

# Precision Measurement of $R(D^{(*)})$ with Inclusive Tagging Methods at Belle II



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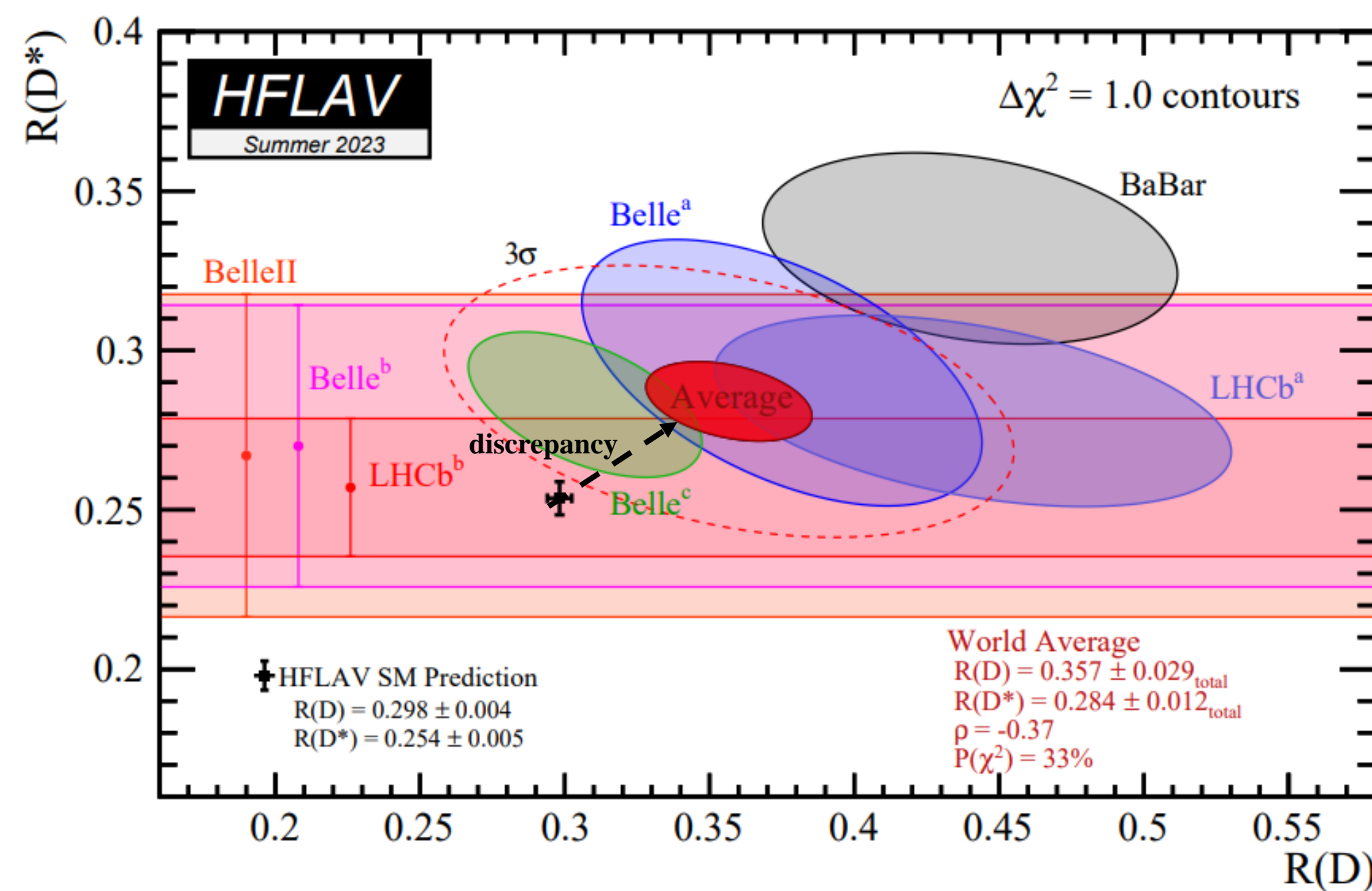
## ABSTRACT

The standard model provides an excellent description for the fundamental forces of nature. However, recent experimental measurements provide results that are inconsistent with the standard model predictions. Currently, the largest discrepancy is the symmetry of lepton flavor universality. In particular, the experimentally measured branching ratio of the weakly interacting leptons suggests the heavier tauon does not undergo the same weak physical interactions as the electron and the muon.

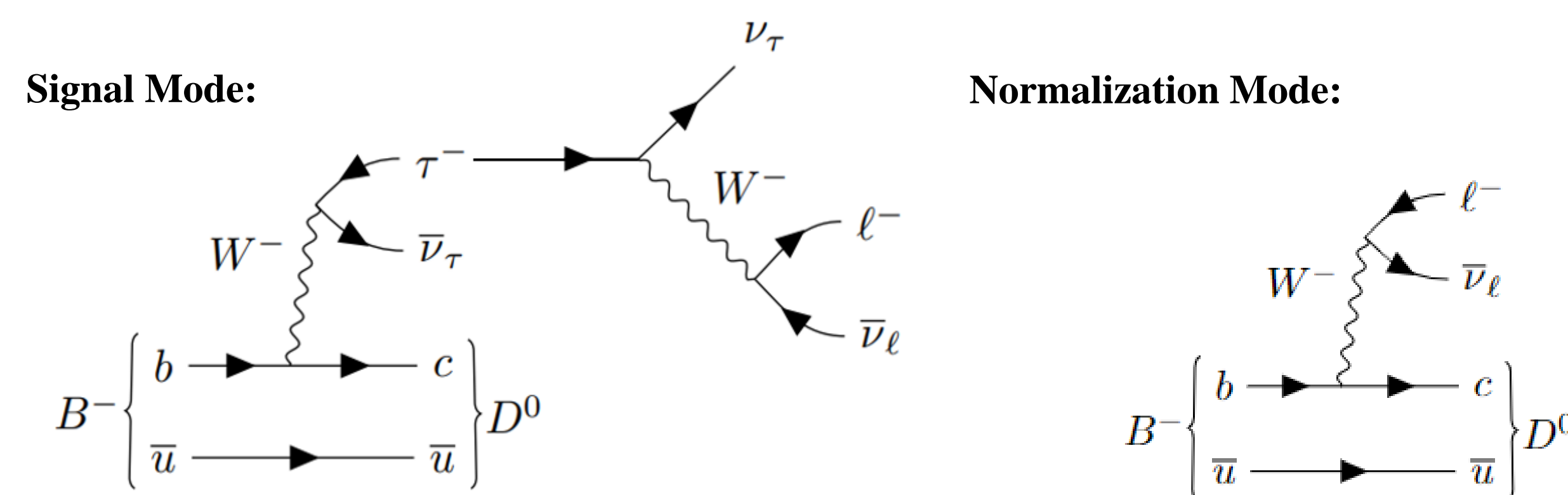
The current results are slightly higher than the standard model prediction. However, at over  $3\sigma$ , the results not significant enough to throw out the standard model. In an attempt to refine these results and disprove lepton flavor universality, the physical decay properties of  $B^\pm \rightarrow D^{(*)0} \ell^\pm \nu_\ell$  and  $B^\pm \rightarrow D^{(*)0} \tau^\pm (\rightarrow \ell^\pm \nu_\ell \nu_\tau) \nu_\tau$  where  $\ell = e$  or  $\mu$  are investigated with the Belle II Analysis Framework (basf2).

Lepton Flavors:  $e^\pm, \mu^\pm, \tau^\pm$

- **Lepton Flavor Universality:** weak interactions are “flavor independent”
- Both  $e^\pm$  and  $\mu^\pm$  have been shown to have similar properties
- The heavy, short-lived,  $\tau^\pm$  has shown consistent deviations but there is not enough statistical signif – at least not yet



- If  $\tau^\pm$  does not interact like  $e^\pm$  and  $\mu^\pm$ , the symmetries of the SM break!
- To experimentally determine the similarities of the interactions, a precision measurement is made on



Applying the definition of the branching fraction,

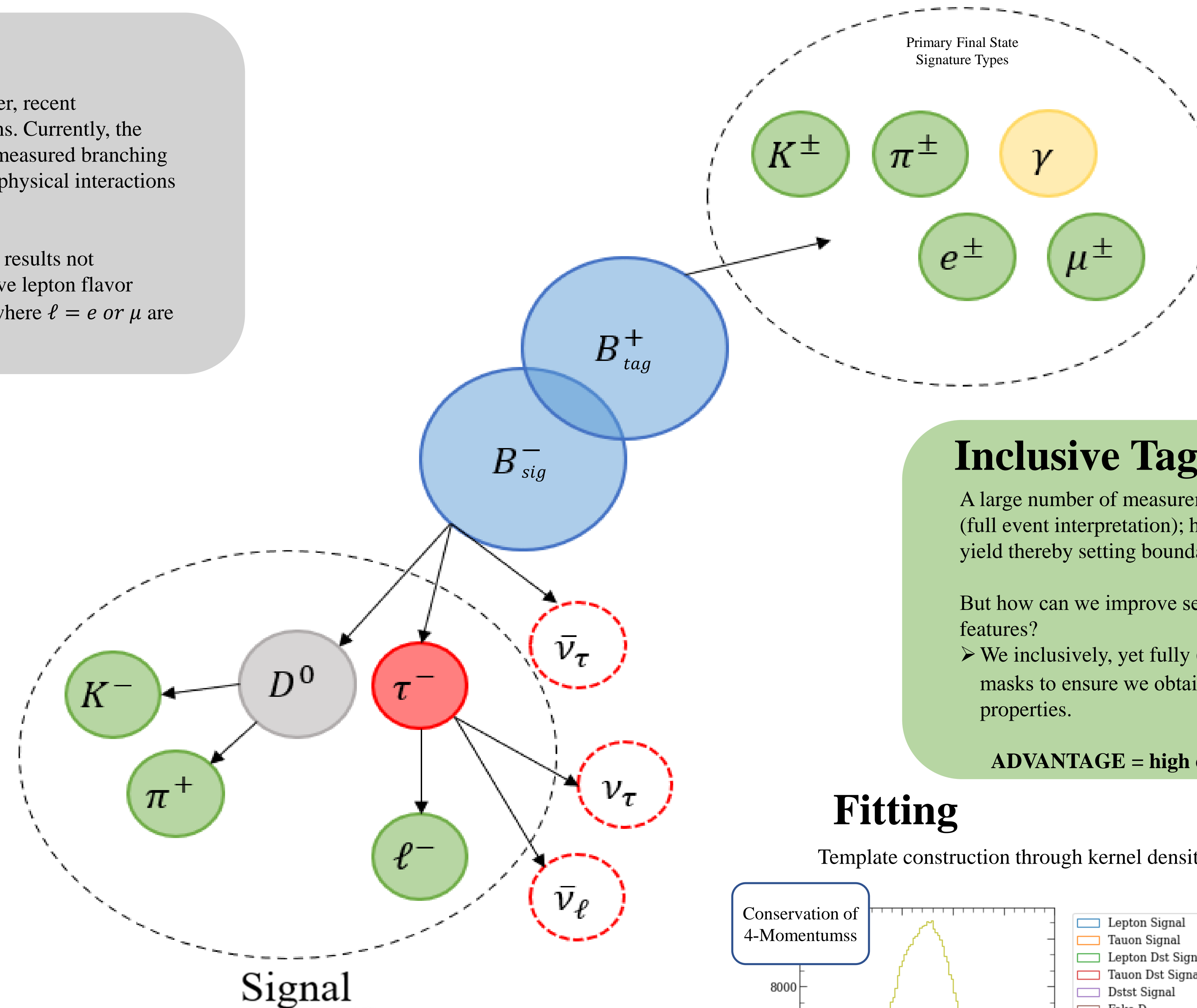
$$BF = \frac{N_{sig}}{N_{B gen} * B_{forced} * \epsilon_{sig}}$$

Most uncertainties cancel out

The decay ratio may be written as

$$R(D^{(*)}) = \frac{BF(B \rightarrow D^{(*)} \tau \nu)}{BF(B \rightarrow D^{(*)} \ell \nu)} = \frac{N(D^{(*)} \tau \nu)}{N(D^{(*)} \ell \nu)} \frac{\epsilon(D^{(*)} \ell \nu)}{\epsilon(D^{(*)} \tau \nu)} \frac{1}{B(\tau)}$$

- $N(D^{(*)} \tau \nu)$  = fitted signal yield for  $B \rightarrow D^{(*)} \tau (\rightarrow \ell \nu \nu) \nu$
  - $N(D^{(*)} \ell \nu)$  = fitted signal yield for  $B \rightarrow D^{(*)} \ell \nu$
  - $\epsilon$  = signal efficiency
  - $B(\tau)$  = world average branching fraction for fixed  $\tau \rightarrow \ell \nu \nu$  mode
- Determined through fitting



All signal mode candidates simultaneously reconstructed by identifying 3 charged signatures:  $K^-, \pi^+, \ell^-$  and exploiting kinematic properties of decay

$B \rightarrow D^0 e \nu$		$B \rightarrow D^0 \tau (e \nu \nu) \nu$	
	Kpi		Kpi
Reconstruction	$0.271 \pm 0.001$	Reconstruction	$0.222 \pm 0.001$
Rest of Event		Rest of Event	
$\ell$ Veto2	$0.253 \pm 0.001$	$\ell$ Veto2	$0.207 \pm 0.001$
$5.2 < M_{bc}$	$0.191 \pm 0.001$	$5.2 < M_{bc}$	$0.158 \pm 0.001$
$-4 < \Delta E < 2$	$0.190 \pm 0.001$	$-4 < \Delta E < 2$	$0.157 \pm 0.001$
Background Suppression		Background Suppression	
SignalProb>0.7	$0.077 \pm 0.002$	SignalProb>0.7	$0.126 \pm 0.002$
Best Candidate Selection		Best Candidate Selection	
B vertex chiProb	$0.077 \pm 0.002$	B vertex chiProb	$0.126 \pm 0.002$

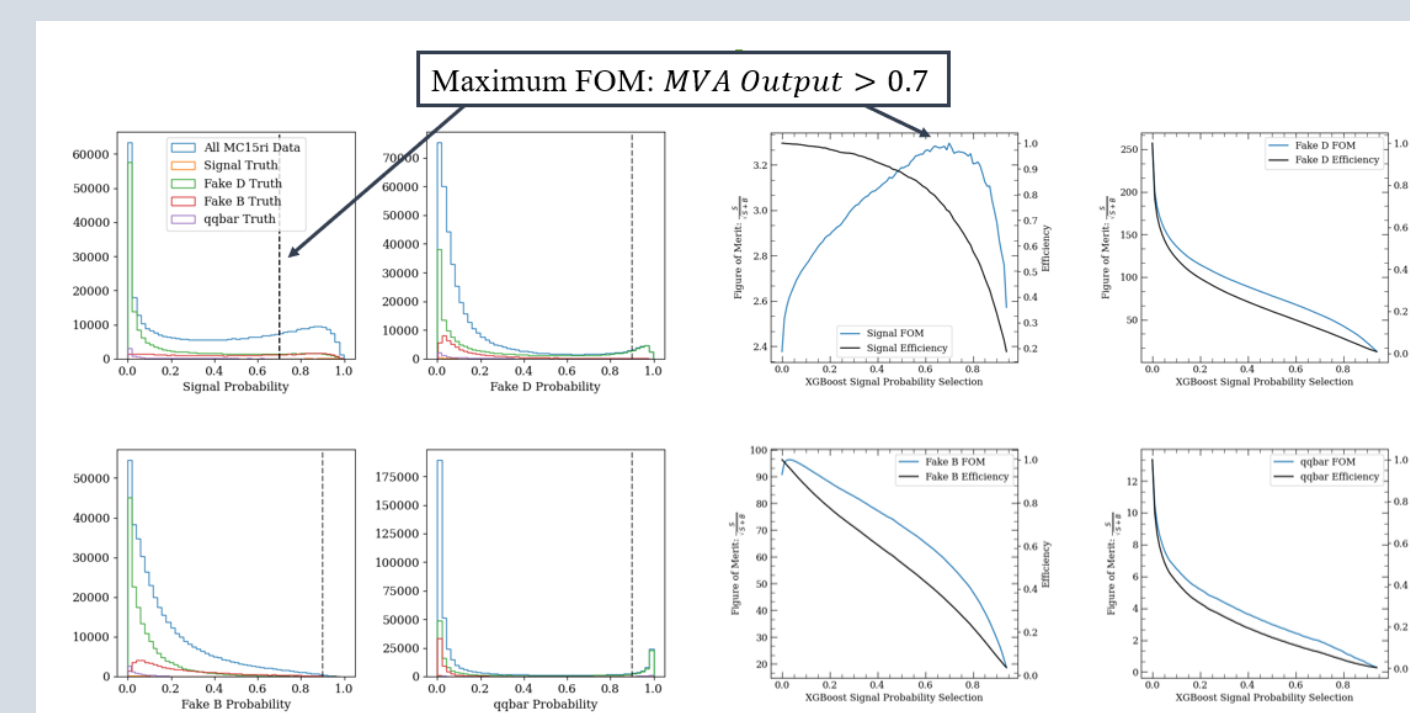
With inclusive tagging we get efficiency of  $O(10\%)$

With hadronic and semi-leptonic tagging, the efficiency is  $O(\leq 1\%)$

## Background Suppression

Application of XGBoost multivariate analysis (MVA) with signal mode:

$$B \rightarrow (D^0 \rightarrow K\pi) (\tau \rightarrow e \nu \bar{\nu}) \nu$$



## ROE

Remaining tracks and energy deposits are associated with the accompanying B meson ( $B_{tag}$ ), a.k.a Rest of Event (ROE)

**Inclusive ROE** = Decay channel not important so long as good  $B_{tag}$  candidate obtained

- $B_{tag}$  selected with track and cluster criteria via minimizing widths of  $M_{bcROE}$  and  $\Delta E_{ROE}$

## Lepton Veto

- Better resolution for signal fit means tag side (ROE) has no missing mass
- Event cut:  $(\# e^\pm \text{ candidates} + \# \mu^\pm \text{ candidates}) \leq 1$

## Inclusive Tagging

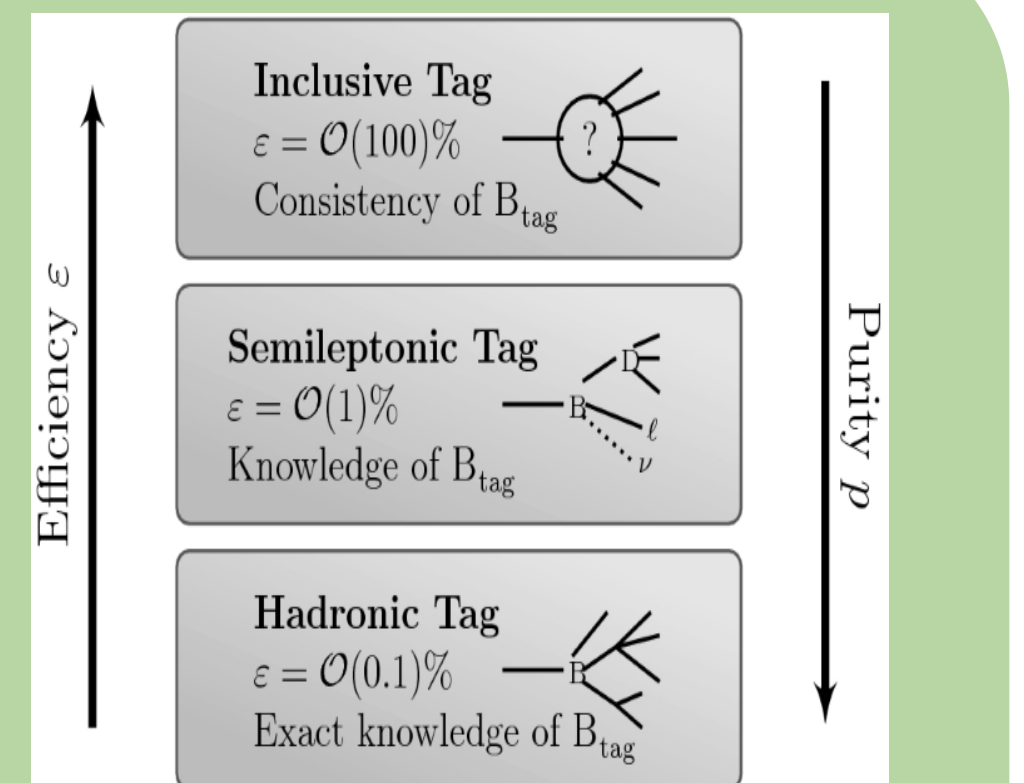
A large number of measurements have been made using exclusive tagging through FEI (full event interpretation); however, this method causes a significant decrease in signal yield thereby setting boundaries on measurements.

But how can we improve sensitivity while taking advantage of Belle II's excellent features?

- We inclusively, yet fully (i.e. no neutrinos), reconstruct the  $B_{tag}$  by placing simple masks to ensure we obtain a “good” candidate to aid in extraction of signal properties.

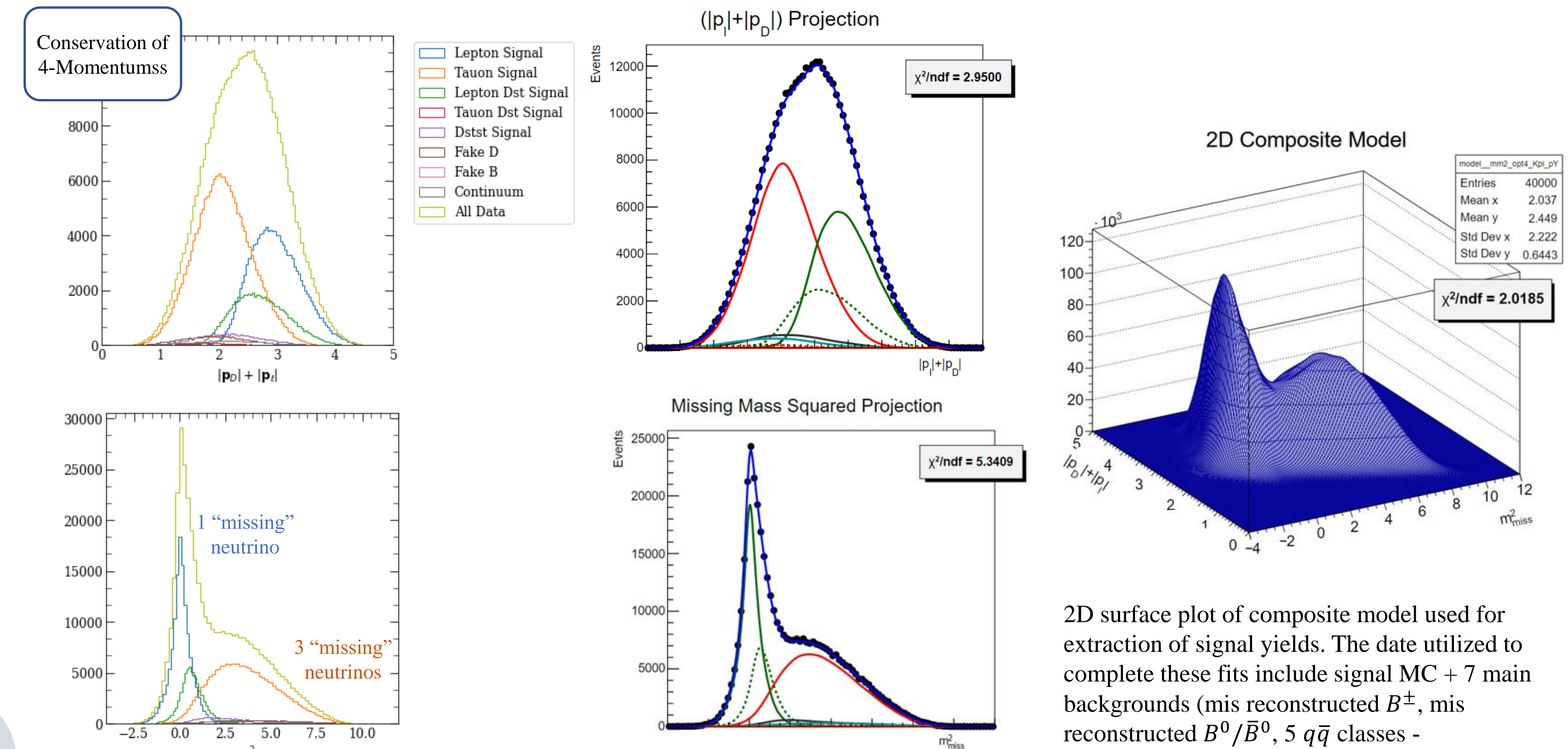
ADVANTAGE = high efficiency

DISADVANTAGE = low purity



## Fitting

Template construction through kernel density estimate followed by a maximum likelihood estimation of the composite model.



**RIGHT:** 1D MC truth plots for the variables fitted to extract signal yields. **LEFT:** 1D-projections of MLE fit of composite PDF of primary signal and background components. **TOP:**  $p_D + p_\ell$  distribution where the tauon signals have a lower mean when compared to the electron signal considering  $m_e \ll m_\tau$ . **BOTTOM:**  $m_{miss}^2$  distribution where the tauon signals have a higher and “smeared” distribution compared to the electron as there are 2 additional neutrinos.

2D surface plot of composite model used for extraction of signal yields. The date utilized to complete these fits include signal MC + 7 main backgrounds (mis reconstructed  $B^\pm$ , mis reconstructed  $B^0/\bar{B}^0$ ,  $5 q\bar{q}$  classes -  $u\bar{u}, d\bar{d}, c\bar{c}, s\bar{s}, \tau^+\tau^-$ ). As the  $\chi^2/n_{df}$  in the 2D and 1D projection, improvements must be made on the quality of the fit.

## Acknowledgements

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