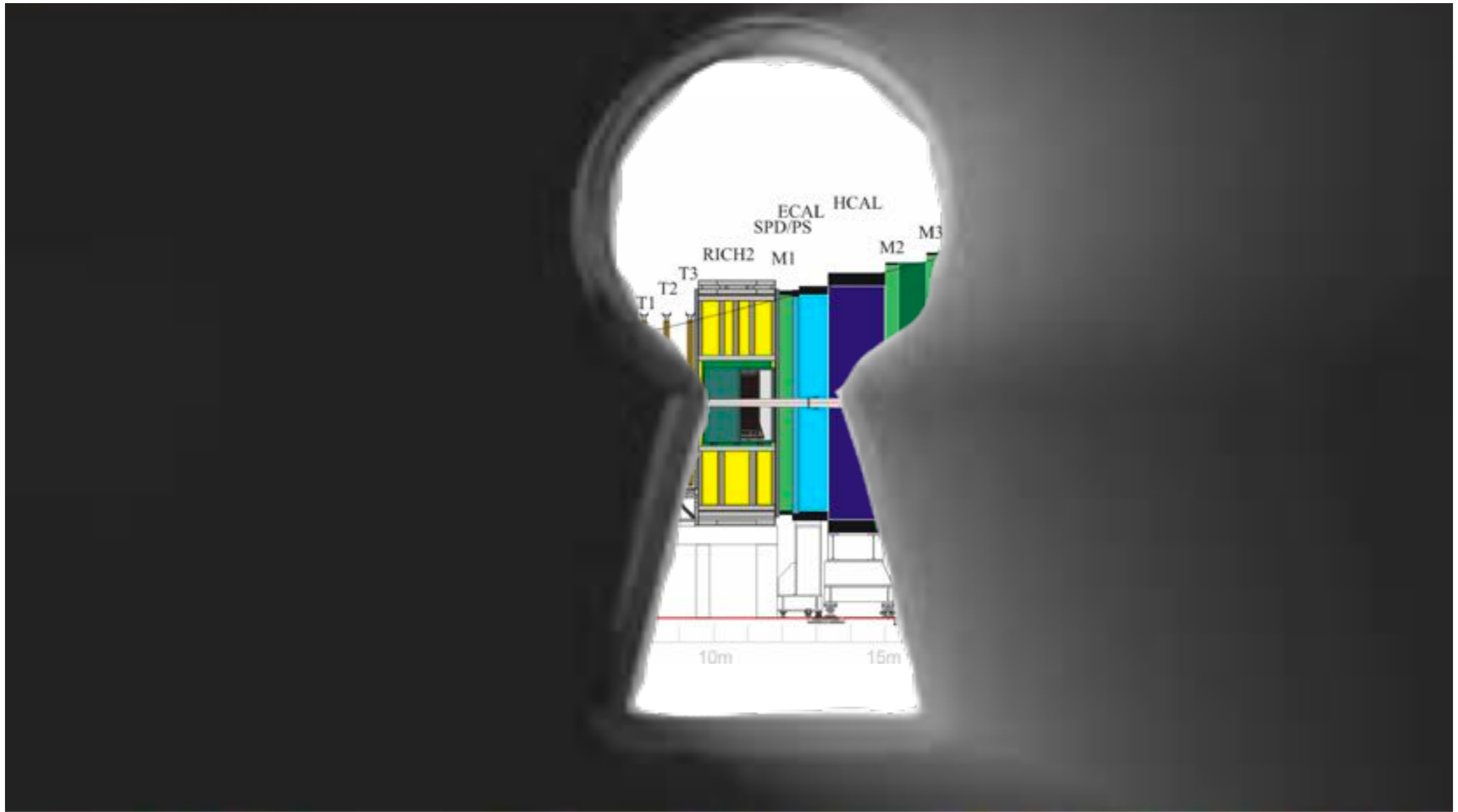


# A view from the other side: Semileptonicics at LHCb

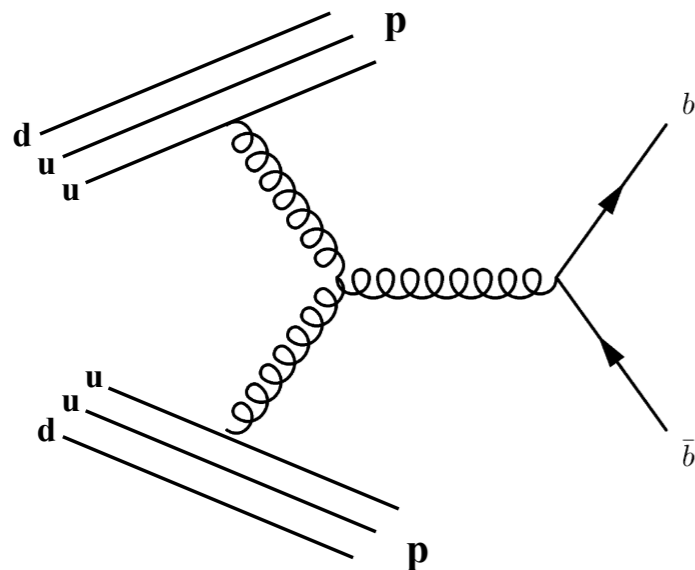


# Aims

- Aims today:
  - Talk about main advantages/disadvantages of LHCb compared to Belle-II.
  - Discuss challenges that arise when doing semileptonic.
  - Introduce techniques that can address those challenges.
  - Discuss specifically how LHCb can contribute to the measurement of  $|V_{cb}|$ .

# B-hadron production at a hadron collider

- b-hadrons also produced in pairs at the LHC, via gluon-gluon fusion.

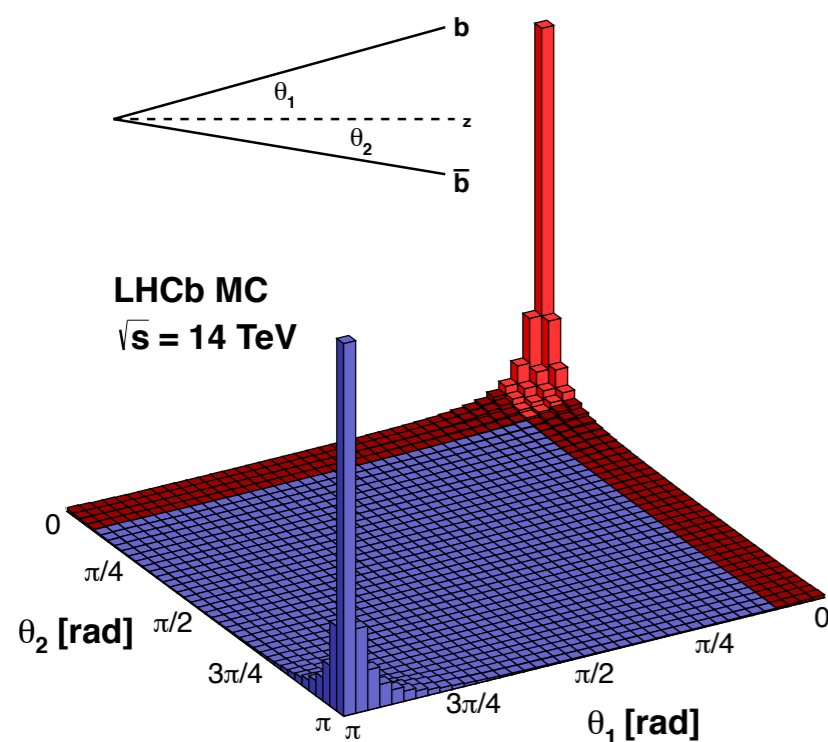


- The cross-section for this process at 13TeV is  $500\mu\text{b}$ .

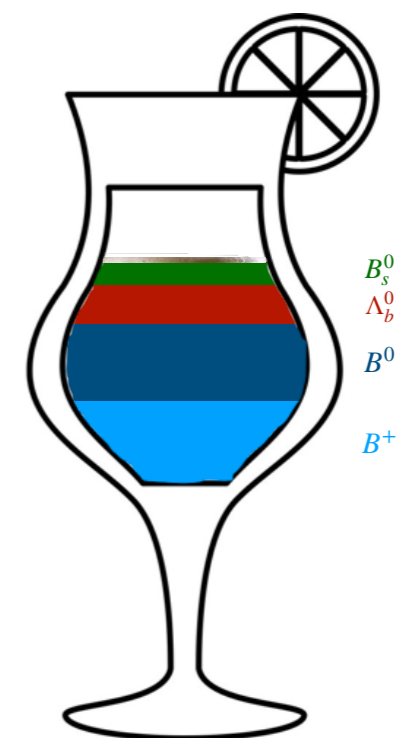
Peak luminosity at HL-LHC  $\sim 10^{35} \text{ cm}^2\text{s}^{-1}$ .

$$N_{bb} = L \times \sigma \sim \mathbf{50M/s}$$

- At the HL-LHC, 500M bb pairs produced every 10 seconds (!)



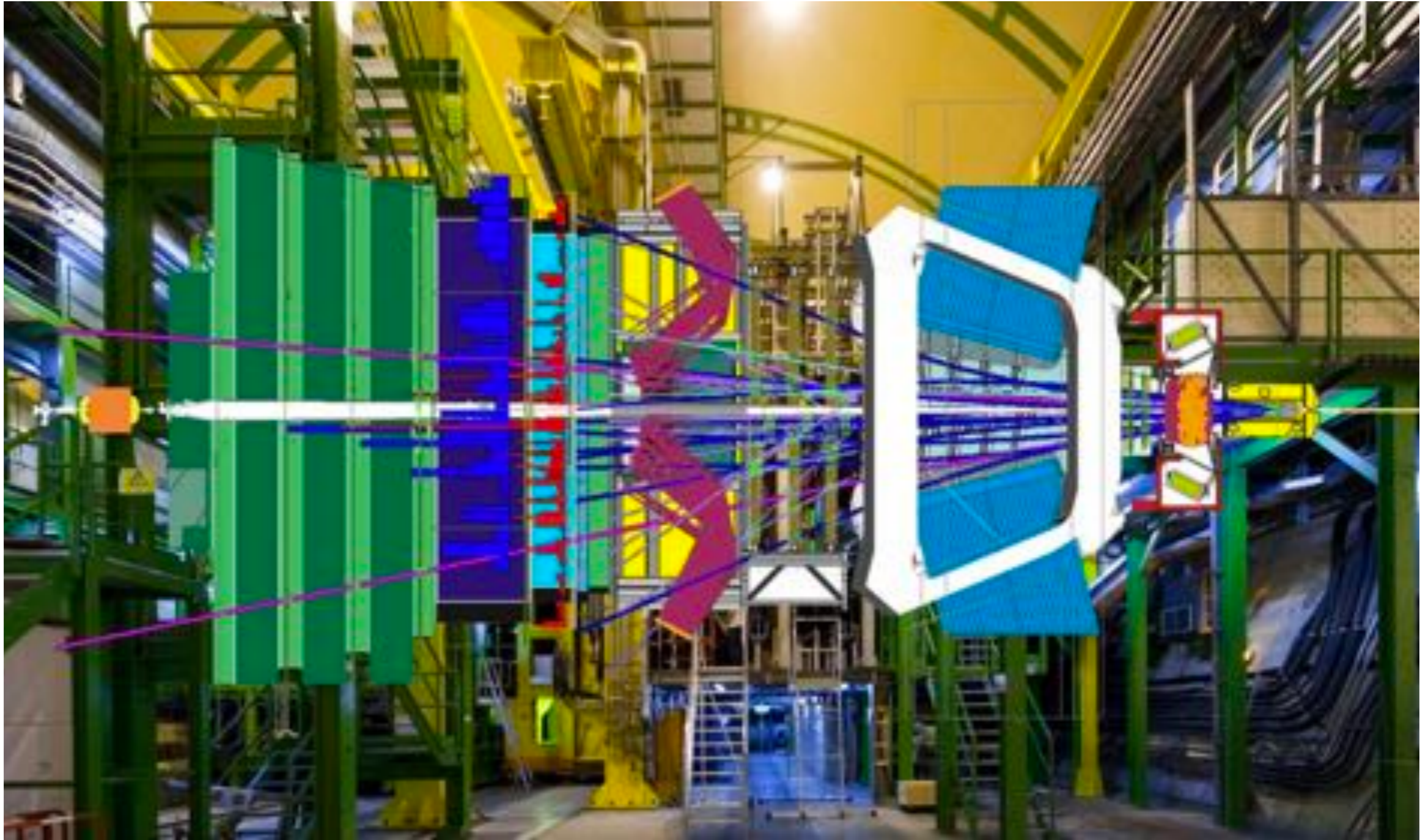
- b-hadron cocktail:



# The LHCb experiment



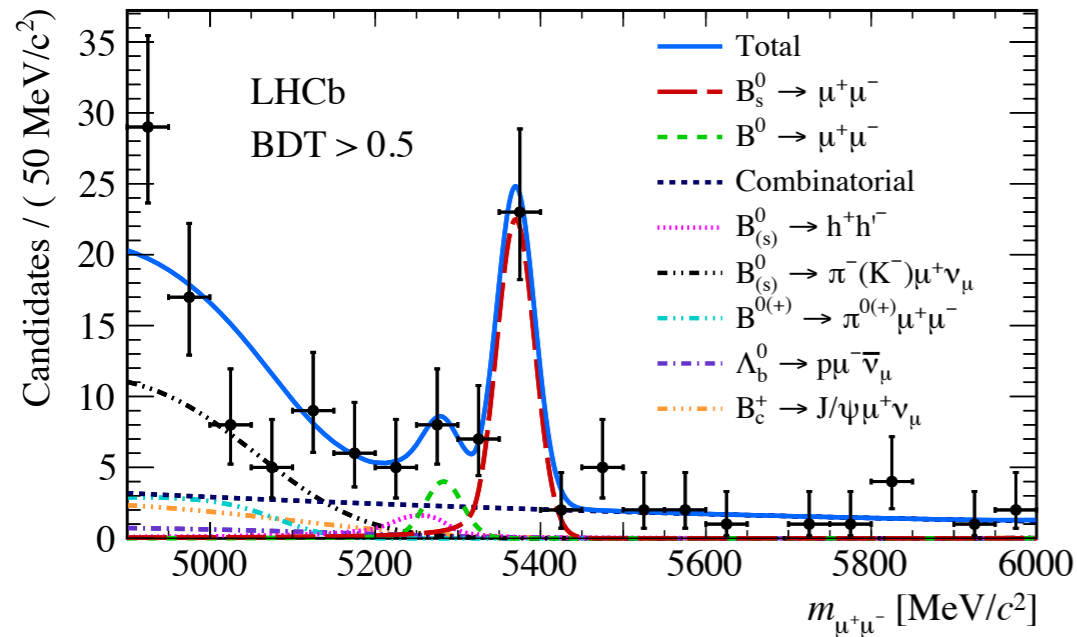
# The LHCb experiment



- LHCb covers 5% of the solid angle but has acceptance for 20% of  $b$ -hadrons.

# Performance numbers

- 20 MeV mass resolution

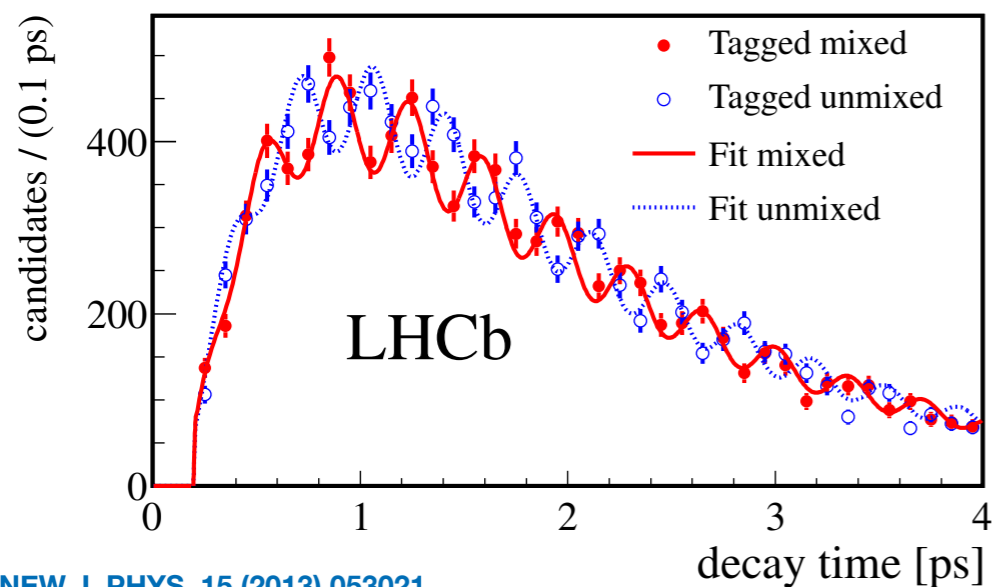


- Trigger efficiencies:

Mode	Trigger eff
Hadronic	30%
Electronic	40%
Muonic	60%
Dimuon	80%

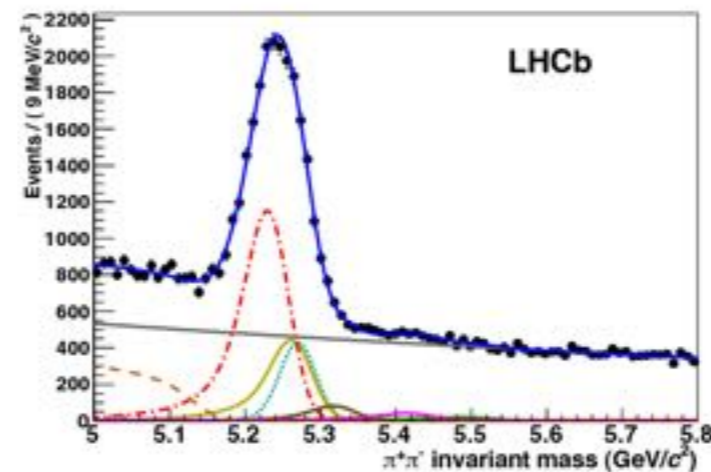
- 5% K-pi misID for 95% efficiency.

- 30-50fs timing

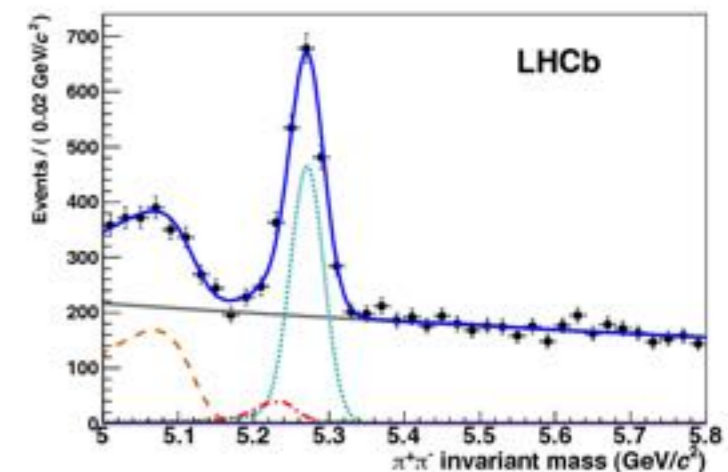


[NEW J. PHYS. 15 \(2013\) 053021](#)

Before PID

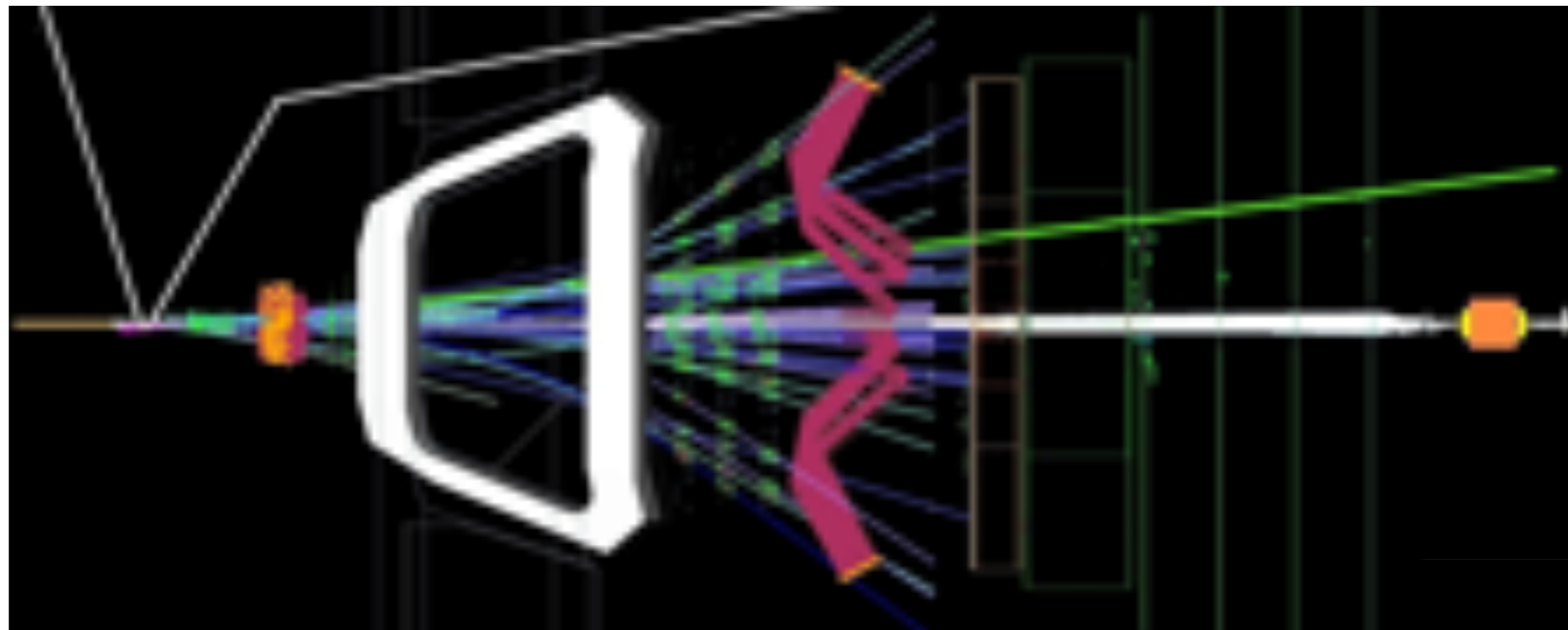


After PID

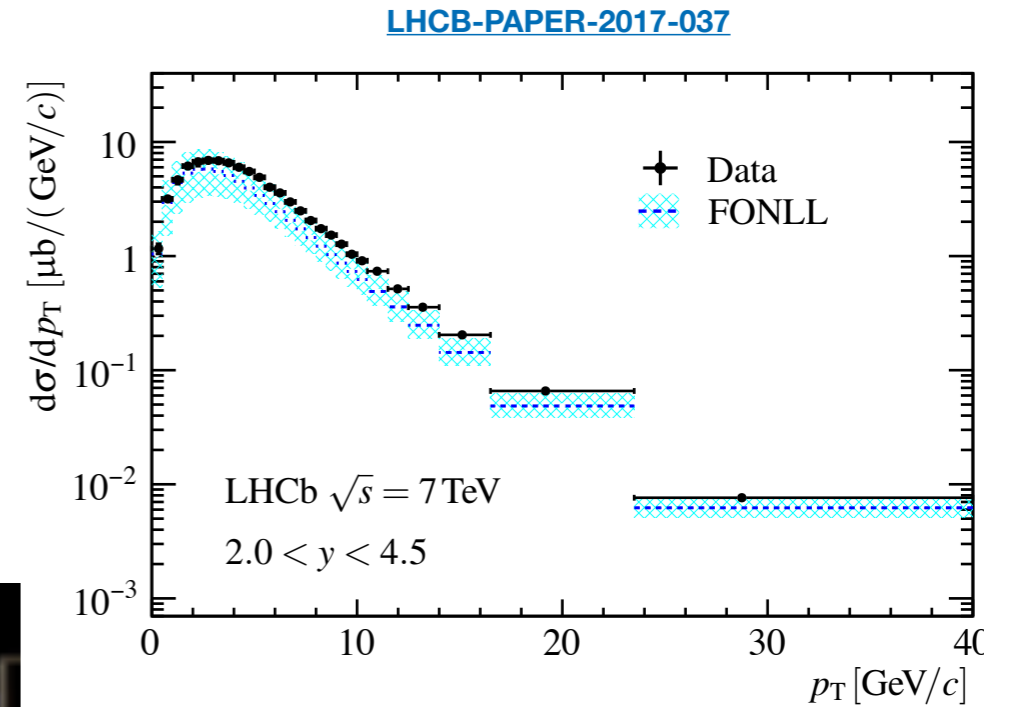
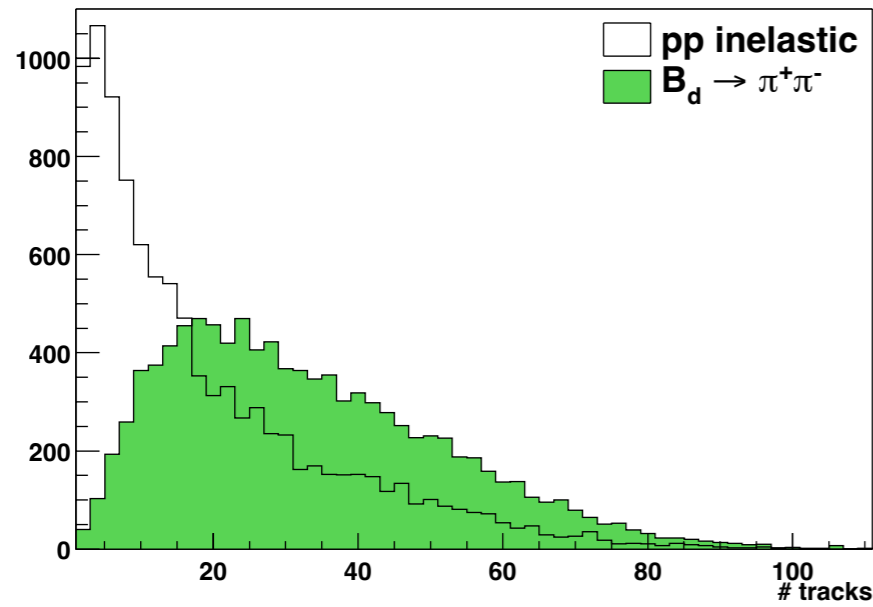


[Eur. Phys. J. C 73 \(2013\) 2431](#)

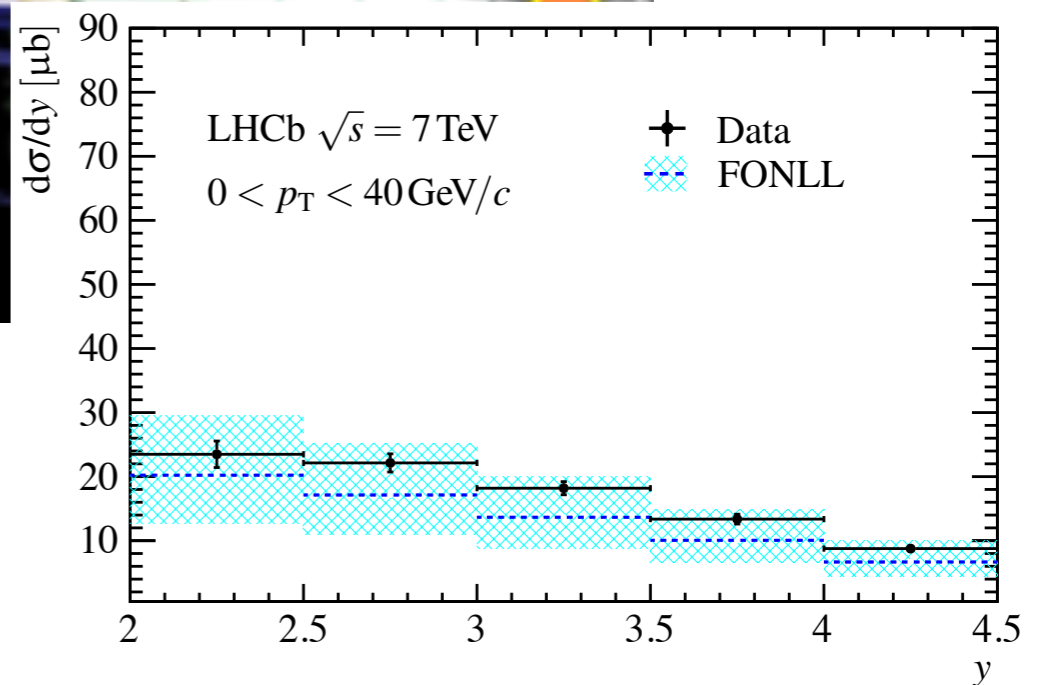
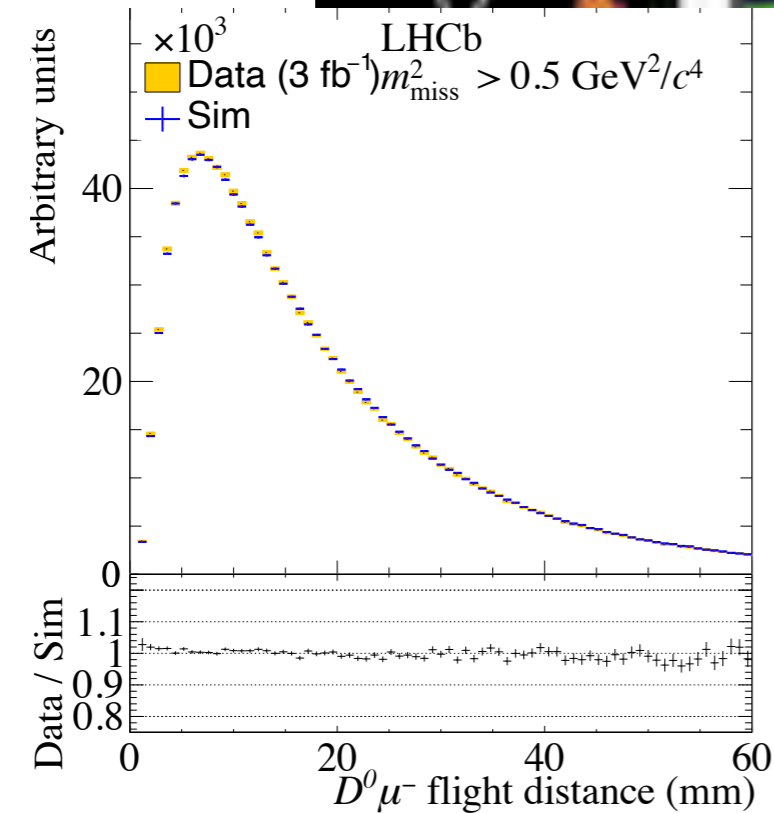
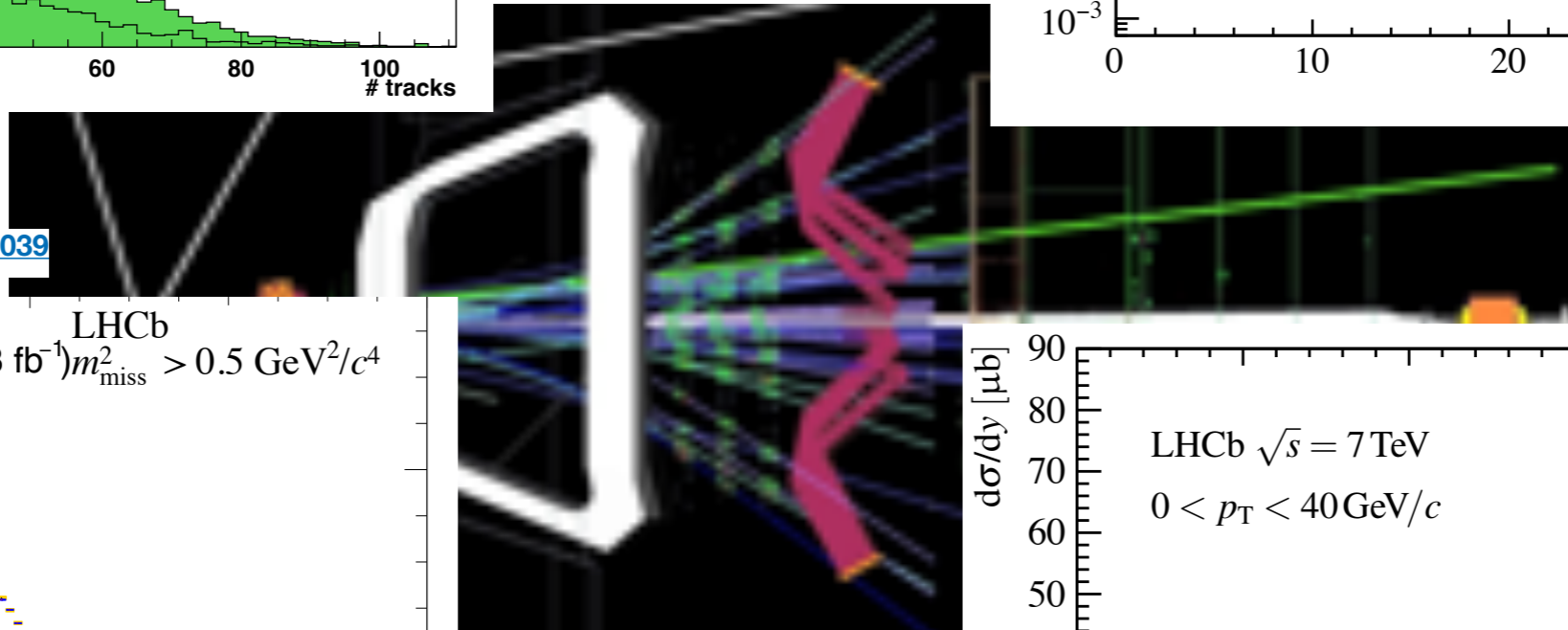
# A typical $b\bar{b}$ event



# A typical $b\bar{b}$ event



LHCb-PAPER-2017-037





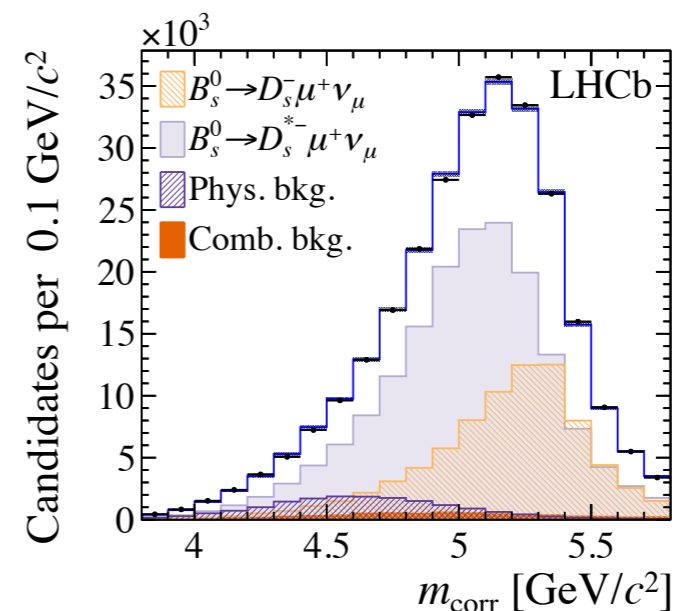
# Semileptonic challenges

- Missing energy a complication for any experiment.
- Particularly challenging in a hadron collider because:
  - No beam energy constraint.
  - Busy events.
  - Large background for neutrals.
- Additional complication due to lack of precise absolute production knowledge.
  - Large branching fractions mandate precision (e.g. competitive  $|V_{cb}|$  measurement needs 1% uncertainty).

statistical

“With great <sup>^</sup>power, comes great responsibility” - Uncle Ben

$|V_{cb}|$  from  $B_s$ , Phys. Rev. D101 (2020) 072004

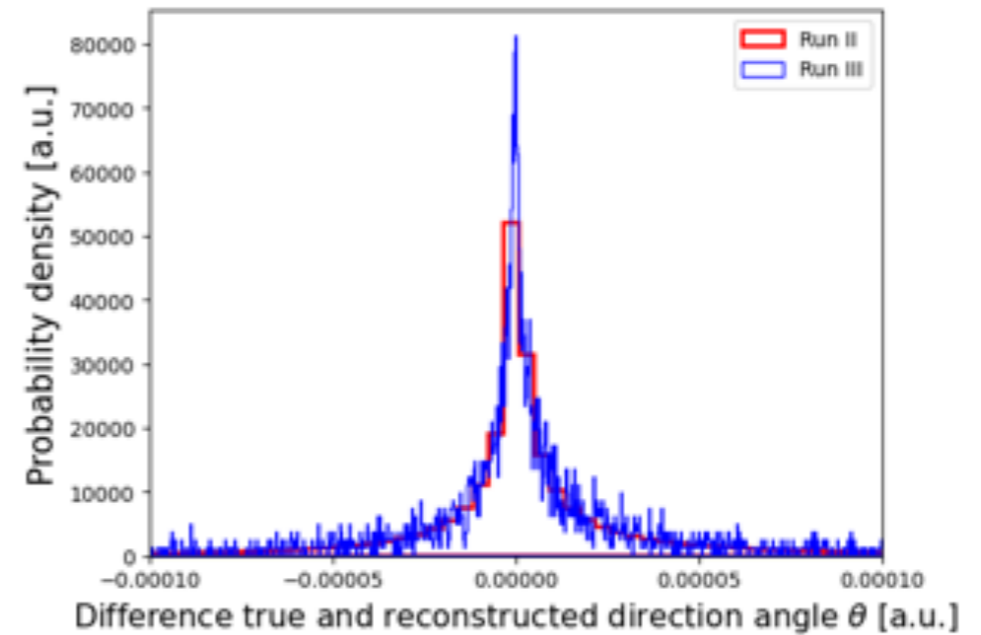
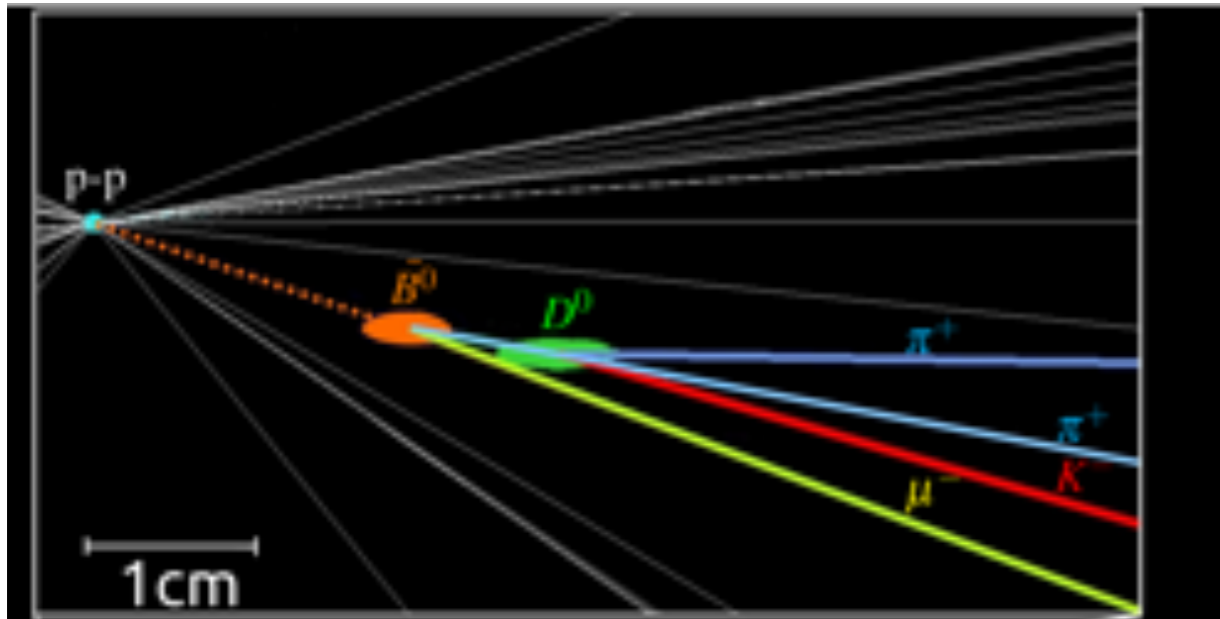


# Techniques



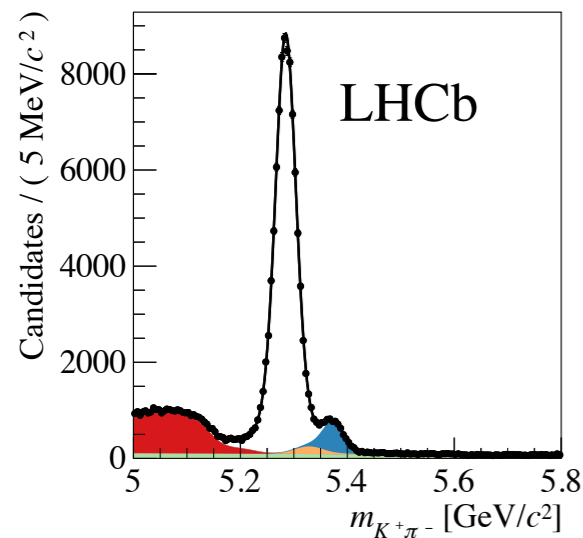
# The pointing

- Large boost coupled with vertex precision allows for excellent primary-secondary vertex direction.

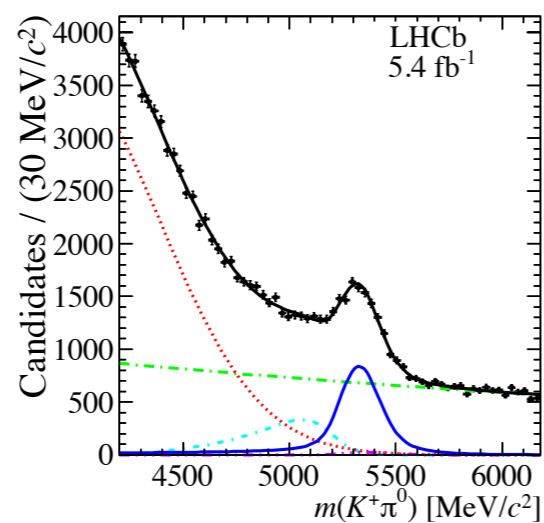


- For fully reconstructed decays pointing the THE variable to reduce background.

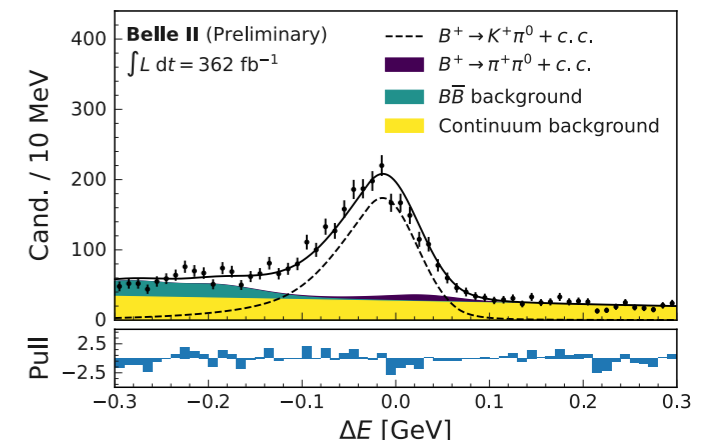
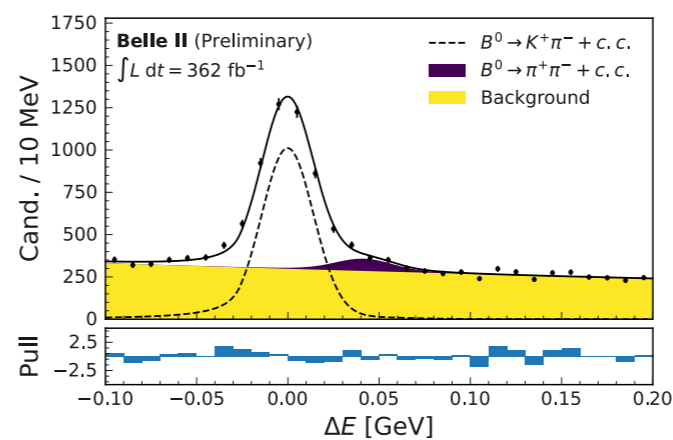
LHCB-PAPER-2018-006



LHCB-PAPER-2020-040



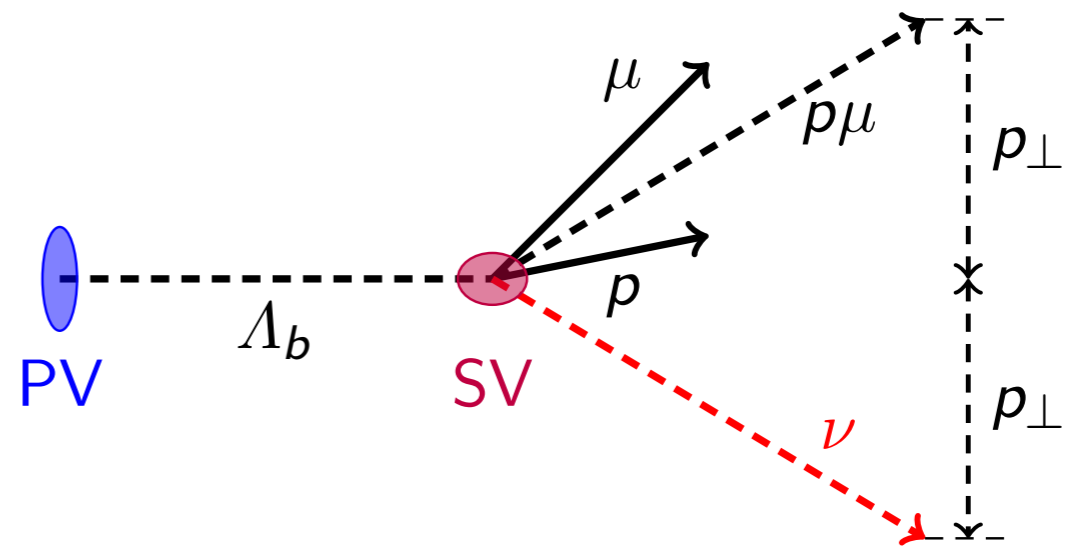
arXiv:2310.06381



# Corrected mass

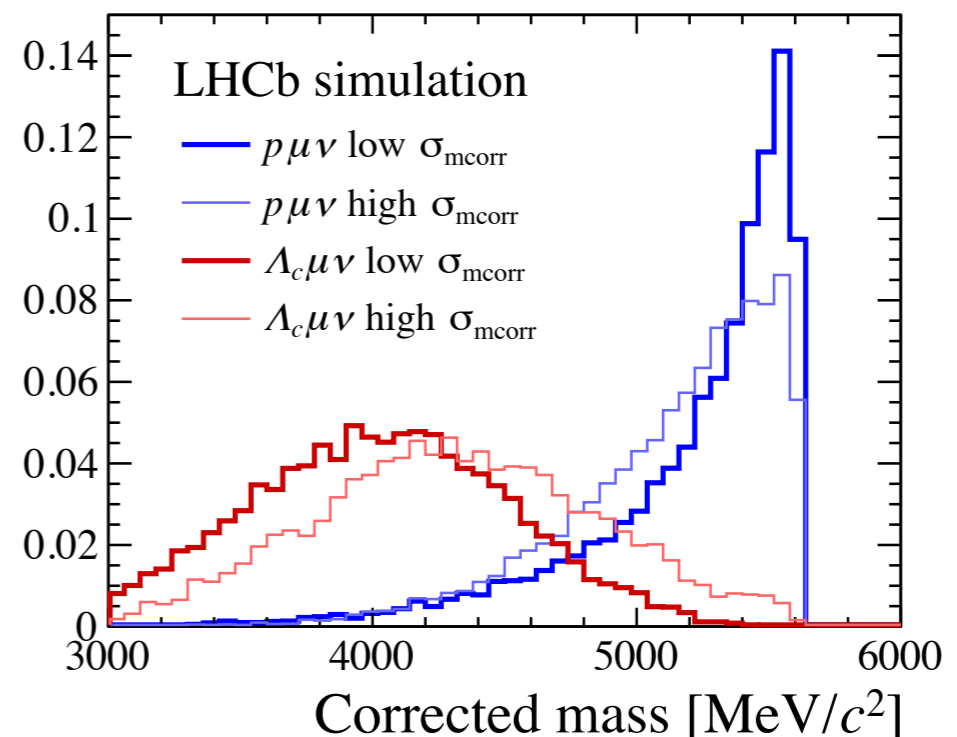
- The corrected mass combines the visible mass with the component of momentum transverse to the B flight direction.

$$m_{\text{corr}} = \sqrt{p_{\perp}^2 + m_{\text{vis}}^2} + p_{\perp}$$



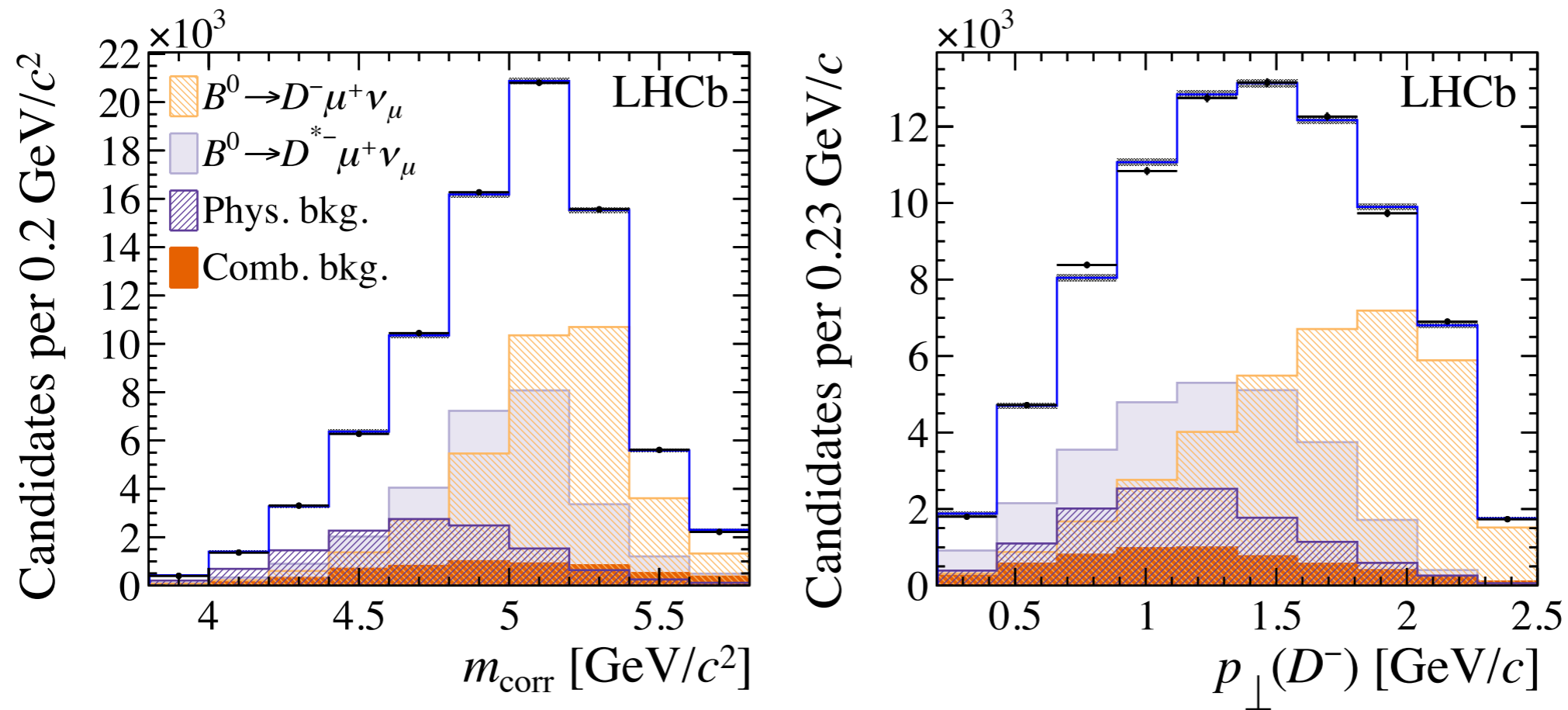
LHCb-PAPER-2015-013

- For decays with a single missing neutrino,  $m_{\text{corr}}$  will peak at the true mass.
- Event-by-event vertex uncertainties allows to select candidates with good  $m_{\text{corr}}$  resolution.



# Corrected mass fit

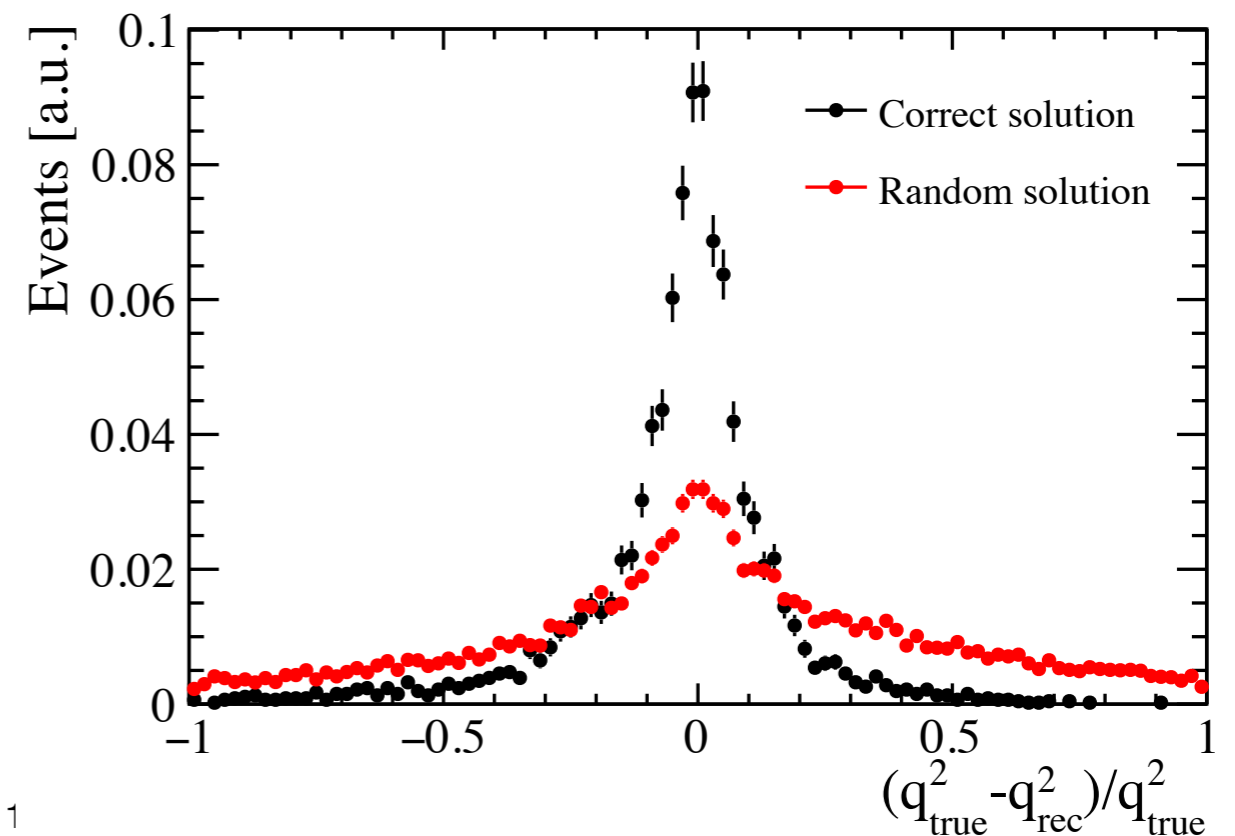
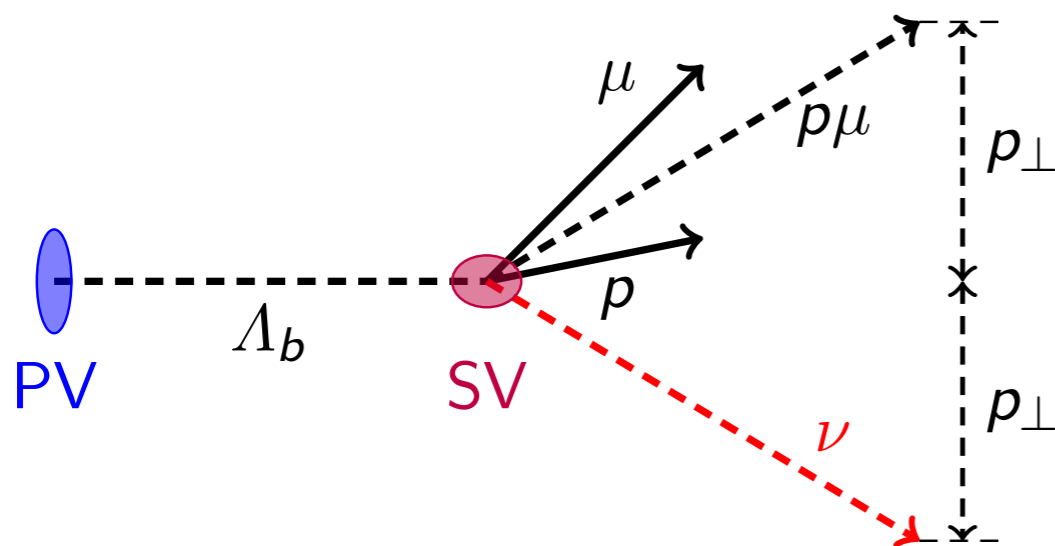
- Example from the  $|V_{cb}|$  measurement from  $B_s^0 \rightarrow D_s^{(*)+} \mu^- \bar{\nu}_\mu$  decays



- In addition to  $m_{\text{corr}}$ , fit for  $p_{\perp}$  which can be interpreted once the resolution has been taken into account.
  - Alternative to neutrino reconstruction.

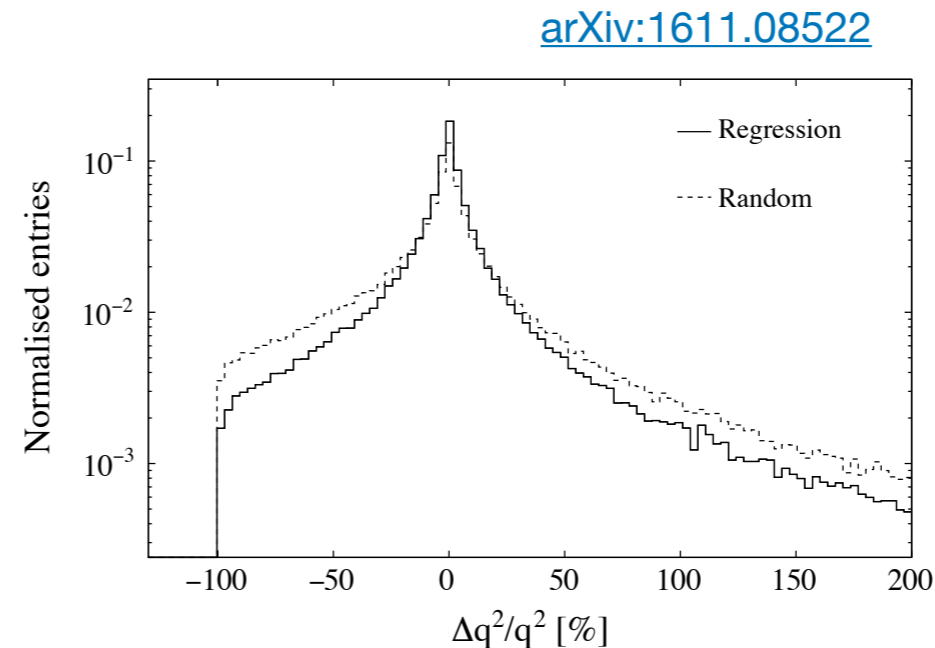
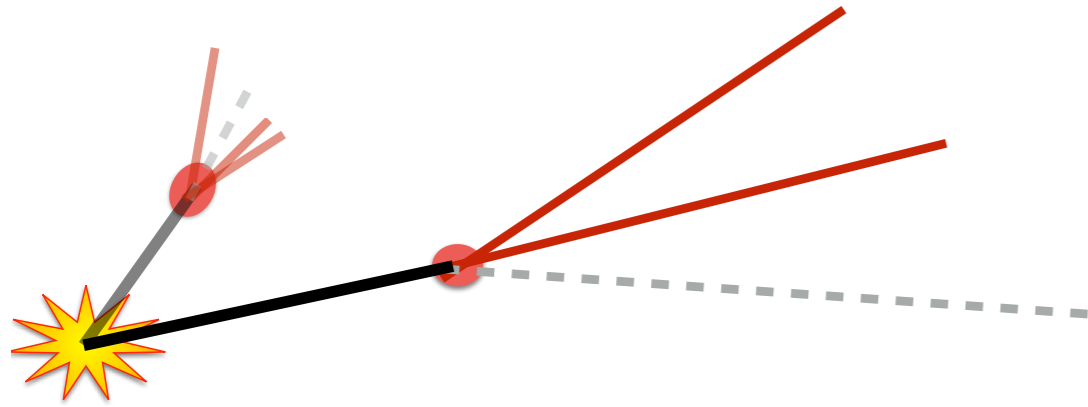
# Neutrino reconstruction

- Three unknowns with a single missing neutrino.
- Pointing constraint gives us back two of them.
- Final unknown determined using the mass constraint of the b-hadron.
- Unfortunately left with ambiguity as mass constraint fixes  $\sqrt{p^2}$  not  $p$  itself.
- This ambiguity is the main source of resolution for  $q^2$ .



# Choosing the neutrino solution

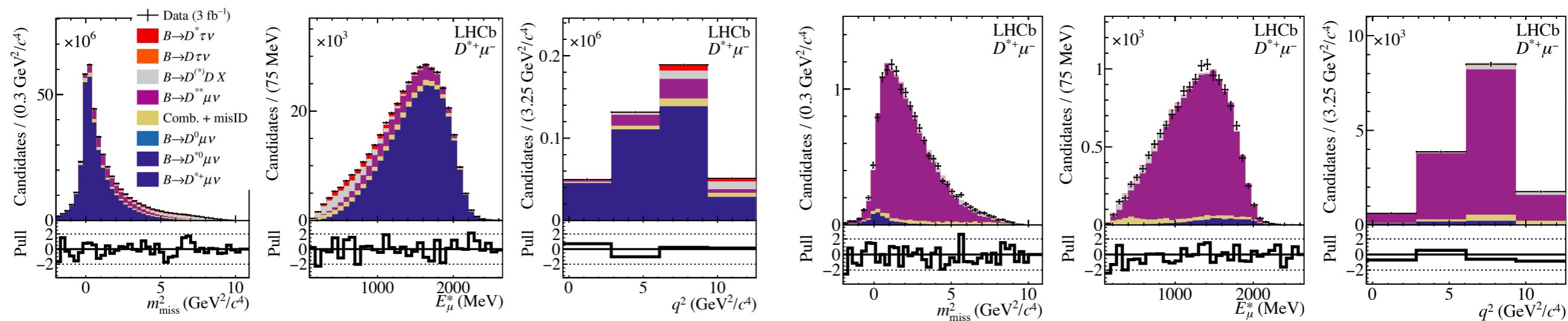
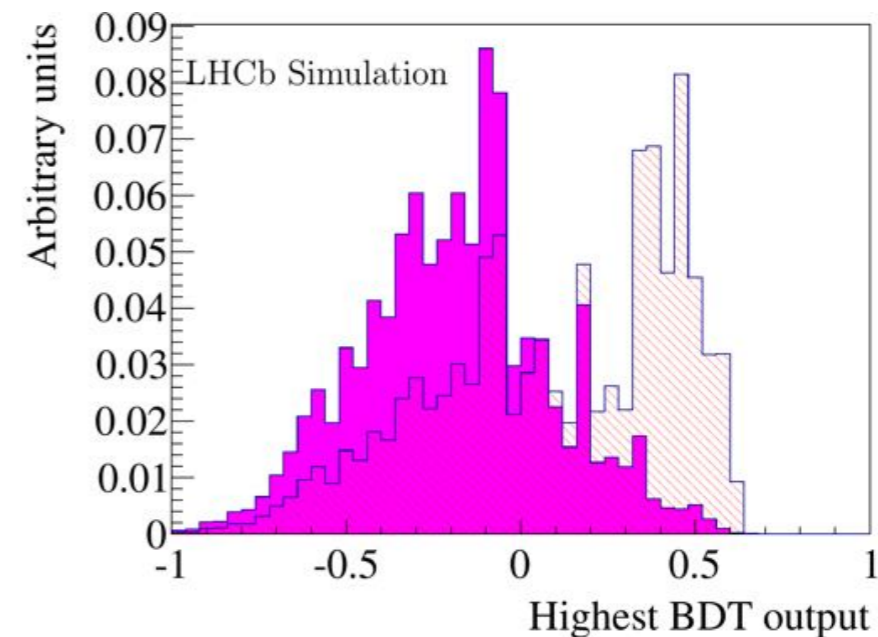
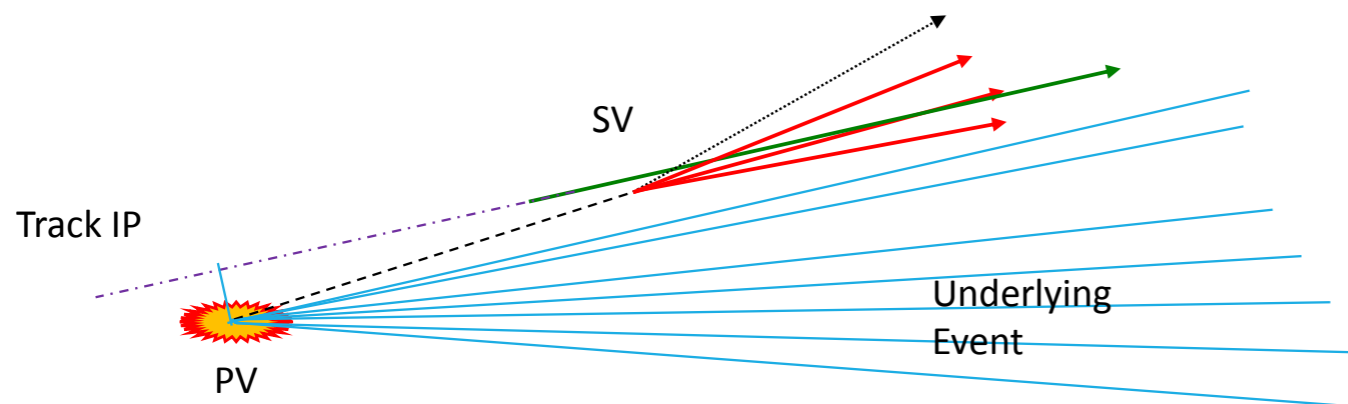
- Easiest choice is to randomly choose between the two solutions.
- Other methods involve comparing the solved b-hadron kinematics to what one expects on average.



- Other ideas include using Gaussian processes.
- Interesting feature: For  $b \rightarrow c$  decays the solution that gives the smaller neutrino momentum is more often correct (60/40). Choosing randomly 50/50 less than ideal!

# Isolation

- Many backgrounds from feed-down (e.g.  $D^{**}$ ), isolation can be used to reduce and then control these backgrounds.

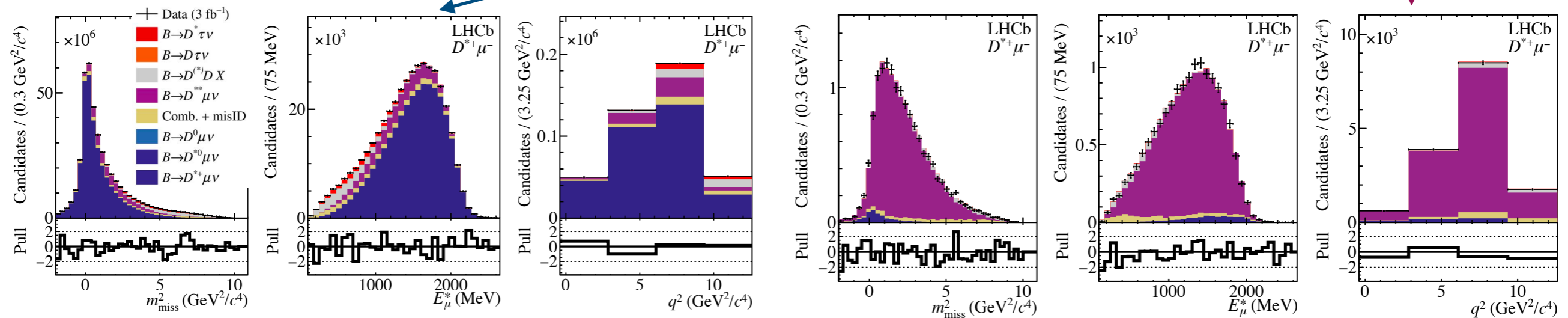
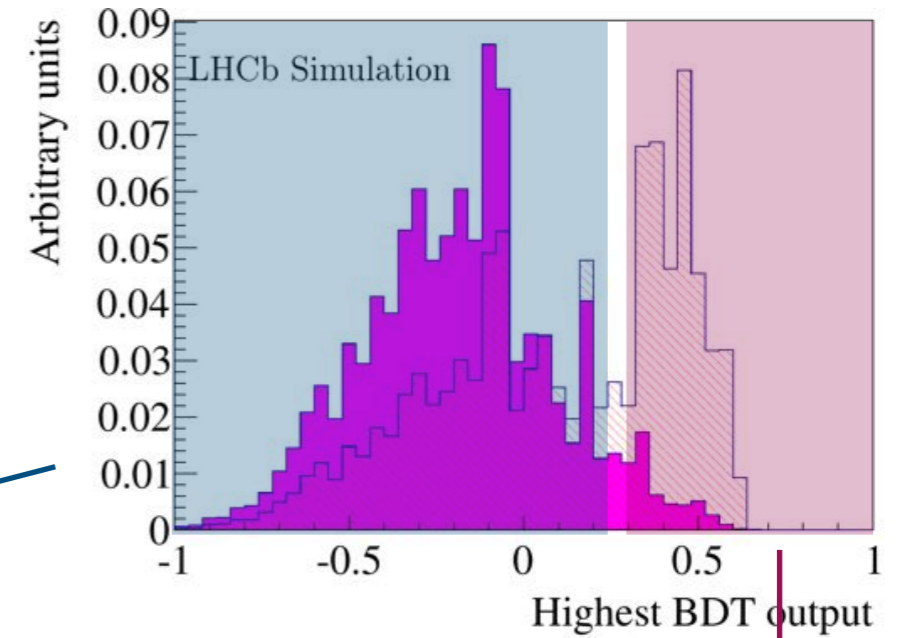
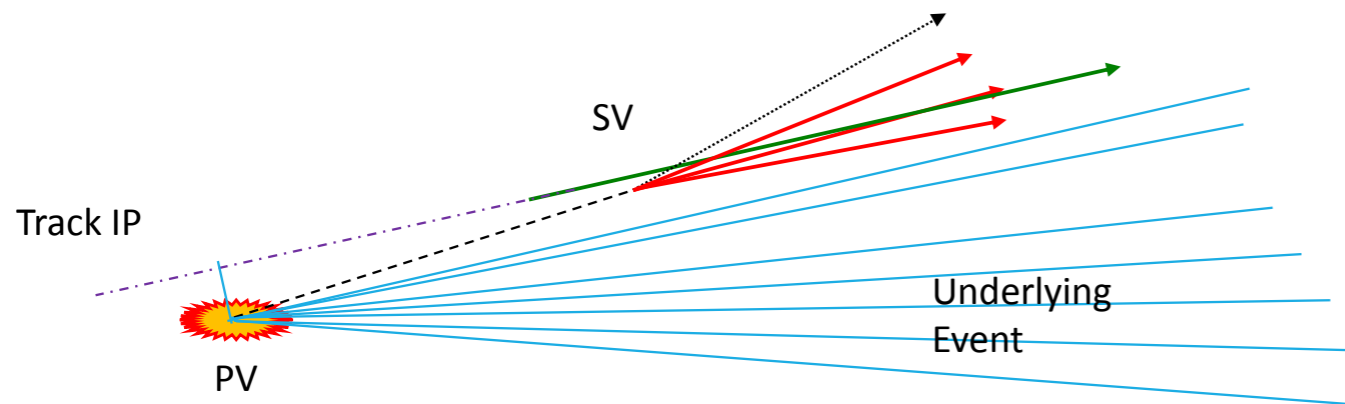


- Particularly important for semitauonic decays and still useful for  $b \rightarrow c\mu\nu$ .



# Isolation

- Many backgrounds from feed-down (e.g.  $D^{**}$ ), isolation can be used to reduce and then control these backgrounds.

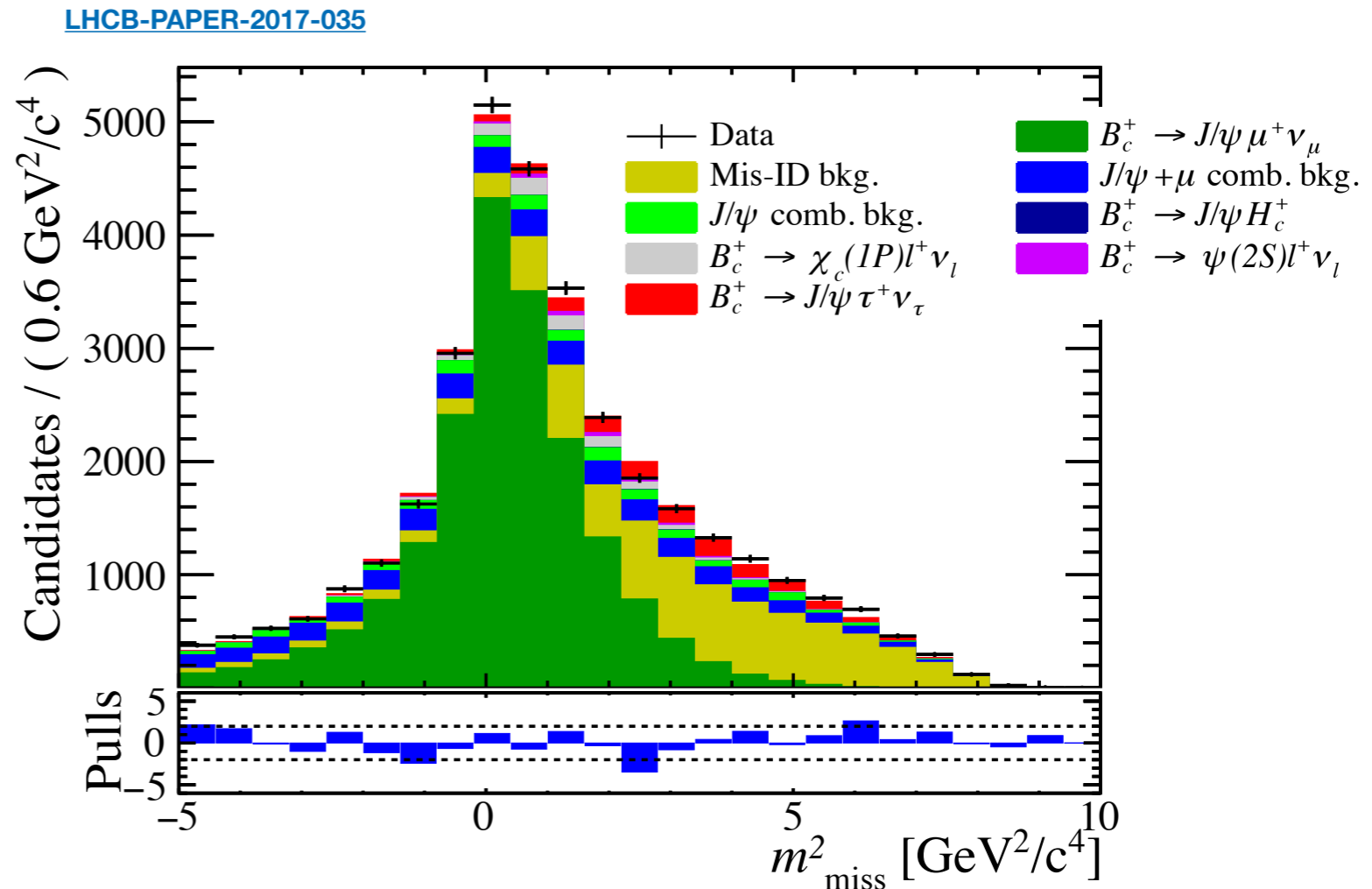


- Particularly important for semitauonic decays and still useful for  $b \rightarrow c \mu \nu$ .

# Data driven mis-id background

- Particularly complicated background arises from  $B \rightarrow X_c h X$  decays, followed by  $h \rightarrow \mu$ .

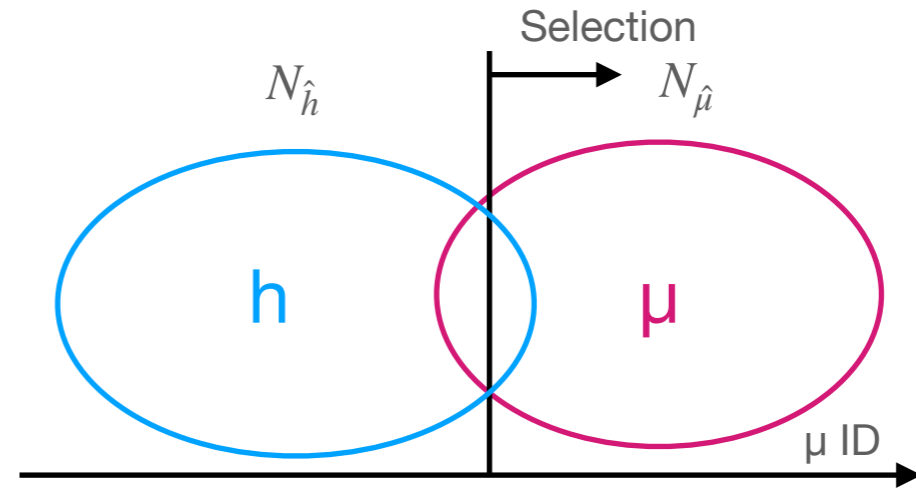
- The decay  $B_c^+ \rightarrow J/\psi \tau^+ \nu_\tau$  particularly sensitive as the signal is suppressed by  $\sim 200$  compared to the mis-ID background.



- As it originates from a large cocktail of  $B \rightarrow X_c h X$  decays, very difficult to model with simulation - derive it from data.

# Data driven method

- Mis-ID data cleanly selected by reversing the lepton-ID.

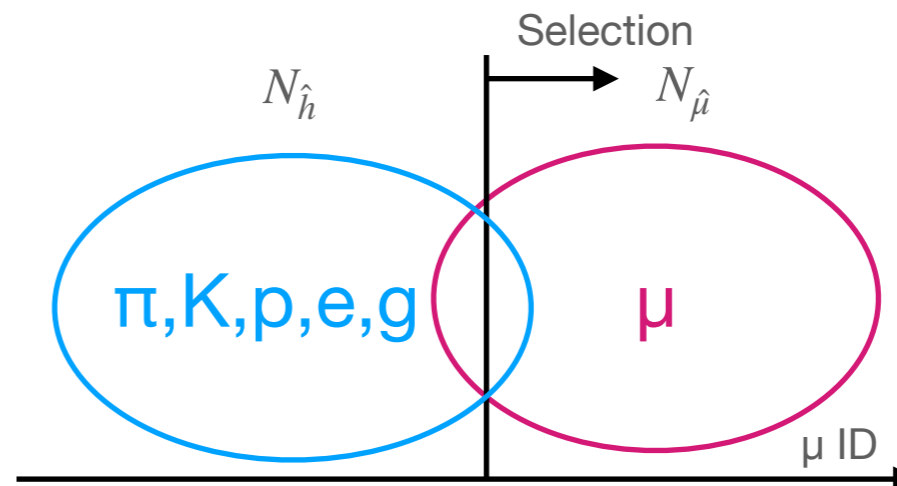


- Number mis-IDed,  $N(h \rightarrow \mu)$  is then given by

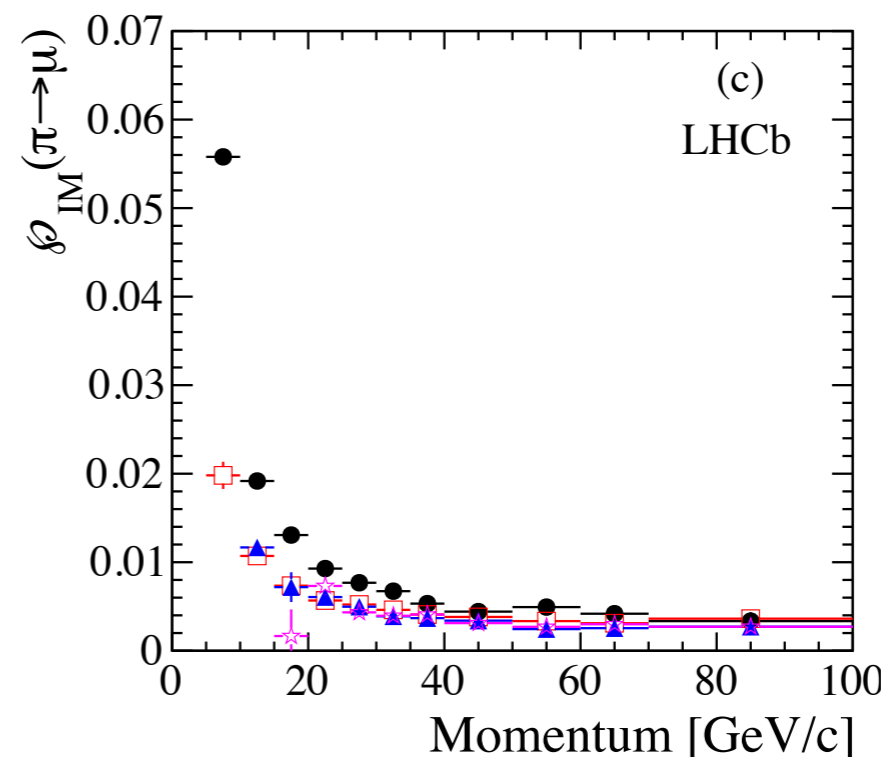
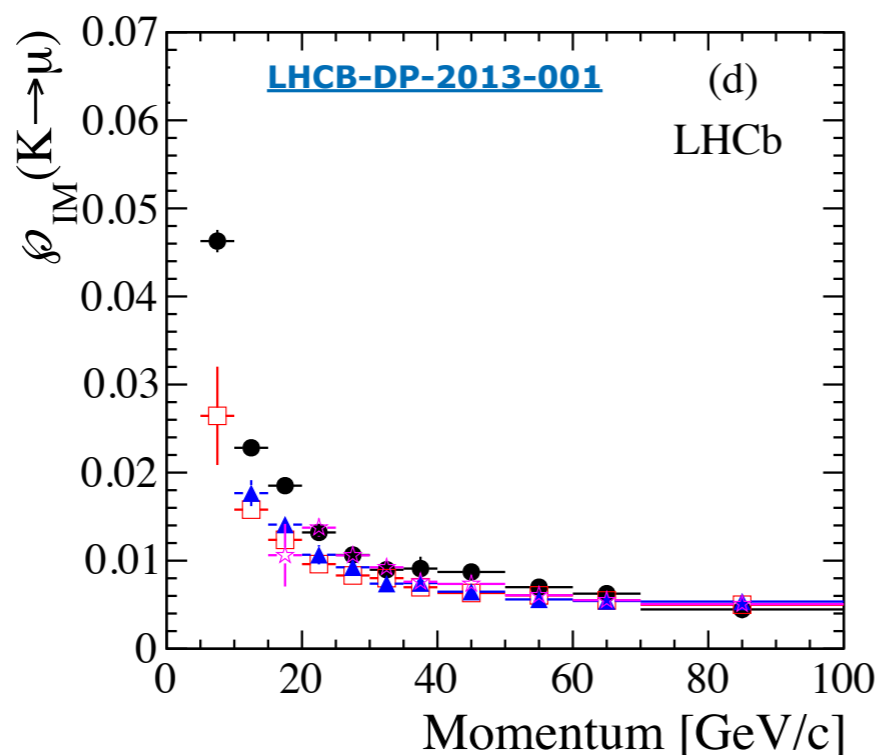
$$N(h \rightarrow \mu) \approx N_{\hat{h}}P(h \rightarrow \hat{\mu}) - N_{\hat{\mu}}P(\mu \rightarrow \hat{h})$$

# The problem

- Mis-ID data cleanly selected by reversing the lepton-ID.



- Problem:** mis-ID background consists of different hadron species which have different mis-ID probabilities.

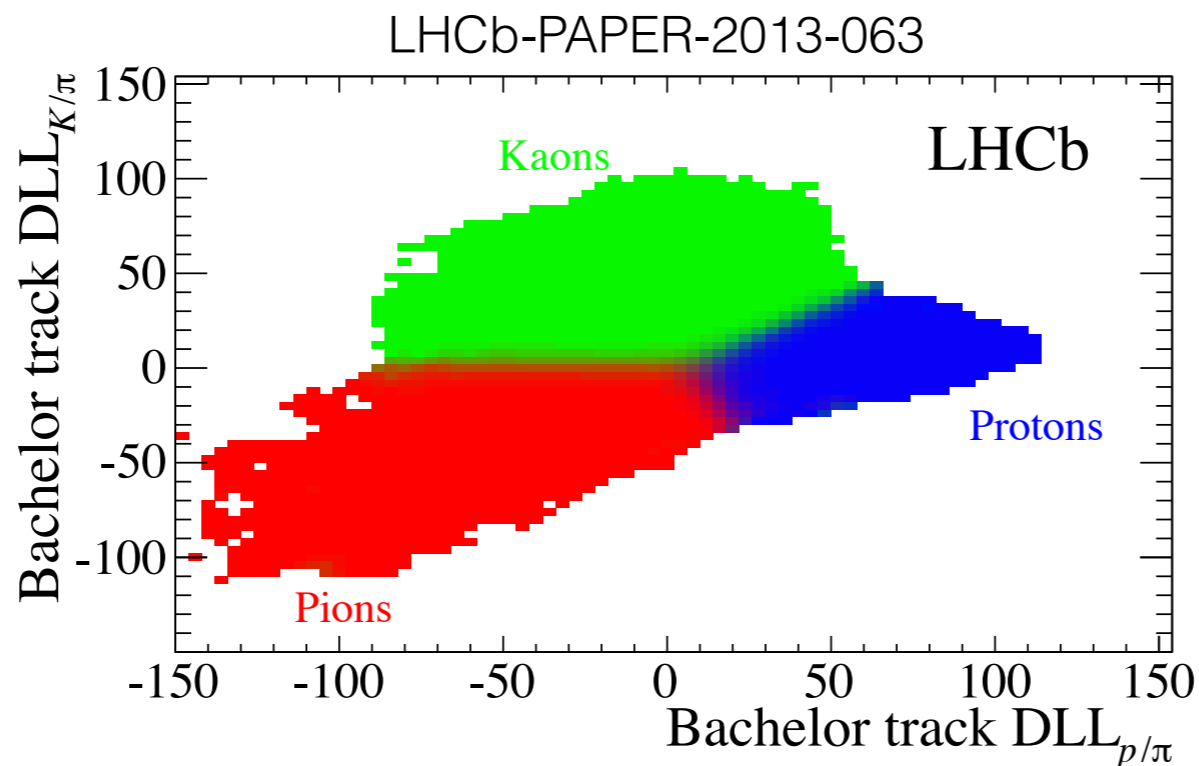


- Equation becomes more complicated:

$$N(h \rightarrow \mu) = N_{\pi}P(\pi \rightarrow \hat{\mu}) + N_KP(K \rightarrow \hat{\mu}) + N_pP(p \rightarrow \hat{\mu}) + N_eP(e \rightarrow \hat{\mu}) + N_gP(g \rightarrow \hat{\mu})$$

# Solution

- Split the hadron sample into different regions depending on the PID response.



- Cross feed turns the equation into a matrix equation

$$\begin{pmatrix} N_{\hat{\pi}} \\ N_{\hat{K}} \\ \vdots \end{pmatrix} = \begin{pmatrix} P(\pi \rightarrow \pi) & P(K \rightarrow \pi) & \cdots \\ P(\pi \rightarrow K) & P(K \rightarrow K) & \cdots \\ \vdots & \vdots & \ddots \end{pmatrix} \begin{pmatrix} N_{\pi} \\ N_K \\ \vdots \end{pmatrix}$$

- Can unfold using the usual approaches or fold in using a likelihood fit (preferred).

# A word on simulation

- At the LHC, it takes 25ns to produce an event.
- It takes about a minute for fully simulate an event.
- Roughly 1 in 100 collisions has a bb pair.
- The branching fractions of the decays involved are O(%) level, multiplied by O(10%) for the D decay.
- That still leaves 4 orders of magnitude difference in the production rate between simulation and data.
- Producing enough simulation is difficult, and usually requires lots of tricks.

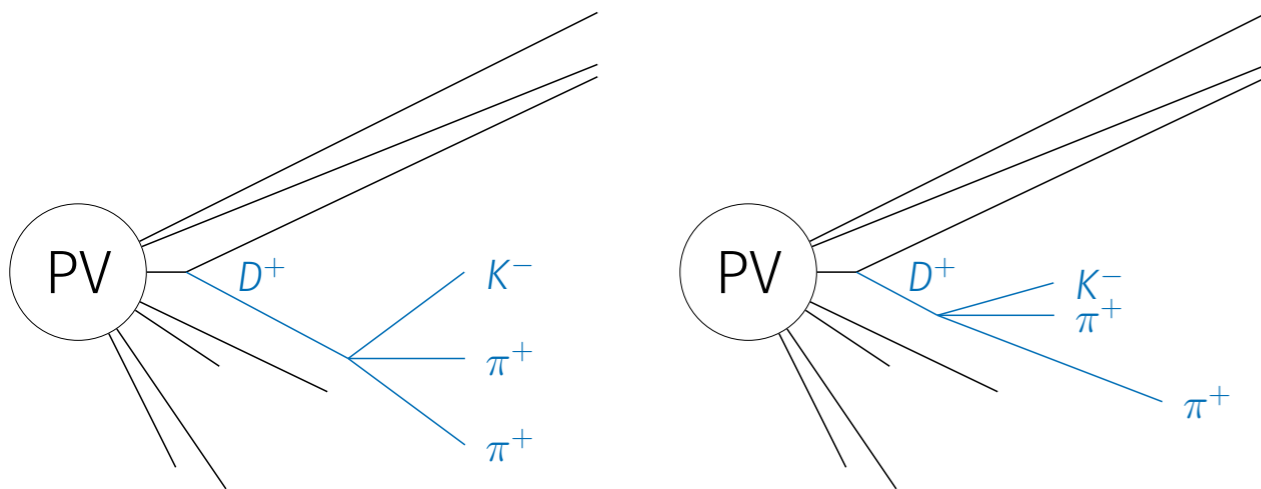
# Fast simulation

Two main methods to make simulation faster, both used in semileptonic analyses

## Redecay

Reuse underlying event for different decays.

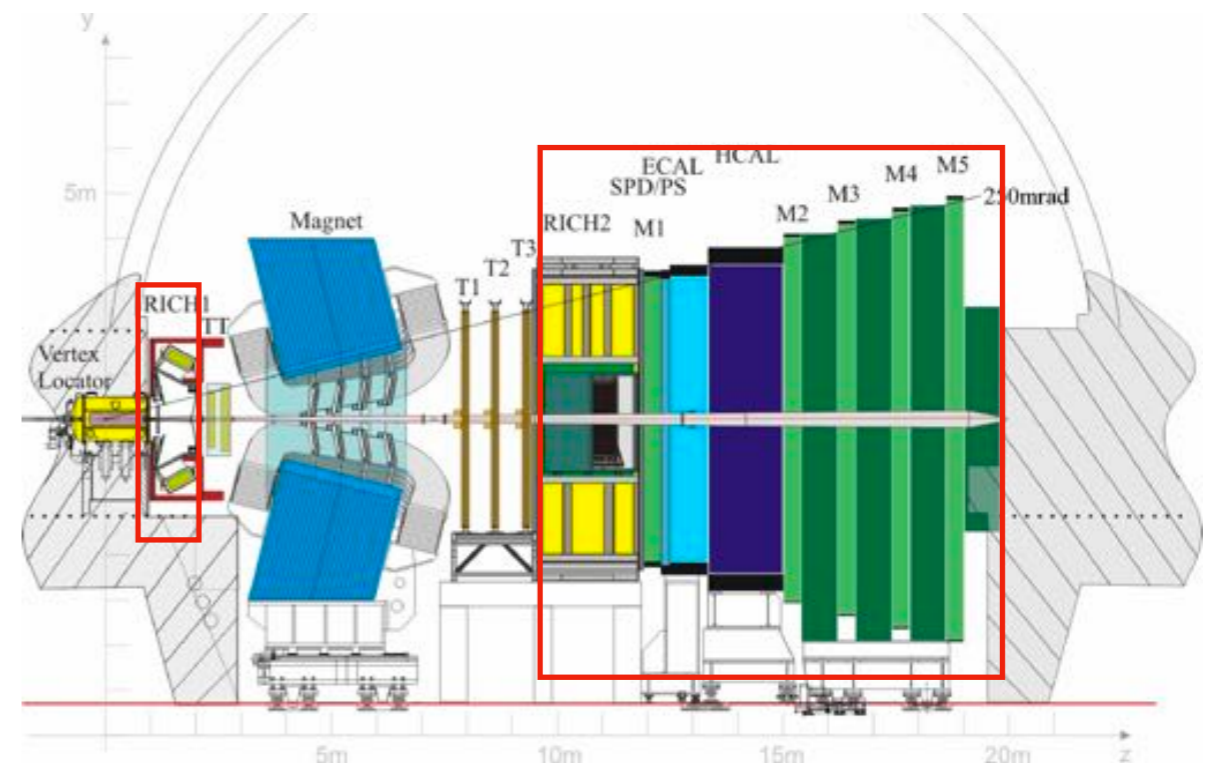
[arXiv:1810.10362](https://arxiv.org/abs/1810.10362)



Speed up 10-100, same disk space.

## Tracker only simulation

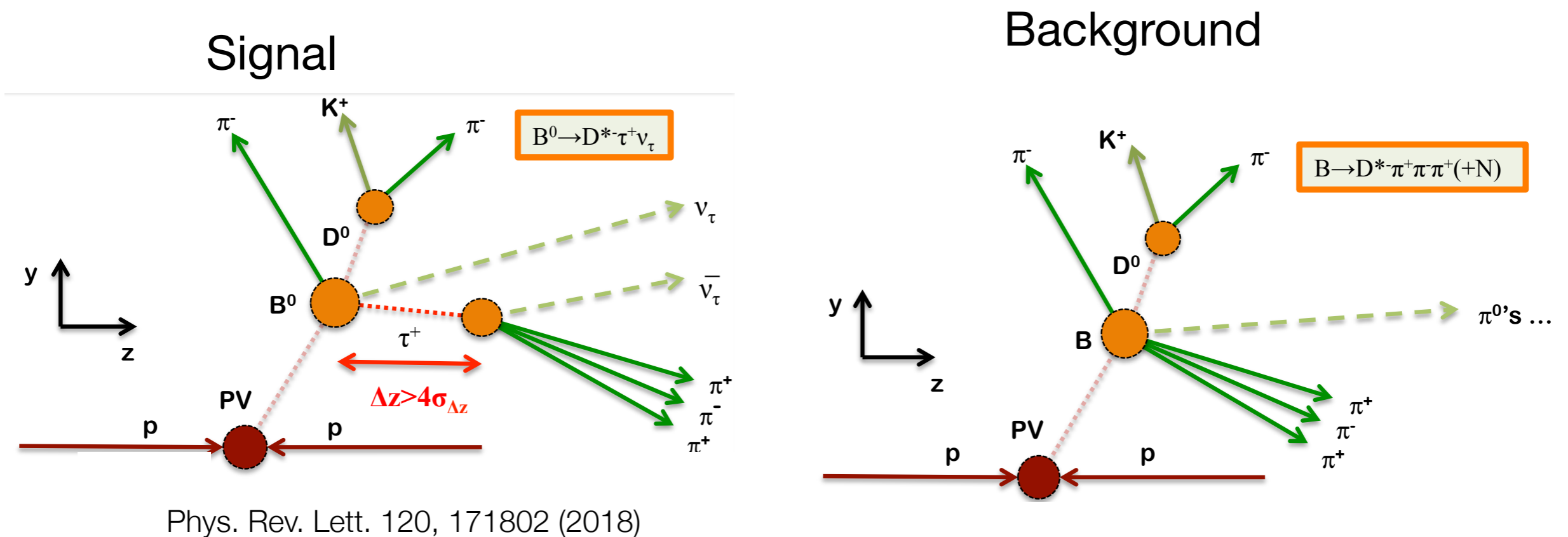
Turn off parts of the detector response (shower development, photon propagation in RICH).



Speed up by factor 8, disk space down by 40%

# Flight distance

- One other useful aspect for  $\tau \rightarrow 3\pi(\pi)\nu$  decays is to utilise the flight distance.



- In principle could use it for  $\tau \rightarrow \mu$  decays, but tends to increase combinatorial background.



**How can LHCb contribute to  $|V_{cb}|$ ?**

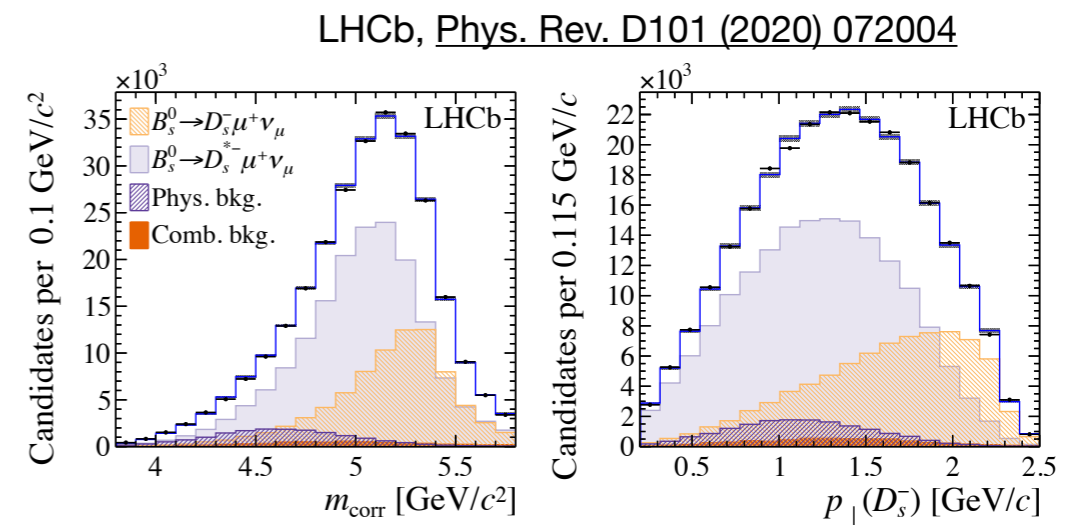
# $|V_{cb}|$ measurement from $B_s$ decays

- Exploit diversity of b-hadrons to measure  $|V_{cb}|$  with  $B_s$  decays.
- Normalise  $B_s^0$  signal to corresponding  $B^0$  decays.

$$\mathcal{R} \equiv \frac{\mathcal{B}(B_s^0 \rightarrow D_s^- \mu^+ \nu_\mu)}{\mathcal{B}(B^0 \rightarrow D^- \mu^+ \nu_\mu)},$$

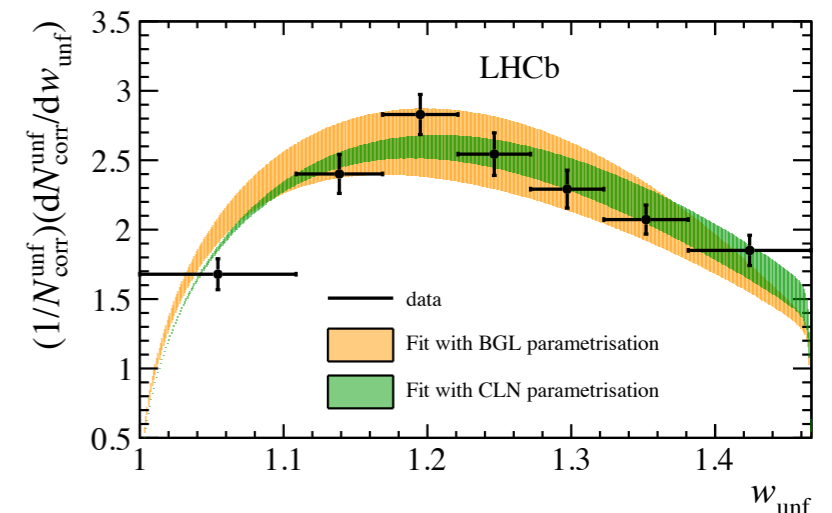
$$\mathcal{R}^* \equiv \frac{\mathcal{B}(B_s^0 \rightarrow D_s^{*-} \mu^+ \nu_\mu)}{\mathcal{B}(B^0 \rightarrow D^{*-} \mu^+ \nu_\mu)}$$

- Fit to determine form factors and signal yield.



- Use  $B^0 \rightarrow D^{(*)} \mu \nu$  branching fractions to determine normalisation with 4(3)% uncertainty from PDG.

- Measurement of  $f_s/f_d$  used for production fractions.
- Also limited by knowledge on  $D_{(s)}$  branching fractions.
- Also measured  $B_s \rightarrow D_s^{(*)}$  form factors: [arXiv:2003.08453](https://arxiv.org/abs/2003.08453)



# $|V_{cb}|$ results

- Performed analysis with CLN and BGL parameterisations.
- Parameters have constraints from e.g. HPQCD [1].

$$|V_{cb}|_{\text{CLN}} = (41.4 \pm 0.6 (\text{stat}) \pm 0.9 (\text{syst}) \pm 1.2 (\text{ext})) \times 10^{-3}$$

$$|V_{cb}|_{\text{BGL}} = (42.3 \pm 0.8 (\text{stat}) \pm 0.9 (\text{syst}) \pm 1.2 (\text{ext})) \times 10^{-3}$$

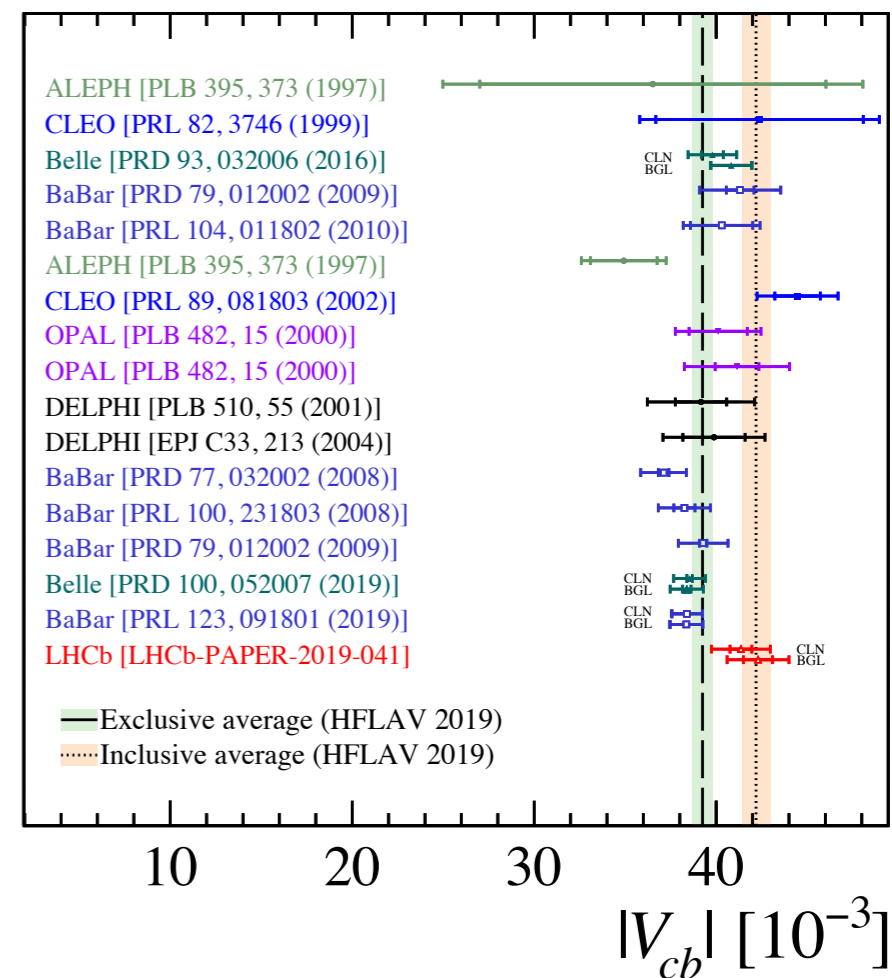
- Both results compatible with each other and existing measurements.

## Abstract

The shape of the  $B_s^0 \rightarrow D_s^{*-} \mu^+ \nu_\mu$  differential decay rate is obtained as a function of the hadron recoil parameter using proton-proton collision data at a centre-of-mass energy of 13 TeV, corresponding to an integrated luminosity of  $1.7 \text{ fb}^{-1}$  collected by the LHCb detector. The  $B_s^0 \rightarrow D_s^{*-} \mu^+ \nu_\mu$  decay is reconstructed through the decays  $D_s^{*-} \rightarrow D_s^- \gamma$  and  $D_s^- \rightarrow K^- K^+ \pi^-$ . The differential decay rate is fitted with the

**CENSORED** **CENSORED** Boyd-Grinstein-Lebed (BGL) parametrisation of the form factors, and the relevant quantities **CENSORED** are extracted.

LHCb, Phys. Rev. D101 (2020) 072004



[1] McLean, Davies, Koponen, Lytle [HPQCD]: Phys. Rev. D 101, 074513 (2020), see also Judd, Davies <https://arxiv.org/abs/2105.11433>

# Yes, it really is a $|V_{cb}|$ measurement

- If both numerator and denominator depend on  $|V_{cb}|$ , how can one be sensitive to  $|V_{cb}|$ ?
- The point is that the denominator is measured, we do not use a prediction which depends on  $|V_{cb}|$ .
  - The  $B^0 \rightarrow D^{(*)}$  branching fraction measurements could be correlated to the exclusive  $|V_{cb}|$  B-factory measurements, but I understand this is a small effect(?).
- We do, however, rely on the equality of semileptonic widths.
  - We are heavily dependent on this in LHCb, so might be useful to provide precise validations in data. More lifetime measurements?

Bigi, Mannel, Uraltsev, [JHEP09\(2011\)012](#)

# Planned measurements

- Plan to perform a similar measurement with  $\Lambda_b^0$  decays.
  - Here the normalisation is a bit different, we instead normalise to inclusive  $\Lambda_b^0$  semileptonic decays and employ equally of partial widths.

$$\Gamma(\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu) = \frac{n_{\text{corr}}(\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu)}{n_{\text{corr}}(\Lambda_b^0 \rightarrow X_c \mu^-) \times \Gamma(\Lambda_b^0 \rightarrow X_c \mu^- \bar{\nu}_\mu)}$$

- Plan is to use the differential measurement as a function of  $q^2$  to control form factor uncertainties a la LHCb-PAPER-2017-016
- Also discussions on performing a measurement with  $B^0 \rightarrow D^* \mu \nu$  decays using a similar method:

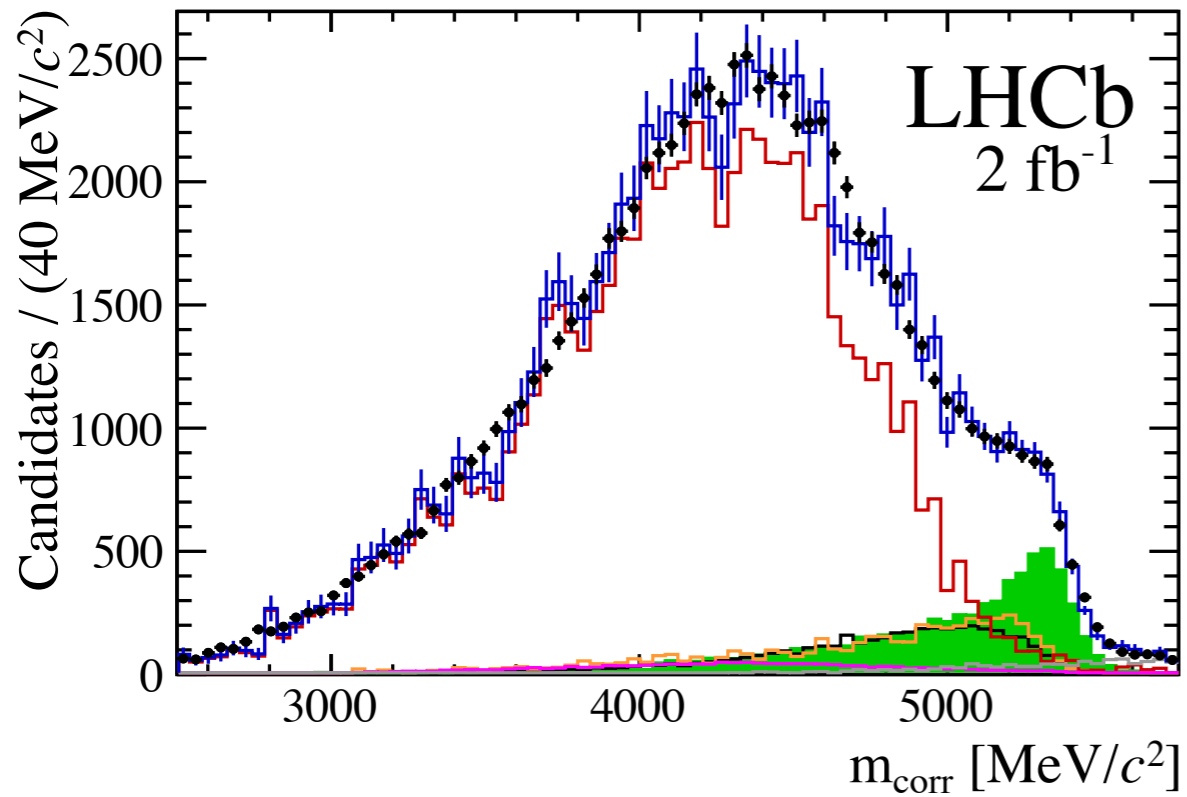
$$\frac{\mathcal{B}(B^0 \rightarrow D^{*-} \mu^+ \nu_\mu)}{\mathcal{B}(B \rightarrow \bar{X}_c \mu^+ \nu_\mu X)} = \frac{2n_{\text{corr}}(B^0 \rightarrow D^{*-} \mu^+ \nu_\mu)}{n_{\text{corr}}(\bar{D}^0 \mu^+ X) + n_{\text{corr}}(D^- \mu^+ X)}$$

- Finally, working on  $B \rightarrow D^* \mu \nu$  angular analysis, which will help constrain form factors.

# Summary

LHCb good at the y-axis, Belle (II) good at the x-axis.

[LHCb-PAPER-2020-038](#)



[arXiv:2303.1730](#)

