beauty mesons
  - quantum entanglement
  - flavor of signal *B* can be determined from flavor of opposite-side *B*

## A charm event is different



- $e^+e^-$  + two charm hadrons + fragmentation
  - no entanglement, inaccessible strong phase

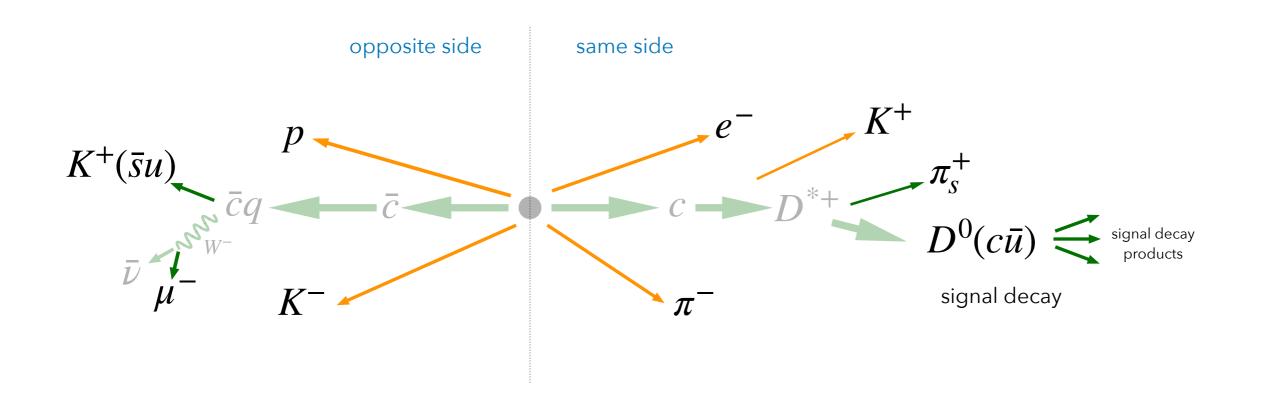
## A charm event is different



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- standard approach (since 1977): **exclusive reconstruction** of strong decay  $D^{*+} \rightarrow D^0 \pi_s^+$ 
  - inefficient reconstruction of slow=low momentum pion
  - + loss in statistics (only ~25% of all charm quarks hadronize into  $D^*$ )

slow pion: 
$$M(D^{*+}) - M(D^0) \approx 145 \text{ MeV}/c^2$$

## A charm event is different

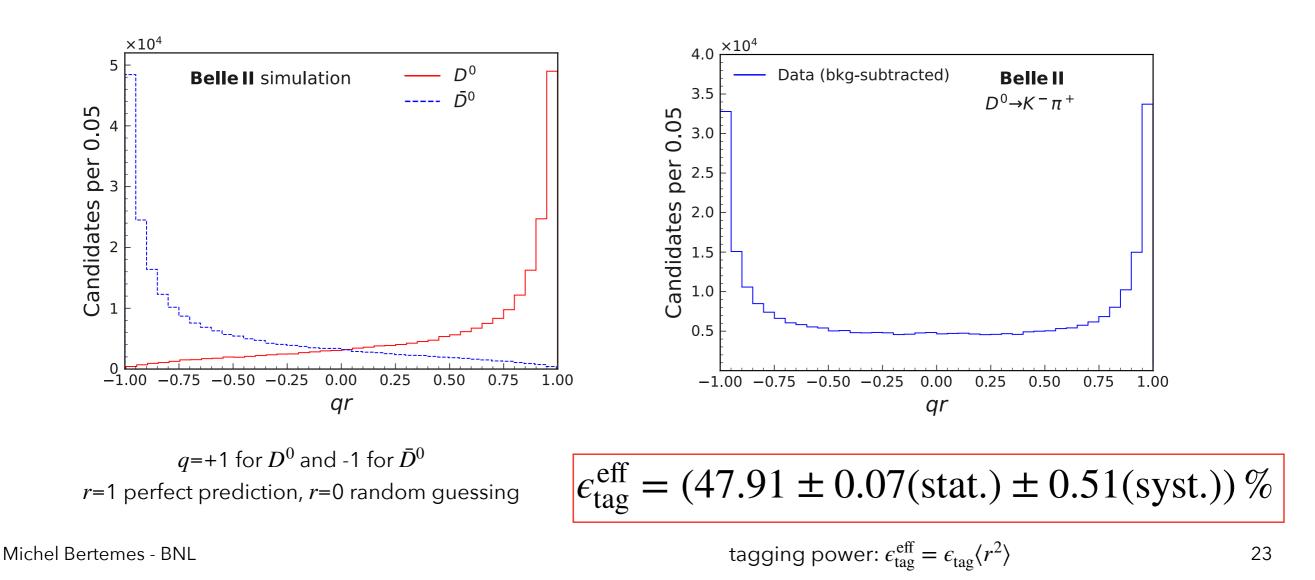


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  - + loss in statistics (only ~25% of all charm quarks hadronize into  $D^*$ )
- a new more inclusive method is desirable to exploit correlation between signal flavor and charge of tagging particles

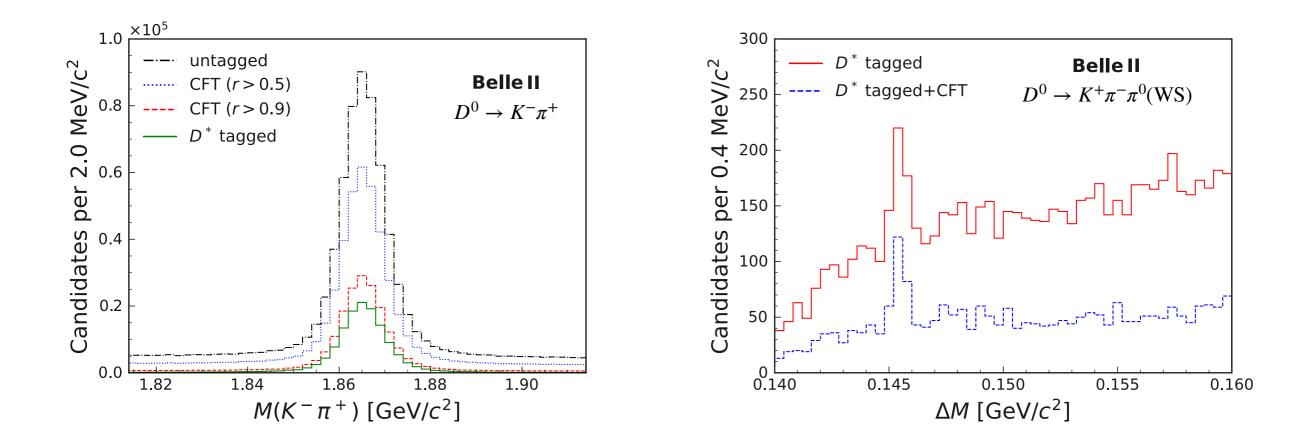
# The Charm Flavor Tagger (CFT)

- reconstruct particles most collinear with signal meson
- uses **kinematic features** ( $\Delta R$ , recoiling mass) and **PID** of tagging particles
- based on BDT, predicts qr (tagging decision q and dilution r)
- trained using simulation and calibrated with Belle II data



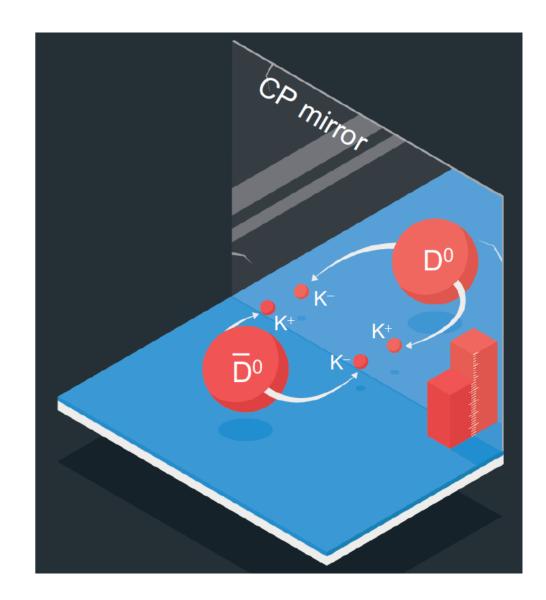
# The Charm Flavor Tagger (CFT)

- **double** the sample **size** w.r.t  $D^{*+}$ -tagged events
- provide discrimination between signal and background
- CFT will increase sensitivity for many charm decays:
  - $D^0 \to \pi^0 \pi^0, K^0_S K^0_S, K \pi \pi^0, \pi \pi \pi^0 \dots$



What we are doing

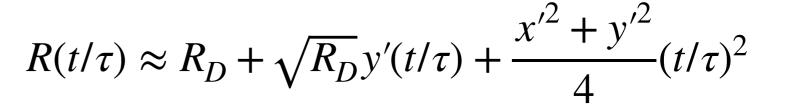
- Direct CPV in:
  - Mesons
    - \*  $D^0 \rightarrow \pi^0 \pi^0(\underline{\text{link}}), D^0 \rightarrow K^0_S K^0_S(\underline{\text{link}}),$  $D^+ \rightarrow \pi^+ \pi^0$
    - neutrals in final state → Belle II territory
  - Baryons
    - $\Xi_c^+ \to \Sigma_+ h^+ h^ (h = K, \pi)$  (link)
    - largely unexplored domain

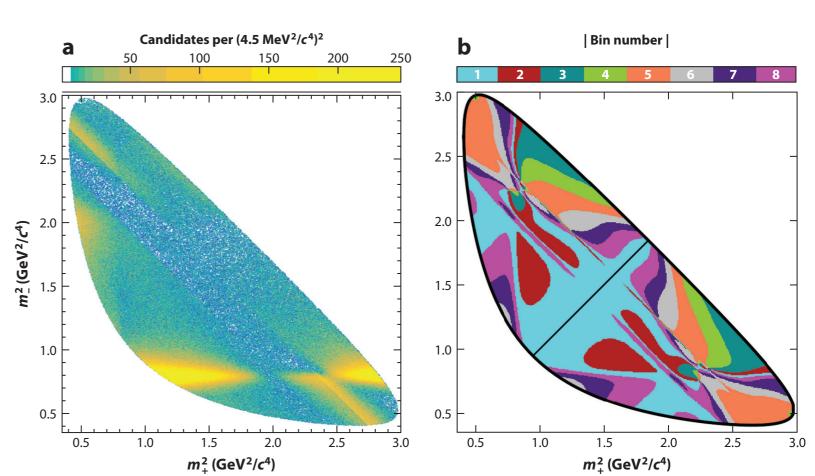


$$A_{\rm raw} = A_{CP} + A_{\rm det} + A_{\rm prod} + A_{\rm tag}$$

## Mixing & CPV

- flavor eigenstates
  - $D^0 \rightarrow K^+ \pi^- \pi^0$  (<u>link</u>)
  - ratio of DCS over CF
  - x, y rotated by strong phase
- self-conjugate final states
  - $D^0 \rightarrow K_S^0 \pi^+ \pi^-(\underline{\text{link}})$
  - direct access to x,y parameters
  - model-independent approach





#### And much more

•

. . .

- $\Gamma(D_s^{*+} \to D_s^+ \pi^0) / \Gamma(D_s^{*+} \to D_s^+ \gamma)$  (<u>link</u>)
- Absolute BR of  $\Xi_c(2790)^0$  (link)
- Inner structure of  $D_s(2460)$  (link)
- BR of  $D^+ \to \pi^+ \ell^+ \ell^+$  (link)
- $\Lambda_c^+ \to \Xi^0 K^+$  (<u>link</u>)
- T-odd correlation in  $\Lambda_c^+ \to \Lambda K_S^0 h^+$  (link)

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Who we are



























